

<복제물에 대한 경고>

본 저작물은 **저작권법 제25조 수업목적 저작물 이용 보상금제도**에 의거, **한국복제전송저작권협회**와 약정을 체결하고
적법하게 이용하고 있습니다. 약정범위를 초과하는 사용은 저작권법에 저촉될 수 있으므로

저작물의 재 복제 및 수업 목적 외의 사용을 금지합니다.

2020. 03. 30.

건국대학교(서울)한국복제전송저작권협회

<전송에 대한 경고>

본 사이트에서 수업 자료로 이용되는 저작물은 **저작권법 제25조 수업목적 저작물 이용 보상금제도**에 의거,

한국복제전송저작권협회와 약정을 체결하고 적법하게 이용하고 있습니다.

약정범위를 초과하는 사용은 저작권법에 저촉될 수 있으므로

수업자료의 대중 공개·공유 및 수업 목적 외의 사용을 금지합니다.

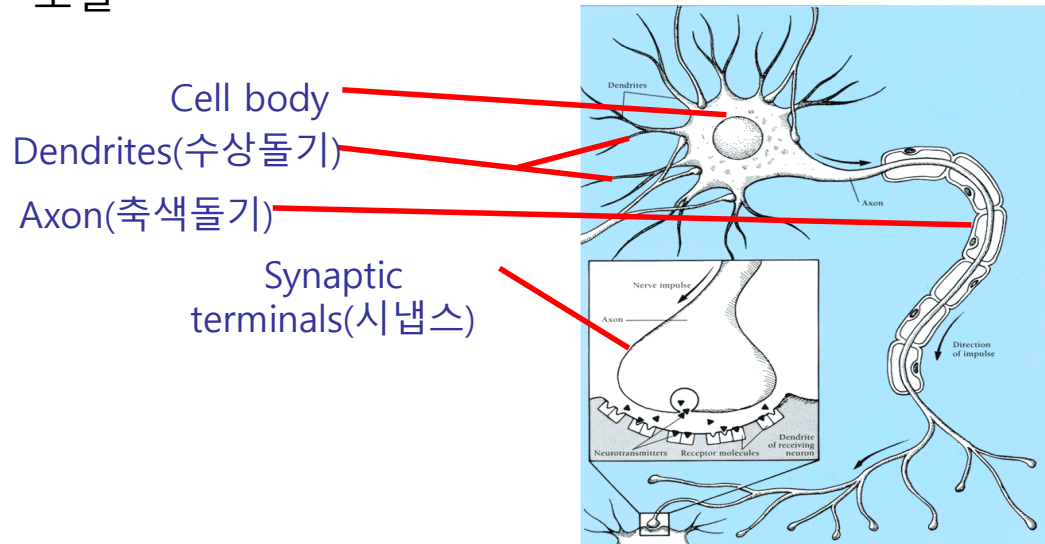
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Artificial Neural Network

ANN (Artificial Neural Networks)

- 수학적 논리학이 아닌 인간의 두뇌를 모방하여 수많은 간단한 처리기들(뉴런)의 네트워크를 통해 문제를 해결하는 기계학습 모델

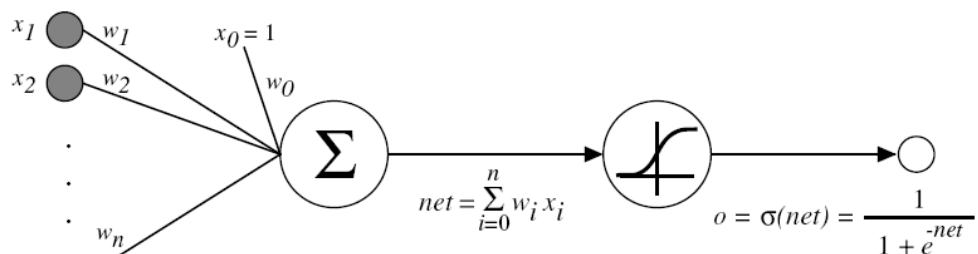


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Dendrites(수상돌기) Axon(축색돌기) Synaptic terminals(시냅스)



