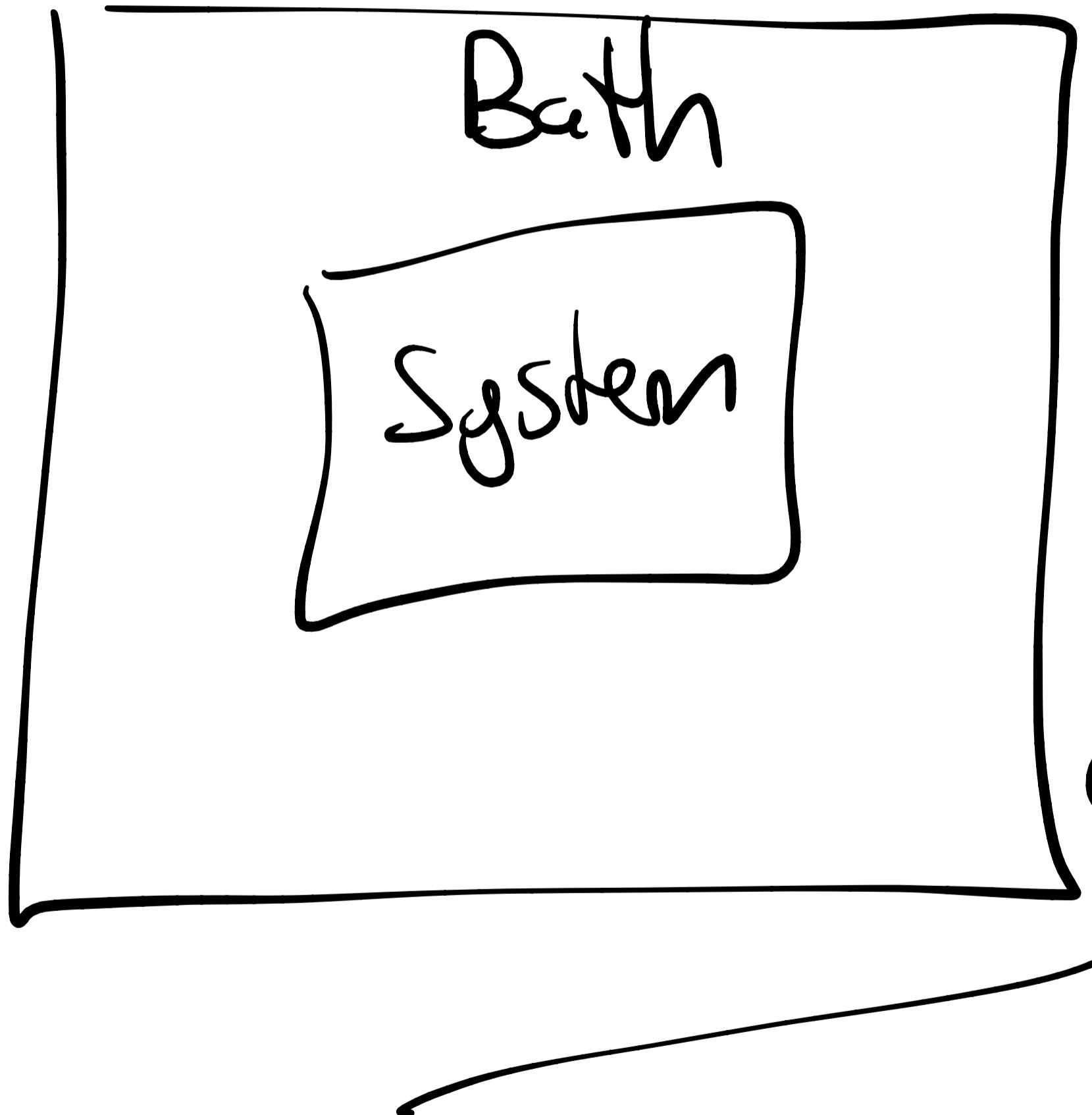


# Lecture 5

How does  
System  
interact  
with Environment



Isolated:

'constant  $N$ ,  
( $V$ ,  $\epsilon$ )'

State      System

What can change? How can we change  
make a change with:

$\{ dq = 0$ , no heat flow "adiabatic"

$dq \neq 0$ , heat flows "diathermal"

