

# Computer Vision

## Color and Color Images

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# Abstract

- This lecture informs about some subjects related to the topic *color* and provides details for the *RGB* and *HSI color models*.

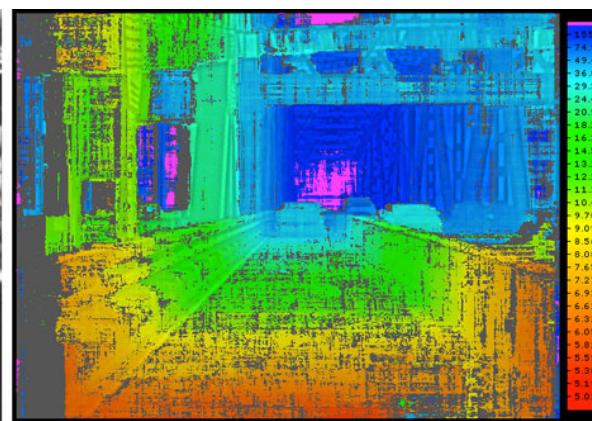
# Color and Color Images

- Color is not objectively defined. Color perception varies for people, and it depends on lighting.
- If there is no light, there is no color, such as, for example, inside of a non-transparent body.
- Human vision can only discriminate a few dozens of grey levels on a screen, but hundreds to thousands of different colors.

# Color and Color Images

- Color can be an important component of given image data, and it is valuable for visualizing information by using false colors.

Source: R. Klette

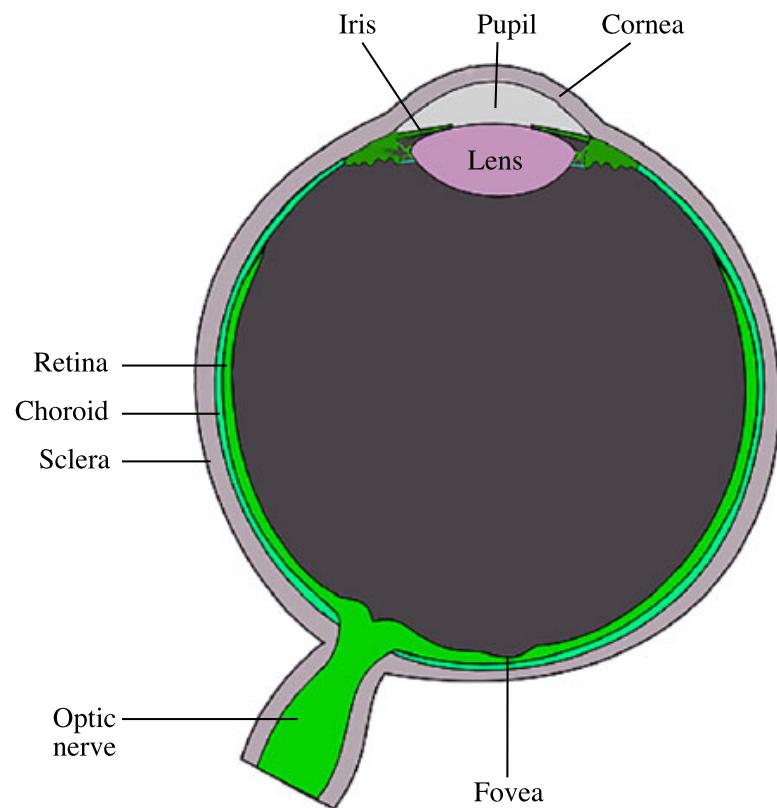


# Color Definitions

- An “average human” perceives color in the visible spectrum as follows:
  - Red (625 to 780 nm) and Orange (590 to 625 nm) for the *long wavelengths* of the visible spectrum;
  - Yellow (565 to 590 nm), Green (500 to 565 nm), and Cyan (485 to 500 nm) in the *middle range*.
  - Blue (440 to 485 nm) for the *short wavelengths* and violet (380 to 440 nm) for very short wavelengths.

# Color and Color Images

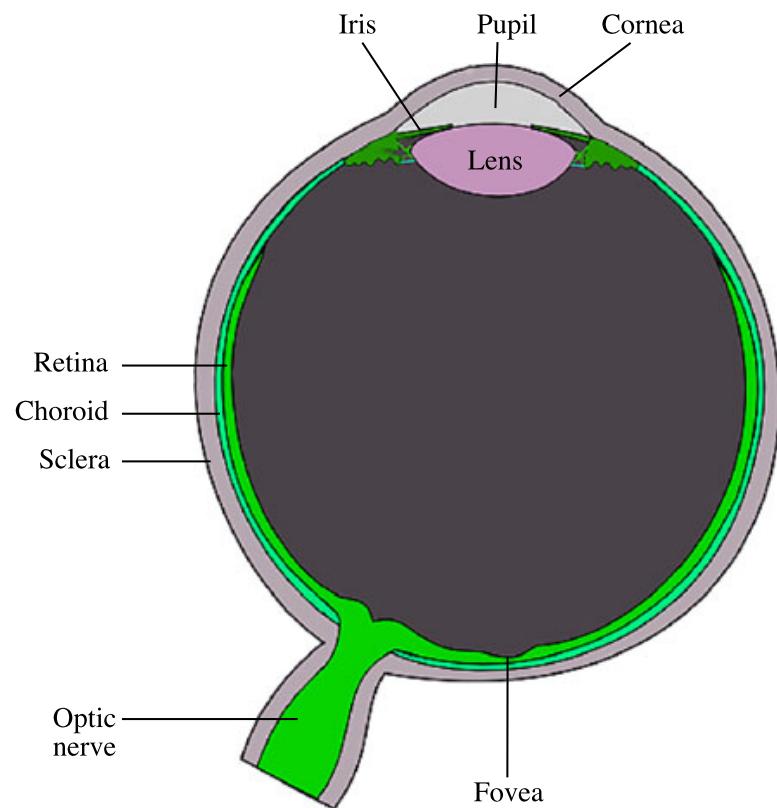
- The photoreceptors (about 120 million rods and 6 to 7 million cones) in the retina of the human eye are located in the fovea.



