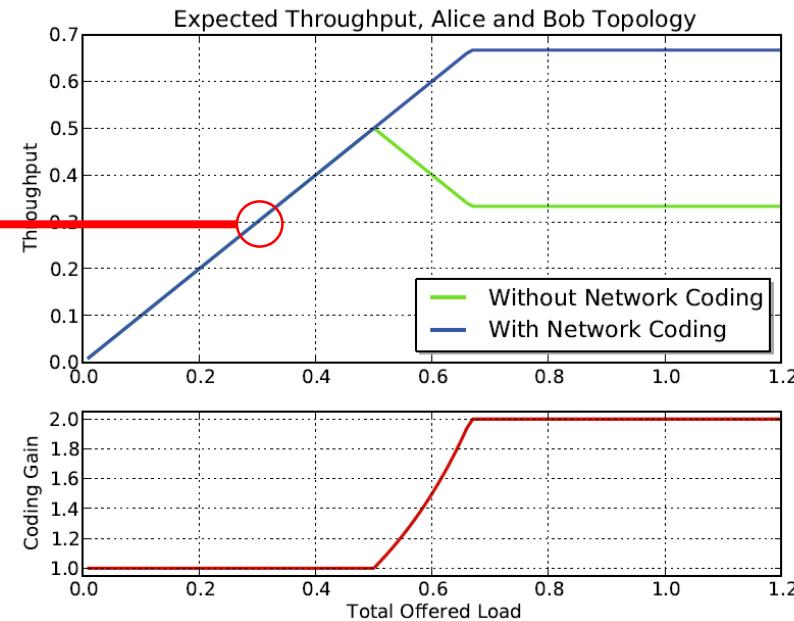
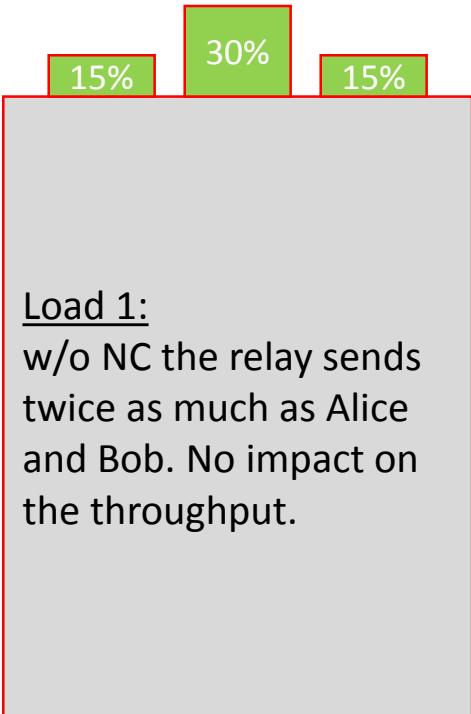


Review on the Model for Alice and Bob (symmetric TRAFFIC)

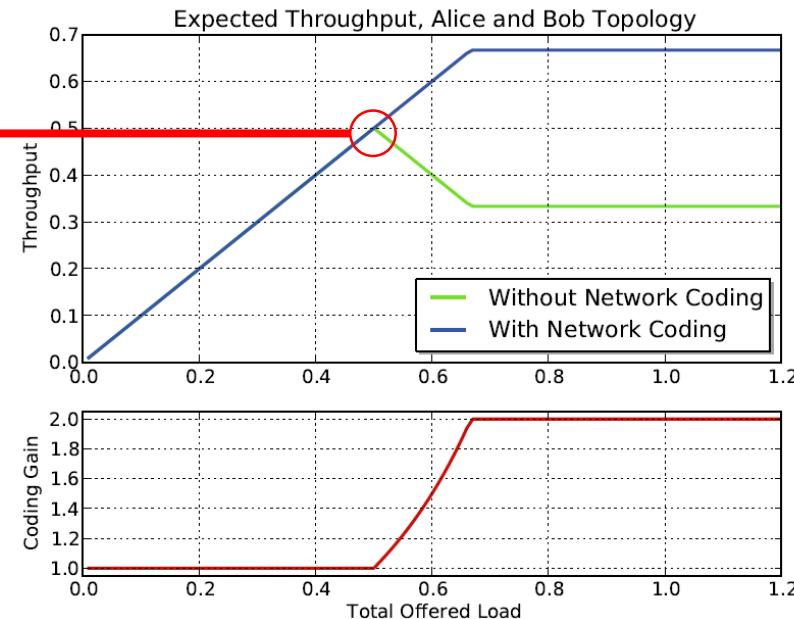
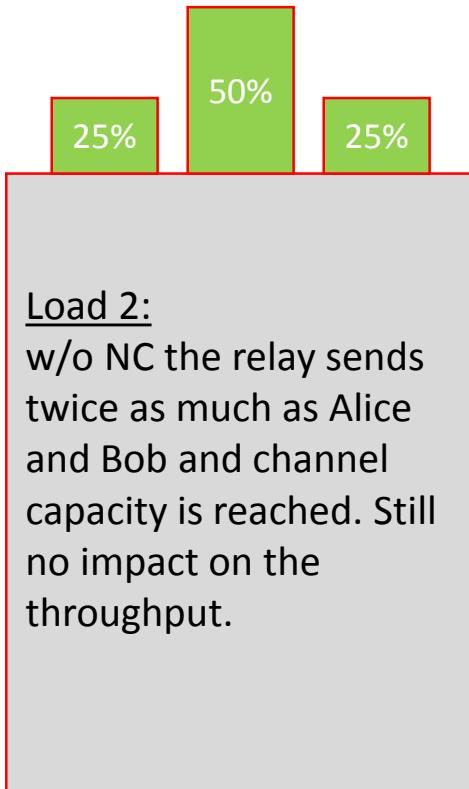
Assumption

- Alice and Bob have no direct connection
- Same amount of traffic is generated by Alice and Bob
- Medium Access Control (MAC) is based on IEEE802.11, i.e. CSMA/CA

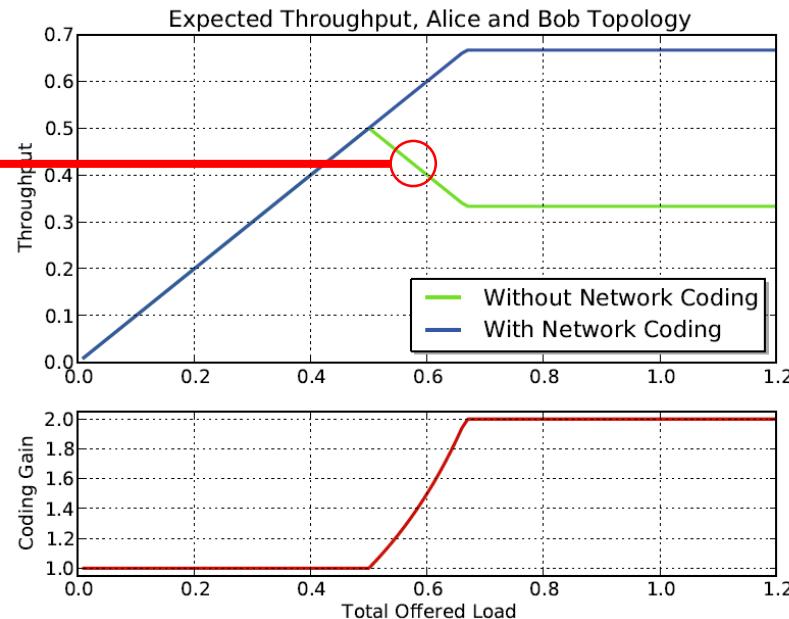
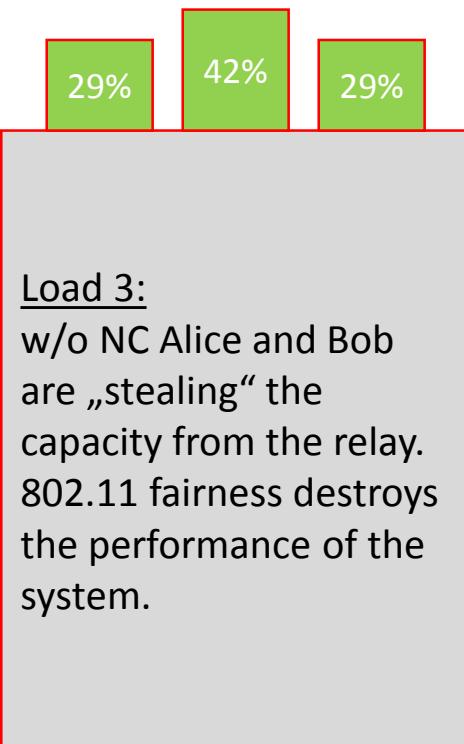
Throughput Model



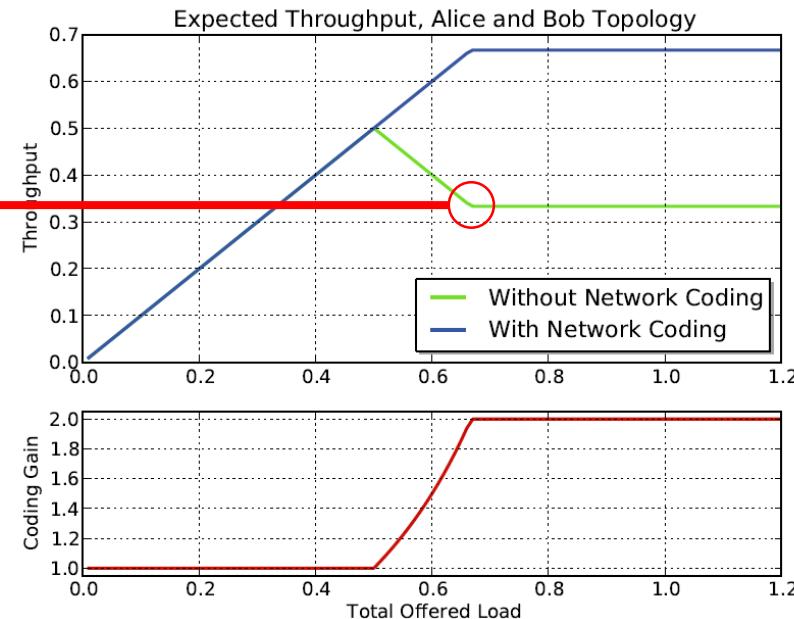
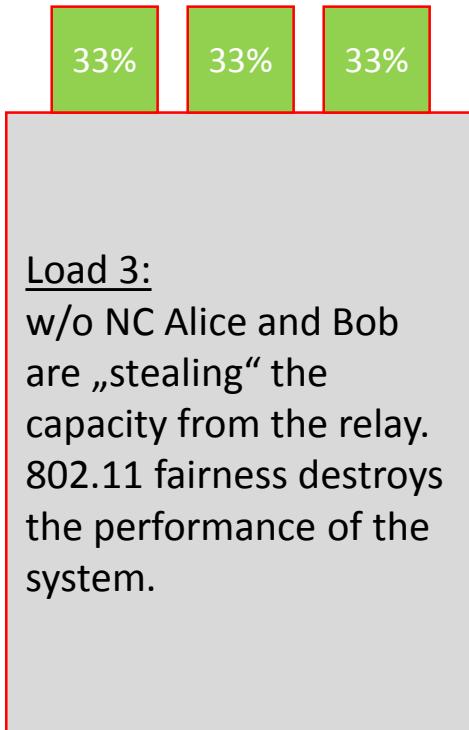
Throughput Model



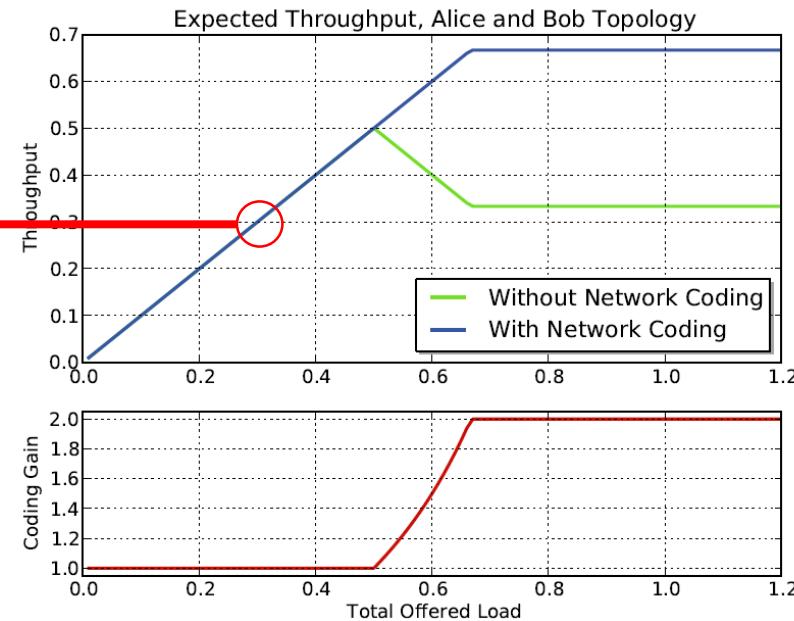
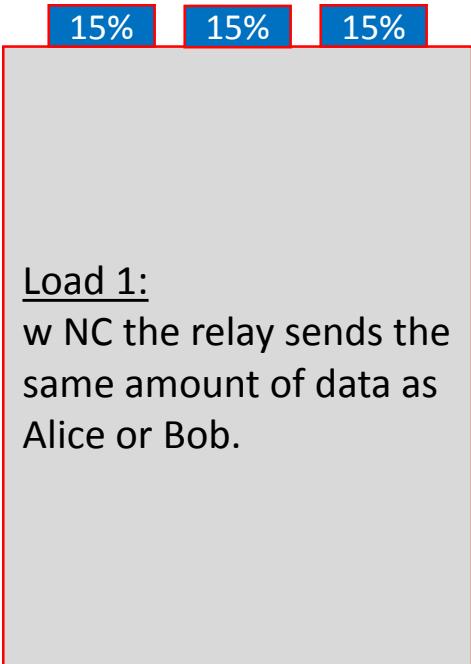
Throughput Model



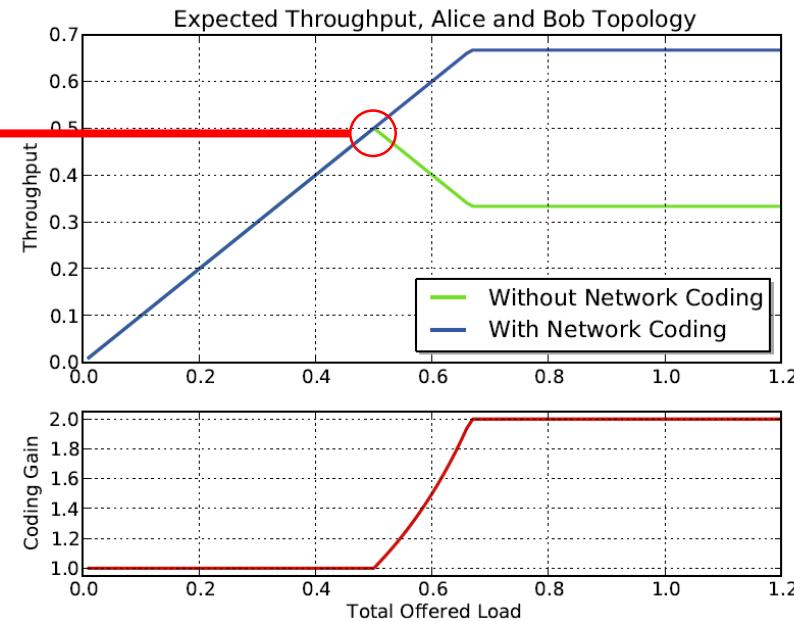
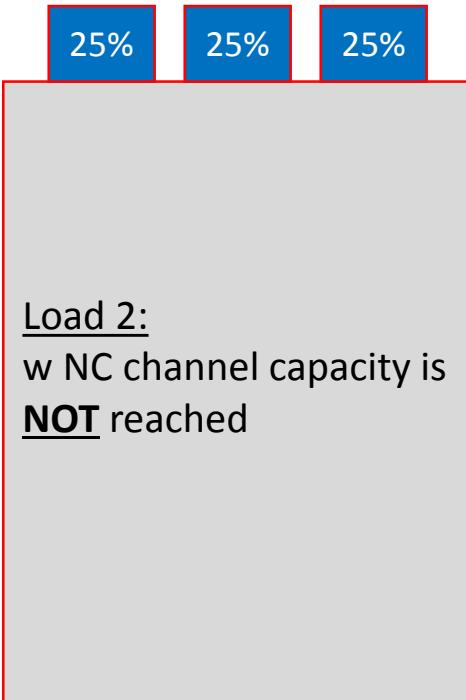
Throughput Model



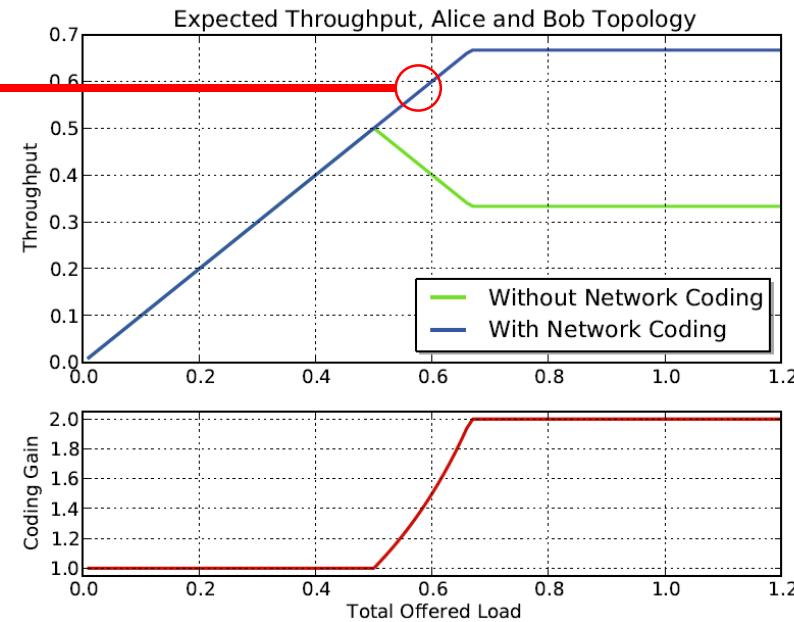
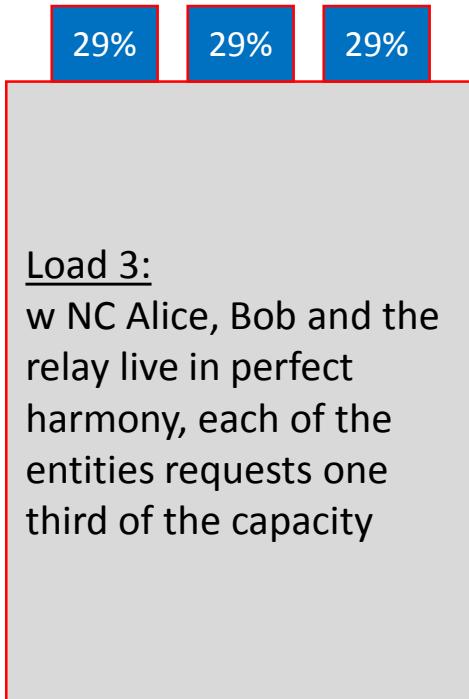
Throughput Model