dia = through

$\{ dV = 0$  isochoric

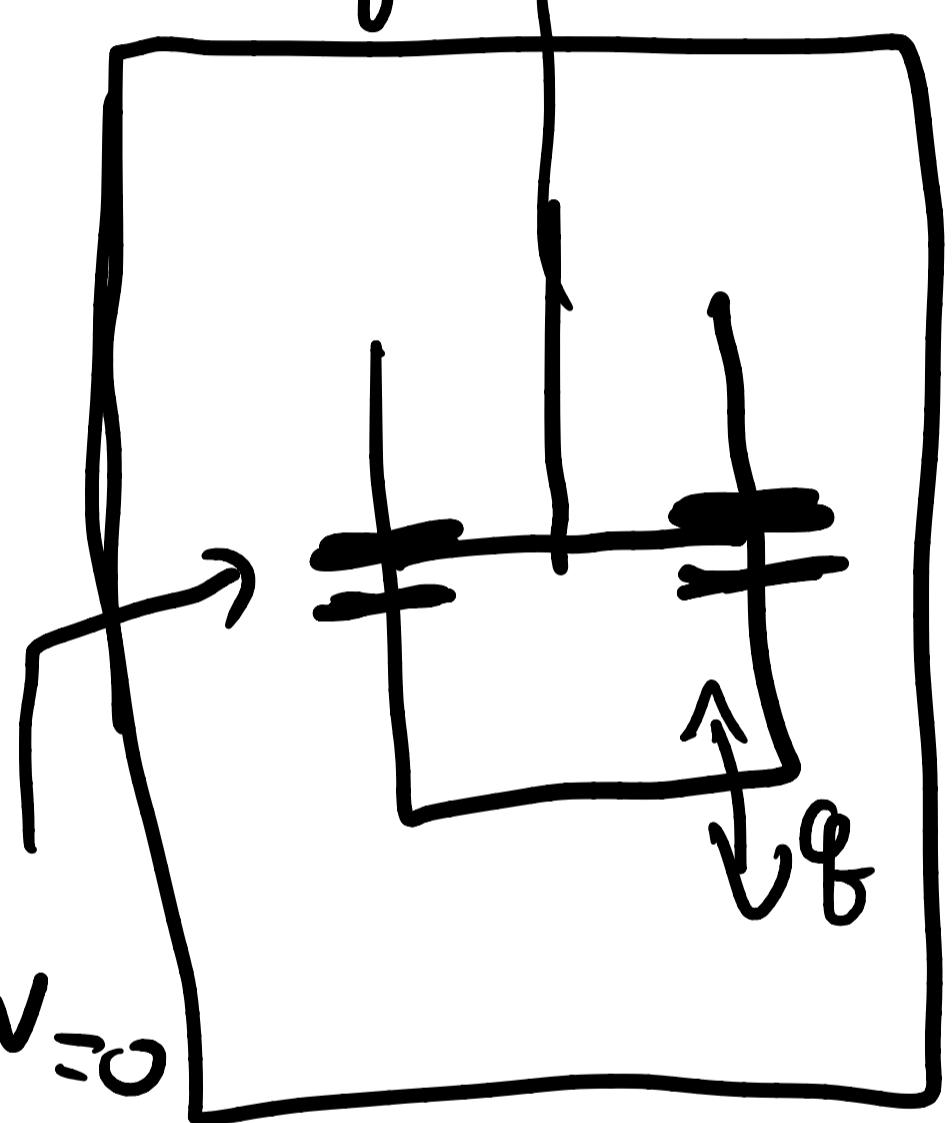
$dV \neq 0$  isobaric ~ pressure constant

$\{ dN = 0$  closed

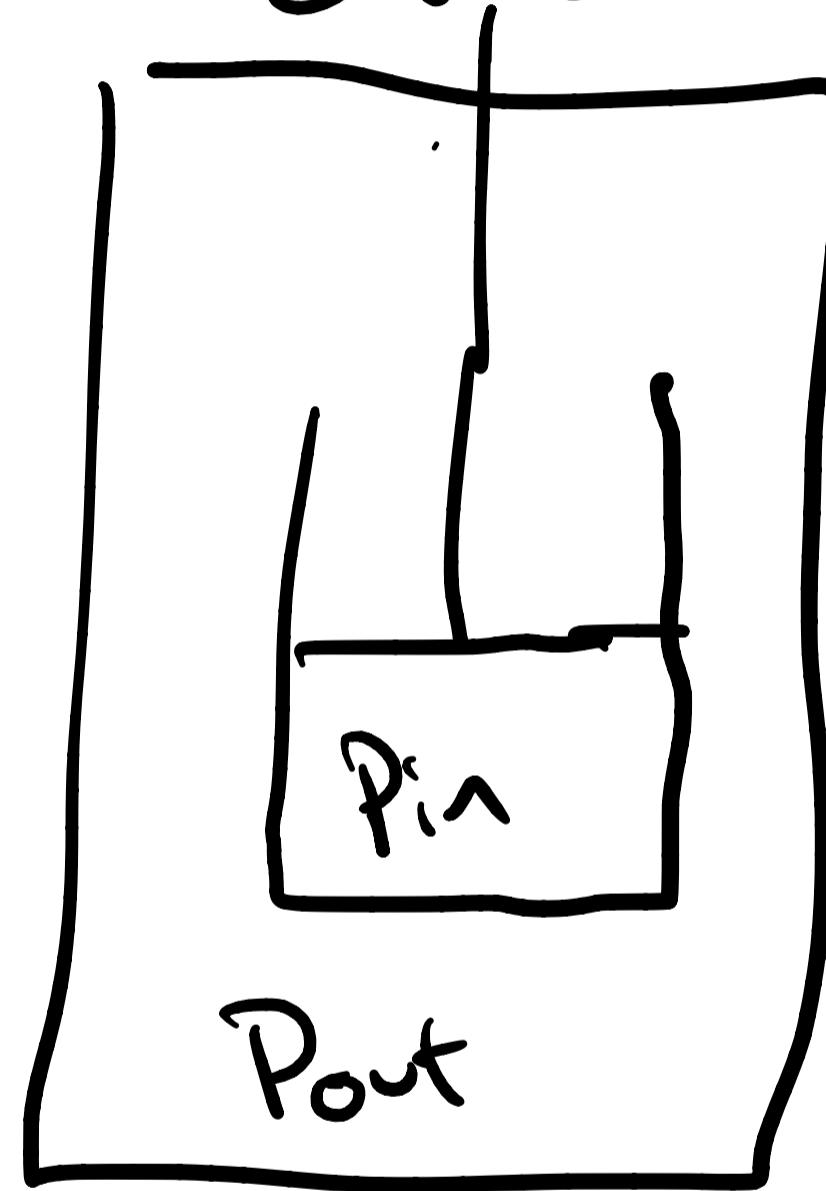
$dN \neq 0$  open system (also diathermal)