학습(델타룰): 정답과 출력을 비교하여 그 차이를 가중치 조정에 반영

$$\bar{w}' = \bar{w} + \eta (y^* - y) \bar{x}$$

learning rate (small)

correct output y^* actual output y

Error: $y^* - y \in \{-1, 0, 1\}$



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Brief ANN History

- Frank Rosenblatt, 1957
 - Single-layer perceptron
- Minsky & Papert 1969
 - ANN is a linear function (1st winter season)
- Rumelhart, Hinton & Williams, 1986
 - Back propagation algorithm for Multi-layer perceptron
 - Vanishing gradient problem! (2nd winter season)
- Geoffrey Hinton, 2009 → Yoshua Bengio, Andrew Ng, Ian Goodfellow
 - New activation function, ReLU, for deep neural networks
 - Drop-out for increasing robustness

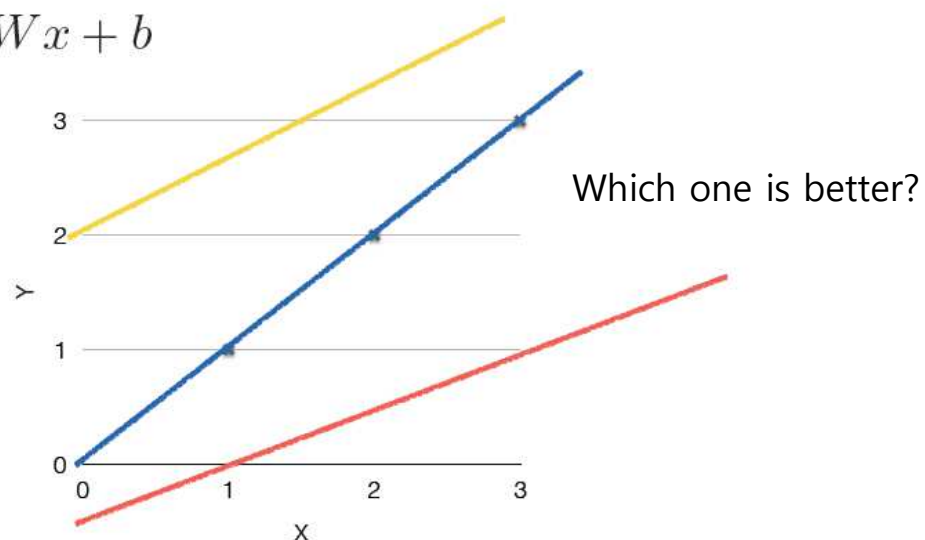


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REMIND

Linear Hypothesis

$$H(x) = Wx + b$$



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Matrix Representation

$$\begin{bmatrix} w_1 & w_2 & w_3 \end{bmatrix} \times \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} = \begin{bmatrix} w_1 \times x_1 + w_2 \times x_2 + w_3 \times x_3 \end{bmatrix}$$

$$H(X) = WX + b$$

With b vector

$$\begin{bmatrix} b & w_1 & w_2 & w_3 \end{bmatrix} \times \begin{bmatrix} 1 \\ x_1 \\ x_2 \\ x_3 \end{bmatrix} = \begin{bmatrix} b \times 1 + w_1 \times x_1 + w_2 \times x_2 + w_3 \times x_3 \end{bmatrix}$$

$$H(X) = WX$$

Without b vector

$$H(X) = W^T X$$

Transpose representation



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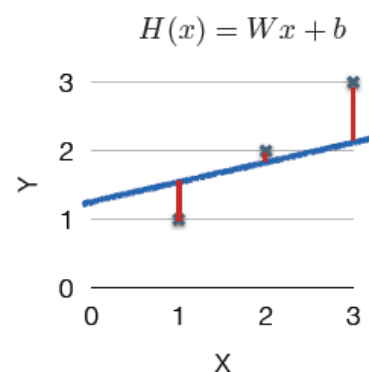
Cost Function

$$\frac{(H(x^{(1)}) - y^{(1)})^2 + (H(x^{(2)}) - y^{(2)})^2 + (H(x^{(3)}) - y^{(3)})^2}{3}$$

$$cost = \frac{1}{m} \sum_{i=1}^m (H(x^{(i)}) - y^{(i)})^2$$

Our goal? $\min_{W,b} cost(W, b)$

Cost function을 최소로 하는 hypothesis가 무엇일까?



