Solving $\mathrm{SU}(3)$ Yang-Mills theory on the lattice: a calculation of selected gauge observables with gradient flow

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Structure

Motivation

Structure

- Motivation
- Quantum Chromodynamics(QCD)

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- Quantum Chromodynamics(QCD)
- Lattice QCD

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