Source: R. Klette

# Color and Color Images

- Experimental evidences suggest we have three types of color-sensitive cones, corresponding roughly to **Red** (64 % of the cones), **Green** (32 %), and **Blue** (2 %).



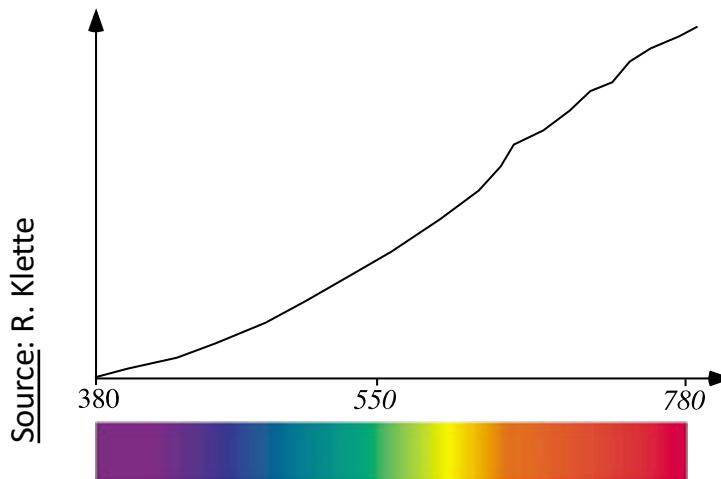
Source: R. Klette

# Tristimulus Values

- Visible color is modeled by *tristimulus values* for Red, Green, and Blue components of the visible light.
- The CIE (*Commission Internationale de l'Eclairage*) has defined color standards since the 1930s.

# Tristimulus Values

- A light source creates an energy distribution  $L(\lambda)$  for the visible spectrum for wavelengths  $380 \leq \lambda \leq 780$  of monochromatic light. Example:



# Tristimulus Values

- Such an energy distribution is mapped into three *tristimulus values*  $X$ ,  $Y$ , and  $Z$  as follows:

$$X = \int_{400}^{700} L(\lambda) \bar{x}(\lambda) d\lambda$$

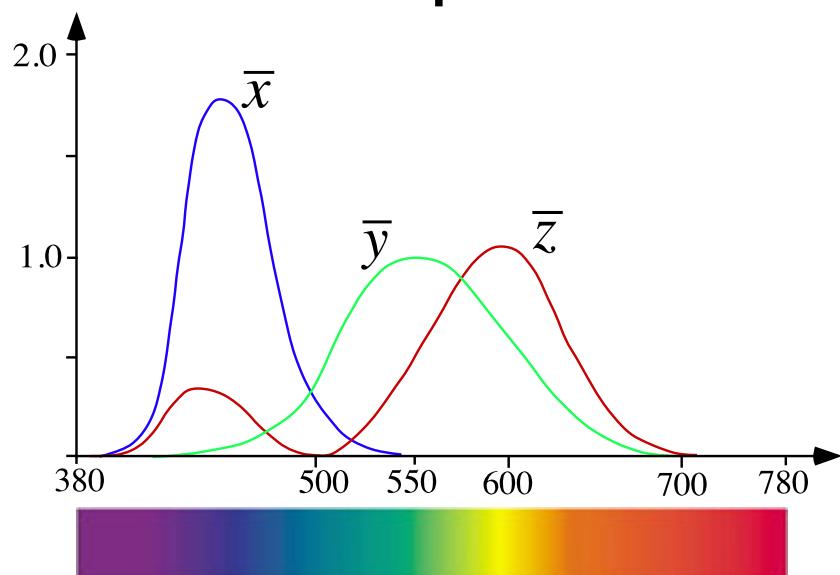
$$Y = \int_{400}^{700} L(\lambda) \bar{y}(\lambda) d\lambda$$

$$Z = \int_{400}^{700} L(\lambda) \bar{z}(\lambda) d\lambda$$

- The weighting functions  $\bar{x}$ ,  $\bar{y}$  and  $\bar{z}$  have been defined by the CIE within the visible spectrum.

