

# C - Daydream

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Time Limit: 2 sec / Memory Limit: 256 MiB

Score : 300 points

## Problem Statement

You are given a string  $S$  consisting of lowercase English letters. Another string  $T$  is initially empty.

Determine whether it is possible to obtain  $S = T$  by performing the following operation an arbitrary number of times:

- Append one of the following at the end of  $T$ : dream, dreamer, erase and eraser.

## Constraints

- $1 \leq |S| \leq 10^5$
- $S$  consists of lowercase English letters.

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## Input

The input is given from Standard Input in the following format:

```
S
```

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## Output

If it is possible to obtain  $S = T$ , print YES. Otherwise, print NO.

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## Sample Input 1

```
erasedream
```

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## Sample Output 1

```
YES
```

Append `erase` and `dream` at the end of  $T$  in this order, to obtain  $S = T$ .

## Sample Input 2

dreameraser

## Sample Output 2

YES

Append dream and eraser at the end of  $T$  in this order, to obtain  $S = T$ .

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## Sample Input 3

dreamerer

## Sample Output 3

NO

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# D - Connectivity

Time Limit: 2 sec / Memory Limit: 256 MiB

Score : 400 points

## Problem Statement

There are  $N$  cities. There are also  $K$  roads and  $L$  railways, extending between the cities. The  $i$ -th road bidirectionally connects the  $p_i$ -th and  $q_i$ -th cities, and the  $i$ -th railway bidirectionally connects the  $r_i$ -th and  $s_i$ -th cities. No two roads connect the same pair of cities. Similarly, no two railways connect the same pair of cities.

We will say city  $A$  and  $B$  are *connected by roads* if city  $B$  is reachable from city  $A$  by traversing some number of roads. Here, any city is considered to be connected to itself by roads. We will also define *connectivity by railways* similarly.

For each city, find the number of the cities connected to that city by both roads and railways.

## Constraints

- $2 \leq N \leq 2 * 10^5$
- $1 \leq K, L \leq 10^5$
- $1 \leq p_i, q_i, r_i, s_i \leq N$
- $p_i < q_i$
- $r_i < s_i$
- When  $i \neq j$ ,  $(p_i, q_i) \neq (p_j, q_j)$
- When  $i \neq j$ ,  $(r_i, s_i) \neq (r_j, s_j)$

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## Input

The input is given from Standard Input in the following format:

```
N  K  L  
p1  q1  
:  
pK  qK  
r1  s1  
:  
rL  sL
```

## Output

Print  $N$  integers. The  $i$ -th of them should represent the number of the cities connected to the  $i$ -th city by both roads and railways.

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## Sample Input 1

```
4 3 1  
1 2  
2 3  
3 4  
2 3
```

## Sample Output 1

```
1 2 2 1
```

All the four cities are connected to each other by roads.

By railways, only the second and third cities are connected. Thus, the answers for the cities are 1, 2, 2 and 1, respectively.

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## Sample Input 2

```
4 2 2  
1 2  
2 3  
1 4  
2 3
```

## Sample Output 2

```
1 2 2 1
```

---

## Sample Input 3

```
7 4 4  
1 2  
2 3  
2 5  
6 7  
3 5  
4 5  
3 4  
6 7
```

## Sample Output 3

```
1 1 2 1 2 2 2
```

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## E - Manhattan Compass

## Problem Statement

There are  $N$  pinholes on the  $xy$ -plane. The  $i$ -th pinhole is located at  $(x_i, y_i)$ .

We will denote the Manhattan distance between the  $i$ -th and  $j$ -th pinholes as  $d(i, j) (= |x_i - x_j| + |y_i - y_j|)$ .

You have a peculiar pair of compasses, called *Manhattan Compass*. This instrument always points at two of the pinholes. The two legs of the compass are indistinguishable, thus we do not distinguish the following two states: the state where the compass points at the  $p$ -th and  $q$ -th pinholes, and the state where it points at the  $q$ -th and  $p$ -th pinholes.

When the compass points at the  $p$ -th and  $q$ -th pinholes and  $d(p, q) = d(p, r)$ , one of the legs can be moved so that the compass will point at the  $p$ -th and  $r$ -th pinholes.

Initially, the compass points at the  $a$ -th and  $b$ -th pinholes. Find the number of the pairs of pinholes that can be pointed by the compass.

## Constraints

- $2 \leqq N \leqq 10^5$
- $1 \leqq x_i, y_i \leqq 10^9$
- $1 \leqq a < b \leqq N$
- When  $i \neq j$ ,  $(x_i, y_i) \neq (x_j, y_j)$
- $x_i$  and  $y_i$  are integers.

## Input

The input is given from Standard Input in the following format:

$N$	$a$	$b$
$x_1$	$y_1$	
:		
$x_N$	$y_N$	

## Output

Print the number of the pairs of pinholes that can be pointed by the compass.

## Sample Input 1

```
5 1 2
1 1
4 3
6 1
5 5
4 8
```

## Sample Output 1

```
4
```

Initially, the compass points at the first and second pinholes.

Since  $d(1, 2) = d(1, 3)$ , the compass can be moved so that it will point at the first and third pinholes.

Since  $d(1, 3) = d(3, 4)$ , the compass can also point at the third and fourth pinholes.

Since  $d(1, 2) = d(2, 5)$ , the compass can also point at the second and fifth pinholes.

No other pairs of pinholes can be pointed by the compass, thus the answer is 4.

## Sample Input 2

```
6 2 3
1 3
5 3
3 5
8 4
4 7
2 5
```

## Sample Output 2

```
4
```

## Sample Input 3

```
8 1 2
1 5
4 3
8 2
4 7
8 8
3 3
6 6
4 8
```

## Sample Output 3

```
7
```

# F - Shuffling

Time Limit: 2 sec / Memory Limit: 256 MiB

Score : 900 points

## Problem Statement

There is a string  $S$  of length  $N$  consisting of characters 0 and 1. You will perform the following operation for each  $i = 1, 2, \dots, m$ :

- Arbitrarily permute the characters within the substring of  $S$  starting at the  $l_i$ -th character from the left and extending through the  $r_i$ -th character.

Here, the sequence  $l_i$  is non-decreasing.

How many values are possible for  $S$  after the  $M$  operations, modulo  $1000000007 (= 10^9 + 7)$ ?

## Constraints

- $2 \leq N \leq 3000$
- $1 \leq M \leq 3000$
- $S$  consists of characters 0 and 1.
- The length of  $S$  equals  $N$ .
- $1 \leq l_i < r_i \leq N$
- $l_i \leq l_{i+1}$

## Input

The input is given from Standard Input in the following format:

```
N M  
S  
l1 r1  
:  
lM rM
```

## Output

Print the number of the possible values for  $S$  after the  $M$  operations, modulo 1000000007.

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### Sample Input 1

```
5 2  
01001  
2 4  
3 5
```

### Sample Output 1

```
6
```

After the first operation,  $S$  can be one of the following three: 01001, 00101 and 00011.

After the second operation,  $S$  can be one of the following six: 01100, 01010, 01001, 00011, 00101 and 00110.

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### Sample Input 2

```
9 3  
110111110  
1 4  
4 6  
6 9
```

### Sample Output 2

```
26
```

## Sample Input 3

```
11 6
00101000110
2 4
2 3
4 7
5 6
6 10
10 11
```

## Sample Output 3

```
143
```