

1.(a) DFS: 21, BFS: 13, IDDFS: 13

1.(b) DFS: $O(N)$, BFS: $O(N)$, IDDFS: $O(N)$

1.(c) DFS: $O(N)$, BFS: $O(N)$, IDDFS: $O(N)$

1.(d) DFS: $O(\log N)$, BFS: $O(N)$, IDDFS: $O(N)$

1.(e) BFS & IDDFS can remember whole routes of solutions, so they can promise the optimal solution. on the other hand, DFS just remember recent visited path, so it might not be optimal answer.

1.(f) Heuristic function can provide value of estimating goal state and current state. If it is not worst case and heuristic function is admissible, A^* search will reduce the extending states.

1.(g) In best case, heuristic function can avoid expanding states not in the optimal path; In worst case, because it is admissible heuristic, it will $\leq h^*(s)$ and the time complexity will $\leq UCS$ search.

2.(a) $[0, 0, 0] \rightarrow [0, -1, 1] \rightarrow [1, -2, 1] \rightarrow [2, -3, 1] \rightarrow [3, 3, 0]$

total cost = $17 = 6 + 3 + 3 + 5$

1.(b) 33 states

2.(c) the distance func is $|x_1 - x_2| + 2|y_1 - y_2| + 4|z_1 - z_2|$

if $h(s) = \min(|x - x_g|, |y - y_g|, |z - z_g|)$

the true cost to goal state = $\sum_{n=0}^{goal} d((x_n, y_n, z_n), (x_{n+1}, y_{n+1}, z_{n+1}))$

@ any state, cost to goal: $\sum_{n=cur}^{goal} d((x_n, y_n, z_n), (x_{n+1}, y_{n+1}, z_{n+1}))$

↓
if $h^*(s) \geq h(s)$

$h(s)$ is admissible

$$> \sum_{n=cur}^{goal} |x_n - x_{n+1}| + |y_n - y_{n+1}| + |z_n - z_{n+1}|$$

$$\geq |x_n - x_{goal}| + |y_n - y_{goal}| + |z_n - z_{goal}|$$

$$\geq \min(|x_n - x_{goal}|, |y_n - y_{goal}|, |z_n - z_{goal}|)$$

$$\geq h(s)$$