Equilibrium ~ Some things on inside  
and outside balance with each other

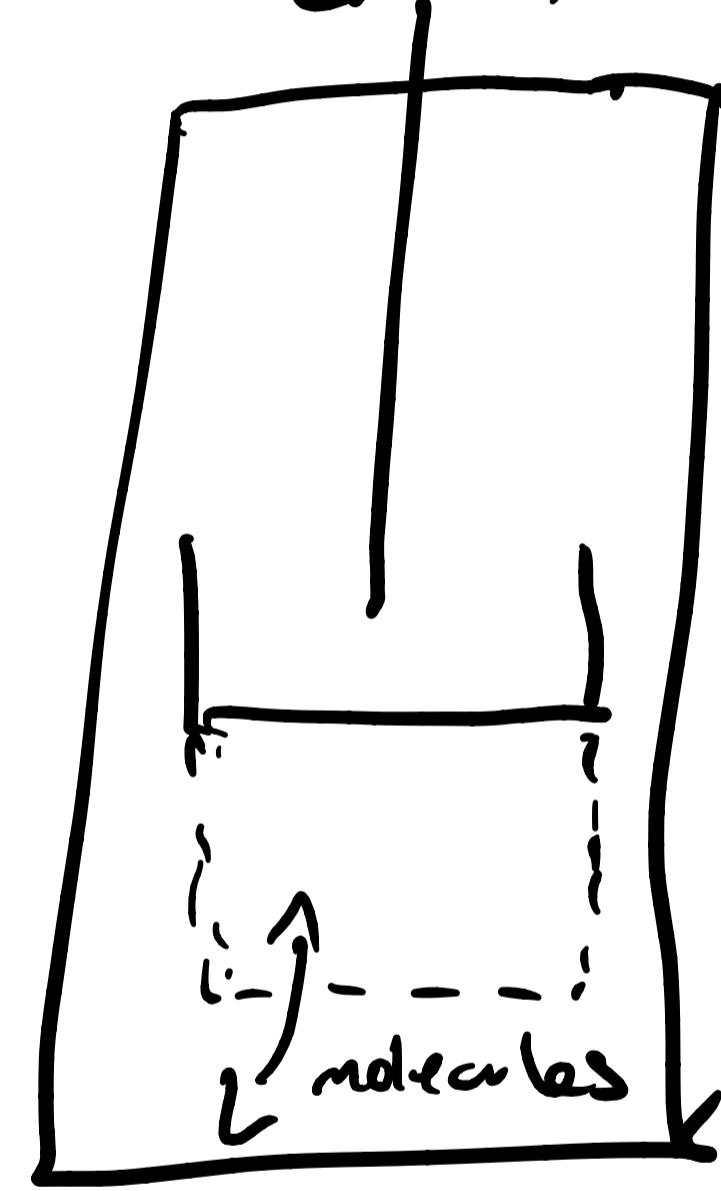
$$dq \neq 0$$



$$dv \neq 0$$



$$dN \neq 0$$



$$T_{\text{System}} = T_{\text{bath}}$$

at equilibrium

$$\text{Const } N, V, \bar{T}_{\text{sys.}}$$

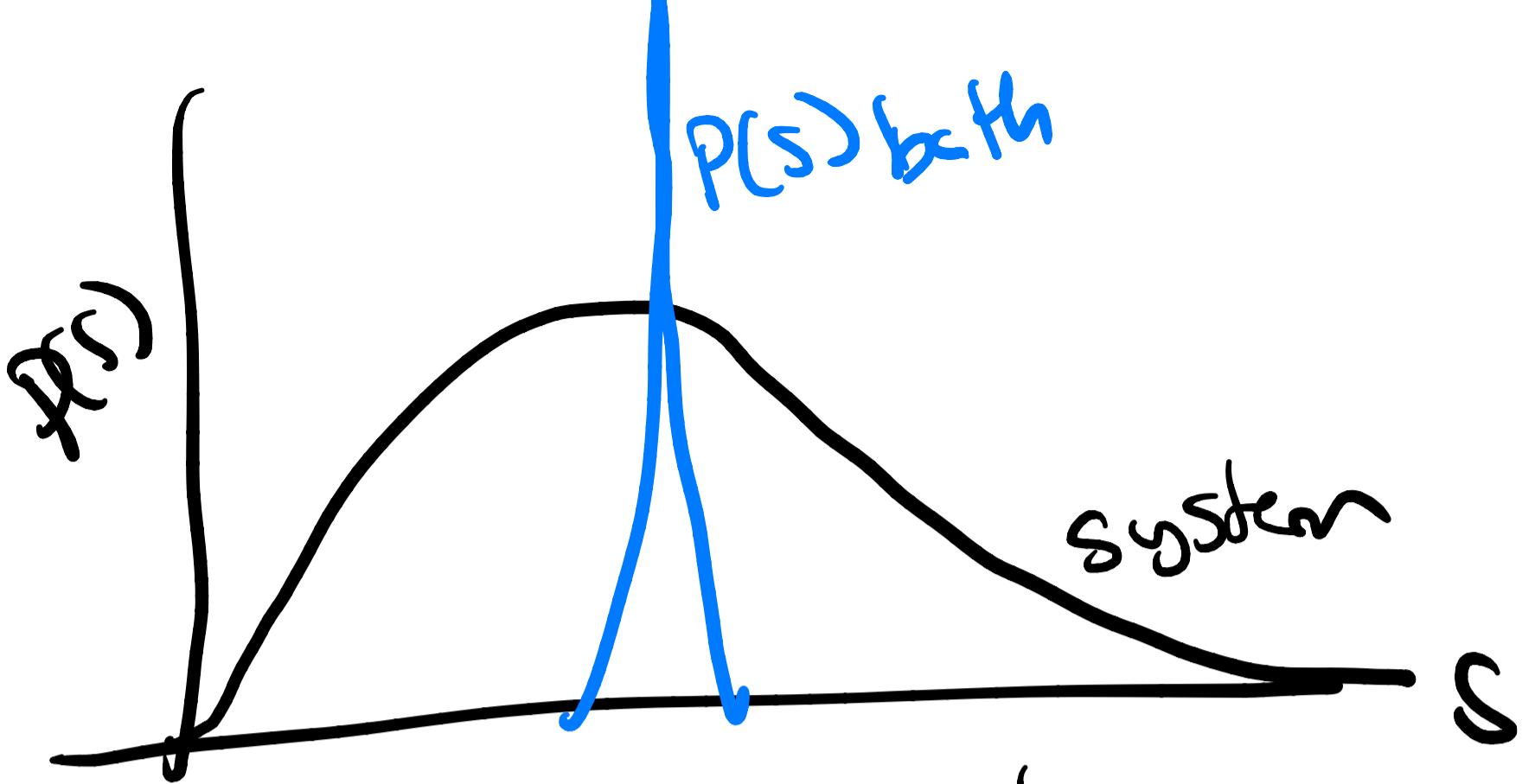
allow piston  
to move

$$but dq = 0$$

$$P_{in} = P_{out}$$