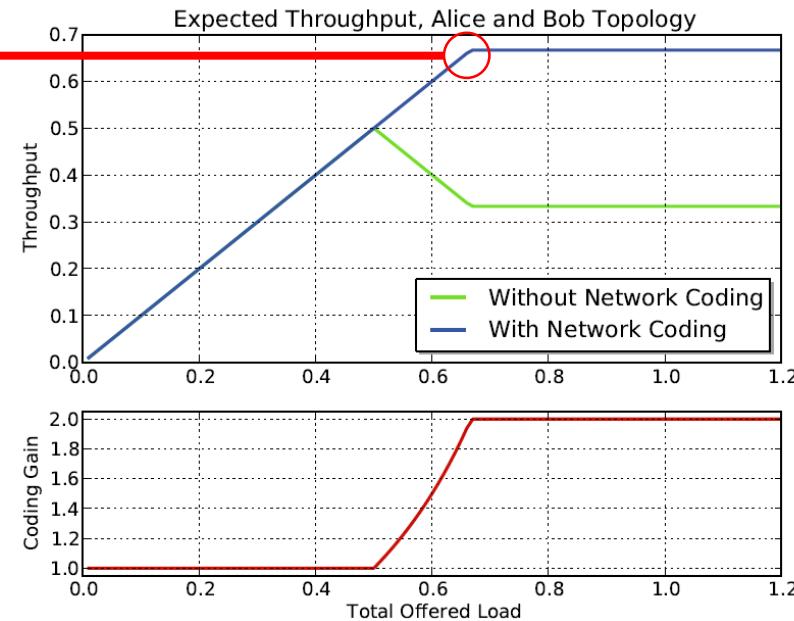
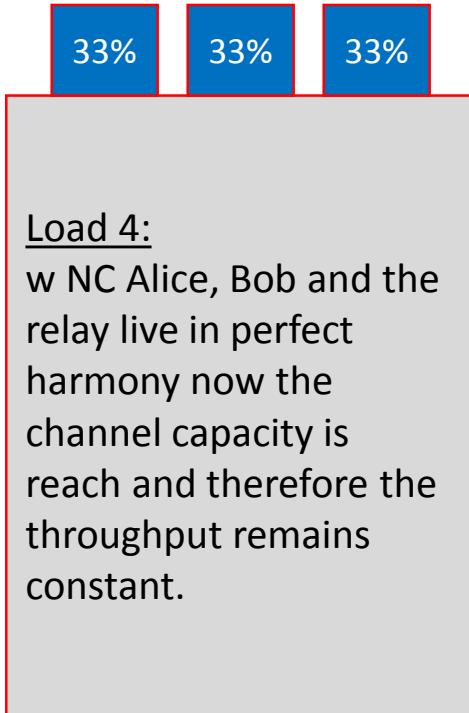
Throughput Model



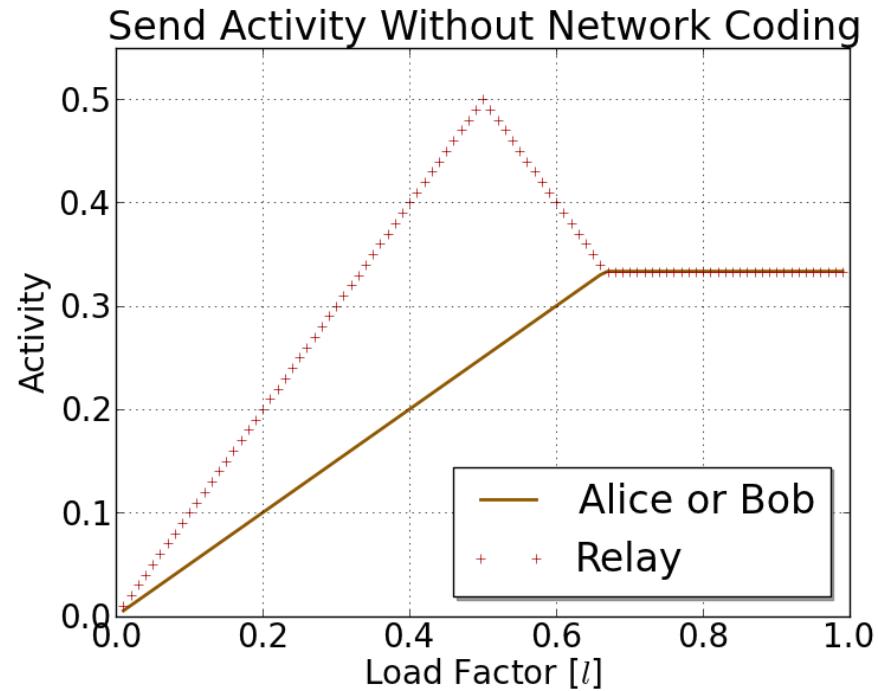
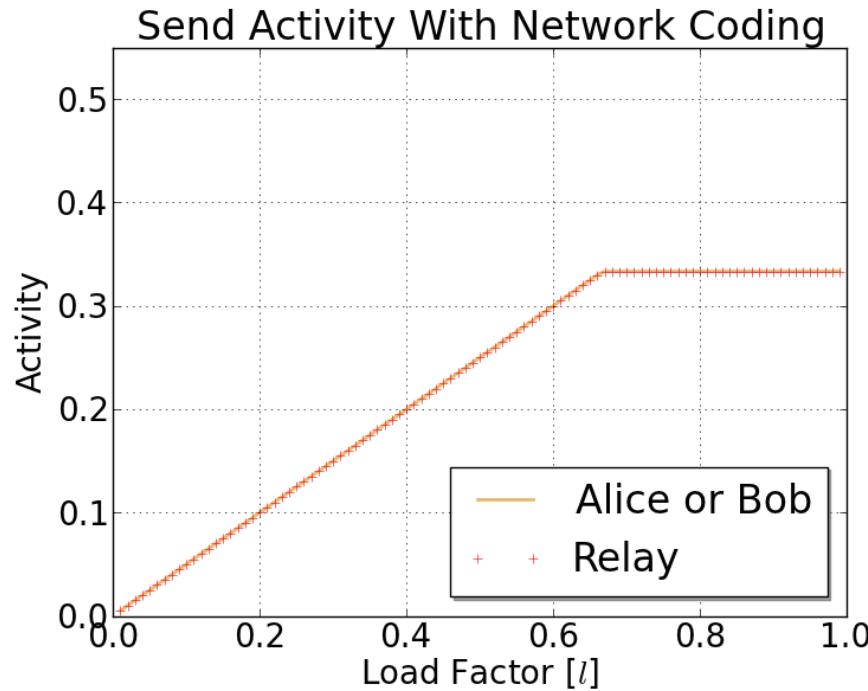
Throughput Model



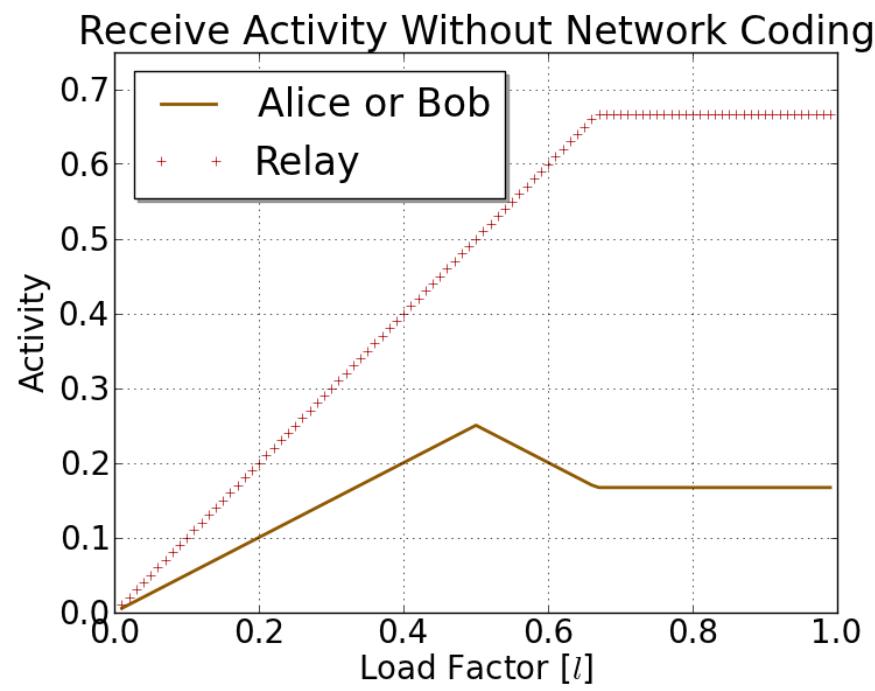
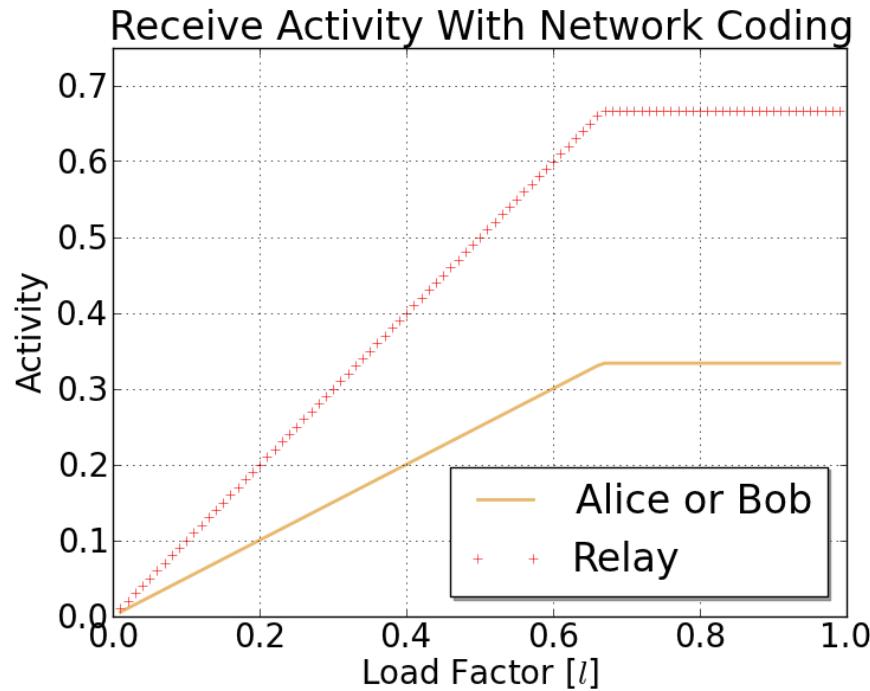
Throughput Model



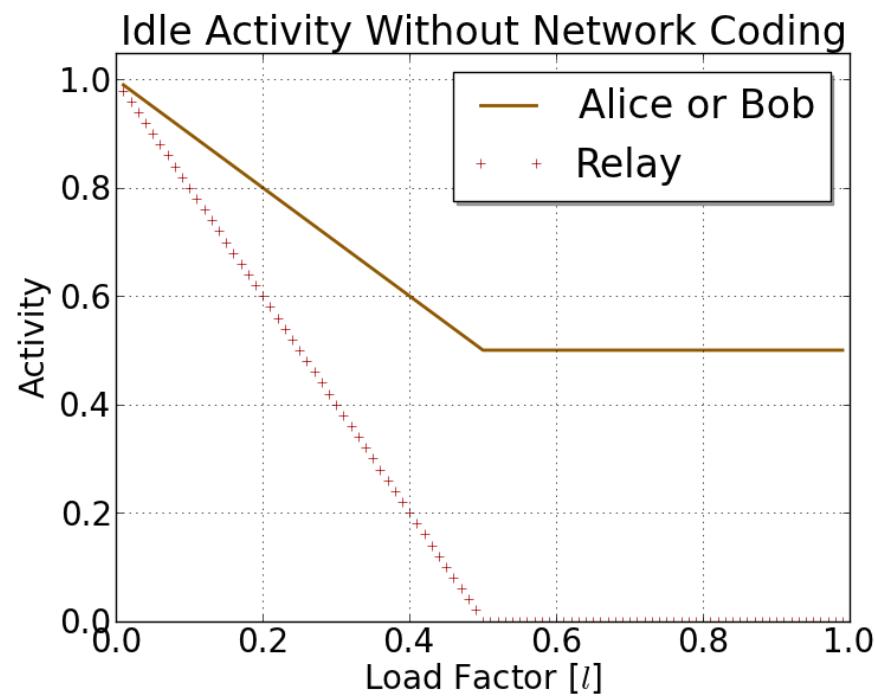
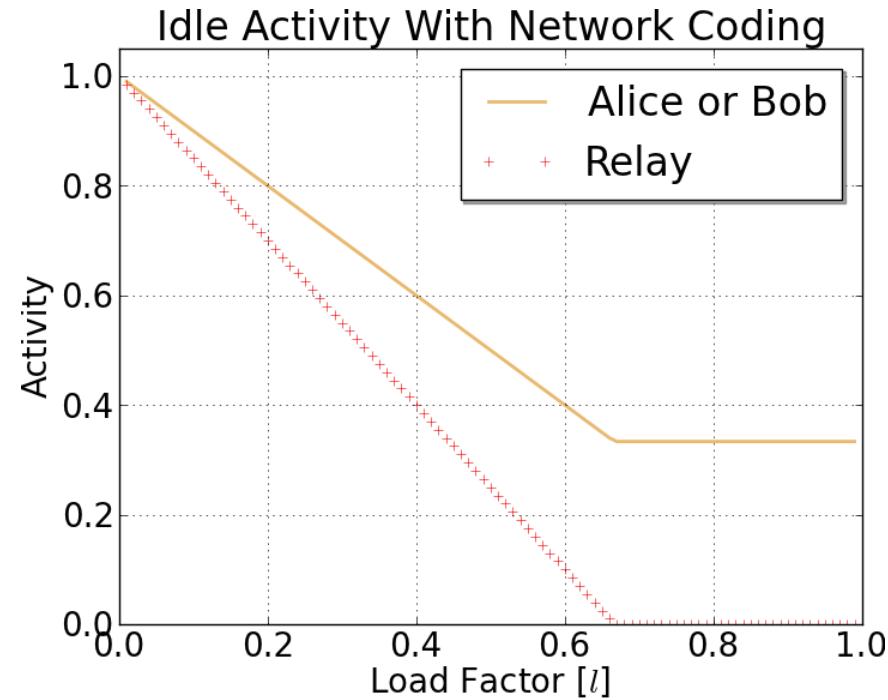
Send Activity Model



Receive Activity Model



Idle Activity Model



Activity Model

		Phase	I	II	III
		Load $[l]$	0-0.5	0.5-0.6	0.6-1.0
Send $[\alpha_s]$	WoNC	A&B	$\frac{1}{2}l$	$\frac{1}{2}l$	$\frac{1}{3}$
		R	l	$1-l$	$\frac{1}{3}$
	NC	A&B	$\frac{1}{2}l$	$\frac{1}{2}l$	$\frac{1}{3}$
		R	$\frac{1}{2}l$	$\frac{1}{2}l$	$\frac{1}{3}$
Receive $[\alpha_r]$	WoNC	A&B	$\frac{1}{2}l$	$\frac{1-l}{2}$	$\frac{1}{6}$
		R	l	l	$\frac{2}{3}$
	NC	A&B	$\frac{1}{2}l$	$\frac{1}{2}l$	$\frac{1}{3}$
		R	l	l	$\frac{2}{3}$

Power Model

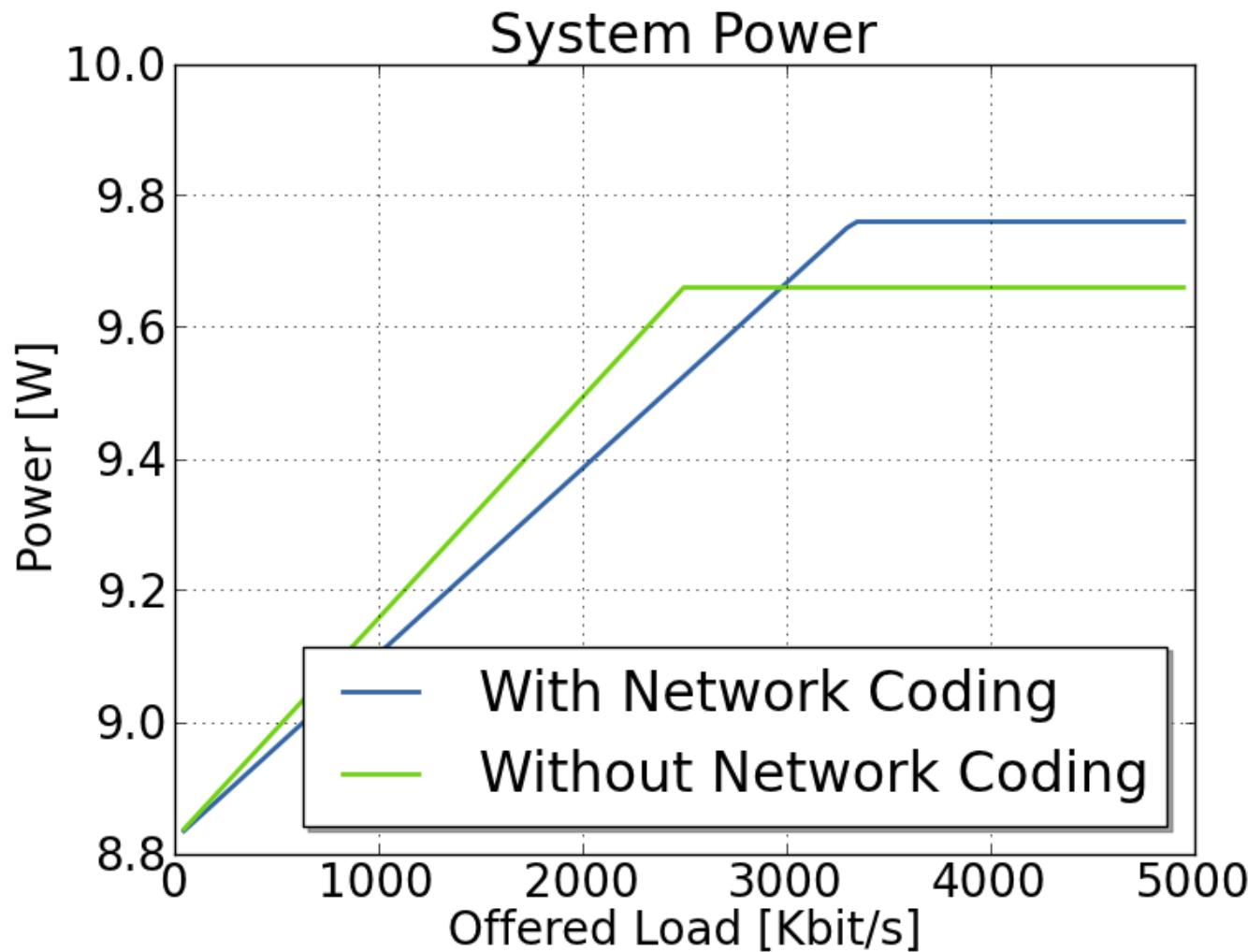
- In order to derive total power we sum up the product of the activity a and power level P of the individual states.

