Time series forecasting with (S)AR(I)MA models is a well-established concept that has been studied thoroughly for many decades and provides good forecasting accuracy (Arlt et al., 2017; Khandelwal et al., 2015).It has found application in many domains such as economy (MEHR QUELLEN),

The assumption ARIMA models arae based on is that the values of a target variable are generated by a linear combination of past values of the same variable and white noise (Khandelwal et al., 2015), thus making it a stochastic process, "i.e. an ordered sequence of random variables" (Andreoni and Postorino, 2006), with data entries at equally distant intervals (Hunt, 2003).
Further, mathematical assumptions are stationarity and homoscedasticity.
(Weak) Stationarity is fulfilled when the relationship between two values at time points t and $t + i$ is the same as the relationship between two values at time points s and $s + i$, i.e. independent of the exact position in the time series, but provided the distance between any two values is the same (Hunt, 2003).

ERKLÄRE AR; MA plus differencing, transformation, seasonality

However, the process underlying time series data may change over time - it is subject to uncertainty (Adhikari, 2015). A time series model may be biased or overfitted as well as its parameters misspecified.

0.1 AR(I)MA models

As the name suggests, AR(I)MA(p,d,q) - auto-regressive integrated moving average - models model time series data with an AR and an MA component, and trend in data through differencing (which is the "I-part").
The parameters p, d, and q respectively denote the order of the AR component, the degree of differencing and the MA component (Zhao et al., 2018).
If there is also a seasonal component - thus a SARIMA model is to be fitted - there are additional parameters P, D, Q referring to the seasonal orders (or degrees) of AR, differencing and MA.

The parameters p,q,P and Q may be identified using an Information Criterion suchs as BIC or AIC. (FORMEL falls nicht schon geschehen oder Referenz auf Formel) In order to appropriately model time series data, (Box and Jenkins, 1976) proposed a method to identify suitable parameters - AR, MA and differencing - of an ARIMA model. It consists of the following four

steps:
1. Visual identification of model parameter through ACF for MA- and PACF for AR-parameters.

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