$$\text{Const } N, P, E_{\text{system}}$$

$$\mu_{\text{sys}} = \mu_{\text{bath}}$$



Max well

Boltzmann dist

Same mean squared velocity

Key concept:

Intensive: doesn't depend on the size of system:  $T, P, \mu$   $P = \frac{N}{V}$

Ratios:  $E/N$

Extensive:  $E, V, S, N$

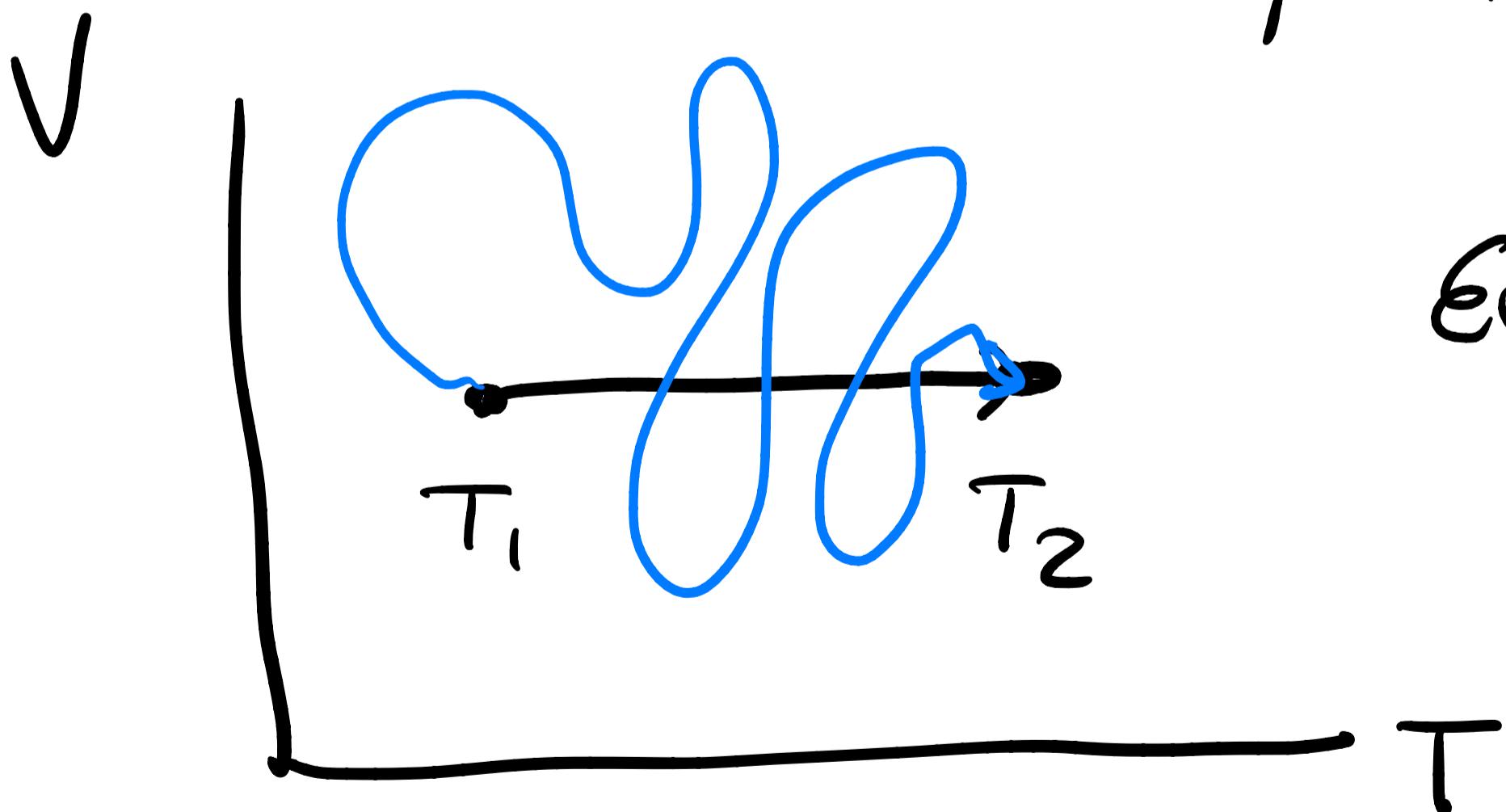
What happens if you duplicate your system