# Tristimulus Values

- The cut-offs of those weighting functions do not correspond exactly to human-eye abilities:



- The weighting functions  $\bar{x}$ ,  $\bar{y}$  and  $\bar{z}$  have been defined by the CIE within the visible spectrum.

# Tristimulus Values

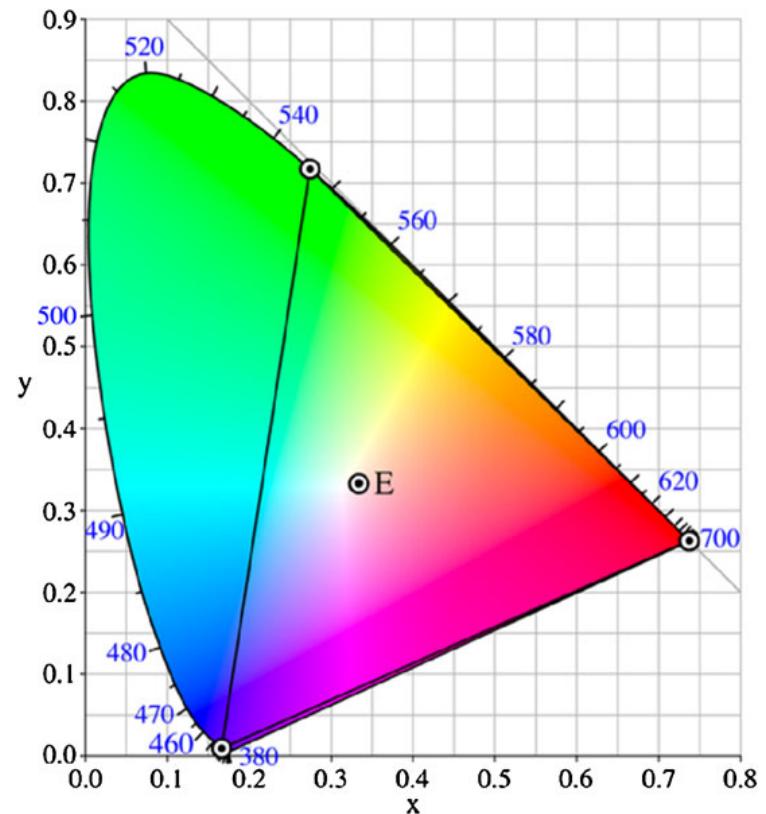
- The *tristimulus values*  $X$ ,  $Y$  and  $Z$  define the *normalized xy-parameters*:

$$x = \frac{X}{X + Y + Z} \quad \text{and} \quad y = \frac{Y}{X + Y + Z}$$

- Parameters  $x$  and  $y$  define the *CIE Color Space*.

# Color and Color Images

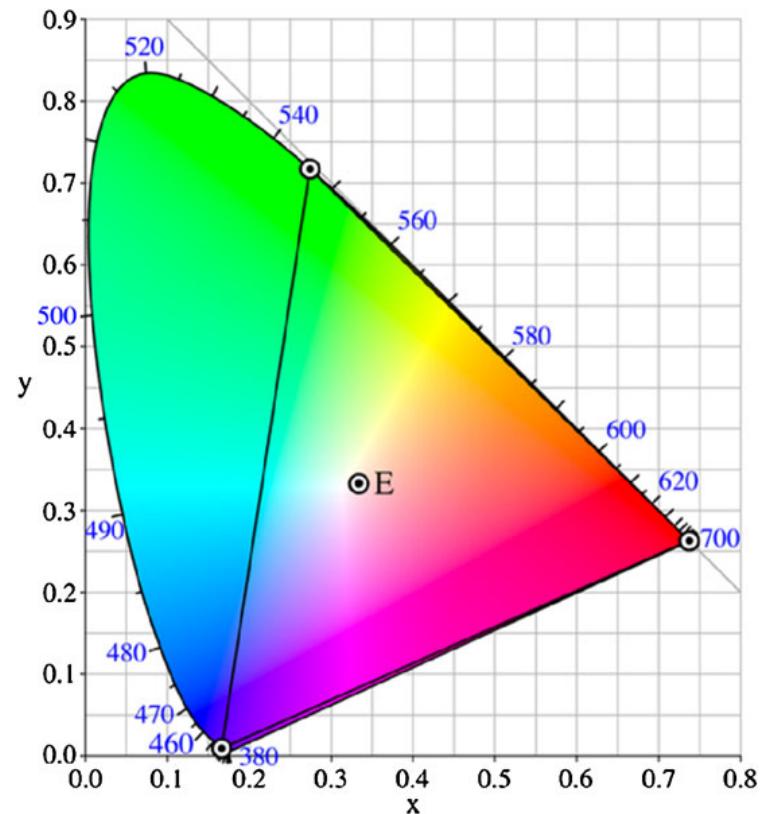
- The  $xy$  CIE color space is represented by a chromaticity diagram.
- It shows the *gamut* of human vision, i.e. , the colors that are visible to an average person.