$$P_{total} = P_r * a_r + P_s * a_s + P_i * a_i$$

Power Model

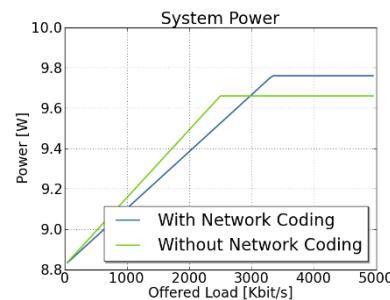
- Out of our measurements for WHITEBOX we derive:
 - Total power level sending: $P_{\text{send}} = 3.48 \text{ W}$
 - Total power level receiving: $P_{\text{send}} = 3.24 \text{ W}$
 - Total power level idle: $P_{\text{send}} = 2.94 \text{ W}$
- Later we assume a maximum capacity of the channel of 4.9 Mbit/s

Power Rate Model

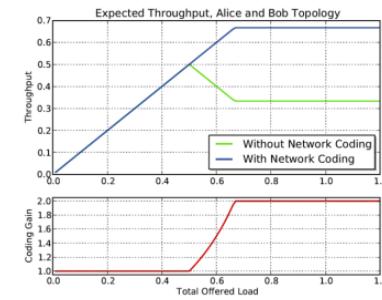


Energy Model

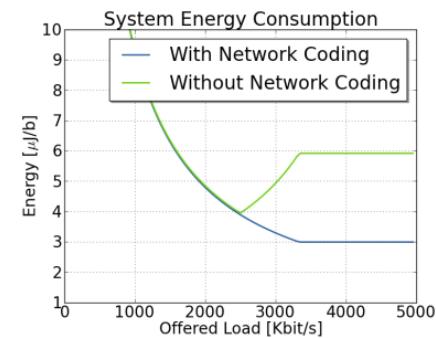
- $Energy = Power * Time$
- $Energy \text{ per bit} = \frac{Power}{Throughput} = \frac{Joule}{bit}$



:



=



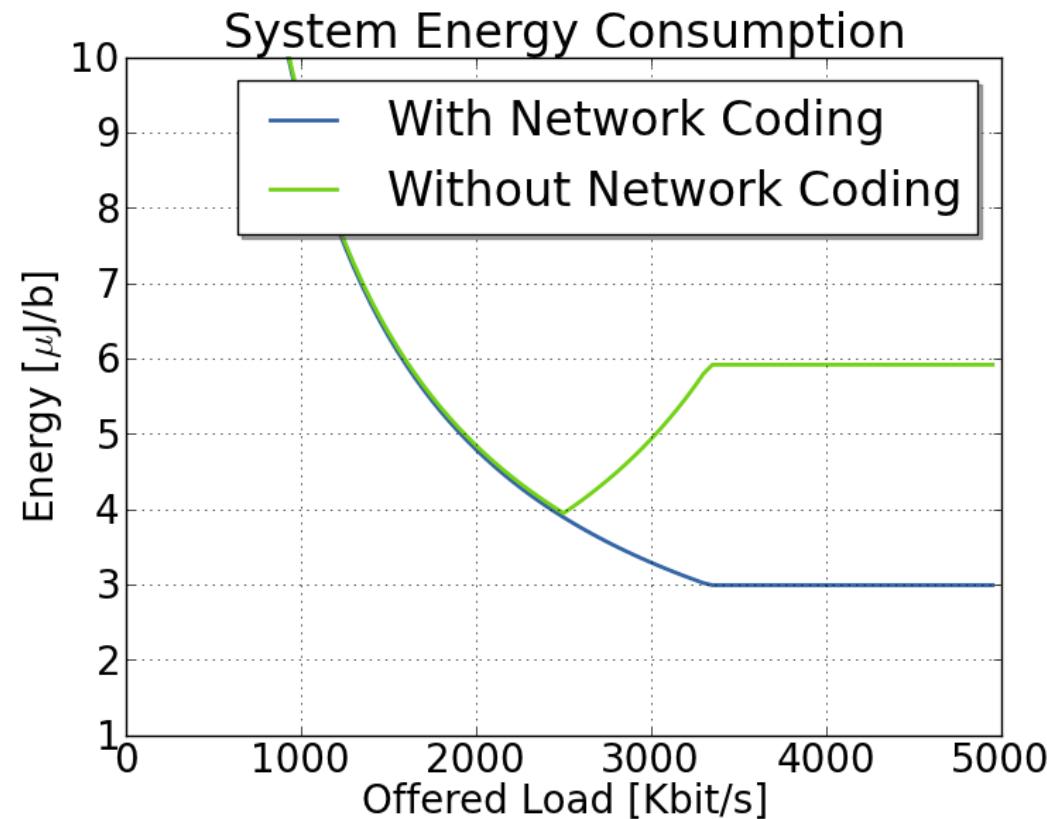
power

throughput

energy/bit

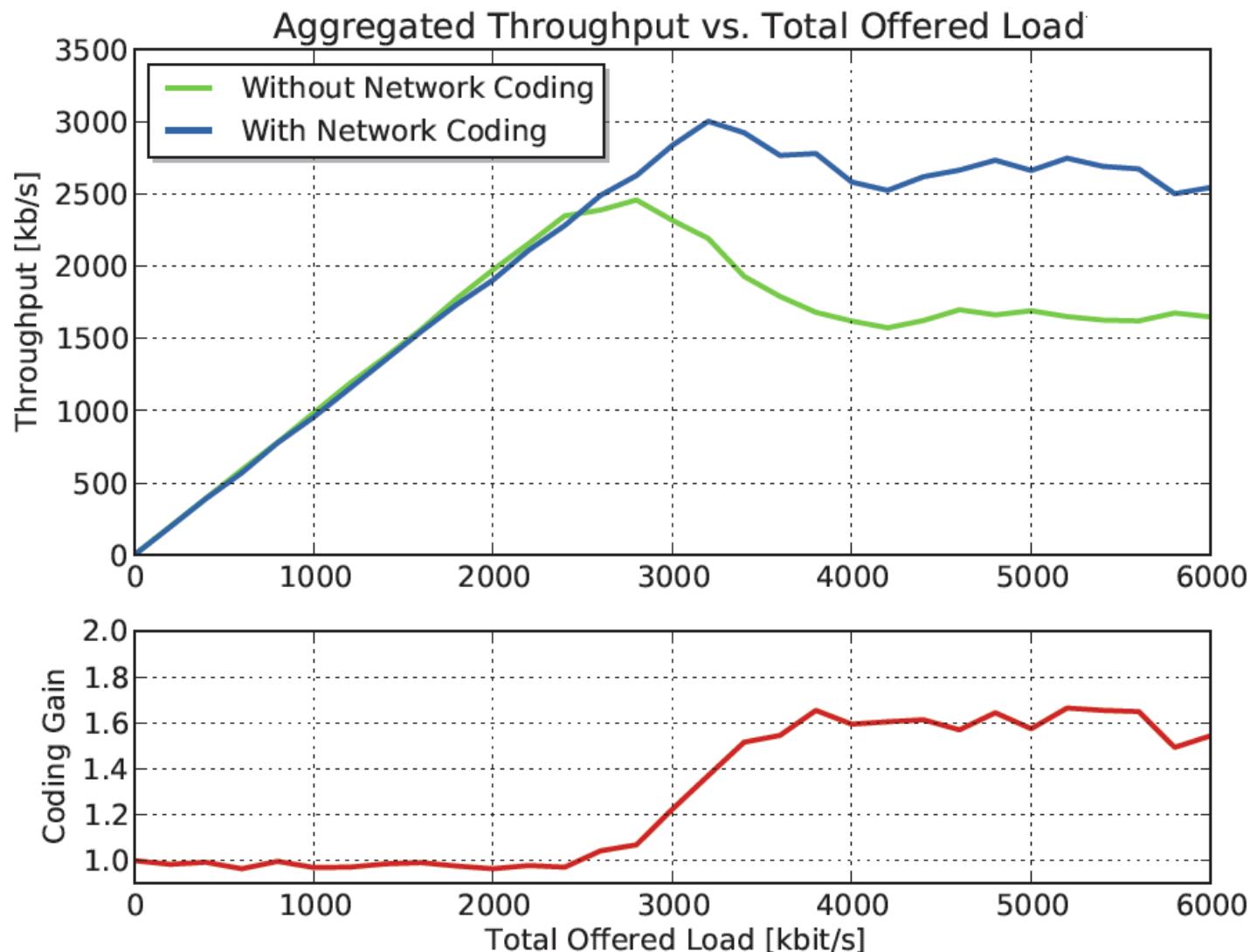
Energy Model

- $Energy \text{ per bit} = \frac{Power}{Throughput} = \frac{Joule}{bit}$

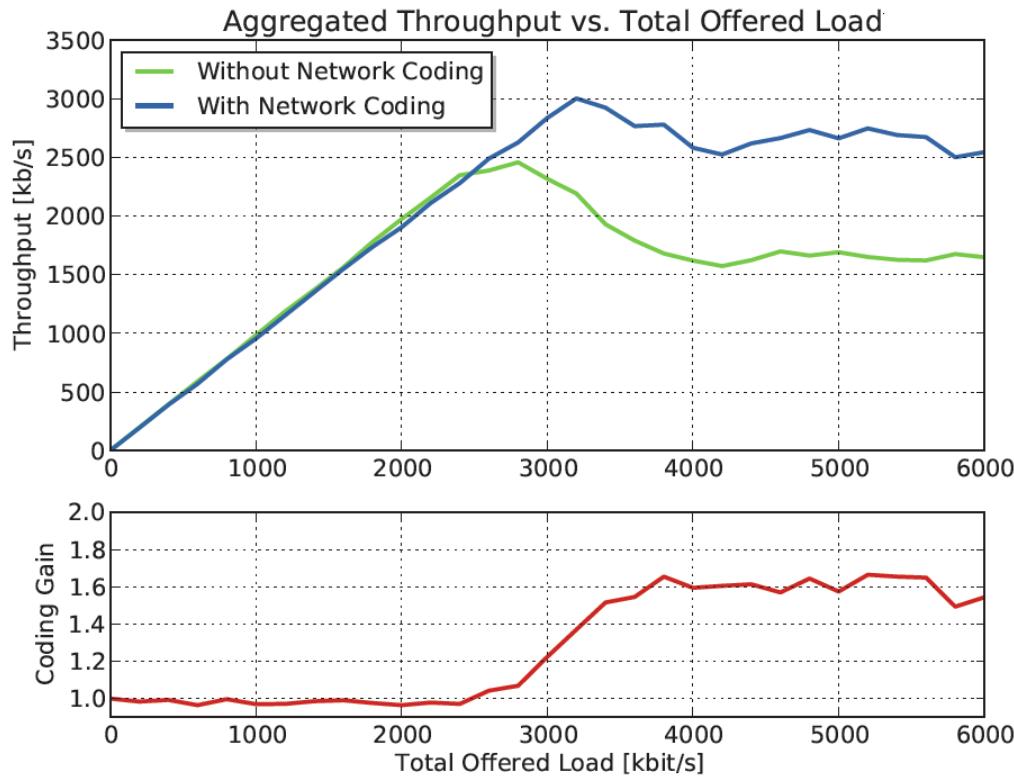


CATWOMAN Measurement Results

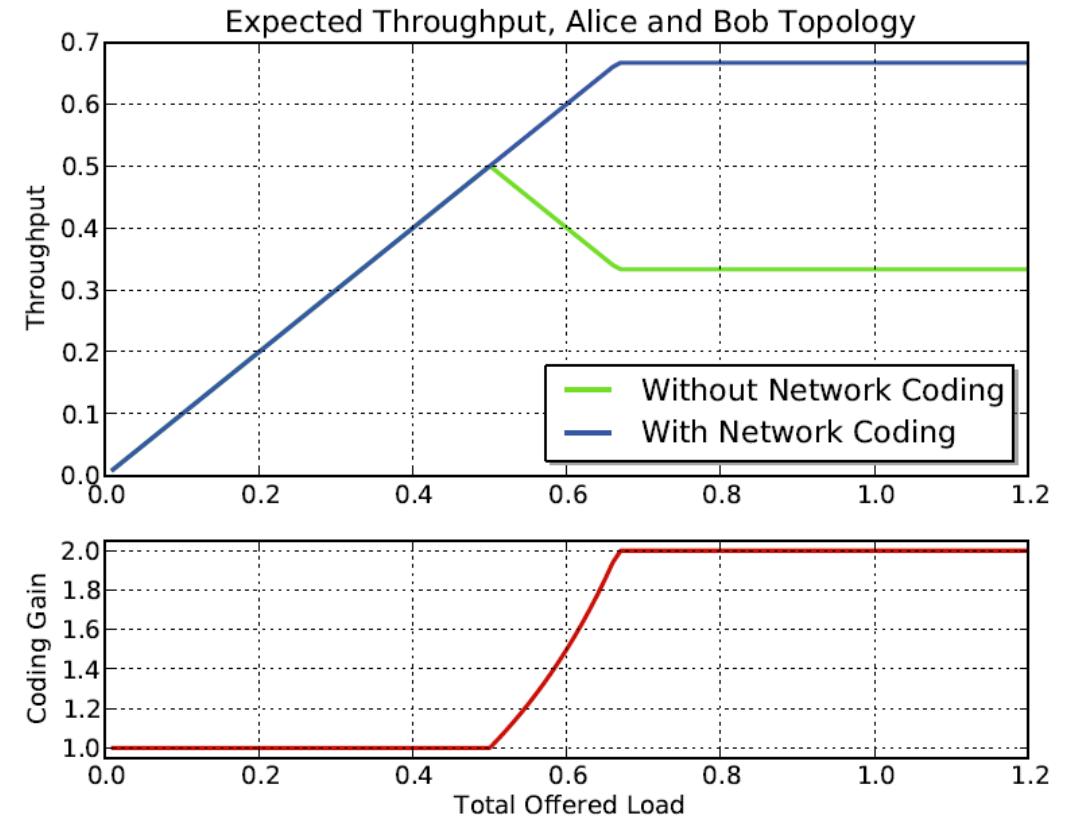
CATWOMAN: Results



Measurements



Analytical work

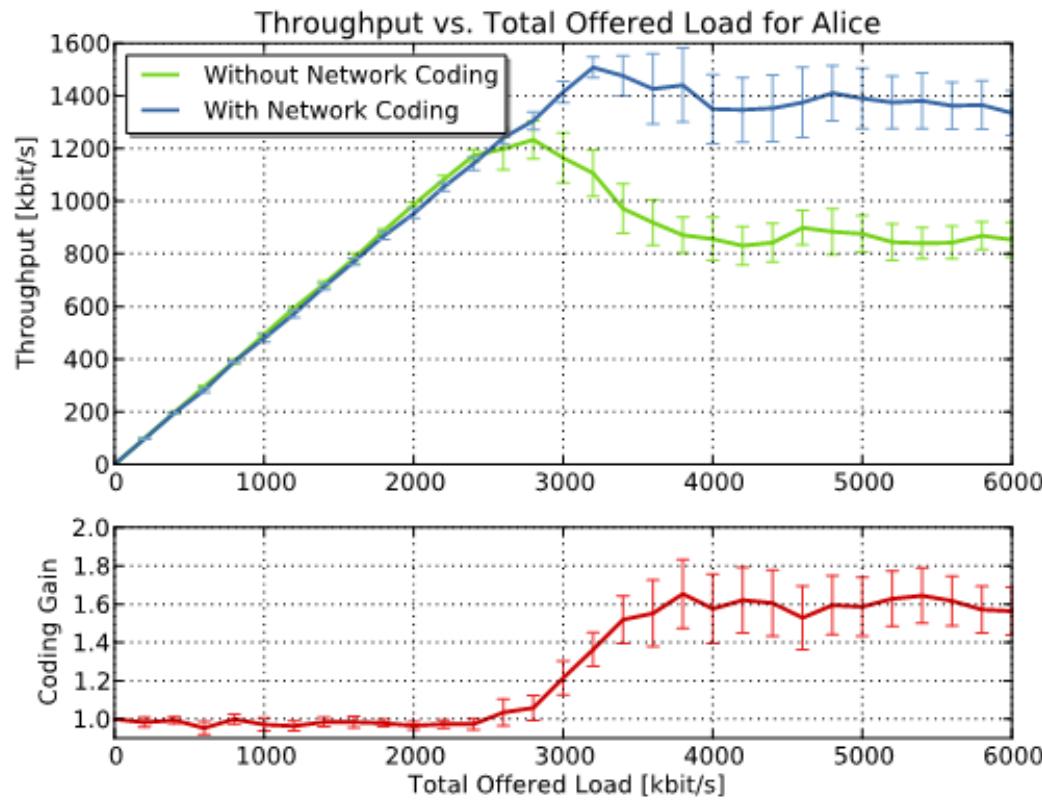


Discussion

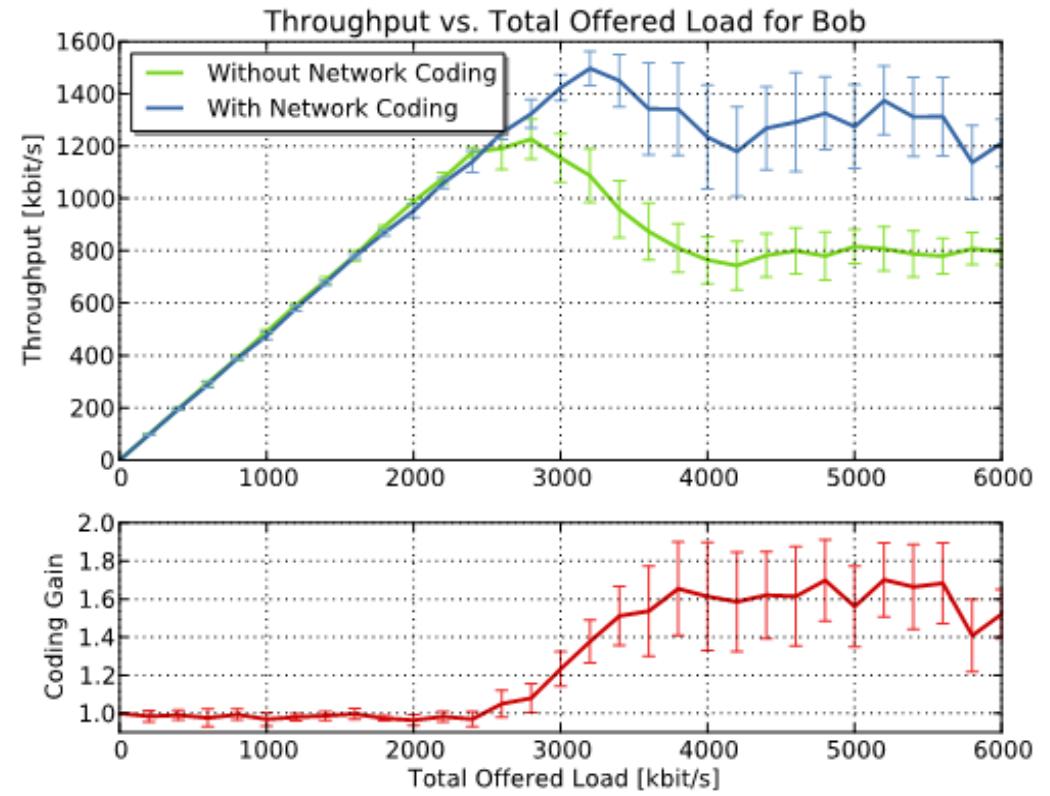
- Results fit nicely
- But
 - The coding gain is with 1.6 lower than expected with 2.0
 - The throughput of NC is not stable after reaching its maximum
- Why?