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Formal Definition of Gradient Decent

$$\text{cost}(W) = \frac{1}{m} \sum_{i=1}^m (Wx^{(i)} - y^{(i)})^2 \quad \longrightarrow \quad \text{cost}(W) = \frac{1}{2m} \sum_{i=1}^m (Wx^{(i)} - y^{(i)})^2$$

$$W := W - \alpha \frac{\partial}{\partial W} \frac{1}{2m} \sum_{i=1}^m (Wx^{(i)} - y^{(i)})^2$$

$$W := W - \alpha \frac{1}{2m} \sum_{i=1}^m 2(Wx^{(i)} - y^{(i)})x^{(i)} \quad \longleftarrow \quad W := W - \alpha \frac{\partial}{\partial W} \text{cost}(W)$$

$$W := W - \alpha \frac{1}{m} \sum_{i=1}^m (Wx^{(i)} - y^{(i)})x^{(i)}$$

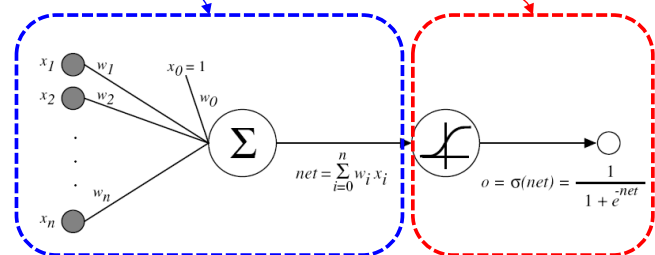
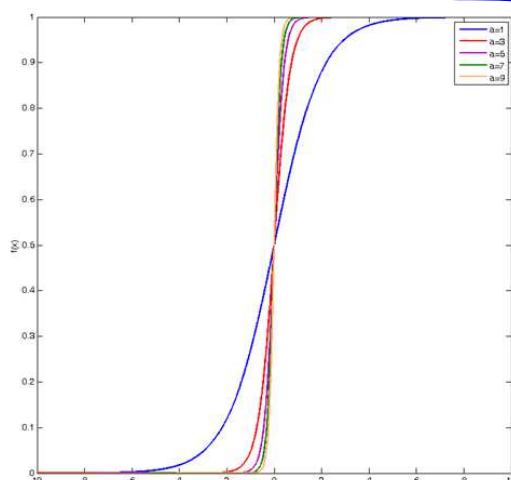


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Logistic Hypothesis

$$H(x) = Wx + b \quad \longrightarrow \quad g(z) = \frac{1}{1 + e^{-z}}$$

WHY?
0과 1 사이 값으로 변환



Architecture of ANN



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Cost Function

$$Cost(W) = \frac{1}{m} \sum c(H(x), y)$$

$$c(H(x), y) = \begin{cases} -\log(H(x)) & : y = 1 \\ -\log(1 - H(x)) & : y = 0 \end{cases}$$



$$c(H(x), y) = -y \log(H(x)) - (1 - y) \log(1 - H(x))$$

Minimize Cost → Gradient decent algorithm

$$Cost(w) = -\frac{1}{m} \sum y \log(H(x)) + (1 - y) \log(1 - H(x))$$

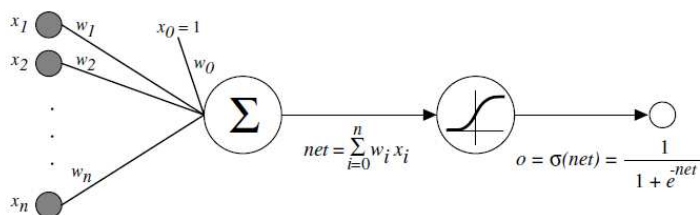
$$W := W - \alpha \frac{\partial}{\partial W} cost(W)$$



