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Para  $G_1$ , determinar el ángulo  $\theta$  tal que  $G_1\left(\begin{array}{cc}\sqrt{3} & 1\\1 & \sqrt{3}\end{array}\right) = \left(\begin{array}{cc}* & *\\0 & *\end{array}\right)$  $-sen \circ \cdot \sqrt{3} + cos \circ = \circ$  $\langle = \rangle$  cos  $0 = \sqrt{3}$  sen 0(=) 0 = 30° = TG  $COS30^{\circ} = \overline{Z}$  $\sqrt{3} \text{ sen } 30^{\circ} = \sqrt{3} \cdot \frac{1}{2} = \frac{\sqrt{3}}{2}$ Trigonometric Table 90° 120° 180° 270° d SMX دعه مر √3 ∞ -√3 tan d 13 cot of 追 12 SECOL 2/3 213 Cosec &