Source: R. Klette

# Color and Color Images

- The convex outer curve in the diagram contains *monochromatic colors*.
- Inside the gamut, there are less *saturated colors*, with white at the center  $E = (0.33, 0.33)$ .



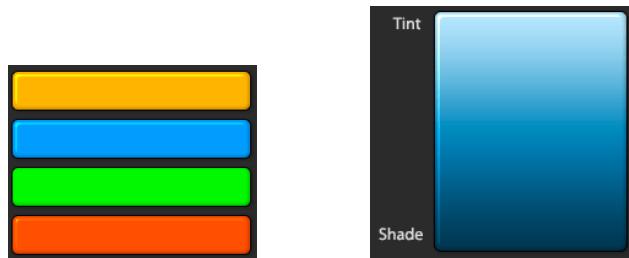
Source: R. Klette

# Monochromatic Color

- *Monochromatic color* refers to a color scheme that is comprised of variations of one color.
- You can use any color to create a monochromatic color scheme. Examples: adding white to red creates pink; adding black to red creates maroon.

# Monochromatic Color

- The three main components of a monochromatic color scheme are:
  - **Hue**: a particular color (base color);
  - **Shade**: a darker version of a particular color;
  - **Tint**: a lighter version of a particular color.



# Saturation

- *Color saturation* is used to describe the *intensity* of color. It is a measurement of how different from pure grey, the color is.
- Saturation is not really a matter of light and dark, but rather how pale or strong the color is.



# Color Perception

- When designing figures for presentations, it is important to think about a good color scheme.
- The idea is that all of the audience can see best what is supposed to be visualized.
- Color perception varies for people, and it depends on lighting.

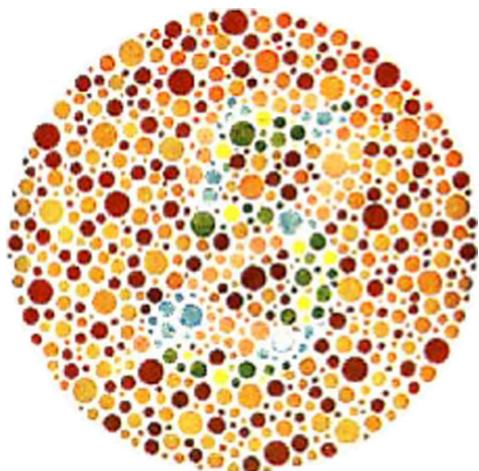
# Red-Green Color Blindness

- Color blindness means that some colors cannot be distinguished.
- In about 99 % of cases this is red-green color blindness. Total color blindness is extremely rare (i.e. seeing only shades of grey).

# Red-Green Color Blindness

- Estimates for red-green color blindness for people of European origin are about 8-12 % for males and about 0.5 % for females.

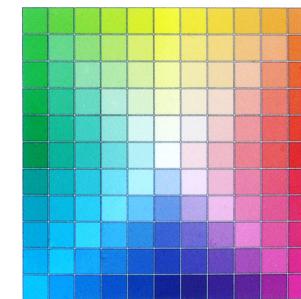
Source: R. Klette



- Normal color vision sees a 5 revealed in the dot pattern, but an individual with red-green color blindness sees a 2.

# Primary Color Perceptions

- Humans perceive color differently; “color” is a psychological phenomenon.
- But there appears to be agreement that Yellow, Red, Green, and Blue define the four *primary color perceptions*.



Source: R. Klette

# Grey Levels

- Grey levels are not colors; they are described by the *luminance* (the physical intensity) or the *brightness* (the perceived intensity).
- A uniform scale of grey levels or intensities is common, such as:

$$u_k = k/2^a \quad \text{for } 0 \leq k < 2^a$$

# Grey Levels

- Look at this effect: both squares below have the same constant intensity. Human vision perceives the ratio of intensities.

