Regression Analysis of Land - Price Correlation of Commercial Real Estate in Ho Chi Minh City

```
In [18]: import random as rnd
         import math as mth
         import statistics as sts
         import numpy as np
         import scipy as sci
         import scipy.linalg as la
         import scipy.stats as st
         import scipy.special as spp
         import matplotlib.pyplot as plt
         import sympy as sy
         import stemgraphic as stm
         import itertools as it
         import operator as op
         import seaborn as sns
         import math
         import pandas as pd
         import sqlite3
         import pandas as pd
         import numpy as np
```

```
In [19]: def filter sql(data, target province, target land use):
             Input: data - pd frame
             target province - string name
             Output:
             result - a pd frame
             # Create in-memory SQLite DB
             conn = sqlite3.connect(':memory:')
             data.to sql('data table', conn, index=False, if exists='replace')
             # Parameterized query — safer and correct
             query = """
             SELECT *
             FROM data table AS d
             WHERE d.Province = ?
             AND d.Land Use = ?
             # Pass the value as a parameter tuple
             result = pd.read sql query(query, conn, params=(target province,target l
             conn.close()
              # Clean and convert Land Area and Land Value (remove commas, convert to
             result['Land_Area'] = result['Land_Area'].str.replace(',', '', regex=Tru
             result['Land Value'] = result['Land_Value'].str.replace(',', '', regex=1
```

```
result['Land Area'] = pd.to numeric(result['Land Area'], errors='coerce
result['Land Value'] = pd.to numeric(result['Land Value'], errors='coerd
# Clean FSA, convert to numeric (float to allow NaNs)
result['FSA'] = result['FSA'].str.replace(',', '', regex=True)
result['FSA'] = pd.to numeric(result['FSA'], errors='coerce')
# Clean and convert Longtitude and Latitude (remove commas, convert to r
result['Longitude'] = pd.to numeric(result['Longitude'], errors='coerce'
result['Latitude'] = pd.to numeric(result['Latitude'], errors='coerce')
# Compute mean ignoring NaNs and fill NaNs in FSA
mean fsa = result['FSA'].mean()
result['FSA'] = result['FSA'].fillna(mean fsa)
# DROPNA any remaining rows with NaNs in important columns
result = result.dropna(subset=['Land Area', 'Land Value', 'FSA','Province
# DROP uneccesary features
# result = result.drop('Land Use', axis=1)
return result
```

```
In [20]: # load data
    df = pd.read_csv('Price_Land_Stat_2.csv', encoding='latin1')

#filtered data
    filtered_df = filter_sql(df, "Ho Chi Minh", " Commercial ")

#filtered_df = filtered_df[ filtered_df['Land_Area'] < 80000]

#filtered_df = filtered_df[ filtered_df['Land_Value'] < 100000000]

Land_Area = filtered_df['Land_Area'].values

Land_Value = filtered_df['Land_Value'].values

Land_Value_Mean = np.mean(Land_Value)

FSA = filtered_df['FSA'].values

print(Land_Area.size, Land_Value.size, FSA.size)
print(Land_Value_Mean)
print(filtered_df)</pre>
```

```
363 363 363
33970943.02479339
                                            FSA
    Land Area
                Land Value
                              Province
                                                    Land Use
                                                               Latitude
\
                53800000.0 Ho Chi Minh
0
       2690.0
                                        26900.0
                                                 Commercial
                                                              10.784913
       1275.0
                30042918.0
                           Ho Chi Minh
                                        10047.0
                                                              10.783963
1
                                                 Commercial
2
       2068.0 49356223.0
                           Ho Chi Minh
                                        24815.0
                                                 Commercial
                                                              10.777516
3
       3323.0
                57939914.0 Ho Chi Minh
                                                  Commercial
                                        21932.0
                                                              10.785346
4
       438.0 6300000.0 Ho Chi Minh
                                        2452.0
                                                 Commercial
                                                              10.781713
          . . .
401
      16048.0 28000000.0 Ho Chi Minh
                                        96421.0 Commercial
                                                             10.784574
402
      4300.0 11700000.0 Ho Chi Minh
                                        23650.0
                                                 Commercial
                                                              10.798987
      31752.0 108900000.0
                           Ho Chi Minh 425714.0
                                                 Commercial
403
                                                              10.787375
404
      21086.0 14900000.0 Ho Chi Minh
                                        46487.0
                                                 Commercial
                                                              10.783471
408
       3232.0 7345800.0 Ho Chi Minh
                                        16324.0
                                                 Commercial
                                                              10.807652
     Longitude
0
    106.699508
1
    106.700144
2
    106.705740
3
    106.690234
4
    106.690266
401 106.740149
402 106.753750
403 106.747776
404 106.743937
408 106.667974
[363 rows x 7 columns]
```