CATWOMAN: Results

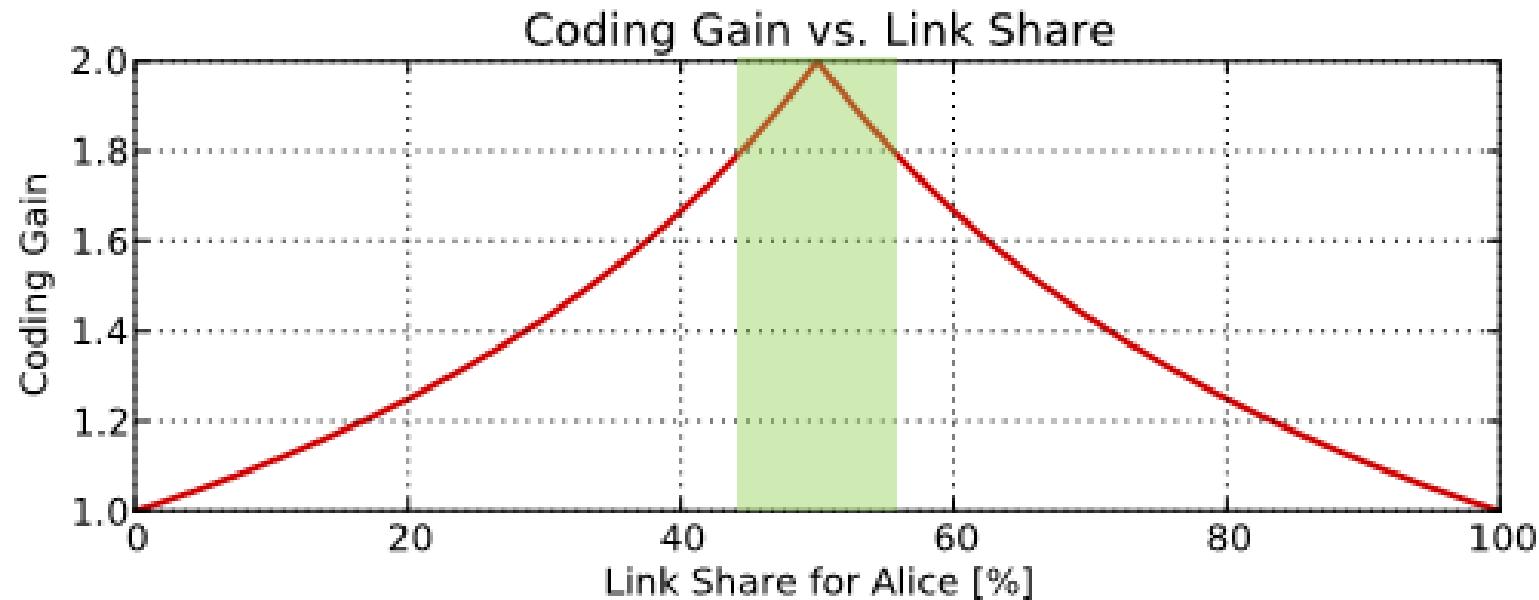
Alice



Bob

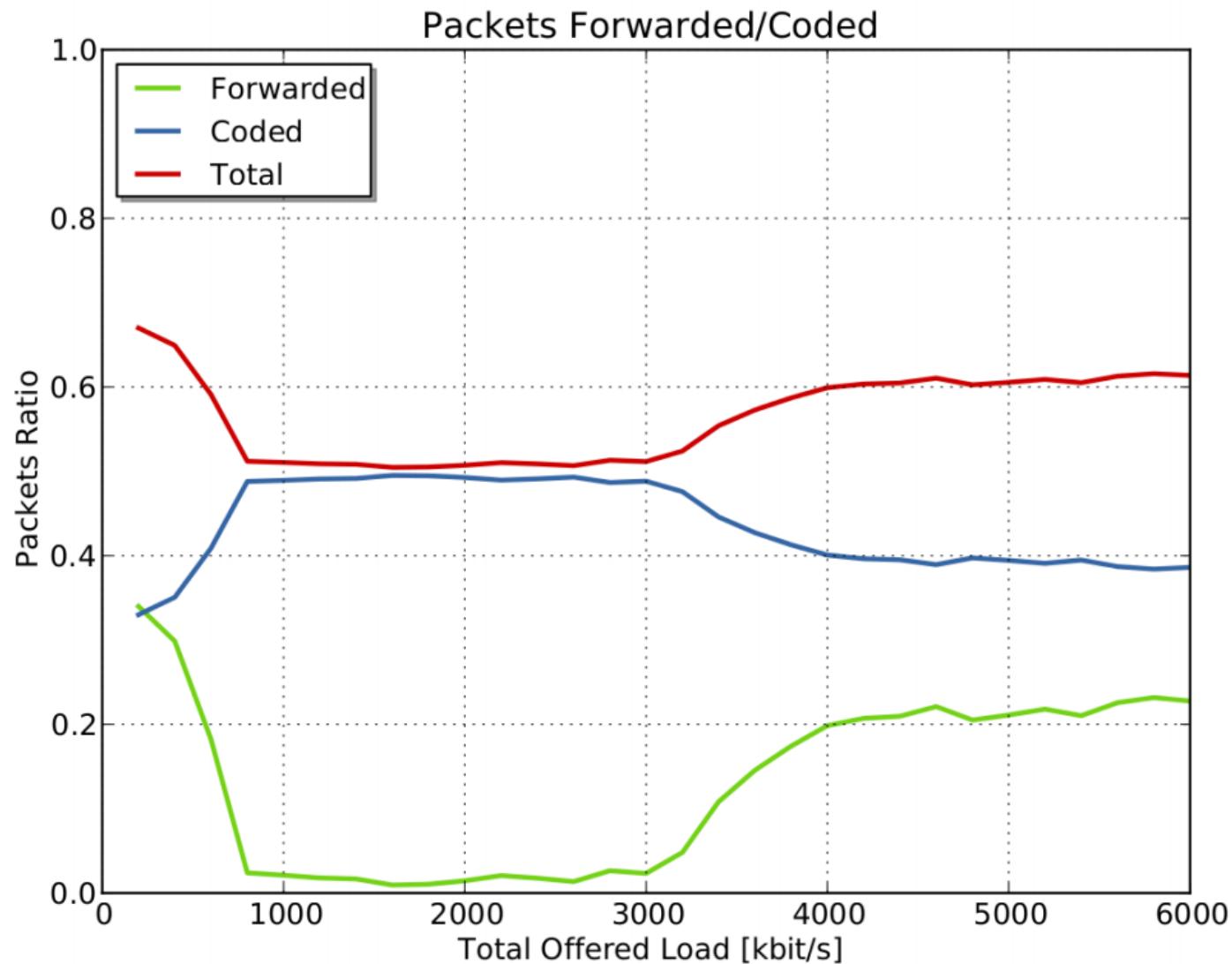


CATWOMAN: Results

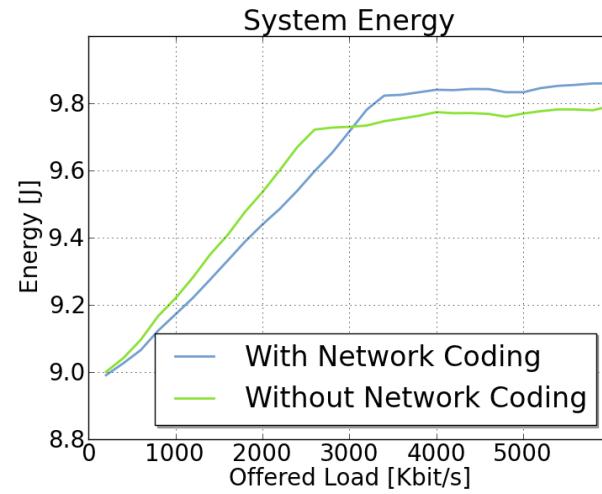


$$\begin{aligned}
 g_C &= \frac{N}{N \cdot x + N((1-x) - x)} = \\
 &\frac{1}{1-x}, \quad 0 \leq x \leq 0.5.
 \end{aligned}$$

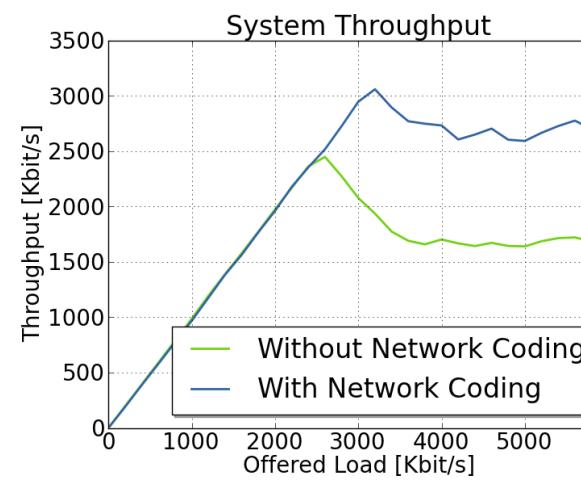
CATWOMAN: Results



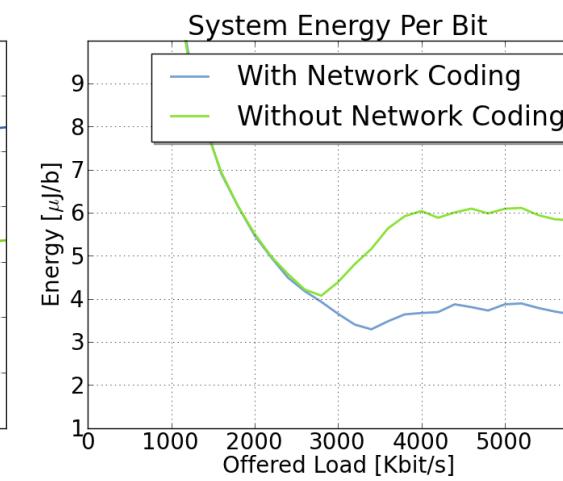
First Measurement Result



power

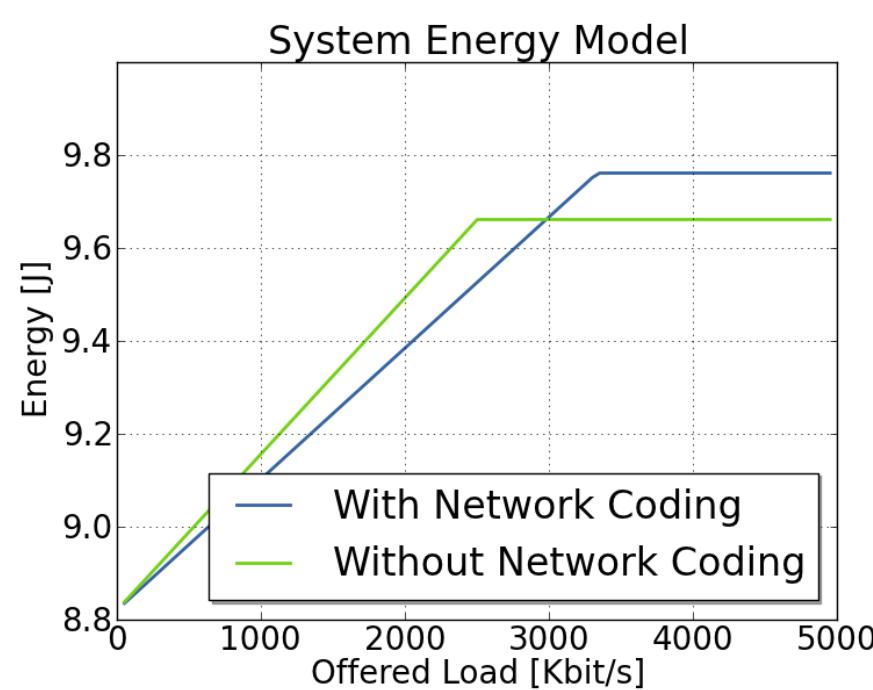
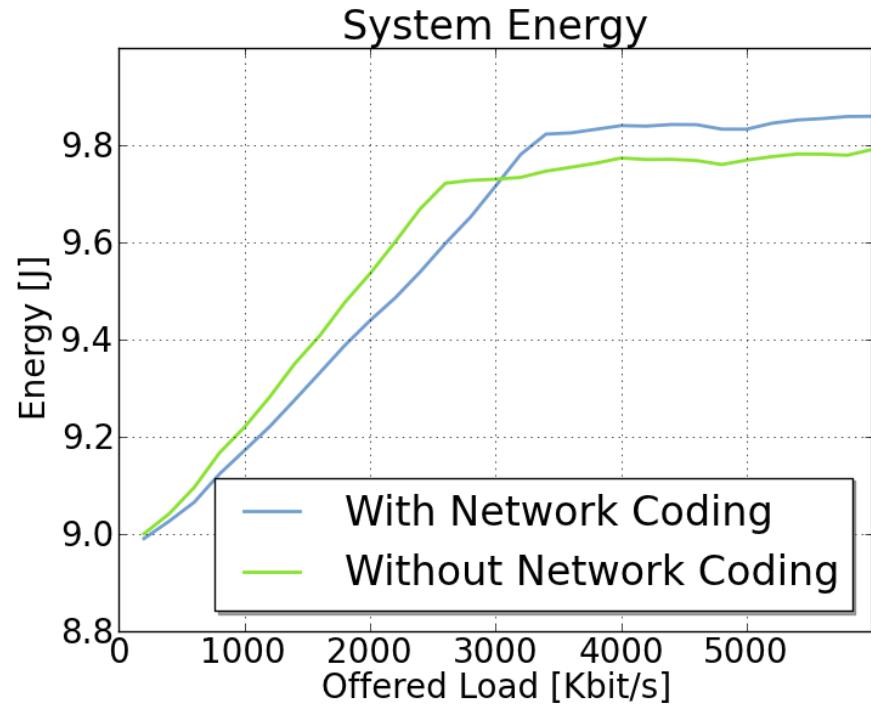


throughput

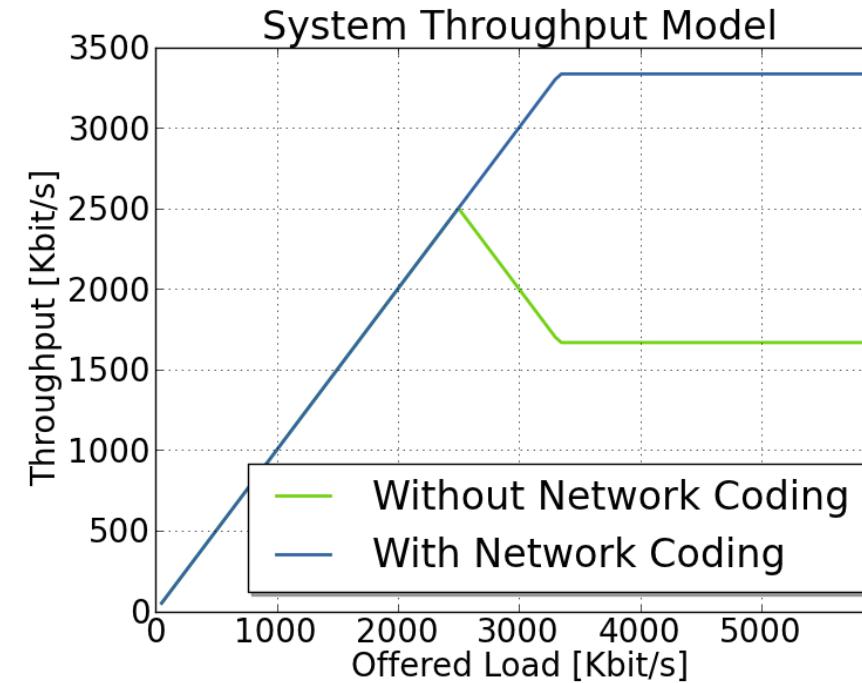
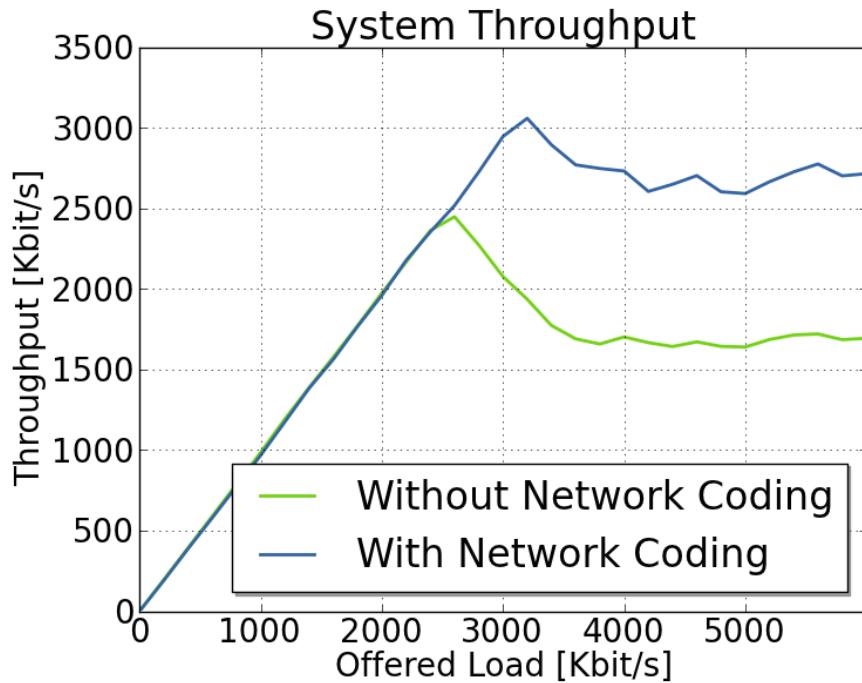