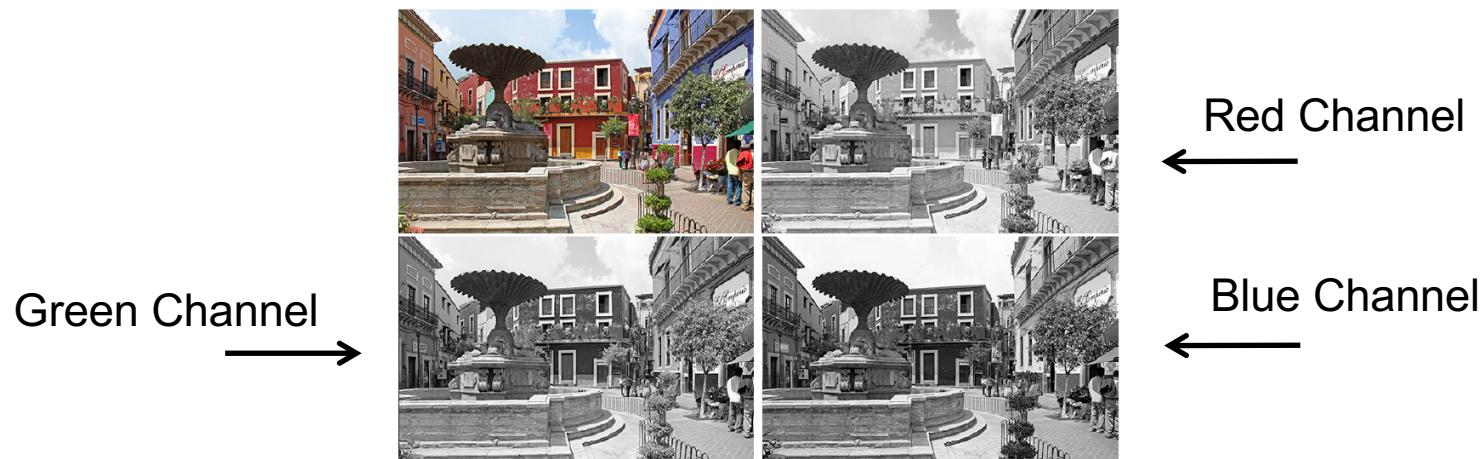
Source: R. Klette



# Color Representations

- The figure below shows an RGB color image and its representation in three scalar channels (Red, Green, and the Blue components).

Source: R. Klette



# Color Representations

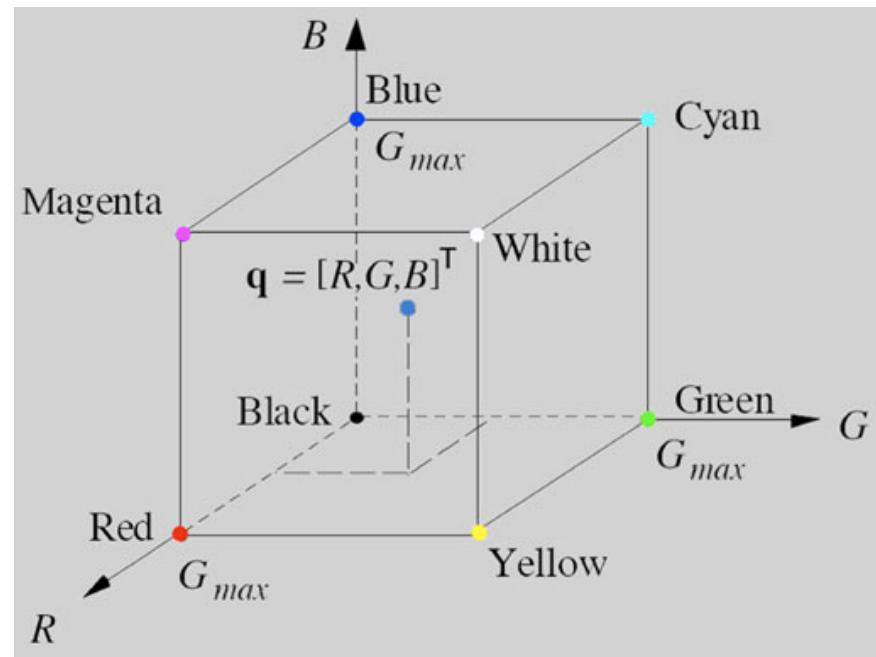
- The used RGB color representation model is *additive*.
- That is, adding to a color, which means increasing values in its scalar representation, contributes to going towards White.
- This is the common way for representing colors on a screen.

# The RGB Space

- Assume that  $0 \leq R, G, B \leq G_{\max}$  and consider a multi-channel image with pixel values  $\mathbf{u} = (R, G, B)$ .
- If  $G_{\max} = 255$ , then we have 16,777,216 different colors, such as  $\mathbf{u} = (255, 0, 0)$  for Red,  $\mathbf{u} = (255, 255, 0)$  for Yellow, and so forth.
- The set of all possible RGB values defines the RGB cube.

# The RGB Space

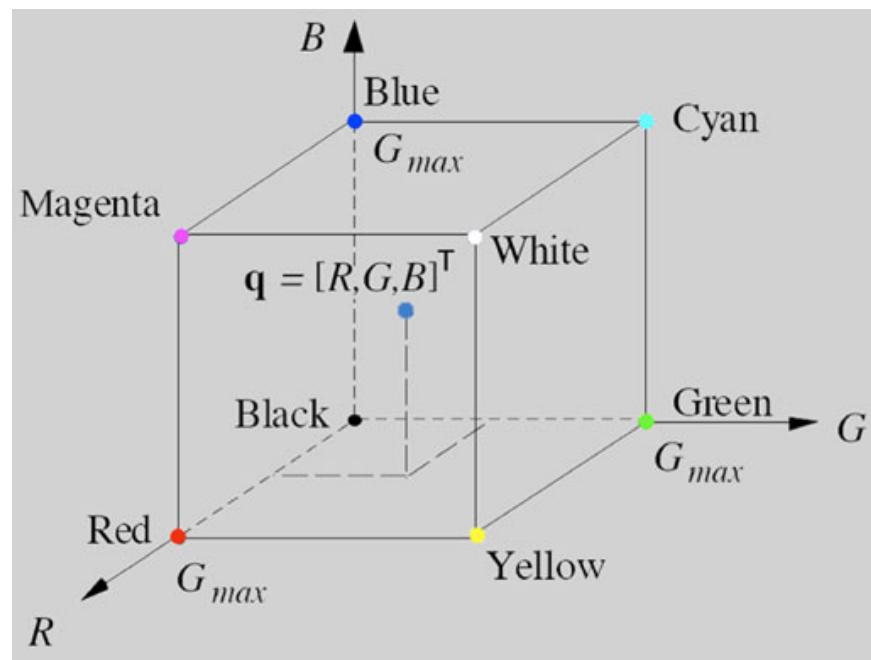
- The diagonal in this cube, from White to Black, is the location of all grey levels  $(u, u, u)$ , which are not colors.