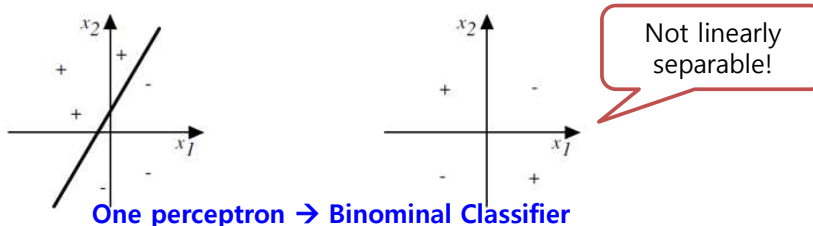
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퍼셉트론 (Perceptron)

• 구조



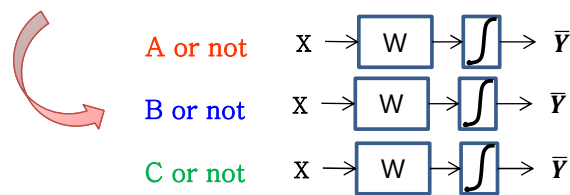
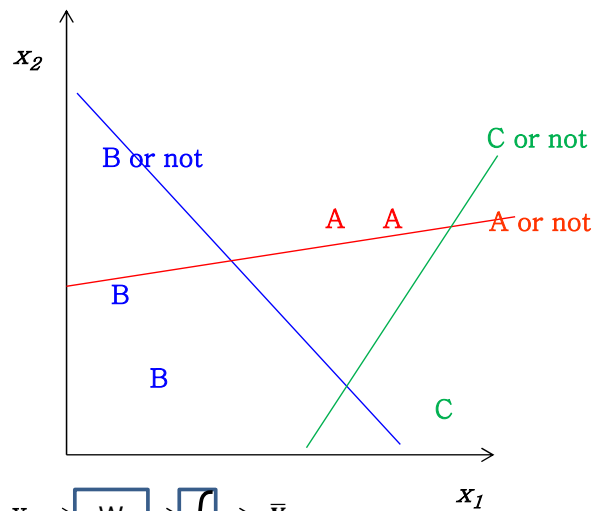
• 결정 공간 (decision surface)



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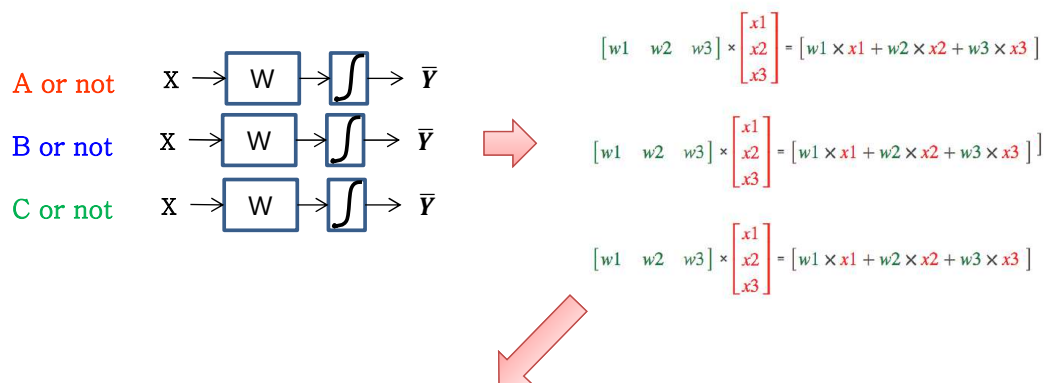
Multinomial Classification

x1 (hours)	x2 (attendance)	y (grade)
10	5	A
9	5	A
3	2	B
2	4	B
11	1	C



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Multinomial Classification



$$\begin{bmatrix} w_{A1} & w_{A2} & w_{A3} \\ w_{B1} & w_{B2} & w_{B3} \\ w_{C1} & w_{C2} & w_{C3} \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} \rightarrow \int \rightarrow \begin{bmatrix} y_1 \\ y_2 \\ y_3 \end{bmatrix}$$



