

Finite Volume Methods for Hyperbolic Problems

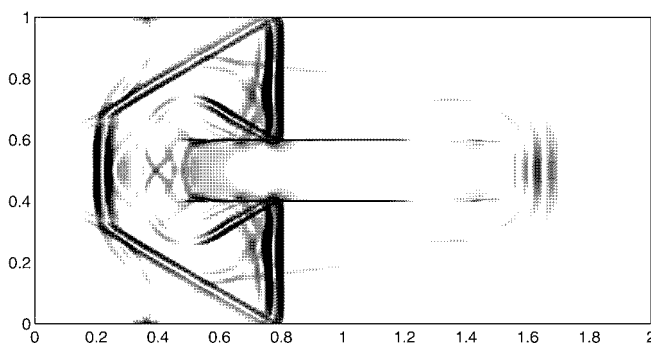
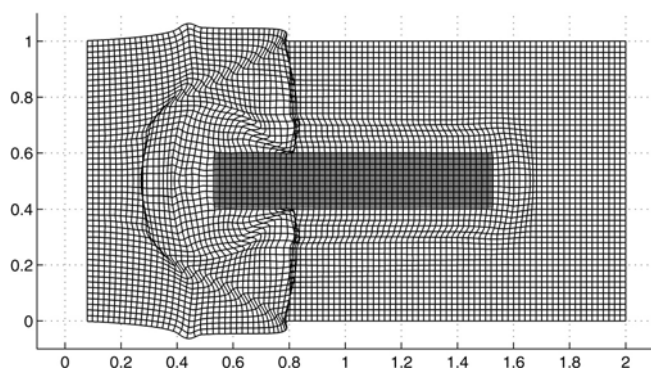
This book contains an introduction to hyperbolic partial differential equations and a powerful class of numerical methods for approximating their solution, including both linear problems and nonlinear conservation laws. These equations describe a wide range of wave-propagation and transport phenomena arising in nearly every scientific and engineering discipline. Several applications are described in a self-contained manner, along with much of the mathematical theory of hyperbolic problems. High-resolution versions of Godunov's method are developed, in which Riemann problems are solved to determine the local wave structure and limiters are then applied to eliminate numerical oscillations. These methods were originally designed to capture shock waves accurately, but are also useful tools for studying linear wave-propagation problems, particularly in heterogeneous material. The methods studied are implemented in the CLAWPACK software package. Source code for all the examples presented can be found on the web, along with animations of many time-dependent solutions. This provides an excellent learning environment for understanding wave-propagation phenomena and finite volume methods.

Randall LeVeque is the Boeing Professor of Applied Mathematics at the University of Washington.

Cambridge Texts in Applied Mathematics

- Maximum and Minimum Principles
M.J. SEWELL
- Solitons
P.G. DRAZIN AND R.S. JOHNSON
- The Kinematics of Mixing
J.M. OTTINO
- Introduction to Numerical Linear Algebra and Optimisation
PHILIPPE G. CIARLET
- Integral Equations
DAVID PORTER AND DAVID S.G. STIRLING
- Perturbation Methods
E.J. HINCH
- The Thermomechanics of Plasticity and Fracture
GERARD A. MAUGIN
- Boundary Integral and Singularity Methods for Linearized Viscous Flow
C. POZRIKIDIS
- Nonlinear Wave Processes in Acoustics
K. NAUGOLNYKH AND L. OSTROVSKY
- Nonlinear Systems
P.G. DRAZIN
- Stability, Instability and Chaos
PAUL GLENDINNING
- Applied Analysis of the Navier–Stokes Equations
C.R. DOERING AND J.D. GIBBON
- Viscous Flow
H. OCKENDON AND J.R. OCKENDON
- Scaling, Self-Similarity and Intermediate Asymptotics
G.I. BARENBLATT
- A First Course in the Numerical Analysis of Differential Equations
ARIEH ISERLES
- Complex Variables: Introduction and Applications
MARK J. ABLOWITZ AND ATHANASSIOS S. FOKAS
- Mathematical Models in the Applied Sciences
A.C. FOWLER
- Thinking About Ordinary Differential Equations
ROBERT E. O'MALLEY
- A Modern Introduction to the Mathematical Theory of Water Waves
R.S. JOHNSON
- Rarefied Gas Dynamics
CARLO CERCIGNANI
- Symmetry Methods for Differential Equations
PETER E. HYDON
- High Speed Flow
C.J. CHAPMAN
- Wave Motion
J. BILLINGHAM AND A.C. KING
- An Introduction to Magnetohydrodynamics
P.A. DAVIDSON
- Linear Elastic Waves
JOHN G. HARRIS
- An Introduction to Symmetry Analysis
BRIAN J. CANTWELL
- Introduction to Hydrodynamic Stability
P.G. DRAZIN
- Finite Volume Methods for Hyperbolic Problems
RANDALL J. LEVEQUE

Finite Volume Methods for Hyperbolic Problems



RANDALL J. LEVEQUE
University of Washington



CAMBRIDGE
UNIVERSITY PRESS

PUBLISHED BY THE PRESS SYNDICATE OF THE UNIVERSITY OF CAMBRIDGE
The Pitt Building, Trumpington Street, Cambridge, United Kingdom

CAMBRIDGE UNIVERSITY PRESS

The Edinburgh Building, Cambridge CB2 2RU, UK
40 West 20th Street, New York, NY 10011-4211, USA
477 Williamstown Road, Port Melbourne, VIC 3207, Australia
Ruiz de Alarcón 13, 28014 Madrid, Spain
Dock House, The Waterfront, Cape Town 8001, South Africa

<http://www.cambridge.org>

© Randall J. LeVeque 2004

First published in printed format 2002

ISBN 978-0-511-79125-3 OCeISBN

ISBN 0-521-81087-6 hardback

ISBN 0-521-00924-3 paperback

To Loyce and Benjamin