# Changes of state

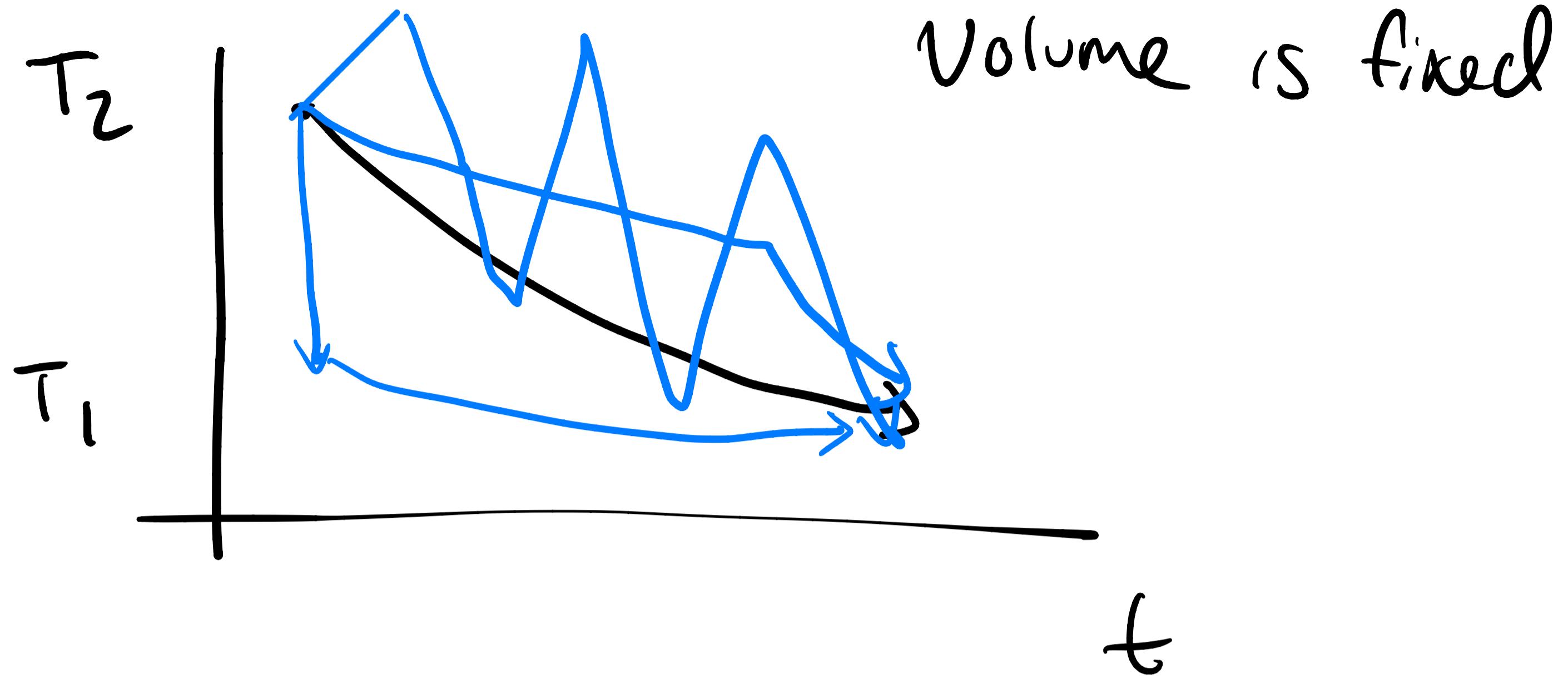
How do we go from A  $\rightarrow$  B

Eg  $N_1, V_1, T_1 \rightarrow N_1, V_1, T_2$

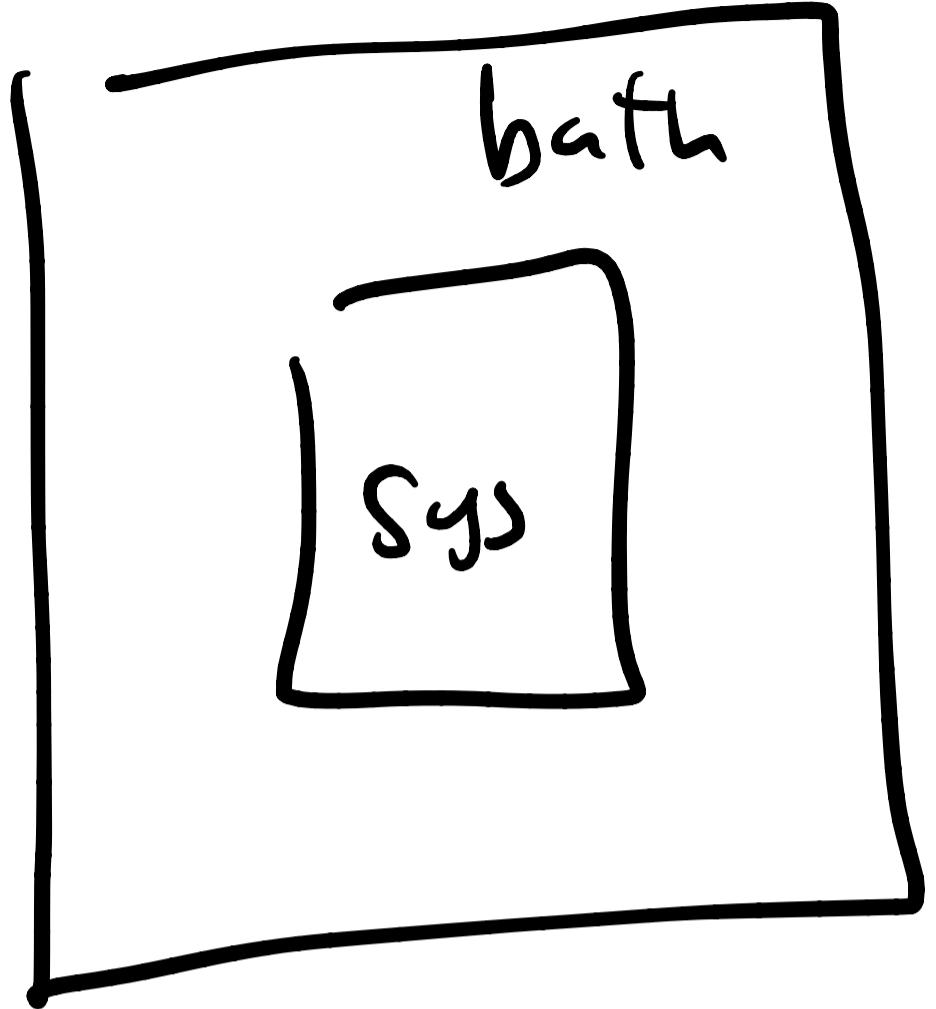
diathermal, isochoric



Even for straight  
line, infinite  
paths

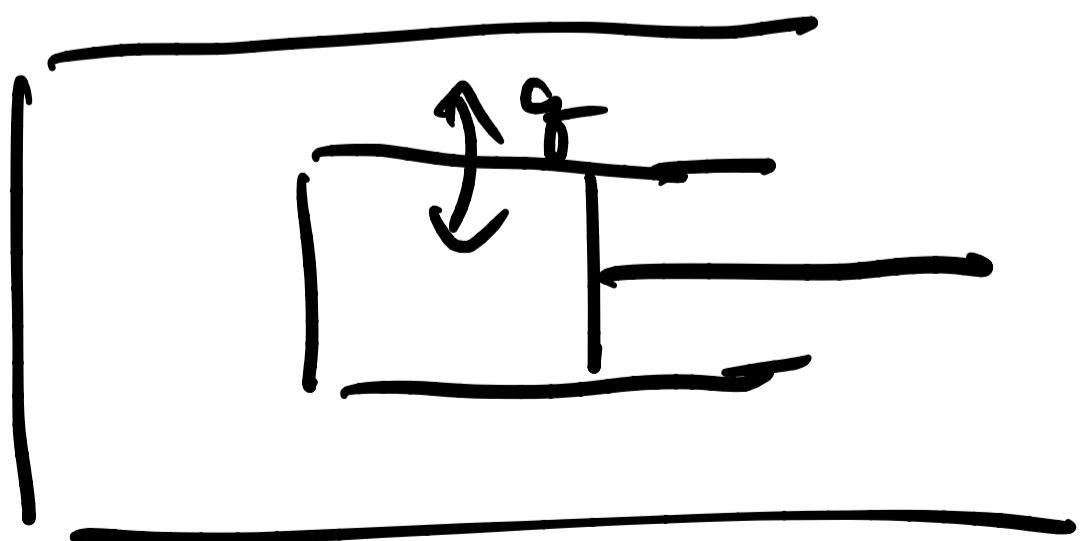


Unique path where we change  
quantity infinitely slowly  
"Reversible"  $\Leftrightarrow$  every step system  
is at equilibrium



- 1)  $T_{sys} = \bar{T}_{bath} = T_1$
- 2)  $\bar{T}_{bath} \rightarrow \bar{T}_{bath} + d\bar{T}$
- 3) wait until  $T_{sys} = \bar{T}_{bath}$
- 4) repeat 2&3 until

