# TSP Challenge week 6

last week's gist: https://gist.github.com/hono-mame/42a169bcdedfb296f94b5e61a504caed

last week's document : 
TSP challenge

gist: https://gist.github.com/hono-mame/86c4728a9452d87003465ae126a693ec

results: TSP Results

By introducing annealing method, and combining it with the greedy and 2-opt methods, I investigated several ways to find the shortest path.

## ① greedy\_and\_2-opt.py

Using the greedy method, first obtain the route taken by connecting the shortest points at that time. For that result, the shortest path is obtained by performing 2-opt and eliminating the intersecting points.

## Improvements from last week

- ·Update search all function
  - → Find the shortest distance more accurately when the data is less than 10

#### **Results**

challenge	Challenge 0	Challenge 1	Challenge 2	Challenge 3	Challenge 4	Challenge 5	Challenge 6	Challenge 7
data	N = 5	N = 8	N = 16	N = 64	N = 128	N = 512	N = 2048	N = 8192
score	3291.62	3778.72	4494.42	8970.052801	11489.79	21,363.60	42,712.37	84190.72157

# ② simulated\_annealing \_and\_2-opt.py

The annealing method is run repeatedly and the shortest distance among them is taken as the result. Then, 2-opt is performed to see if there is a path with an even shorter distance.

**Results** (improve : compares scores of ①)

challenge	Challenge 0	Challenge 1	Challenge 2	Challenge 3	Challenge 4	Challenge 5	Challenge 6	Challenge 7
data	N = 5	N = 8	N = 16	N = 64	N = 128	N = 512	N = 2048	N = 8192
score	3291.62	3778.72	4494.42	8326.79	11388.84	22,370.53	44,025.94	88844.84
improve	0	0	0	643.26	100.95	-1006.93	-1313.57	-4654.12

#### Consideration for ②

This method was very effective for challenge3 and challenge4. However, as the number of data increased, the method ① was superior. I believe that this is because the number of data is too large, since tours are first randomly created and then randomly re-connected, and the optimization criterion may have become too high before the number of data is sufficiently optimized, and thus the ideal result could not be obtained. Therefore, to improve this, I considered using greedy instead of creating a tour at random.

# ③ greedy\_simulated\_annealing\_and\_2-opt.py

Instead of making a tour at random when we execute simulated annealing, we make a tour by using greedy methods. The resulting value will be the same as or better than ①, since we make a tour by using greedy first.

### **Improvements**

made a new function to make a tour by using greedy methods so that simulated\_annealing function became simpler:)

**Results** (improve : compares scores of ①)

challenge	Challenge 0	Challenge 1	Challenge 2	Challenge 3	Challenge 4	Challenge 5	Challenge 6	Challenge 7
data	N = 5	N = 8	N = 16	N = 64	N = 128	N = 512	N = 2048	N = 8192
score	3291.62	3778.72	4494.42	8209.32	11230.47	21,363.60	42712.37	84190.72
improve	0	0	0	760.73	259.32	0	0	0

## **Consideration for** ③

The values were highly variable, but better results were obtained after several runs. However, I could not get better results than ① (= greedy) when the data is very large.

#### <Conclusion>

Good results have been obtained with a moderate number of data. However, I have not found a better method than greedy when the number of data is larger.

Better results could be obtained by adjusting the parameters of the annealing method, but adjusting these parameters was difficult.

## (Extra) tsp.c

I rewrote the ① greedy\_and\_2-opt.py in C. I could not finish "search\_all", so this is not perfect.

#### Results

challenge	Challenge 0	Challenge 1	Challenge 2	Challenge 3	Challenge 4	Challenge 5	Challenge 6	Challenge 7
data	N = 5	N = 8	N = 16	N = 64	N = 128	N = 512	N = 2048	N = 8192
score	0	0	4494.88	8970.05	11489.79	21159.13	42712.37	84190.72

In all cases, it was executed within 3 seconds, confirming that it was very fast.

(in ①, it was executed in 323 seconds in challenge7.)

The results were almost identical to ① greedy\_and\_2-opt.py.

#### <References>

https://qiita.com/take314/items/7eae18045e989d7eaf52

https://github.com/hayatoito/google-step-tsp

https://en.wikipedia.org/wiki/2-opt

http://www.nct9.ne.jp/m hiroi/light/pyalgo64.html

https://en.wikipedia.org/wiki/3-opt