

## Flange Connection

$$U_1 \coloneqq \frac{2 \cdot b_f \cdot t_f}{A_g} = 0.693$$

$$L \coloneqq 25 \ \mathbf{ft} = 7.62 \ \mathbf{m}$$

$$x \coloneqq \frac{b_f \cdot t_f \cdot \frac{t_f}{2} + \left(\frac{d}{2} - t_f\right) \cdot t_w \cdot \left(\frac{\frac{d}{2} - t_f}{2} + t_f\right)}{\left(\frac{d}{2}\right)} =$$

$$\frac{L}{r_x} = 85.905$$

$$\coloneqq \frac{b_f \boldsymbol{\cdot} t_f \boldsymbol{\cdot} \overline{2} + \left(\overline{2} - t_f\right) \boldsymbol{\cdot} t_w \boldsymbol{\cdot} \left(\overline{2} - t_f\right)}{b_f \boldsymbol{\cdot} t_f + \left(\frac{d}{2} - t_f\right) \boldsymbol{\cdot} t_w}$$

$$\frac{L}{r_y} = 236.81$$

$$l \coloneqq 9 \; in = 228.6 \; mm$$

$$d_b = \frac{13}{16} in = 20.638 \ mm$$

$$U_2 = 1 - \frac{x}{l} = 0.907$$

For open cross sections such as W, M, S, C or HP shapes, WTs, STs, and single and double angles, the shear lag factor, U, need not be less than the ratio of the gross area of the connected element(s) to the member gross area. This provision does not apply to closed sections, such as HSS sections, nor to plates.

BoltN := 4

User Note: For bolted splice plates  $A_e = A_n \le 0.85A_g$ , according to Section J4.1.

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$$\mathbf{U_3} \coloneqq \mathbf{if} \left( Bolt N \ge 3, \mathbf{if} \left( b_f < \frac{2}{3} \cdot d, 0.85, 0.9 \right), 0 \right) = 0.85$$

$$U = \max(U_1, U_2, \mathbf{U_3}) = 0.907$$

$$A_n\!:=\!A_g\!-\!4\! \cdot\! \left(d_b\!+\!rac{1}{16}\;m{in}
ight)\! \cdot\! t_f\!=\!4.686\;m{in}^2$$

$$A_n \! \coloneqq \! A_g \! - 4 \! \cdot \! \left( d_b \! + \! rac{1}{16} \; in 
ight) \! \cdot \! t_f \! = \! \left( 3.023 \! \cdot \! 10^3 
ight) \; mm^2$$

$$A_e \coloneqq A_n \cdot U = 4.251 \ in^2$$

$$A_e := A_n \cdot U = (2.742 \cdot 10^3) \ mm^2$$

$$\phi P_{n1} = 0.9 \cdot A_g \cdot F_y = 273.87 \ kip$$

$$\phi P_{n1} = 0.9 \cdot A_g \cdot F_y = (1.218 \cdot 10^3) \ kN$$

$$\phi P_{n2} = 0.75 \cdot A_e \cdot F_u = 207.222 \ kip$$

$$\phi P_{n2} = 0.75 \cdot A_e \cdot F_u = 921.769 \ kN$$

$$\phi P_n := min(\phi P_{n1}, \phi P_{n2}) = 207.222 \ kip$$

$$\phi P_n := min(\phi P_{n1}, \phi P_{n2}) = 921.769 \ kN$$

### TENSILE STRENGTH

The design tensile strength,  $\phi_t P_n$ , and the allowable tensile strength,  $P_n/\Omega_t$ , of tension members shall be the lower value obtained according to the limit states of tensile yielding in the gross section and tensile rupture in the net section.