Source: R. Klette

# The RGB Space

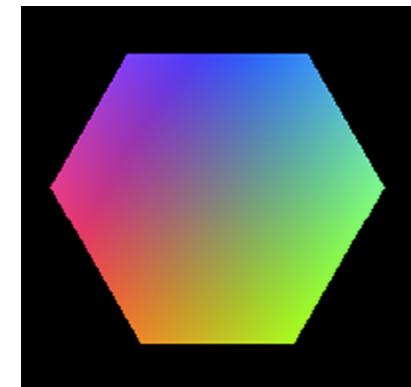
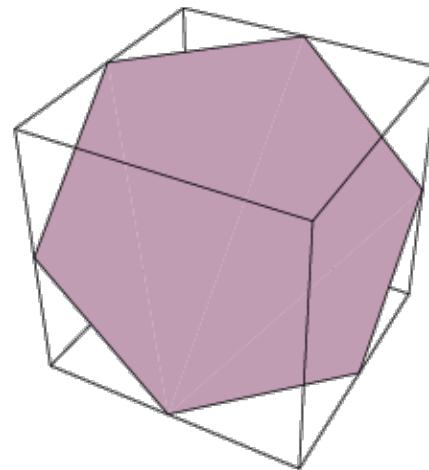
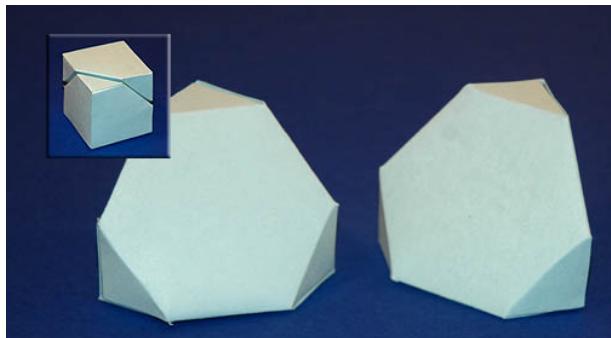
- In general, a point  $\mathbf{q} = (R, G, B)$  in this RGB cube defines either a color or a grey level, where the mean  $M = (R + G + B)/3$  defines the *intensity* of color or grey level  $\mathbf{q}$ .



Source: R. Klette

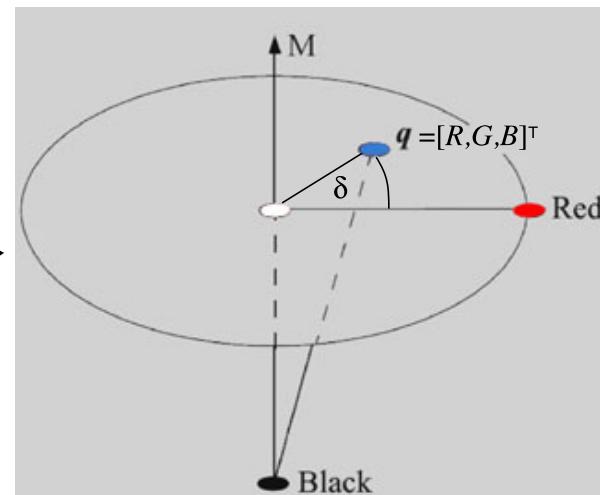
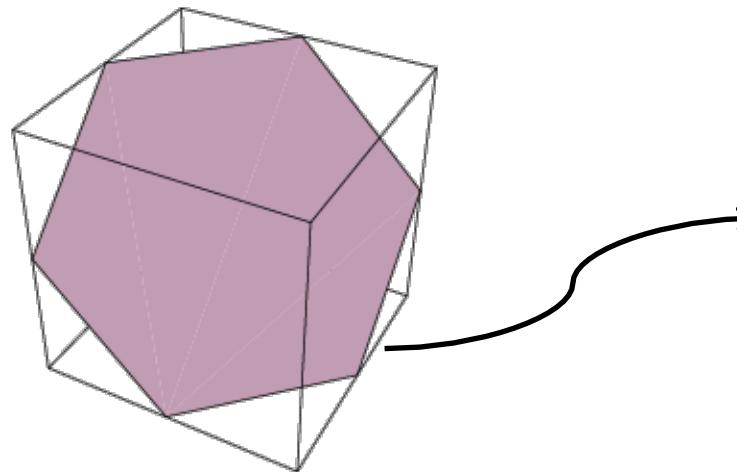
# The HSI Space

- Consider a plane that cuts the RGB cube orthogonally to its diagonal, with  $\mathbf{q} = (R, G, B)$  incident with this plane but not on the diagonal.