CORRELATION HEAT MAP

```
In [21]: filtered_df = filtered_df.drop('Province', axis=1)
    filtered_df = filtered_df.drop('Land_Use', axis=1)

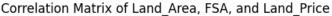
#filtered_df = filtered_df[ filtered_df['Land_Area'] < 20000]

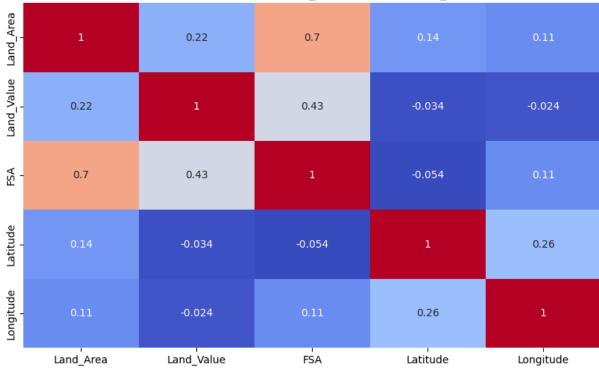
#filtered_df = filtered_df[ filtered_df['Land_Value'] < 60000000]

# Example: remove outliers from 'Land_Value'
Q1 = filtered_df['Land_Area'].quantile(0.25)
Q3 = filtered_df['Land_Area'].quantile(0.75)
IQR = Q3 - Q1

lower = Q1 - 1.5 * IQR
upper = Q3 + 1.5 * IQR
filtered_df = filtered_df[(filtered_df['Land_Area'] >= lower) & (filtered_df filtered_df .info() filtered_df .info() filtered_df .corr()
```

```
plt.figure(figsize=(10, 6))
 sns.heatmap(cbar=False,annot=True,data=filtered df .corr(),cmap='coolwarm')
 plt.title('Correlation Matrix of Land Area, FSA, and Land Price')
 plt.show()
<class 'pandas.core.frame.DataFrame'>
Index: 324 entries, 0 to 408
Data columns (total 5 columns):
                Non-Null Count Dtype
    Column
- - -
    _____
                                _ _ _ _ _
    Land Area
                                 float64
 0
                 324 non-null
    Land Value 324 non-null
                                 float64
 2
    FSA
                324 non-null
                                 float64
 3
    Latitude
                324 non-null
                                float64
     Longitude 324 non-null
 4
                                 float64
dtypes: float64(5)
memory usage: 15.2 KB
```





LINEAR REGRESSION OF LAND_AREA VERSUS LAND_PRICE

```
In [22]: # Draw scatter plot using
Land_Area = filtered_df['Land_Area'].values

Land_Value = filtered_df['Land_Value'].values

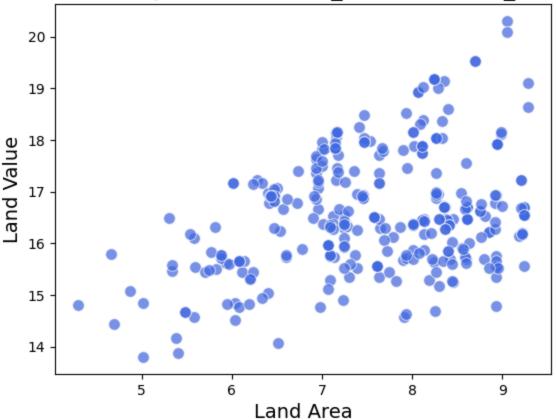
FSA = filtered_df['FSA'].values

X_log = np.log(Land_Area + 1)
Y_log = np.log(Land_Value + 1)
```

```
FSA_log = np.log(FSA + 1)

sns.scatterplot(x=X_log, y=Y_log, color='royalblue', s=70, alpha=0.7)
plt.title('Relationship between Land_Area and Land_Value', fontsize=16)
plt.xlabel('Land Area' , fontsize=14)
plt.ylabel('Land Value' , fontsize=14)
plt.show()
print(filtered_df)
```

