Programming Assignment 1

Author: Gabriel Hofer

CSC-410 Parallel Computing

Instructor: Dr. Karlsson

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Computer Science and Engineering South Dakota School of Mines and Technology

Sieve of Eratosthenes

Listing 1: Non-parallelized Sieve of Eratosthenes (prime.c)

```
void erat(long int n, long int * pcnt){
  for(int i=2;i<=n;i++)
    sieve[i]=1;
  for(int i=2;i*i<=n;i++)
    if(sieve[i])
    for(int j=i*i;j<=n;j+=i)
        sieve[j]=0;
  *pcnt=0;
  for(int i=2;i<=n;i++)
    if(sieve[i])
        primes[(*pcnt)++]=i;
}</pre>
```

Listing 2: Parllelized Sieve of Eratosthenes (prime.c)

Listing 3: Measuring Runtime Performance (prime.c)

```
void main(){
  long int n, pent;
  double start, end;
  scanf("%li",&n);
  n--;
  pcnt=0;
  start = omp_get_wtime();
  erat(n,& pcnt);
  end = omp_get_wtime();
  print(pcnt);
  printf("Elapsed_time_=_%.6f_seconds\n\n", end-start);
  // reset primes and sieve.
  for (int i=0; i<(1<<30); i++){
    sieve [i]=0;
    primes[i]=0;
  }
  pcnt=0;
  start = omp_get_wtime();
  erat2(n,& pcnt);
  end = omp_get_wtime();
  print(pcnt);
  printf("Elapsed_time_=_%.6f_seconds\n\n", end-start);
```

Listing 4: Output in Terminal from prime sieve program (prime.c)

```
gcc prime.c -lm -fopenmp
```

Monte Carlo Method

Listing 5: Non-parallelized Monte Carlo Method (monte.c)

```
double monte(long long n){
  long long hits=0;
  double x, y, pi;
  for(int i=0; i<n; i++)
    hits += sq((double)rand()/((double)RANDMAX)) +
    sq((double)rand()/((double)RANDMAX))
  <= 1.0 ? 1 : 0;
  pi = 4.0*hits/(double)n;
  return pi;
}</pre>
```

Listing 6: Parallelized Monte Carlo Method (monte.c)

```
double monte2(long long n) {
    long long hits = 0;
    double x, y, pi;
    #pragma omp for
    for(int i = 0; i < n; i++) {
        hits += sq((double)rand()/((double)RANDMAX)) +
        sq((double)rand()/((double)RANDMAX))
        <= 1.0 ? 1 : 0;
    }
    pi = 4.0*hits/(double)n;
    return pi;
}</pre>
```

Listing 7: Measuring Runtime Performance (monte.c)

```
void main(){
  long long n;
  double start, end, _PI_;
  scanf("%lld", & n);
  printf("Monte_Carlo_Method_NON-parallelized\n");
  start = omp_get_wtime();
  _{\rm PI}=monte(n);
  end = omp_get_wtime();
 printf("PI: _\%f\n", _PI_);
  printf("Elapsed_time_=_%f_seconds\n\n", end-start);
  printf("Monte_Carlo_Method_parallelized\n");
  start = omp_get_wtime();
  _{\rm PI}=monte2(n);
  end = omp_get_wtime();
 printf("PI: _\%f\n", _PI_);
  printf("Elapsed_time_=_%f_seconds\n\n", end-start);
```

Listing 8: Output in Terminal (monte.c)

```
gcc monte.c -lm -fopenmp
```

Description of Programs

Functions erat and erat2 compute all of the primes between 1 and n-1, as specified, where n > 1. Functions monte and monte2 compute an approximation of PI. erat and monte are non-parallelized while erat2 and monte2 are parallelized.

Description of Algorithms and Libraries:

I used OpenMP for both programs.

The prime sieve program is essentially two nested for loops. Initially, we start with an array, called sieve, containing a True value in every cell. Then, we iterate i from 2 to sqrt(n). For each of these iterations, we also iterate j from i*i to n in steps of i. At each step, we set the current cell in sieve to False, because we know the number isn't prime.

The Monte Carlo Algorithm is a single for loop. Each iteration of the for loop is analogous to throwing a dart at a dart board. In our code, we use a circle of radius 1 as our dart board. We call the C rand() function twice for the x and y dimensions. Pythagora's Theorem is used to calculate whether the dart is more than 1.0 from the center of the board. If not, we increment our count variable, hits. Otherwise, we continue to the next iteration of the loop and throw another dart. We use hits and and number of throws to calculate PI.

Description of Functions and Program Structure:

I created two files called prime.c and monte.c. The prime sieve is written in prime.c and, the Monte Carlo method is written in monte.c.

How to compile and use the programs

On Linux (Ubuntu): \$ gcc filename.c -fopenmp -lm

Description of the Testing and Verification Process:

I viewed the output of both prime.c and monte.c to check the correctness and verified that the algorithms for both programs are correct. For

testing the runtime of the programs and algorithms, I used the function omp_get_wtime().

Description of Deliverable:

I submitted a zip folder with the following:

- 1. this pdf document
- 2. prime.c
- 3. monte.c