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New Cost Function for Multinomial Classification

Cross Entropy

$$S(y) = \bar{Y} \quad L = Y$$

$$\begin{bmatrix} 0.7 \\ 0.2 \\ 0.1 \end{bmatrix} \quad D(S, L) = - \sum_i L_i \log(S_i) \quad \begin{bmatrix} 1 \\ 0 \\ 0 \end{bmatrix}$$

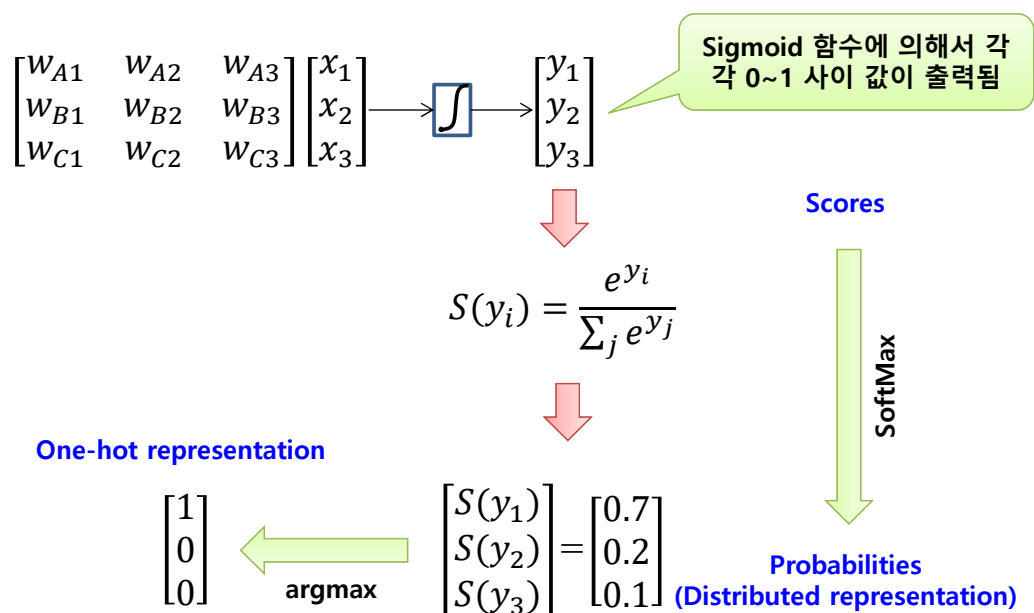
[Example]

$$\begin{matrix} \bar{Y} \\ Y \\ \begin{bmatrix} 0 \\ 1 \end{bmatrix} \end{matrix} \begin{matrix} \nearrow \\ \searrow \end{matrix} \begin{matrix} \begin{bmatrix} 0 \\ 1 \end{bmatrix} = \begin{bmatrix} 0 \\ 1 \end{bmatrix} \odot -\log \left(\begin{bmatrix} 0 \\ 1 \end{bmatrix} \right) = \begin{bmatrix} 0 \\ 1 \end{bmatrix} \odot \begin{bmatrix} \infty \\ 0 \end{bmatrix} = \begin{bmatrix} 0 \\ 0 \end{bmatrix} = 0 \\ \begin{bmatrix} 1 \\ 0 \end{bmatrix} = \begin{bmatrix} 0 \\ 1 \end{bmatrix} \odot -\log \left(\begin{bmatrix} 1 \\ 0 \end{bmatrix} \right) = \begin{bmatrix} 0 \\ 1 \end{bmatrix} \odot \begin{bmatrix} 0 \\ \infty \end{bmatrix} = \begin{bmatrix} 0 \\ \infty \end{bmatrix} = \infty \end{matrix}$$