$$T_{sys} = \bar{T}_{bath} = T_2$$



change in volume  $\frac{const}{T}$

$$V \rightarrow V + dV$$

During reversible change of state  
Every intermediate is at equilibrium

3 variables specify state

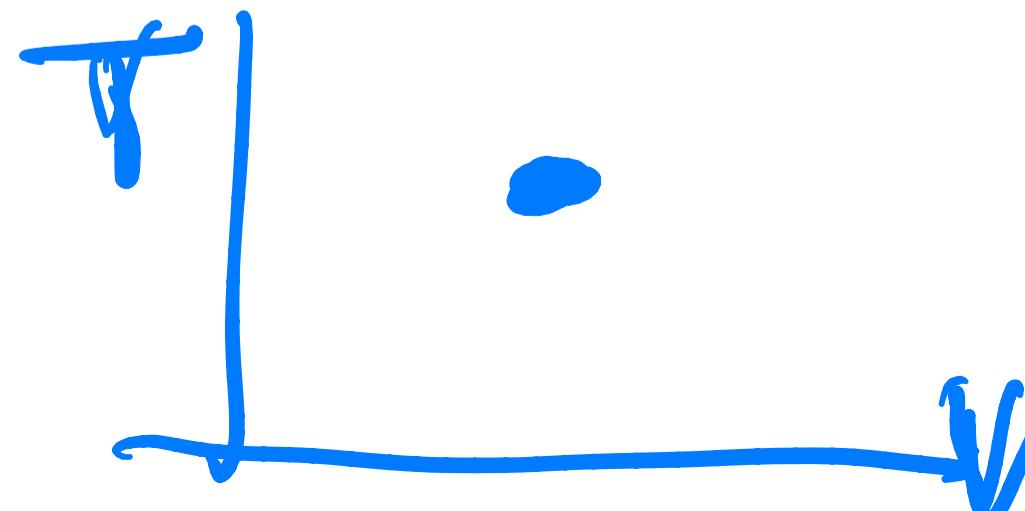
Can write an "equation of state"

3 variables  $\rightarrow$  4th one

Eg ideal gas law :  $PV = nRT$   
 $= Nk_B T$

$$P(N, T, V) = k_B \cdot \frac{N \cdot T}{V}$$

$$T = \frac{PV}{N} \cdot \frac{1}{k_B}$$



# First law of thermodynamics

Conservation of energy

Isolated System: energy is constant

for our system

1st law:

$$dE_{\text{total}}^{\text{System}} = \overset{\text{heat } \nexists}{m} + \overset{\text{work done}}{m}$$
$$= dq + dw$$

define a "sign convention" =

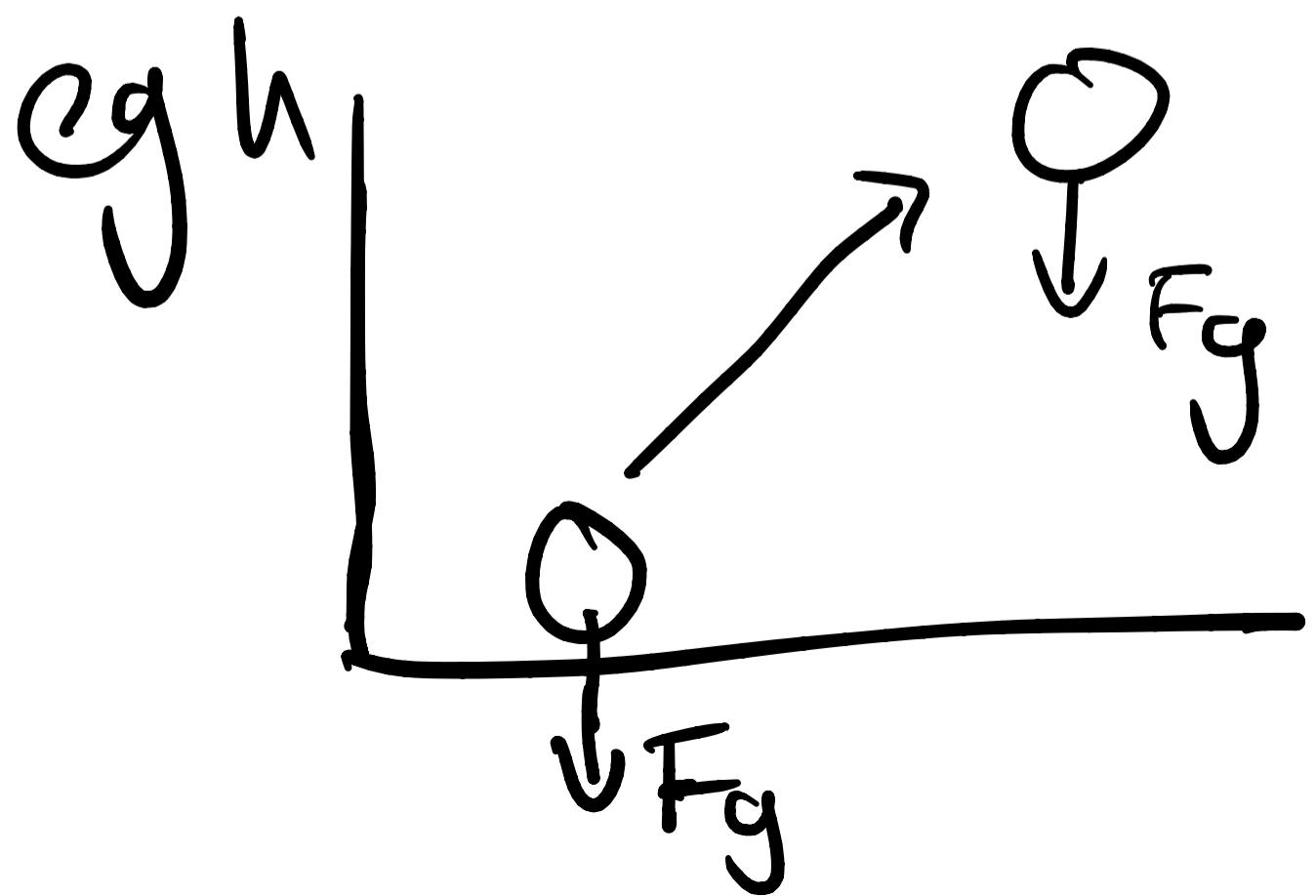
if  $q, w$  is  $>0$ ,  $dE_{\text{sys}}^{\text{up}}$

