## LINEAR INEQUALITIES & LINEAR PROGRAMMING

## **OBJECTIVE**

(1)	The so	olution of $ax + by \le c$ is	(Lahore Board 2006) (Lahore Board 2013)						
	(a)	closed half plane	(b)	open half plane					
	(c)	circle	(d)	parabola					
(2)	The fu	The function, which is to be maximized or minimized is called function							
	(a)	bijective	(b)	objective					
	(c)	feasible	(d)	none					
(3)	There	are many feasible so	lutions	in the feasible region.					
	(a)	infinite	(b)	finite					
	(c)	some	(d)	none					
(4)	x = 4 is solution of (Lahore Board 20								
	(a)	x + 3 > 0	(b)	x - 3 < 0					
	(c)	x + 3 = 0	(d)	x - 3 = 0					
(5)	A point of a solution region where two of its boundary lines intersect is called point or vertex.								
	(a)	solution point	(b)	stationary					
	(c)	inflection	(d)	corner					
(6)	x = 5	is solution of inequality	(Gujranwala Board 2006)						
	(a)	2x - 3 > 0	(b)	2x + 3 < 0					
	(c)	x + 4 < 0	(d)	x < 0					
(7)	Assoc	iated equation of the linear inc	equality	ax + by < c is					
	(a)	ax = c	(b)	ax - by = 0					

	(c)	ax + by = c	(d)	none
(8)	(1, 3)	is a solution of		(Lahore Board 2007, 2014)
	(a)	x + y > 0	(b)	x + y < 0
	(c)	x + y = 2	(d)	x - y = 0
(9)	The s	solution set of inequality ax + b	y = c is	S
	(a)	half solution	(b)	XY plane
	(c)	open plane	(d)	boundary of half plane
(10)	All p	oints with $x > 0$ , $y > 0$ lie in		quadrant.
	(a)	I	(b)	II
	(c)	III	(d)	IV
(11)	Each	point of a feasible region is ca	lled a _	
	(a)	feasible solution set	(b)	feasible solution
	(c)	corner point	(d)	none
(12)	ax + 1	by < C is linear inequality in _	_ <u>K</u>	_ variables.
	(a)	One	(b)	Two
	(c)	Three	(d)	Four
(13)	A po	int of a solution region where	two of	its boundary lines intersect, is called a
	(a)		(l-)	
	(a)	optimal solution	(b)	vertex
(1.4)	(c)	feasible solution	(d)	None
(14)		3y < 0 is	(L.)	(Gujranwala Board 2007)
	(a)	an equation	(b)	inequality
(1.5)	(c)	identity	(d)	not identity
(15)		graph of $3x + 2y > 3$ is		1. 1
	(a)	closed half plane	(b)	line only
	(c)	open half plane	(d)	full plane
(16)		ral form of equation of line is		_
	(a)	ax - by + c = 0	(b)	ax + by - c - 0
·	(c)	ax + by + c = 0	(d)	ax - by - c = 0
(17)	A vei	tical line divides a plane into _		_
	(a)	upper & lower half plane	(b)	upper & right half planes

	(c)	left & right half plane	(d)	left & lower half planes
(18)	The 1	inear inequalities associated w	ith an o	bjective function are called
	(a)	decision variables	(b)	problem constraints
	(c)	feasible region	(d)	none
(19)	In lin		um & m	ninimum value of an objective function
	(a)	corner points	(b)	one of the corner point
	(c)	corner point of feasible region	on(d)	none of these
(20)	A fea	sible region is restricted in	qu	adrant. (Gujranwala Board 2011)
	(a)	I	(b)	II
	(c)	III	(d)	IV
(21)		feasible solution, which ma		or minimize the objective at the o
	(a)	feasible region	(b)	optional value
	(c)	corner point	(d)	solution
(22)	Conv	ex region may be		
	(a)	open	(b)	bounded
	(c)	closed	(d)	all are true
(23)	(0, 0)	is test point of		
	(a)	$y \le mx$	(b)	$y \ge mx$
	(c)	$2x - y \ge 0$	(d)	none of the
(24)	The i	nternal $(-\infty, \frac{3}{2})$ is the solution	set of_	
	(a)	$-\infty < x < \frac{3}{2}$	(b)	$-\infty < y < \frac{3}{2}$
	(c)	$x < \frac{3}{2}$	(d)	none
(25)	The g	graph of $y > 0$ consists of the re	egion y	> 0 and
	(a)	x - axis	(b)	y - axis
	(c)	xy-plane	(d)	none
(26)	Whic	ch one is not corner point of x	$-2y \le 6$	$2x + y \ge 2$ and $x + 2y \le 10$
	(a)	(2, -2)	(b)	(8, 1)

(0)	(	2	6)
(c)	(-	2,	$\mathbf{o}_{j}$

(d) (0, -5)

To find the optimal solution, we evaluate the objective function at \_\_\_\_\_ (27)

corner points (a)

(b) only origin

any point (c)

(d) all points of feasible region

A test point determines that the half plane is on which side of \_\_\_\_\_ (28)

x-axis (a)

(b) y-axis

Boundary line (c)

(d) none of these

The corresponding equation of  $x - 2y \le 6$  intersects y-axis at \_\_\_\_\_ (29)

(0, 3)(a)

(b) (0, -3)

(c) (6, 0)

(0, 6)(d)

Graph of  $-3x + 5y \le 0$ (30)

> on the origin side (a)

left half plane (b)

right half plane (c)

(d) none

, when a = 0 represents The inequality  $ax + by \le = c$ (31)half plane. (Lahore Board 2012)

Left or right (a)

(b) Upper or Lower

(c) Open (d) None

Solution of inequality x + 2y < 6 is (32)

(Lahore Board 2012)

(1, 1)(a)

(1, 3)(b)

(c) (1, 4) (d) (1, 5)

The non negative in equalities are called (33)

> Parameters (a)

Constants (b)

Decision variables (c)

(d) Vertices



1.	а	2.	b	3.	а	4.	а	5.	d	6.	a
7.	c	8.	а	9.	d	10.	а	11.	c	12.	b
13.	b	14.	b	15.	c	16.	b	17.	c	18.	b
19.	с	20.	а	21.	d	22.	d	23.	d	24.	c
25.	а	26.	d	27.	а	28.	c	29.	b	30.	а

31. b 32. a 33. c