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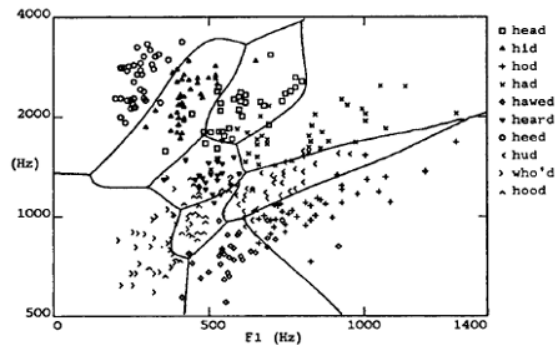
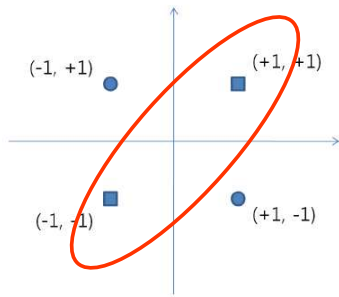
SoftMax



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Non-linear Problems

- 비선형 분리 문제

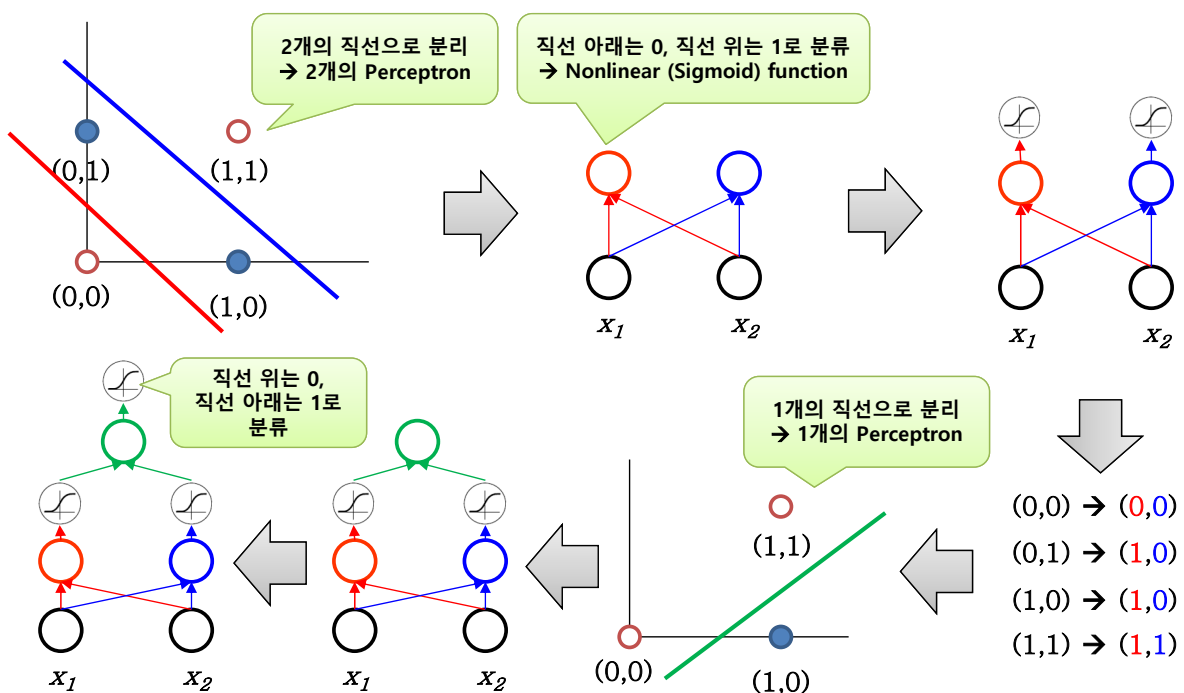


- 비선형 분리 문제 → 선형 분리 문제
 - SVM 커널 함수(kernel function)
 - Single-layer perceptron → Multi-layer perceptron



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XOR in Multi-layer Perceptron



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질의응답

Q & A

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