(a) For tensile yielding in the gross section:

$$P_n = F_y A_g \tag{D2-1}$$

$$\phi_t = 0.90 \text{ (LRFD)}$$
  $\Omega_t = 1.67 \text{ (ASD)}$ 

(b) For tensile rupture in the net section:

$$P_n = F_u A_e \tag{D2-2}$$

$$\phi_t = 0.75 \text{ (LRFD)}$$
  $\Omega_t = 2.00 \text{ (ASD)}$ 

## DESIGN TABLE DISCUSSION

Available tensile strengths for various types of tension members (see individual descriptions below) are given in Tables 5-1 through 5-8 for the limit states of tensile yielding and tensile rupture. In each case, the tabulated values for available tensile rupture strength are based upon the assumption that  $A_e = 0.75A_g$ , which is arbitrarily selected as a value that is practical to achieve with typical end connections. Such consideration of the effective net area during the design of the member will simplify the design of its end connections, which can be difficult to configure and costly if tension members are selected based upon available tensile yielding strength only, without considering the reduction in strength due to the

At the first tensile is a strength can be tabulated values of the first tensile in the calculated based in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile is a strength of the first tensile in the first tensile in the first tensile is a strength of the first tensile in When  $A_e > 0.75A_g$ , either the tabulated values for available tensile rupture strength can be used conservatively or the available tensile rupture strength can be calculated based upon the actual value of  $A_e$ . When  $A_e < 0.75A_g$ , the tabulated values of the available tensile rupture strength cannot be used, but rather must be calculated based upon the actual value of  $A_e$ .

$$A_e\!:=\!0.75\! \cdot \! A_g\!=\!4.565 \; {\it in}^2$$

$$A_e = 0.75 \cdot A_g = (2.945 \cdot 10^3) \ mm^2$$

$$\phi P_{n1} = 0.9 \cdot A_q \cdot F_q = 273.87 \ kip$$

$$\phi P_{n2} = 0.75 \cdot A_e \cdot F_u = 222.519 \ kip$$

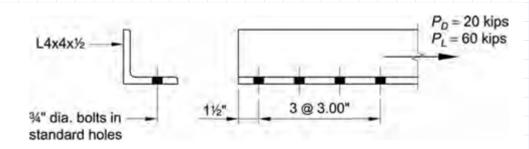
$$\phi P_n := min(\phi P_{n1}, \phi P_{n2}) = 222.519 \ kip$$

$$\phi P_{n1} = 0.9 \cdot A_g \cdot F_y = (1.218 \cdot 10^3) \ kN$$

$$\phi P_{n2} = 0.75 \cdot A_e \cdot F_u = 989.815 \ \mathbf{kN}$$

$$\phi P_n := min(\phi P_{n1}, \phi P_{n2}) = 989.815 \ kN$$

# Example D.2 Single Angle Tension Member



Section

Material

L shape

$$F_y = 36$$
 ksi  $F_u = 58$  ksi

$$h := 4 \ in = 101.6 \ mm$$

$$b := 4 in = 101.6 mm$$

$$t := 0.5 in = 12.7 mm$$

$$x := \frac{b \cdot t \cdot \frac{t}{2} + (h - t) \cdot t \cdot \left(t + \frac{h - t}{2}\right)}{b \cdot t + (h - t) \cdot t} = 1.183 in$$

$$x := \frac{b \cdot t \cdot \frac{t}{2} + (h - t) \cdot t \cdot \left(t + \frac{h - t}{2}\right)}{b \cdot t + (h - t) \cdot t} = 30.057 \ mm$$

$$A_g := b \cdot t + (h - t) \cdot t = 3.75 \ in^2$$

$$A_g := b \cdot t + (h - t) \cdot t = (2.419 \cdot 10^3) \ mm^2$$

l = 9 in

 $l = 228.6 \ mm$ 

$$U_1 \coloneqq egin{array}{c} b \cdot t - rac{t^2}{2} \ A_g \end{array} = 0.5$$

$$U_2 = 1 - \frac{x}{l} = 0.869$$

$$U_3 = 0.8$$

$$U\!\coloneqq\!\max\big(U_1,U_2,U_3\big)\!=\!0.869$$

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User Note: For bolted splice plates  $A_e = A_n \le 0.85 A_g$ , according to Section J4.1.