energy/bit

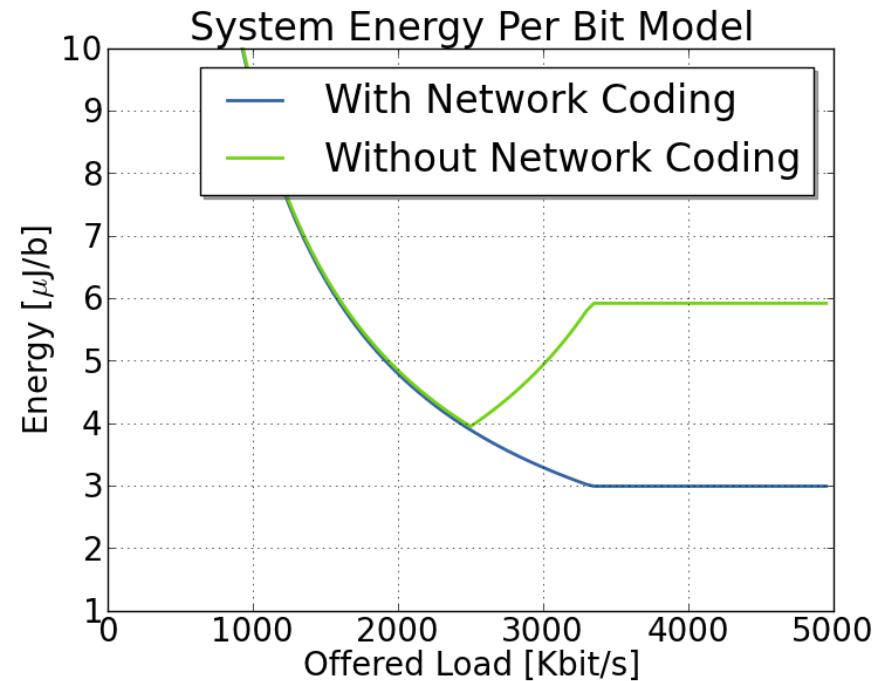
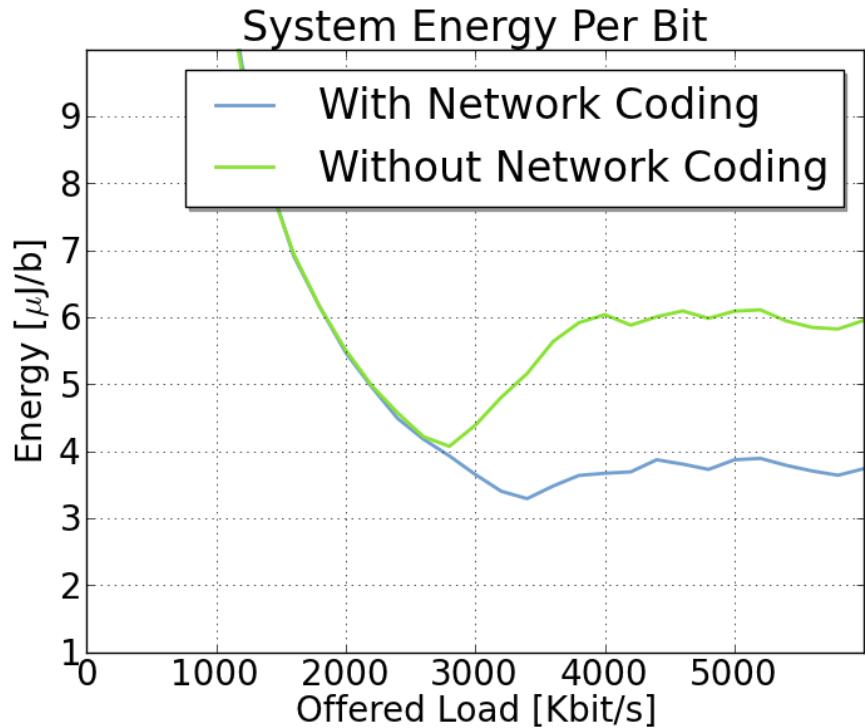
Comparion: Energy



Comparion: Throughput



Comparion: Energy Per Bit



Model for Alice and Bob (symmetric TRAFFIC)

General Note

- Figure organization:

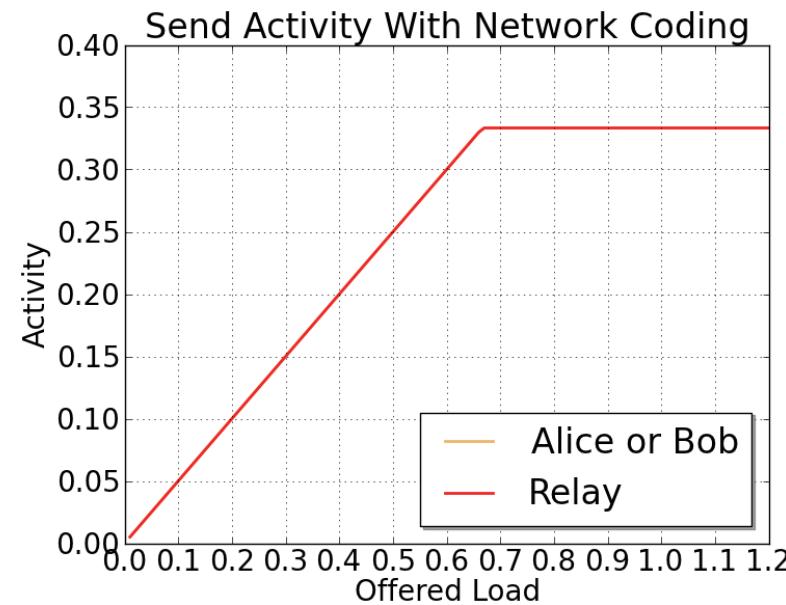
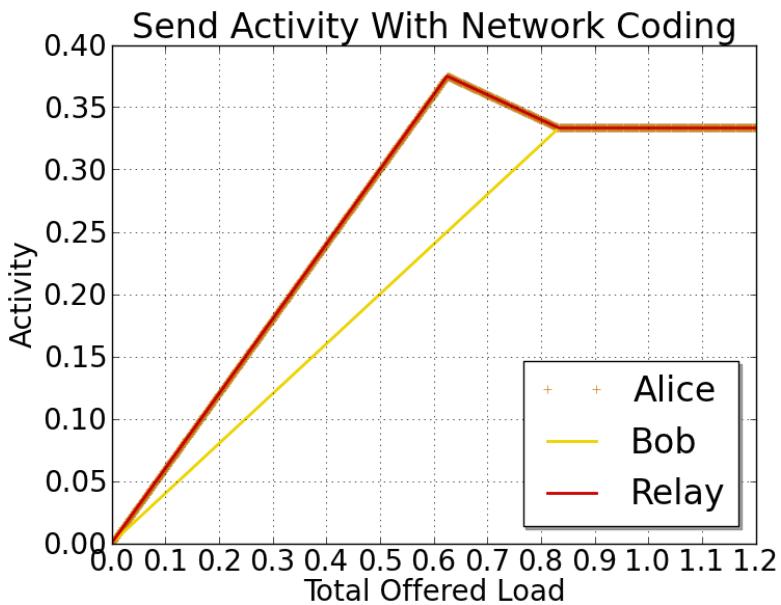
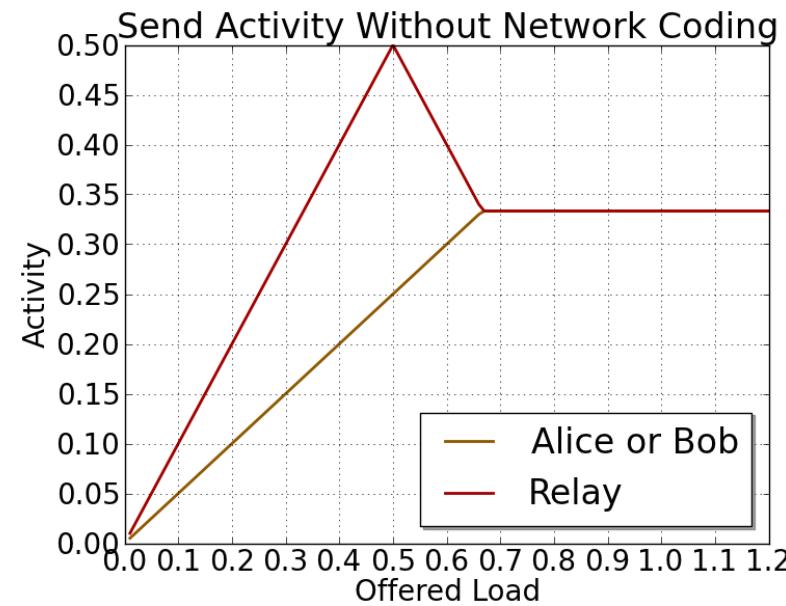
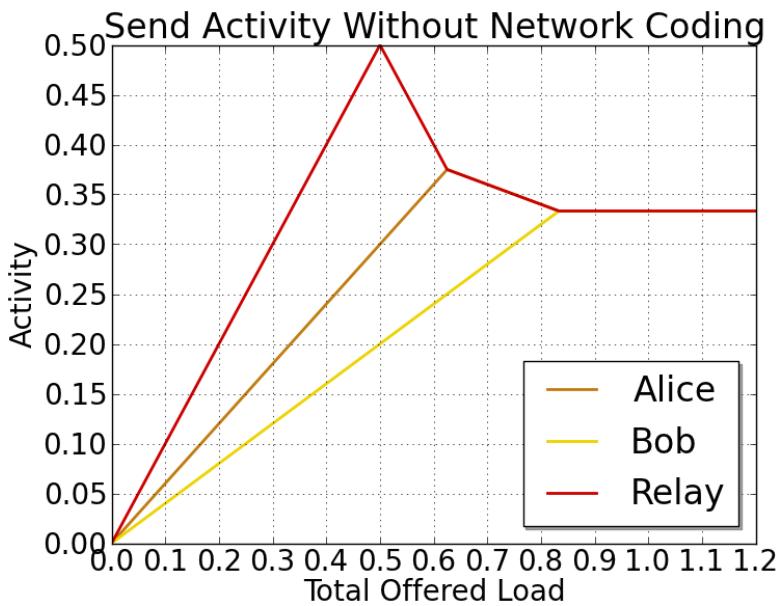
First column is Asym.

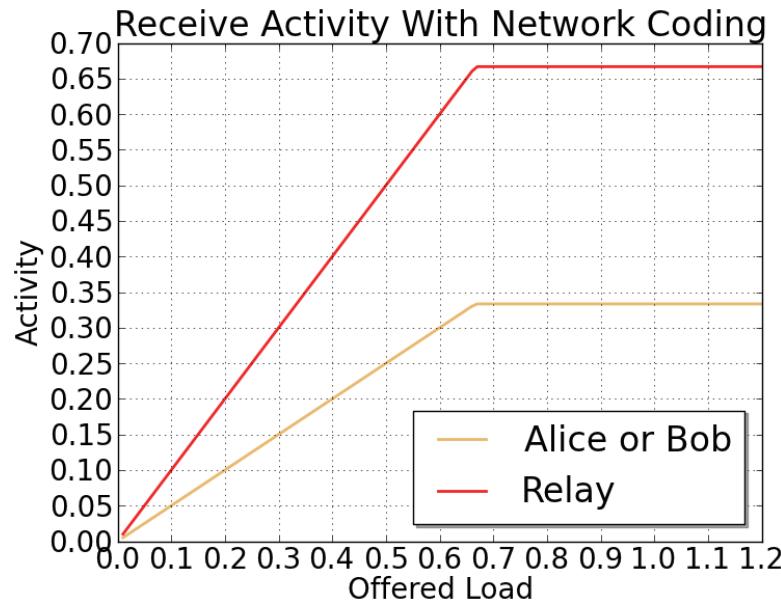
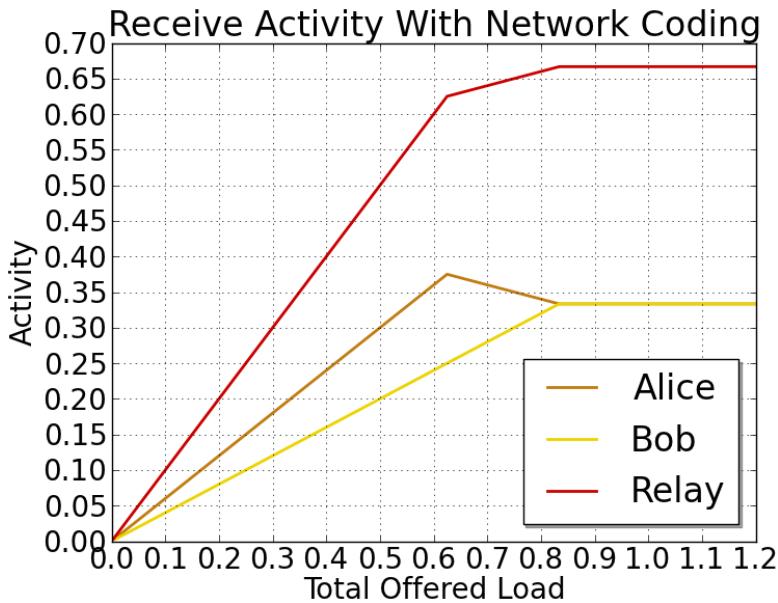
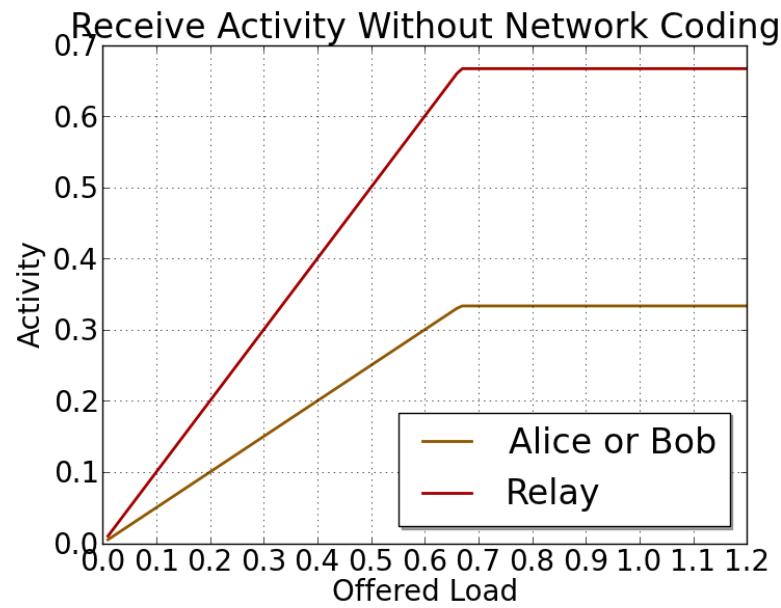
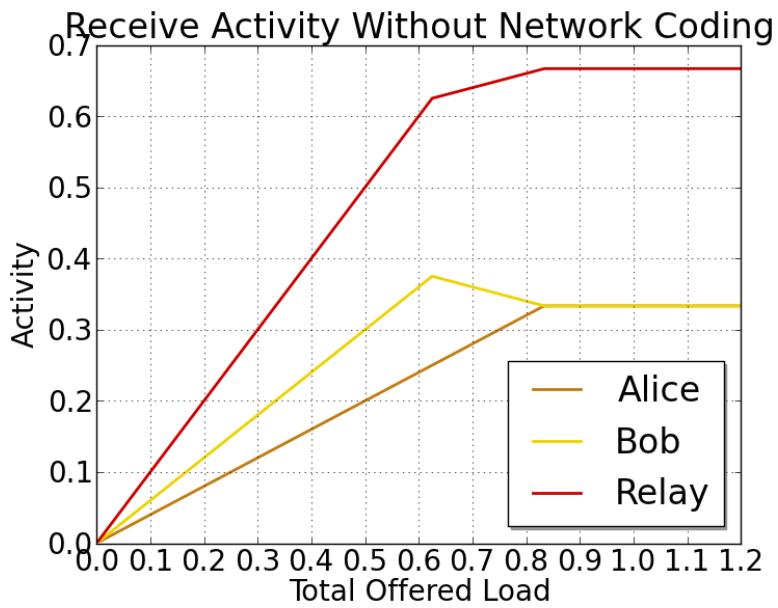