# The HSI Space

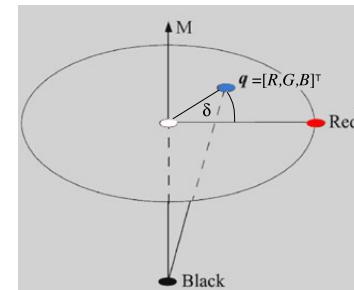
- In an abstract sense, we represent the resulting cut by a *disk*, ignoring the fact that cuts of such a plane with the cube are actually simple polygons.



Source: R. Klette

# The HSI Space

- For the disk, we fix one color for reference; for instance the Red color.
- The location of  $q$  in the disk is uniquely defined by an angle  $H$  (the *hue*) and a distance  $S$  (the *saturation*) from the grey-level diagonal of the RGB cube.



Source: R. Klette

# The HSI Space

- Formally, we have:

$$H = \begin{cases} \delta & \text{if } B \leq G \\ 2\pi - \delta & \text{if } B > G \end{cases} \quad \text{with}$$
$$\delta = \arccos \frac{(R - G) + (R - B)}{2\sqrt{(R - G)^2 + (R - B)(G - B)}} \quad \text{in } [0, \pi)$$
$$S = 1 - 3 \cdot \frac{\min\{R, G, B\}}{R + G + B}$$

# The HSI Space

- Grey levels  $(u,u,u)$  with  $u \neq 0$  have the intensity  $M = u$  and the saturation  $S = 0$ , but the hue  $H$  remains undefined because  $\delta$  is undefined (division by zero).
- In the case of Black  $(0,0,0)$ , the intensity is  $M = 0$ , and the saturation and hue remain undefined.
- So, in the case of White, what do we have?

# The HSI Space

- Besides these cases of points in the RGB cube representing non-colors, the transformation of RGB values into HSI values is one-to-one.
- That is, we can also transform HSI values uniquely back into RGB values.
- The hue and saturation may represent RGB vectors with respect to an assumed fixed intensity.

# The HSI Space

- Some examples:

- Red (Gmax,0,0)

- Intensity?  $M = G_{\max}/3$
- Saturation?  $S = 1$
- Hue?  $H = 0$

- Green (0,Gmax,0)

- Intensity?  $M = G_{\max}/3$
- Saturation?  $S = 1$
- Hue?  $H = \arccos(-0.5) = 2\pi/3$

# Color Checker

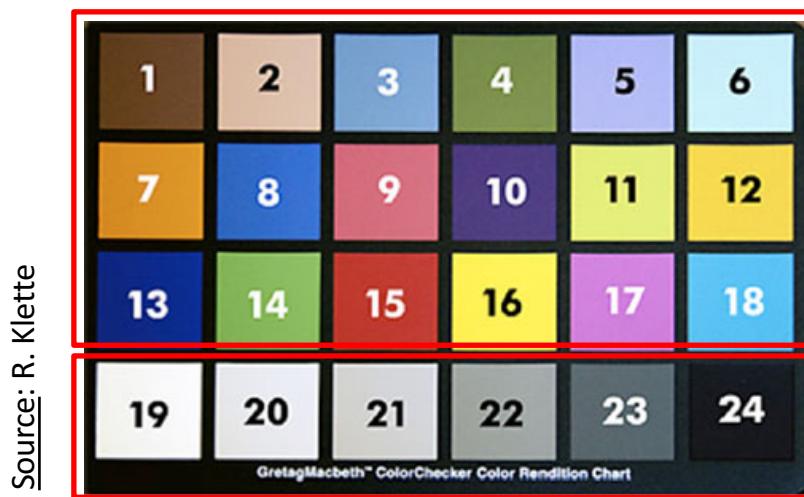
- The figure below shows one of the *color checkers* used for testing color accuracy of a camera, to be used for computer vision applications.