$$d_b = \frac{13}{16}$$
 in

$$A_n \coloneqq A_g - \left(d_b + \frac{1}{16} \ in\right) \cdot t = 3.313 \ in^2$$

$$d_b \coloneqq rac{13}{16} \; m{in}$$
  $A_n \coloneqq A_g - \left(d_b + rac{1}{16} \; m{in}
ight) \cdot t = 3.313 \; m{in}^2$   $A_n \coloneqq A_g - \left(d_b + rac{1}{16} \; m{in}
ight) \cdot t = \left(2.137 \cdot 10^3
ight) \; m{mm}^2$ 

$$A_e \coloneqq A_n \cdot U = 2.877 \ in^2$$

$$A_e \coloneqq A_n \cdot U = \left(1.856 \cdot 10^3\right) \ mm^2$$

$$\phi P_{n1} := 0.9 \cdot A_{n} \cdot F_{n} = 121.5 \ kip$$

$$\phi P_{n2}\!:=\!0.75\!\cdot\! A_e\!\cdot\! F_u\!=\!125.148~\pmb{kip}$$

$$\phi P_n := min(\phi P_{n1}, \phi P_{n2}) = 121.5 \ kip$$

$$\phi P_{n1} = 0.9 \cdot A_q \cdot F_y = 540.459 \ kN$$

$$\phi P_{n2}\!\coloneqq\!0.75 \!\cdot\! A_e \!\cdot\! F_u\!=\!556.686 \; \pmb{kN}$$

$$\phi P_n = min(\phi P_{n1}, \phi P_{n2}) = 540.459 \text{ kN}$$

#### D2. TENSILE STRENGTH

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(a) For tensile yielding in the gross section:

$$P_n = F_y A_g \tag{D2-1}$$

$$\phi_t = 0.90 \text{ (LRFD)}$$
  $\Omega_t = 1.67 \text{ (ASD)}$ 

(b) For tensile rupture in the net section:

$$P_n = F_u A_e$$
 (D2-2

$$\phi_t = 0.75 \text{ (LRFD)}$$
  $\Omega_t = 2.00 \text{ (ASD)}$ 

## DESIGN TABLE DISCUSSION

Available tensile strengths for various types of tension members (see individual descriptions below) are given in Tables 5-1 through 5-8 for the limit states of tensile yielding and tensile rupture. In each case, the tabulated values for available tensile rupture strength are based upon the assumption that  $A_e = 0.75A_g$ , which is arbitrarily selected as a value that is practical to achieve with typical end connections. Such consideration of the effective net area during the design of the member will simplify the design of its end connections, which can be difficult to configure and costly if tension members are selected based upon available tensile yielding strength only, without considering the reduction in strength due to the

agth can be  $\epsilon$ afed values of the calculated based up  $\phi P_{n1} \coloneqq 0.9 \cdot A_g \cdot F_y = 540.459$   $\phi P_{n2} \coloneqq 0.75 \cdot A_e \cdot F_u = 544.212 \text{ k}$   $\phi P_n \coloneqq min(\phi P_{n1}, \phi P_{n2}) = 540.459.$ When  $A_e > 0.75A_g$ , either the tabulated values for available tensile rupture strength can be used conservatively or the available tensile rupture strength can be calculated based upon the actual value of  $A_e$ . When  $A_e < 0.75A_g$ , the tabulated values of the available tensile rupture strength cannot be used, but rather must be calculated based upon the actual value of  $A_{\epsilon}$ .

$$A_e \! \coloneqq \! 0.75 \cdot \! A_g \! = \! 2.813 \; i\! n^2$$

$$A_e = 0.75 \cdot A_g = (1.815 \cdot 10^3) \ mm^2$$

$$\phi P_{n1} = 0.9 \cdot A_g \cdot F_y = 121.5 \ kip$$

$$\phi P_{n2} = 0.75 \cdot A_e \cdot F_u = 122.344 \ kip$$

$$\phi P_n := min(\phi P_{n1}, \phi P_{n2}) = 121.5 \ kip$$

$$\phi P_{n1} = 0.9 \cdot A_q \cdot F_q = 540.459 \ kN$$

$$\phi P_{n2} = 0.75 \cdot A_e \cdot F_n = 544.212 \ kN$$

$$\phi P_n := min(\phi P_{n1}, \phi P_{n2}) = 540.459 \ kN$$