# What is work?

Moving against a force  $\rightarrow$  change in  $E$

$$w = - \int_{r_0}^{r_i} \vec{F} \cdot d\vec{r}$$

"mechanical work"



lift  
object

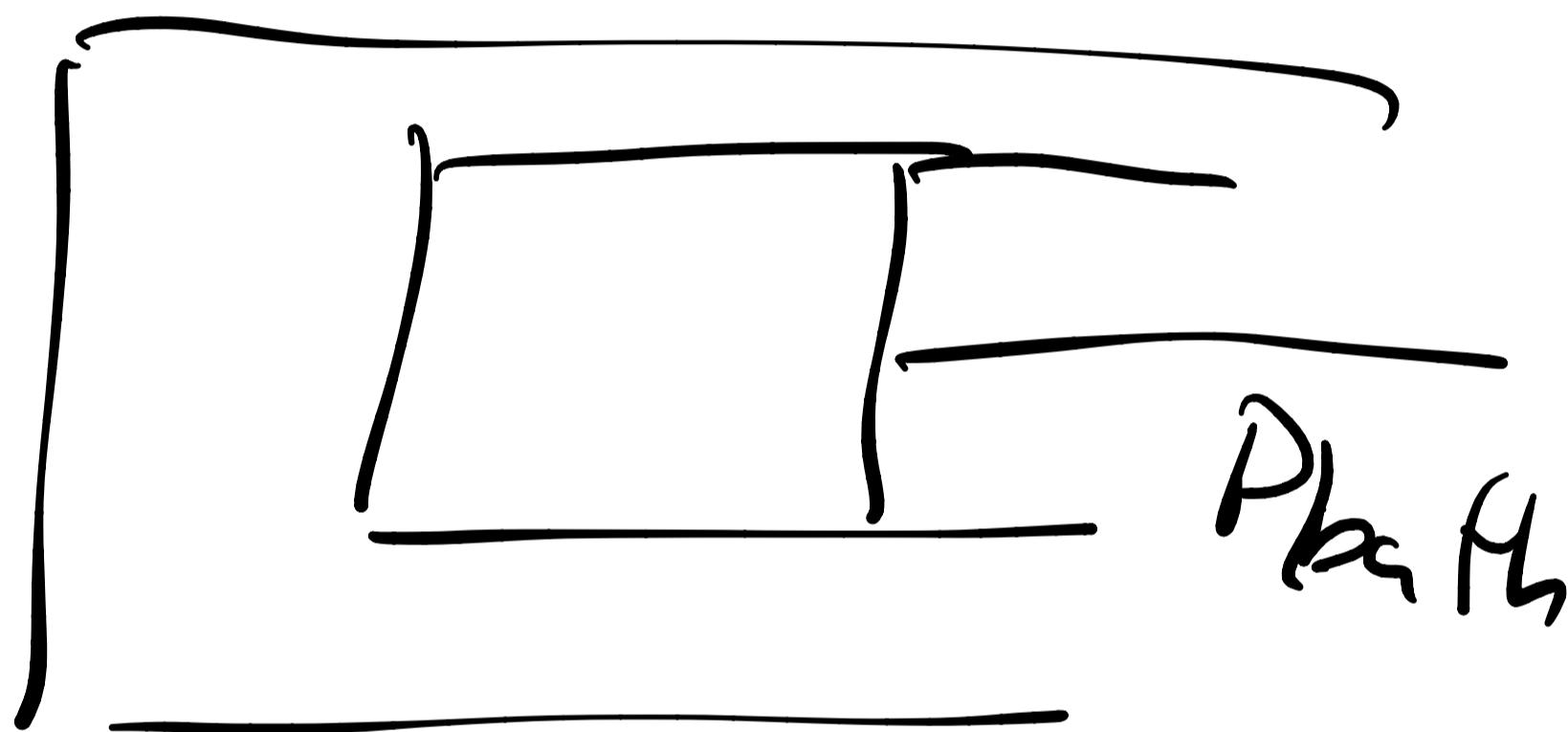
$$\begin{aligned} w &= - \int_{r_0}^{-h} F dr \\ &= - \int_{r_0}^{-h} (mg) dr \\ &= mgh \end{aligned}$$

Thermodynamics

units some  
as  $F \cdot dr$

path integral

$$d\omega = -P_{\text{bath}} dV$$



$$\omega \approx \int_{V_1}^{V_2} -P dV$$

$$P(V)$$

Sometimes  
 $w = -P\Delta V$

So  $dV < 0$ , compressed,  
work done on the system

$dV > 0$ , system did work

$$dE = dq + dw$$

Heat ( $q$ ) is amount of energy that flows due to a difference in temperature

Not state variable  $\leftarrow$  depends on path

Any thing besides the work

Define  $C$ ,  $dq = C dT$

$\uparrow$   
heat capacity

$C$  response function

2 heat capacities

$C_p$  and  $C_v$

$\sim$   
const P

$\uparrow$   
const volume