Source: R. Klette



# Color Checker

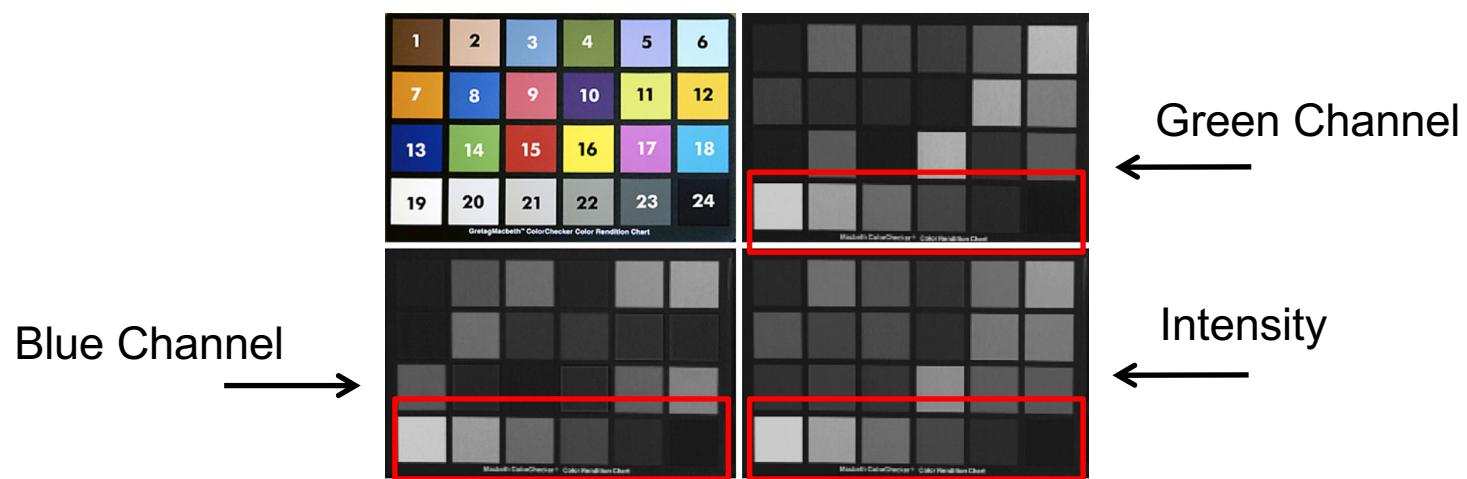
- There are three rows of very precisely (uniform) colored squares numbered 1 to 18 and one row of squares showing grey levels.



Source: R. Klette

# Color Checker

- Assuming monochromatic light, all the grey-level squares should appear equally in the channels for Red, Green, Blue, and intensity.

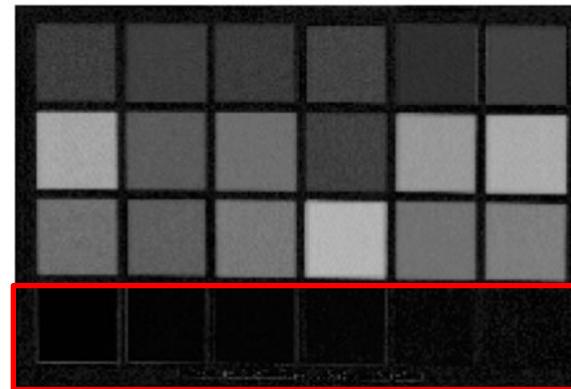
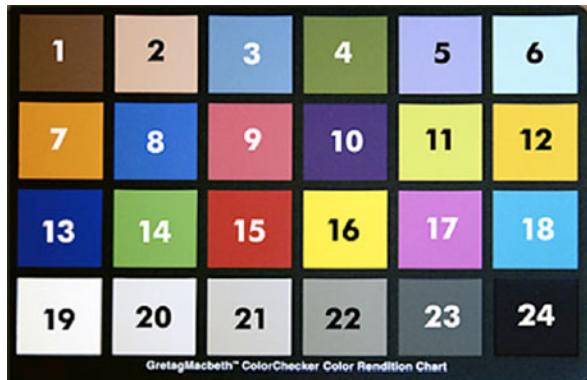


Source: R. Klette

# Color Checker

- The image of the saturation channel illustrates that grey levels have the saturation value zero assigned in the program.

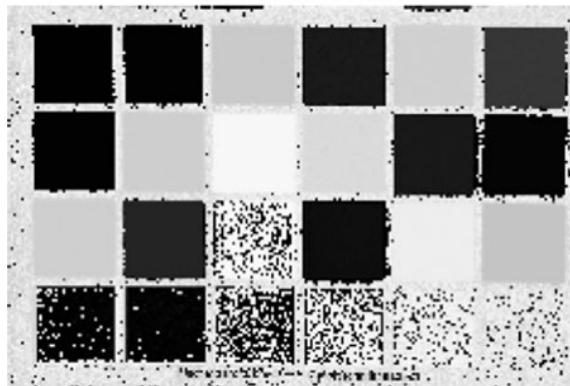
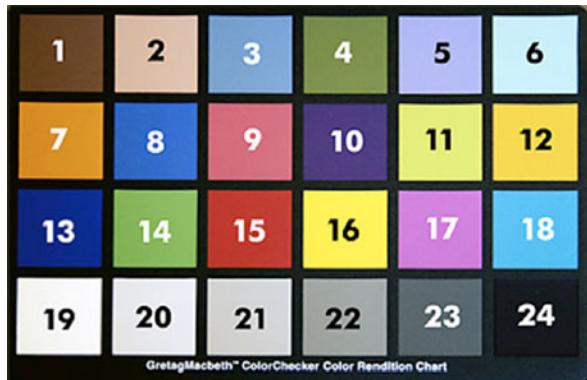
Source: R. Klette



# Color Checker

- Note that the hue value for reference color Red (Square 15) also “jumps” from white to black, as expected.

Source: R. Klette



# Next Lecture

- Point, Local and Global Operators
  - Gradation Functions. Local Operators. Fourier Filtering.
- Suggested reading
  - Section 2.1 of textbook.