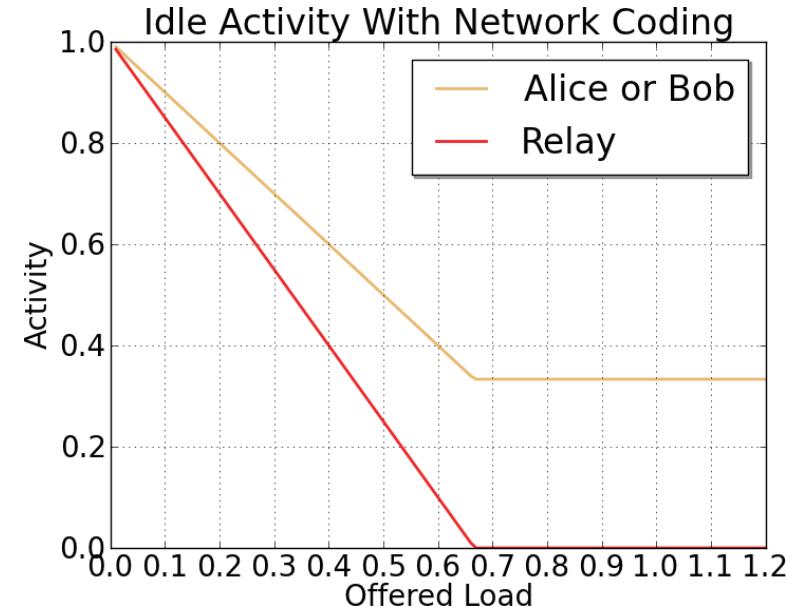
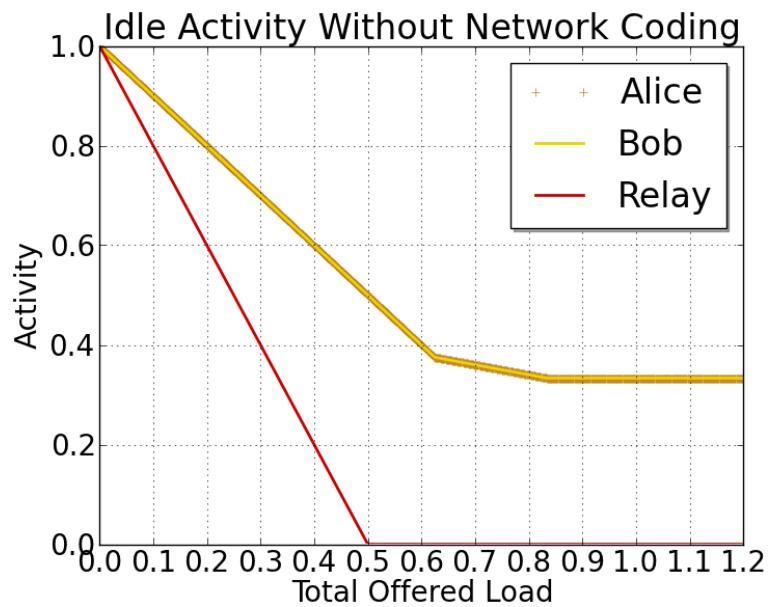
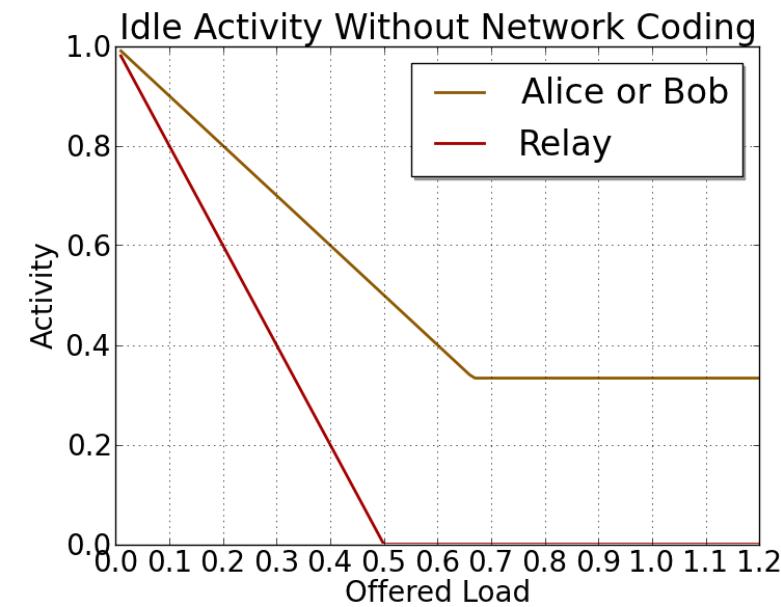
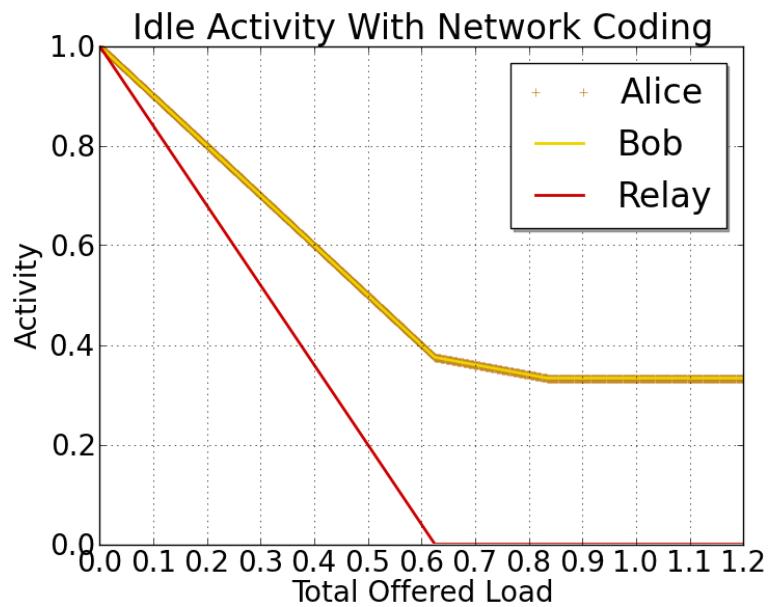
First row is without NC.

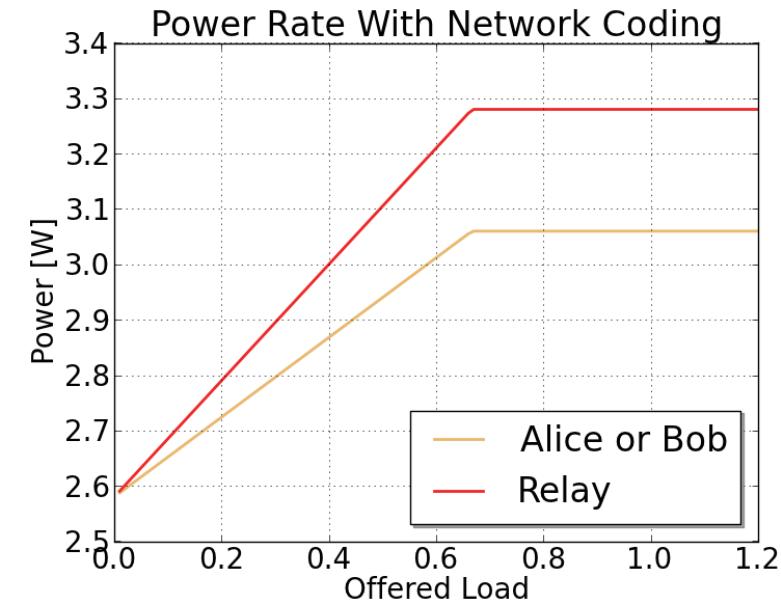
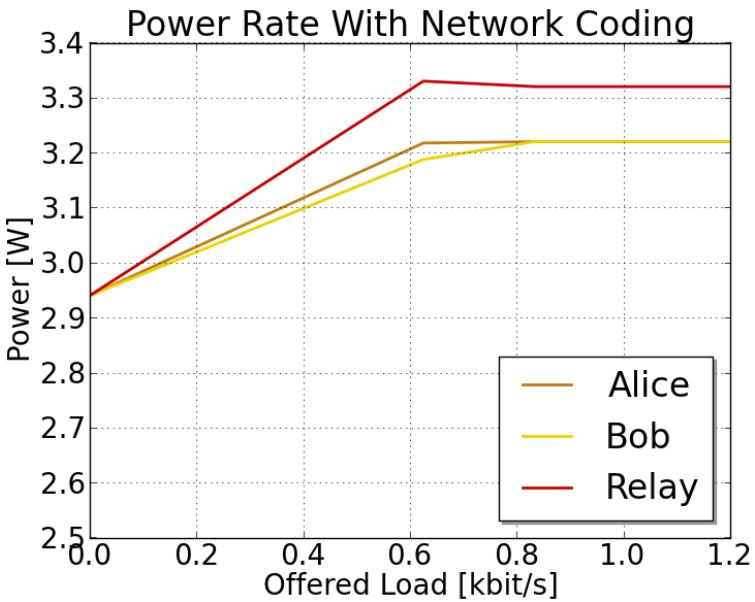
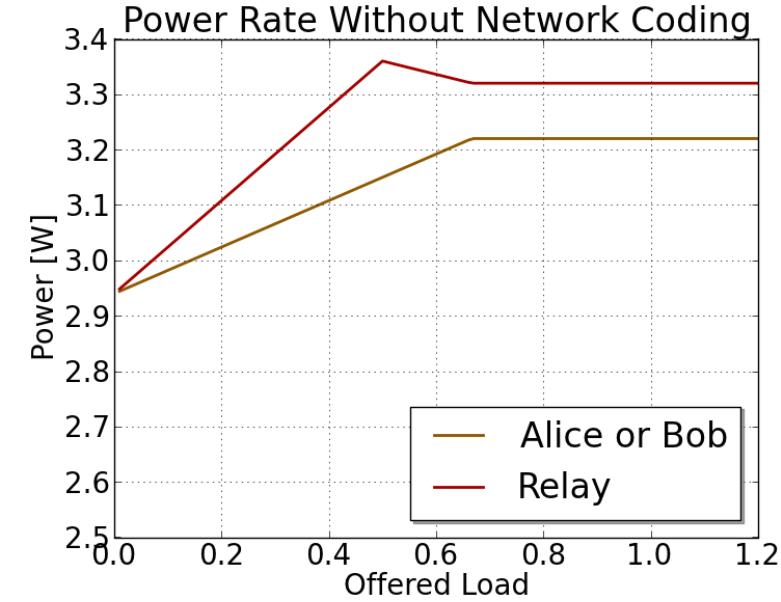
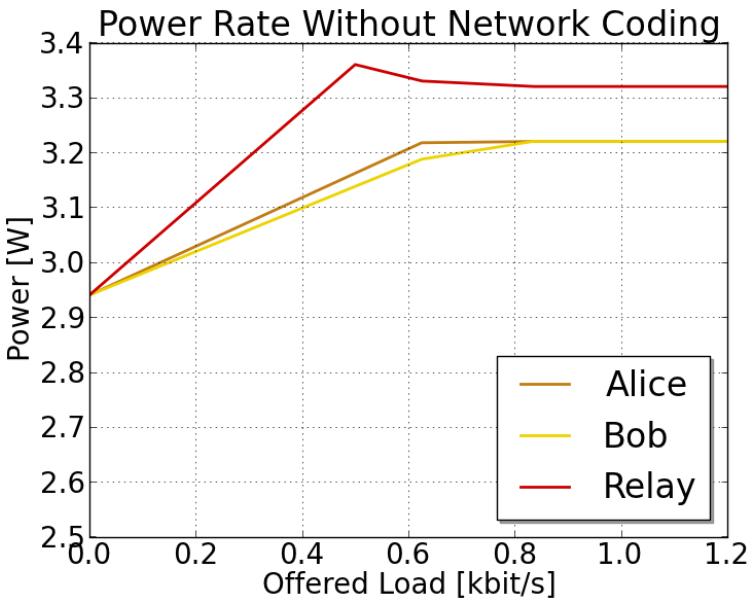


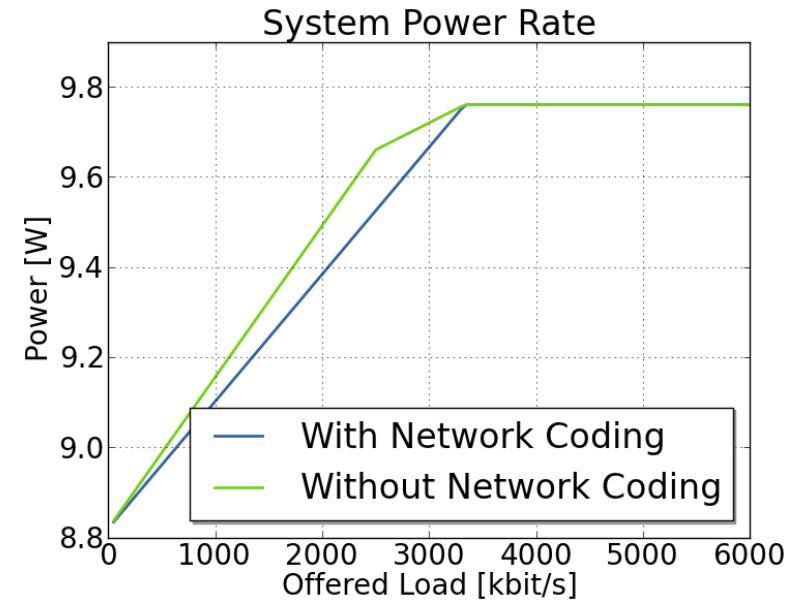
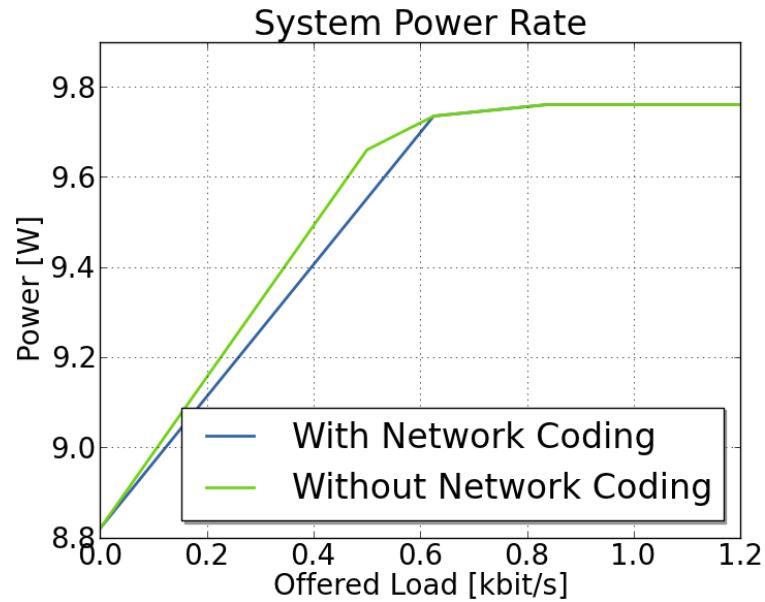
- Asymmetric with link share of 60%(A)/40%(B)







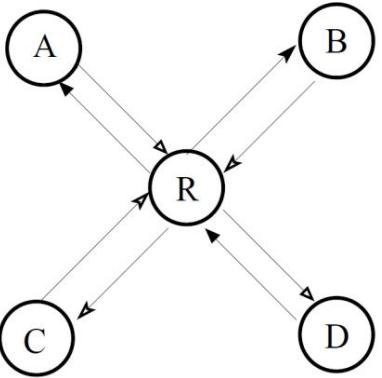




Model for THE CROSS (symmetric TRAFFIC)

Cross Forwarding

pure relaying

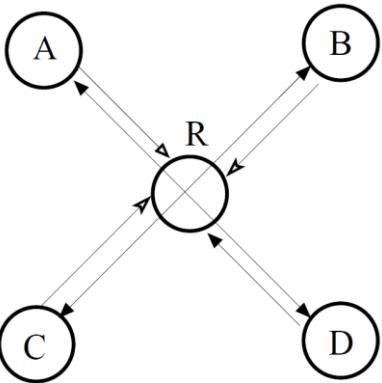


R	r	r	r	r	s	s	s	s	R	r	r	r	r	s
A	s	i	i	i	r	i	i	i	A	s	i	i	i	r
B	i	s	i	i	i	r	i	i	B	i	s	i	i	i
C	i	i	s	i	i	i	r	i	C	i	i	s	i	i
D	i	i	i	s	i	i	i	r	D	i	i	i	s	i

- Whatever goes into the relay has to be forwarded.
- What to do if there is not enough capacity?

XOR Network Coding

NC w/o overhearing



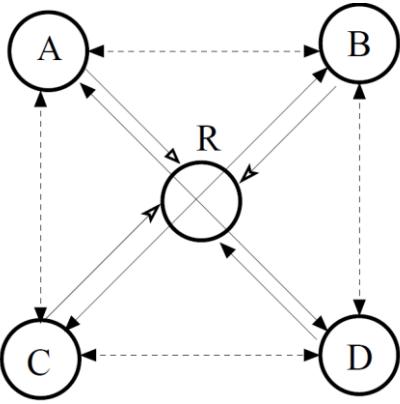
R	r	r	r	r	s	s
A	s	i	i	i	r	i
B	i	s	i	i	i	r
C	i	i	s	i	i	r
D	i	i	i	s	r	i

R	r	r	r	r	s	
A	s	i	i	i	r	
B	i	s	i	i	i	
C	i	i	s	i	i	
D	i	i	i	s	r	

- Each out node sends to the relay
- And for each pair the relay sends out one coded packet