Relationship between Land_Area and Land_Value



```
Land Area Land Value
                              FSA
                                    Latitude
                                              Longitude
0
       2690.0 53800000.0 26900.0
                                   10.784913 106.699508
1
       1275.0 30042918.0 10047.0
                                   10.783963
                                             106.700144
2
       2068.0 49356223.0 24815.0 10.777516 106.705740
3
       3323.0 57939914.0 21932.0 10.785346
                                             106.690234
4
        438.0 6300000.0
                           2452.0 10.781713
                                             106.690266
       4002.0 14163090.0 28014.0 10.746667
387
                                             106.699885
392
       4300.0 11700000.0 23650.0
                                   10.798987
                                              106.753750
394
       1168.0
                8600000.0 13803.0
                                   10.797047
                                              106.703371
402
       4300.0 11700000.0
                          23650.0
                                   10.798987
                                              106.753750
408
       3232.0
                7345800.0 16324.0
                                   10.807652
                                              106.667974
```

[324 rows x 5 columns]

```
In [23]: Land_Area = X_log
    Land_Value = Y_log
    FSA = FSA_log
    Land_Value_Mean = np.mean(Land_Value)
```

```
#construct regression linear system
A = [[ area, 1] for area in Land_Area]

#coef
coef, *_ = la.lstsq(A, Y_log)

print("Coef 0:", coef[0])
print("Coef 1:", coef[1])

Coef 0: 0.3371622593773719
Coef 1: 14.0472113865593

In [24]: # Calculate predicted y values
y_pred = [coef[0] * area + coef[1] for area in Land_Area]

# Calculate sum of square of dif between predicted and mean
ss_reg = np.sum((y_pred - Land_Value_Mean) ** 2)

# Calculate sum of square of dif between real values and mean
ss_total = np.sum((Land_Value - Land_Value_Mean) ** 2)

r2 = ss_reg / ss_total
```

R-squared: 0.10256797220742561

print(f"R-squared: {r2}")

Approximately 10% of the variation in the land value is explained by this regression data.

QUADRATIC REGRESSION OF LAND_AREA VERSUS LAND PRICE

```
In [25]: #construct regression linear system
A = [[ area**2 , area, 1] for area in Land_Area]

#coef
coef, *_ = la.lstsq(A, Land_Value)

print("Coef 0:", coef[0])
print("Coef 1:", coef[1])
print("Coef 2:", coef[2])

Coef 0: -0.19532611995803423
Coef 1: 3.1910686721807715
Coef 2: 3.8570081390271893

In [26]: # Calculate predicted y values
y_pred = [coef[0] * area**2 + coef[1] * area + coef[2] for area in Land_Area

# Calculate sum of square of dif between predicted and mean
ss_reg = np.sum((y_pred - Land_Value_Mean) ** 2)

# Calculate sum of square of dif between real values and mean
```

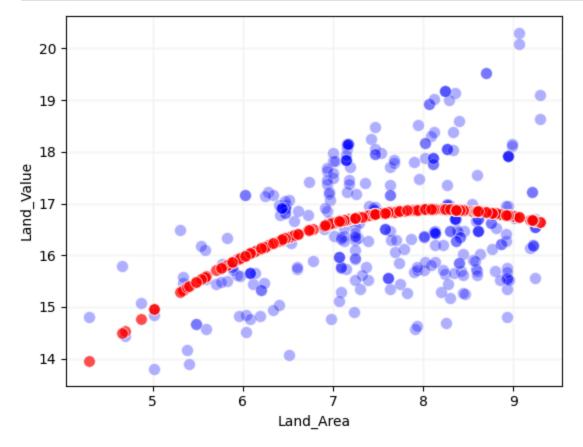
```
ss_total = np.sum((Land_Value - Land_Value_Mean) ** 2)

r2 = ss_reg / ss_total
print(f"R-squared: {r2}")
```

