

$$R = (aa|bb)^*$$

Buscamos $R' = \text{Ini}(L(R))$

$$\begin{aligned}\text{Ini}(R) &= \text{Ini}((aa|bb)^*) \\ &= (aa|bb)^* \cdot \text{Ini}(aa|bb) \\ &= (aa|bb)^* \cdot (\text{Ini}(aa) | \text{Ini}(bb))\end{aligned}$$

Cálculo auxiliar:

$$\begin{aligned}\text{Ini}(aa) &= a \cdot \text{Ini}(a) | \text{Ini}(a) \\ &= a \cdot (a | \lambda) | a | \lambda \\ &= aa | a | \lambda\end{aligned}$$

$$\text{Ini}(bb) = bb | b | \lambda$$

Retomando:

$$\text{Ini}(R) = (aa|bb)^* \cdot (aa|a|bb|b|\lambda)$$

A ojo vemos que se puede simplificar, los aa y bb son capturados por $(aa|bb)^*$

$$\text{Ini}(R) = (aa|bb)^* \cdot (a|b|\lambda)$$