XOR Network Coding with overhearing

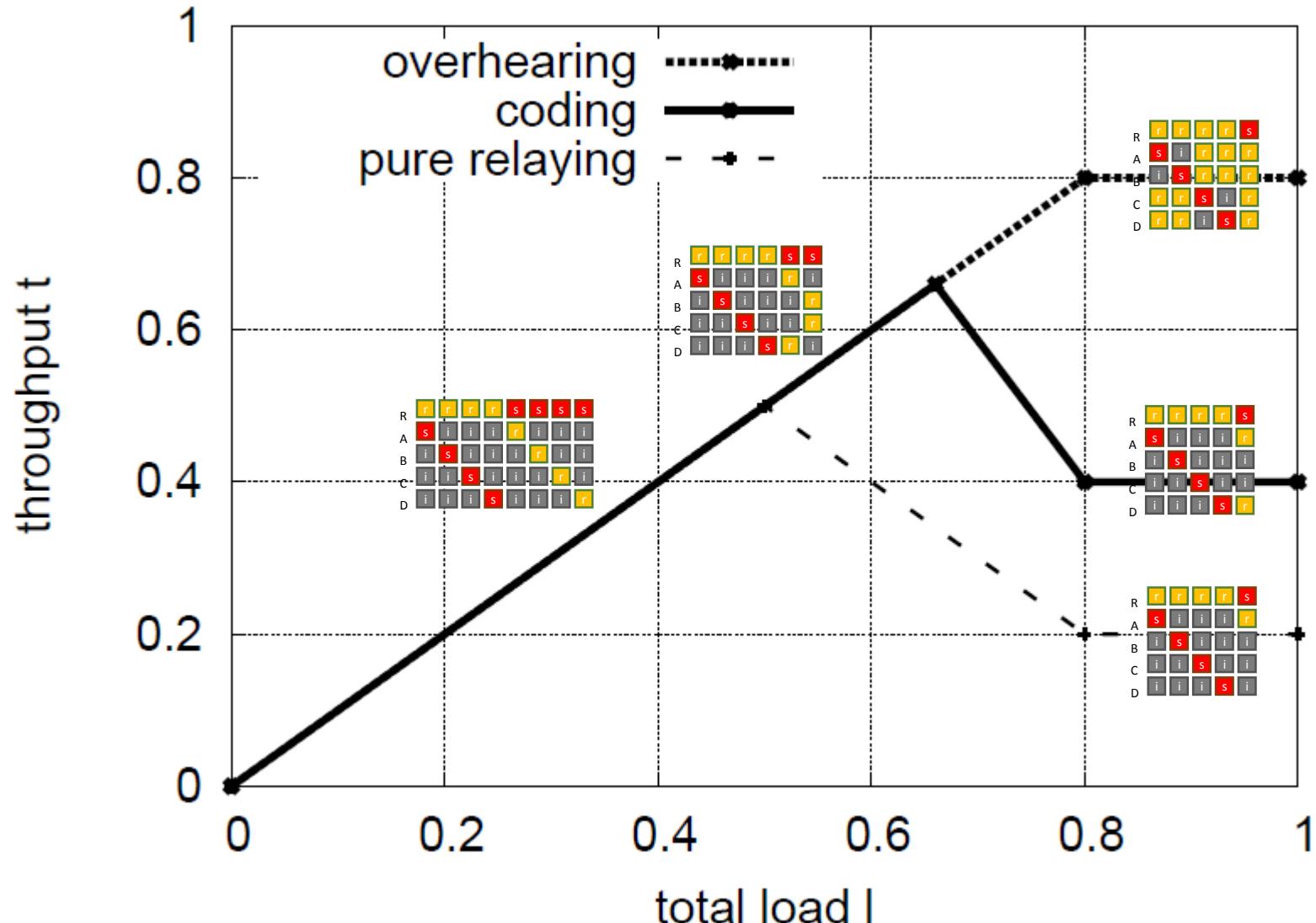
NC with overhearing



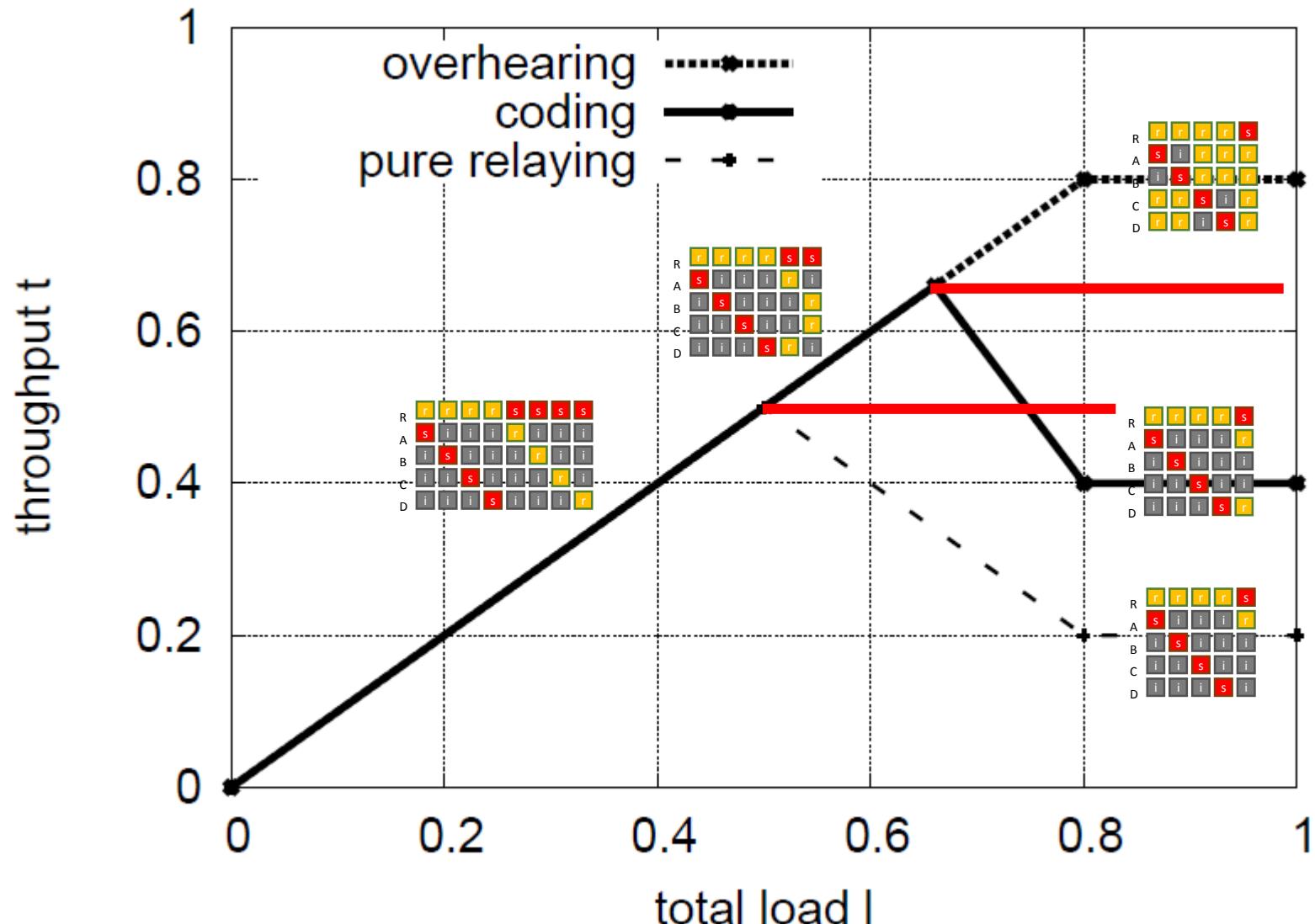
R	r	r	r	r	s
A	s	r	r	i	r
B	r	s	i	r	r
C	r	i	s	r	r
D	i	r	r	s	r

- Each outer node sends a packet to the relay
- Each outer node will overhear two packets from neighboring nodes
- Relay sends out one full coded packet

Cross Throughput

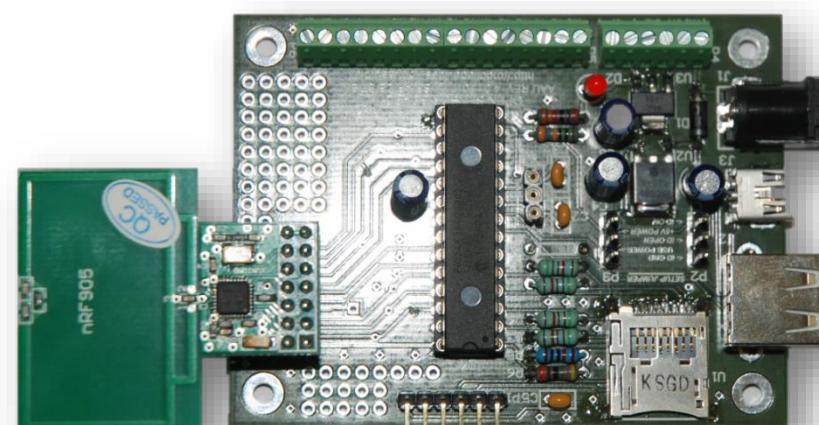
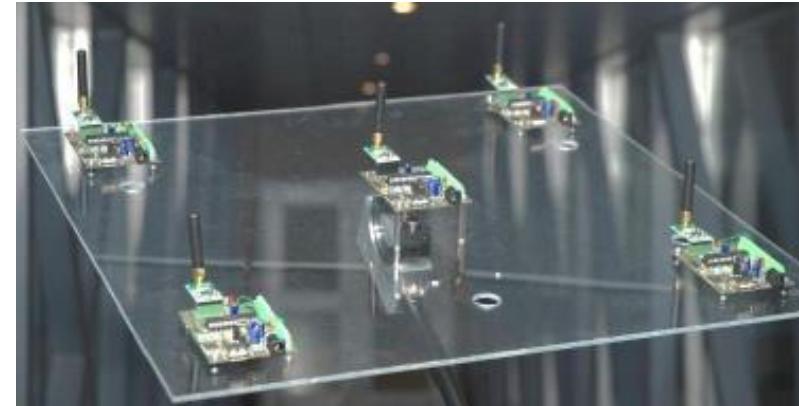


Cross Throughput



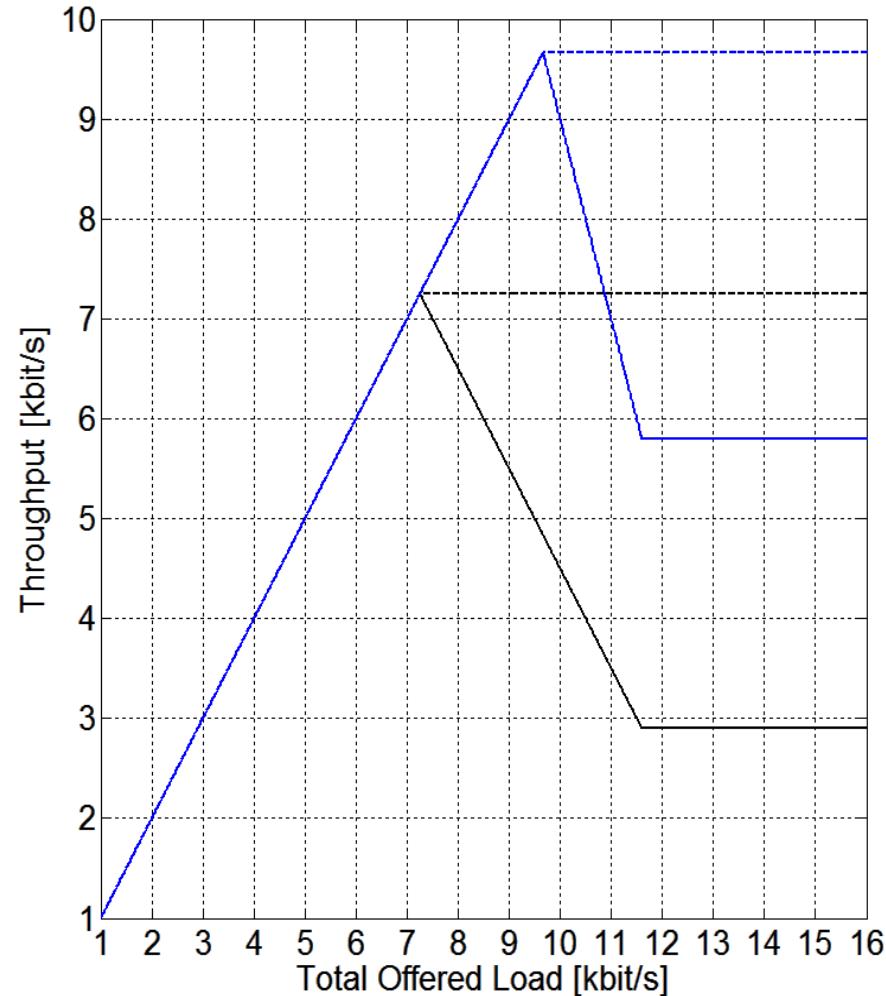
The Cross (MAC)

- Hardware
 - 16bit PIC24 microprocessor
 - nRF905 transceiver (433 MHz, 50 kbps)
- Software
 - MAC-Protocol: A CSMA/CA design
 - Network Coding: A simple XOR design [COPE06]
- Capability
 - Easy access to the software
 - Full control of both HW and SW

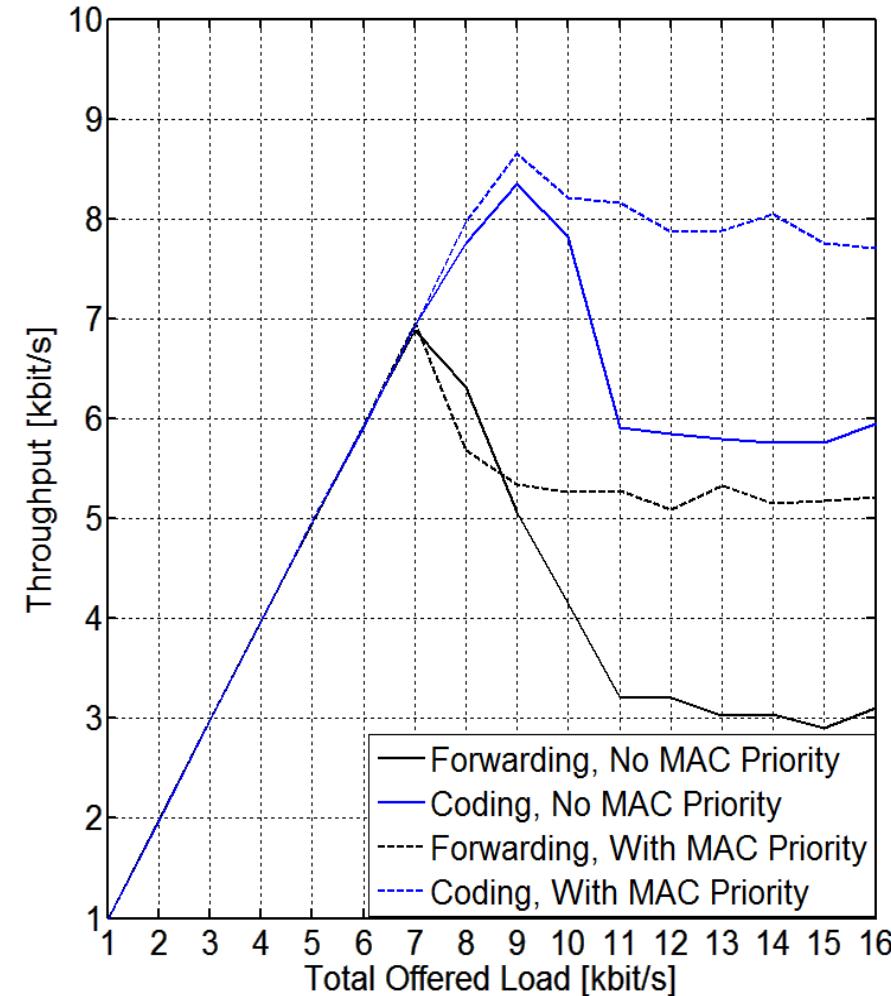


The Cross (MAC) + Priority

Expected



Measurement

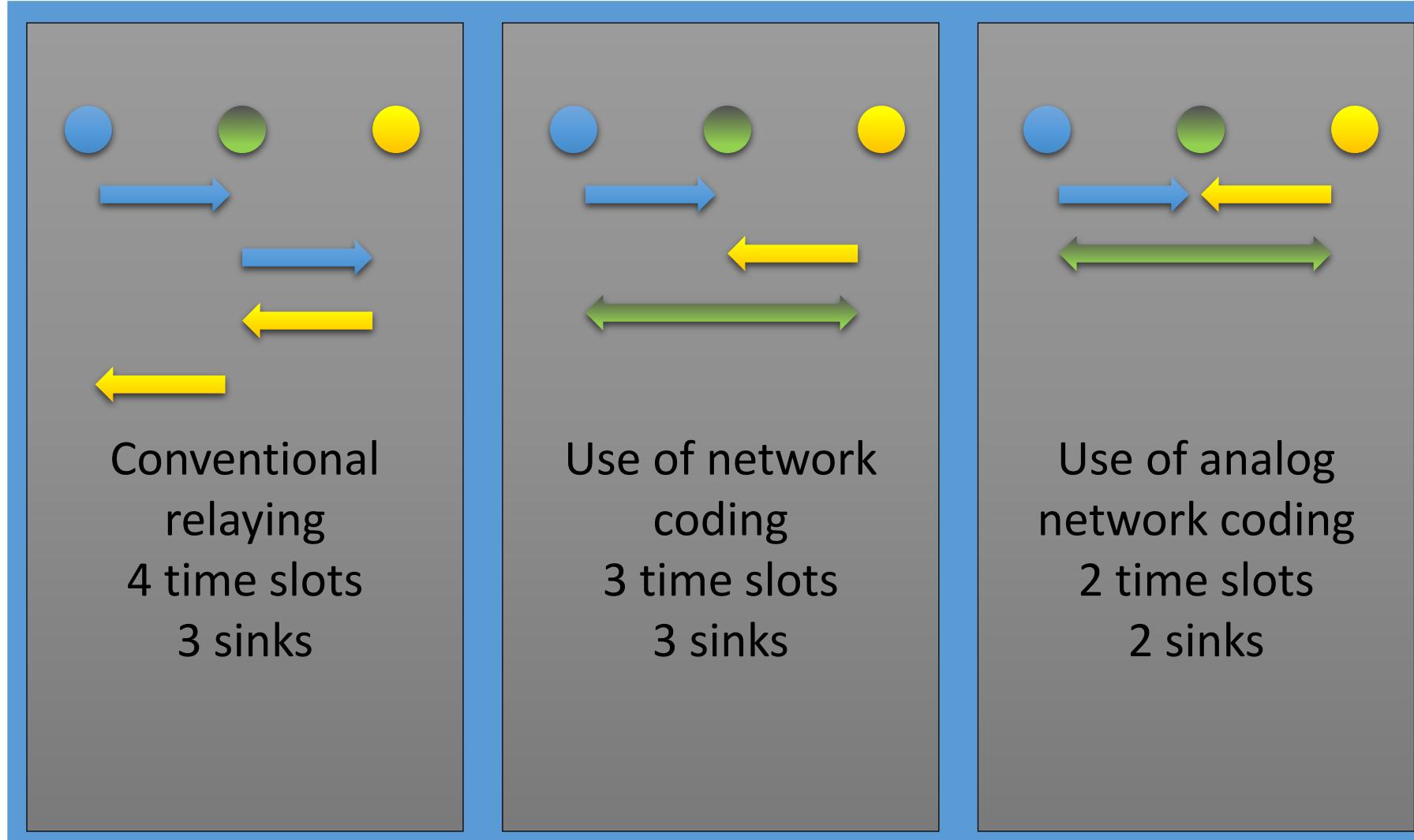


Analog Network Coding

Overview

- So far network coding was done in the packet domain
- Network coding can be applied in any ISO/OSI layer
- Analog and physical network coding is a special case at the physical layer (lowest ISO/OSI layer) coding “symbols”
- Coding symbols is nothing else than a superposition of signals
- Analog network coding breaks with the paradigm to separate signals in time and force “collision” to achieve higher coding gains

Analog Network Coding for Wireless Networks



- Analog network coding seems to be more efficient than digital network coding
- For the two way relay it reduces the number of necessary transmissions to two (three for digital network coding and four for store and forward)
- Advantages
 - Throughput
 - Energy
 - Security (role of the relay differs)

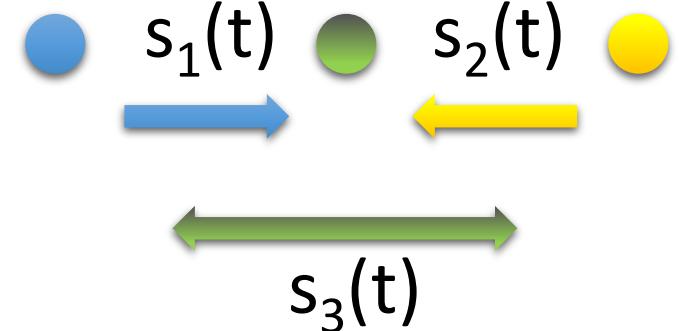
Physical Layer Network Coding

- Presented by [Zhang et al 2006]
- First, simple example: no fading
- Let us look at bandpass signals

$$r_3(t) = s_1(t) + s_2(t) + n(t)$$

$$= [a_1 \cos(\omega t) + b_1 \sin(\omega t)] + [a_2 \cos(\omega t) + b_2 \sin(\omega t)] + n(t)$$

$$= (a_1 + a_2) \cos(\omega t) + (b_1 + b_2) \sin(\omega t) + n(t)$$



- How to generate $s_3(t)$?

Physical Layer Network Coding

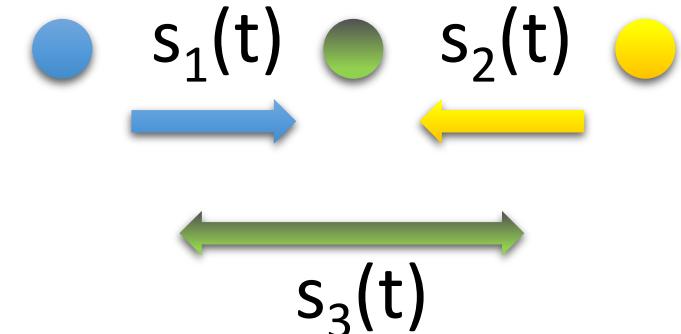
How to generate $s_3(t)$?

- Amplify and forward?
- Decode and forward?