R-squared: 0.15586650911509328

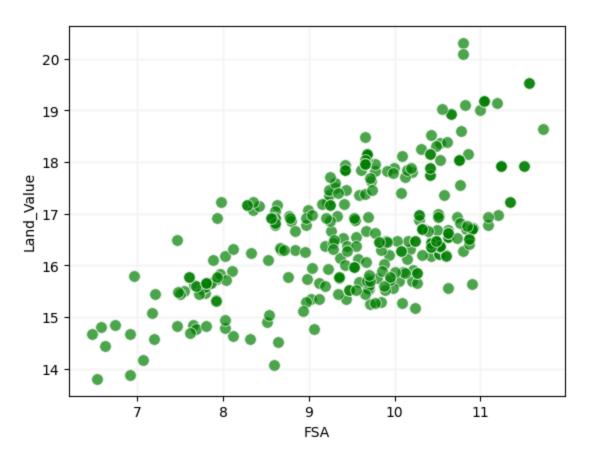
Approximately 16% of the variation in the land value is explained by this quadratic regression data.

```
In [27]: sns.scatterplot(x=Land_Area, y=Land_Value, color='blue', s=70, alpha=0.3)
   plt.xlabel('Land_Area')
   plt.ylabel('Land_Value')
   plt.grid(alpha=0.1)
   sns.scatterplot(x=Land_Area, y=y_pred, color='red', s=70, alpha=0.7)
   plt.show()
```



QUADRATIC REGRESSION OF FSA VERSUS LAND_PRICE

```
In [28]: # draw scatter plot
    sns.scatterplot(x=FSA, y=Land_Value, color='green', s=70, alpha=0.7)
    plt.xlabel('FSA')
    plt.ylabel('Land_Value')
    plt.grid(alpha=0.1)
    plt.show()
```



```
In [29]: #construct regression linear system
A = [[ f**2 , f, 1] for f in FSA]

#coef
coef, *_ = la.lstsq(A, Land_Value)

print("Coef 0:", coef[0])
print("Coef 1:", coef[1])
print("Coef 2:", coef[2])
```

Coef 0: -0.0012697415459614334 Coef 1: 0.6017583436340455 Coef 2: 10.969665885583282

```
In [30]: # Calculate predicted y values
y_pred = [coef[0] * (f**2) + coef[1] * f + coef[2] for f in FSA]

y = np.array(y_pred)

# Calculate sum of square of dif between predicted and mean
ss_reg = np.sum((y_pred - Land_Value_Mean) ** 2)

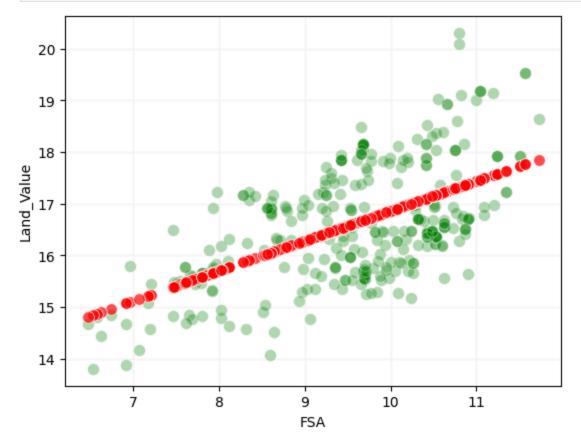
# Calculate sum of square of dif between real values and mean
ss_total = np.sum((Land_Value - Land_Value_Mean) ** 2)

r2 = ss_reg / ss_total
print(f"R-squared: {r2}")
print(FSA.size, y.size)
```

R-squared: 0.3226841677317373 324 324

Approximately 32% of the variation in the land price is explained by the regression data.

```
In [31]: sns.scatterplot(x=FSA, y=Land_Value, color='green', s=70, alpha=0.3)
   plt.xlabel('FSA')
   plt.ylabel('Land_Value')
   plt.grid(alpha=0.1)
   sns.scatterplot(x=FSA, y=y_pred, color='red', s=70, alpha=0.7)
   plt.show()
```



MACHINE LEARNING ALGORITHMS

RANDOM FOREST

```
import pandas as pd
from sklearn.ensemble import RandomForestRegressor
from sklearn.model_selection import train_test_split
from sklearn.metrics import mean_squared_error
from sklearn.metrics import r2_score

# load data
df = pd.read_csv('Price_Land_Stat_2.csv', encoding='latin1')
```

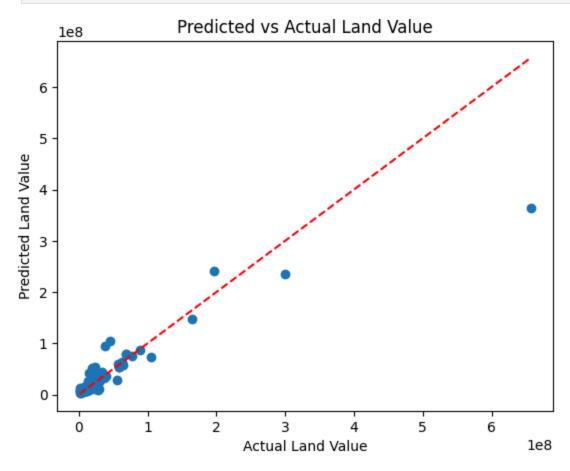
```
#filtered data
 filtered df = filter sql(df, "Ho Chi Minh", " Commercial ")
 # -----
 # Prepare features and target
 X = filtered_df[['Land_Area', 'FSA', 'Latitude', 'Longitude']]
 y = filtered df['Land Value']
 # Train/test split
 # -----
 X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3, rar
 # ------
 # Fit Random Forest
 # ------
 rf = RandomForestRegressor(n estimators=100, random state=42)
 rf.fit(X train, y train)
 # ------
 # Predict and evaluate
 # ------
 y pred = rf.predict(X test)
 mse = mean squared error(y test, y pred)
 print(f"Test MSE: {mse:,.2f}")
 # Calculate R^2
 r2 = r2_score(y_test, y_pred)
 print(f"Test R^2: {r2:.4f}")
 # ------
 # Example prediction
 new_data = pd.DataFrame({'Land_Area': [1275], 'FSA': [10000], 'Latitude':[16]
 print(f"Predicted Land Value: {rf.predict(new data)[0]:,.2f}")
Test MSE: 995,879,519,927,263.12
Test R^2: 0.8064
Predicted Land Value: 30,499,107.77
```

Approximately 81% of the variation in the land price is explained by the ran dom forest regression data.

```
In [47]: import matplotlib.pyplot as plt

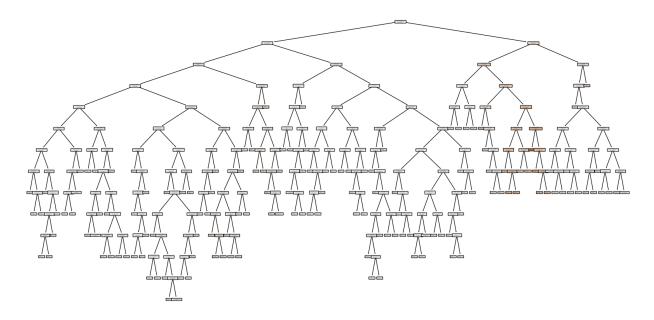
y_pred = rf.predict(X_test)
plt.scatter(y_test, y_pred)
plt.xlabel('Actual Land Value')
plt.ylabel('Predicted Land Value')
plt.title('Predicted vs Actual Land Value')
```

```
plt.plot([min(y_test), max(y_test)], [min(y_test), max(y_test)], 'r--') # 4
plt.show()
```



```
In [49]: from sklearn.tree import plot_tree
import matplotlib.pyplot as plt

# Assuming 'rf' is your trained RandomForestRegressor
# Plot the first tree in the forest
plt.figure(figsize=(20,10))
plot_tree(rf.estimators_[0], filled=True, feature_names=['Land_Area', 'FSA', plt.show()
```



This notebook was converted with convert.ploomber.io