Initial approach: decode and forward

Example with BPSK: say $b_i = 0, a_i \in \{-1, 1\} i=1,2,3$

$$r_3(t) = s_1(t) + s_2(t) + n(t) = (a_1 + a_2) \cos(\omega t) + n(t)$$



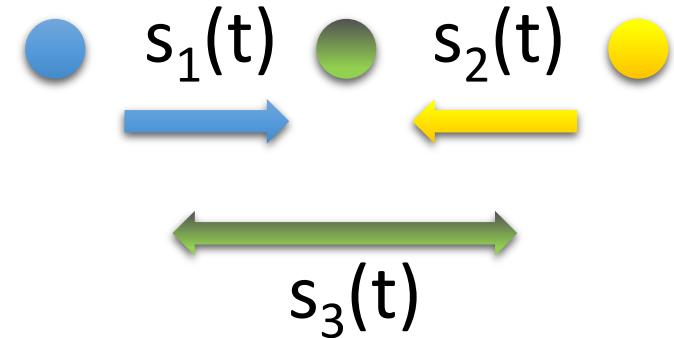
Note that there are 3 possible values of $a_1 + a_2$:

- "-2" and "2" correspond to $a_1 = a_2$
- "0" corresponds to $a_1 = -a_2$

Example with BPSK:

Let us generate $s_3(t)$

(hint: XOR-like operation)



If $a_1 = a_2$, then $a_3 = 1$ (logical')

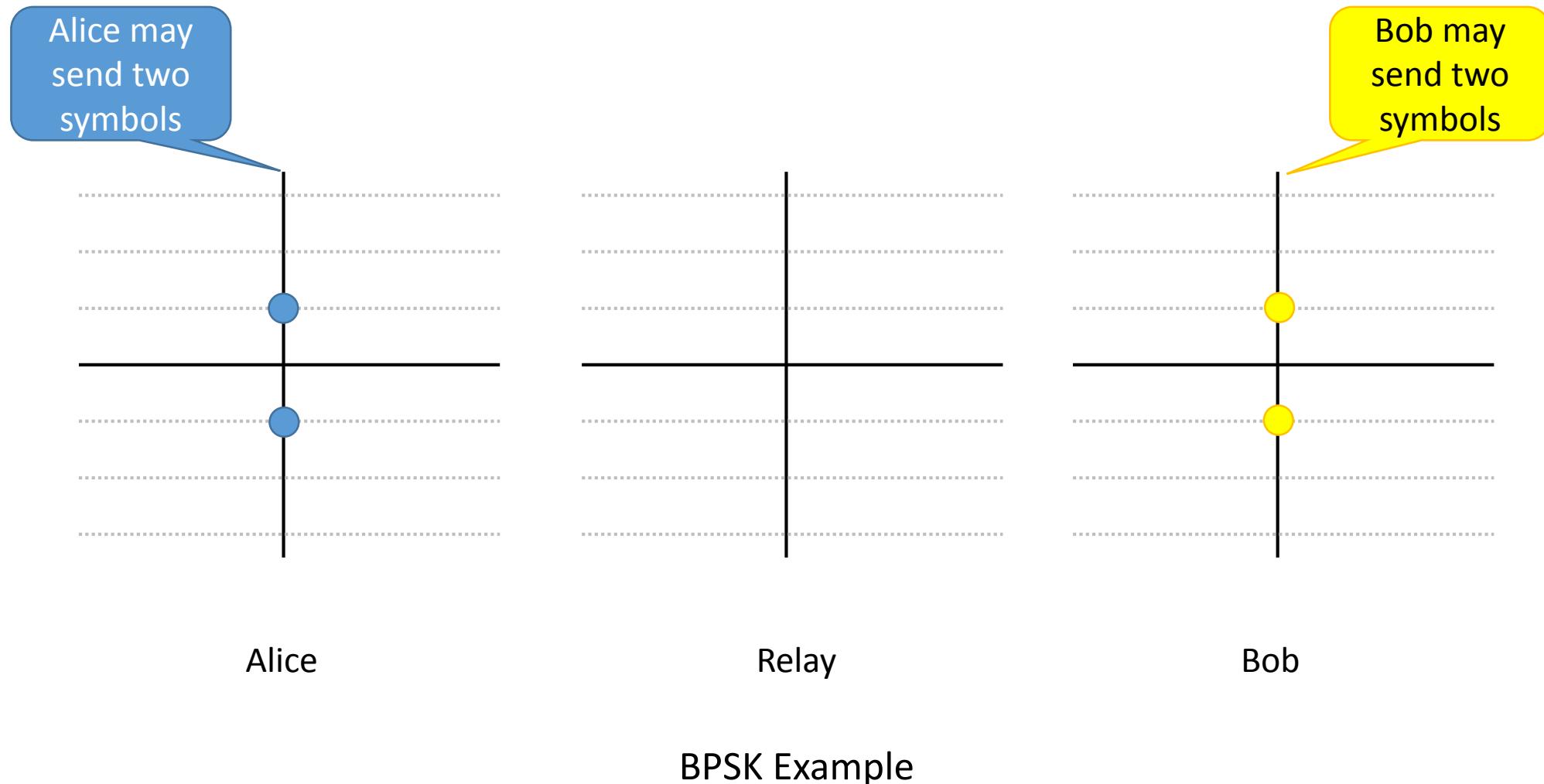
If $a_1 = -a_2$, then $a_3 = -1$ (logical')

Alice and Bob receive as standard BPSK modulation
Then, *XOR bit by bit* with the sent packet

Analog Network Coding

What if we A&F?

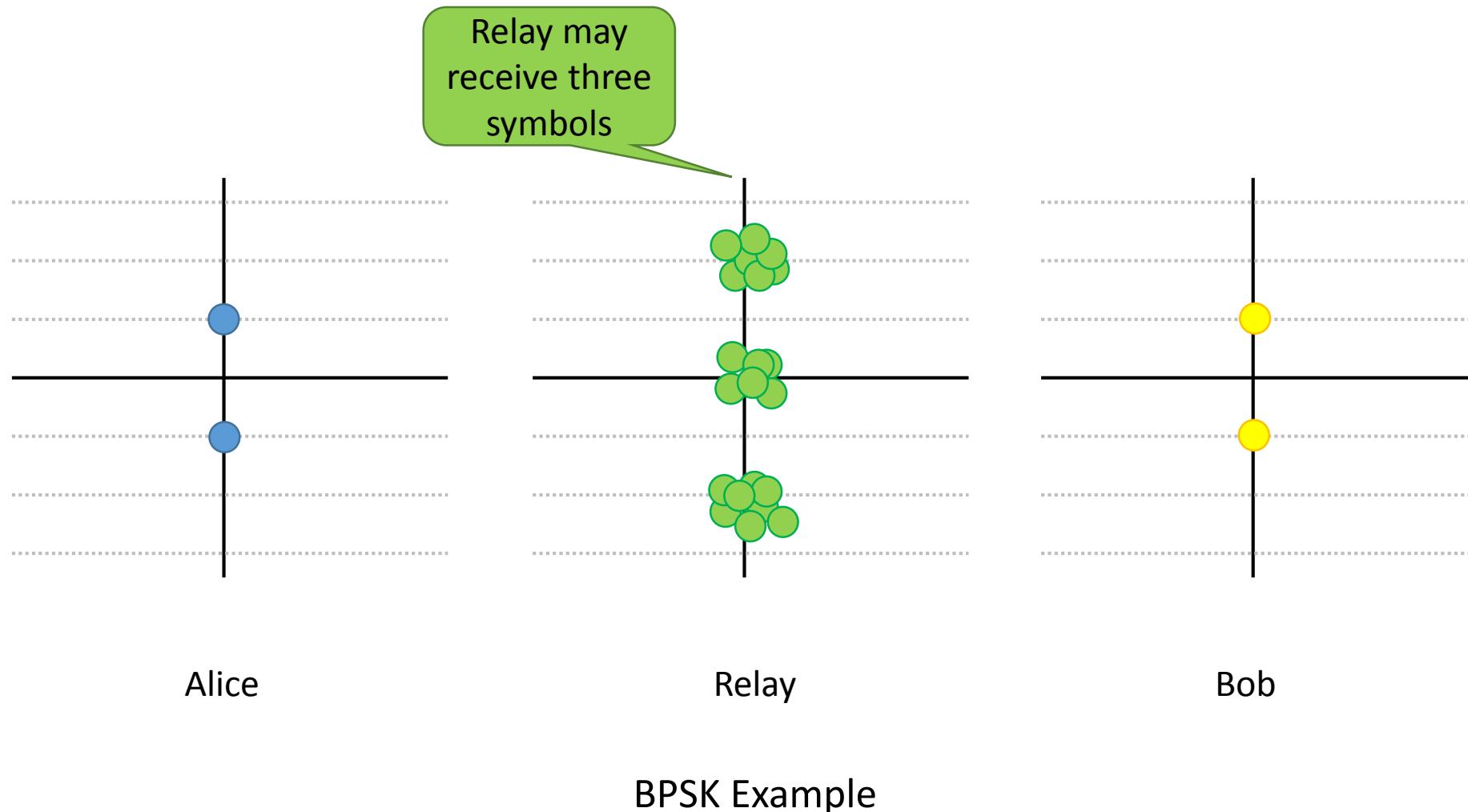
1st step – coding in the air



Analog Network Coding

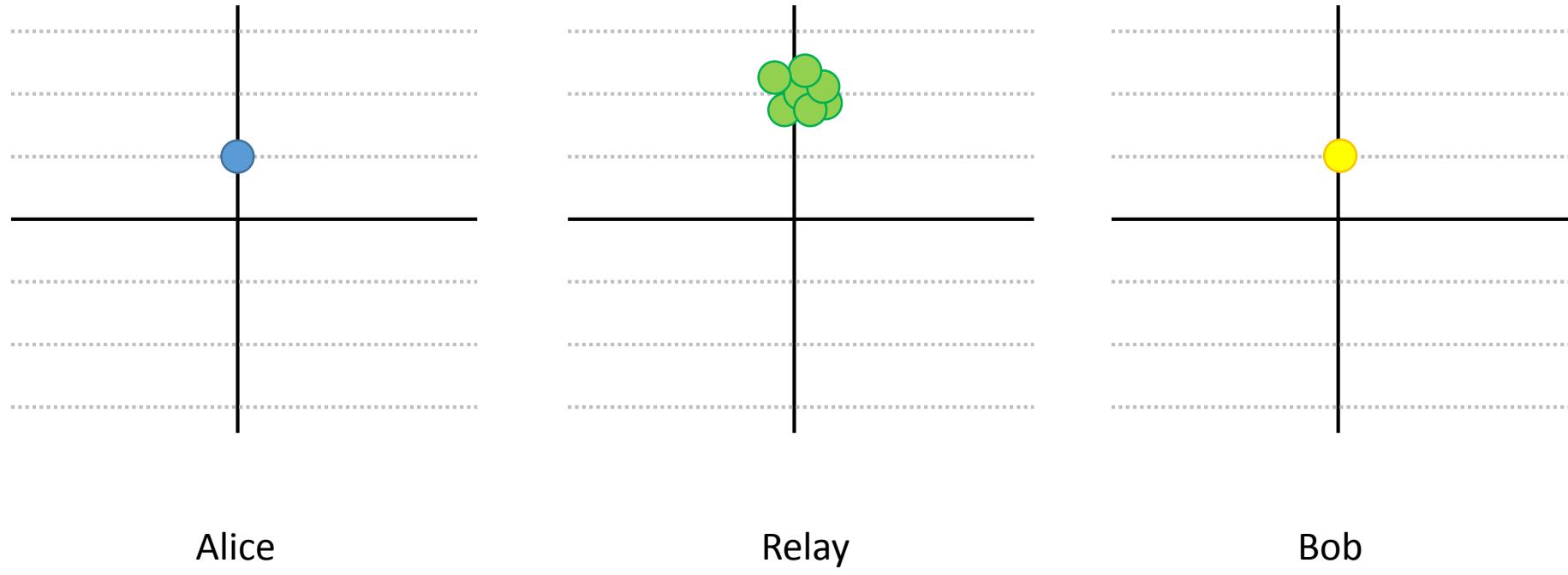
What if we A&F?

1st step – coding in the air



Analog Network Coding

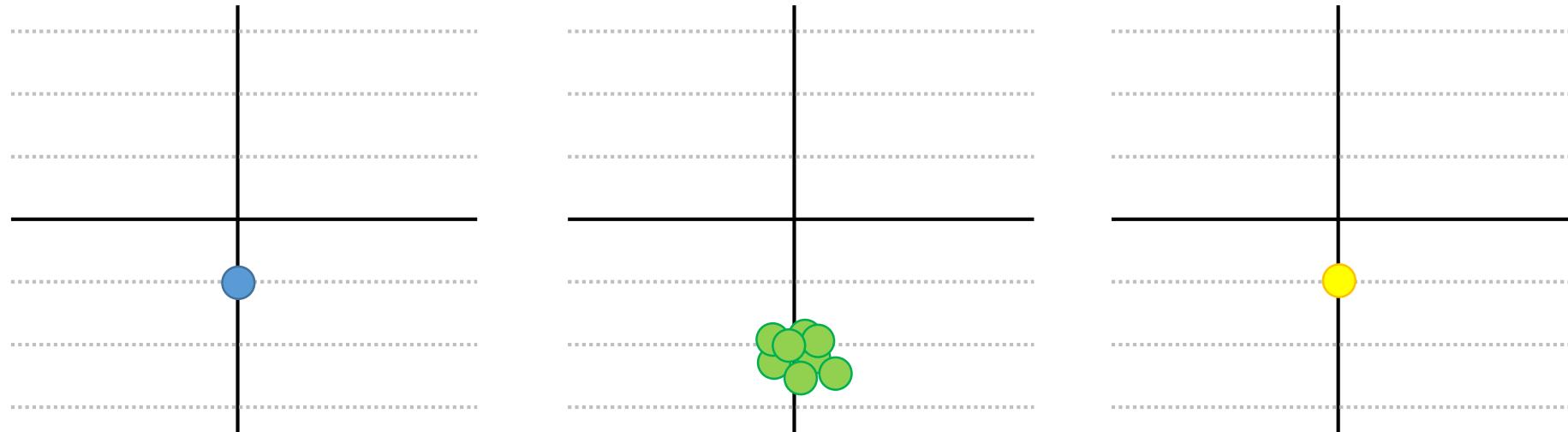
1st step – coding in the air – e.g. 1/1



BPSK Example

Analog Network Coding

1st step – coding in the air – e.g. 0/0



Alice

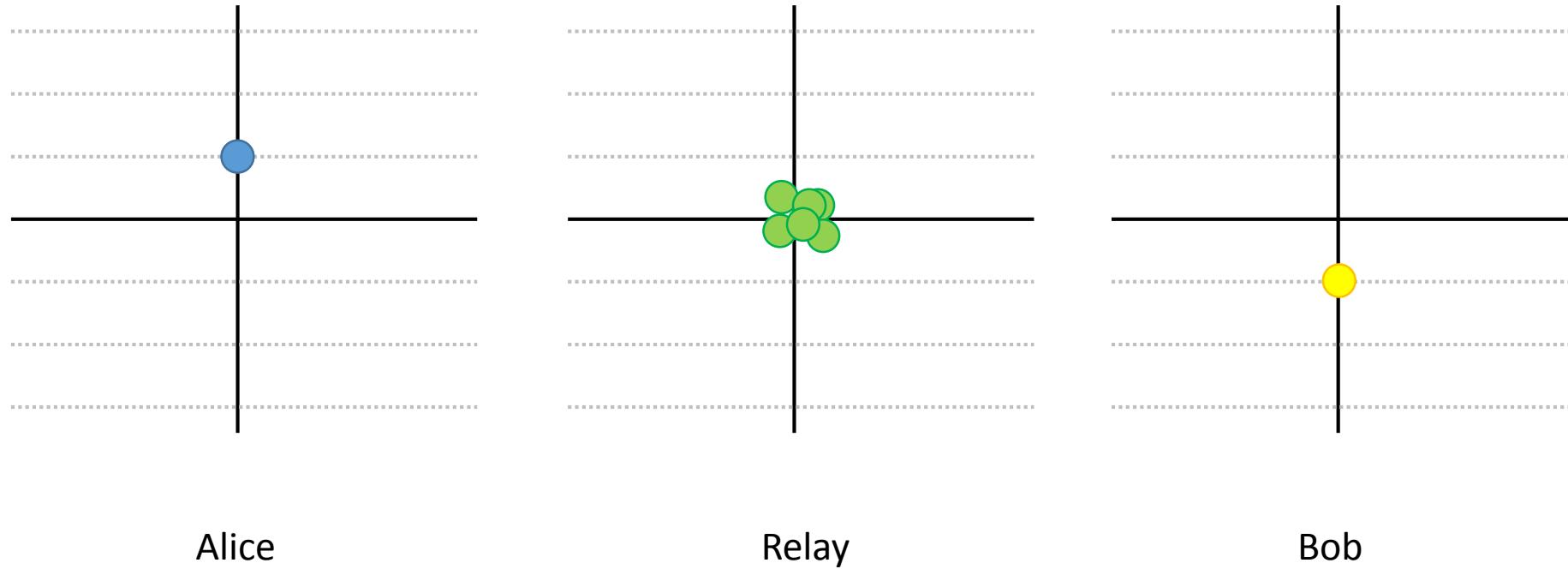
Relay

Bob

BPSK Example

Analog Network Coding

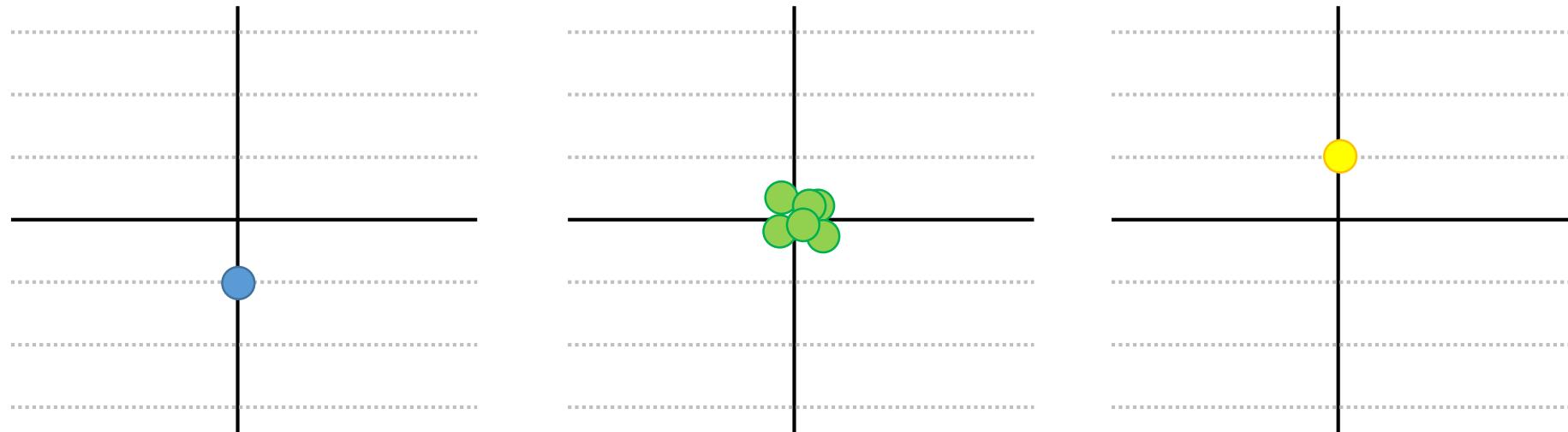
1st step – coding in the air – e.g. 1/0



BPSK Example

Analog Network Coding

1st step – coding in the air – e.g. 0/1



Alice

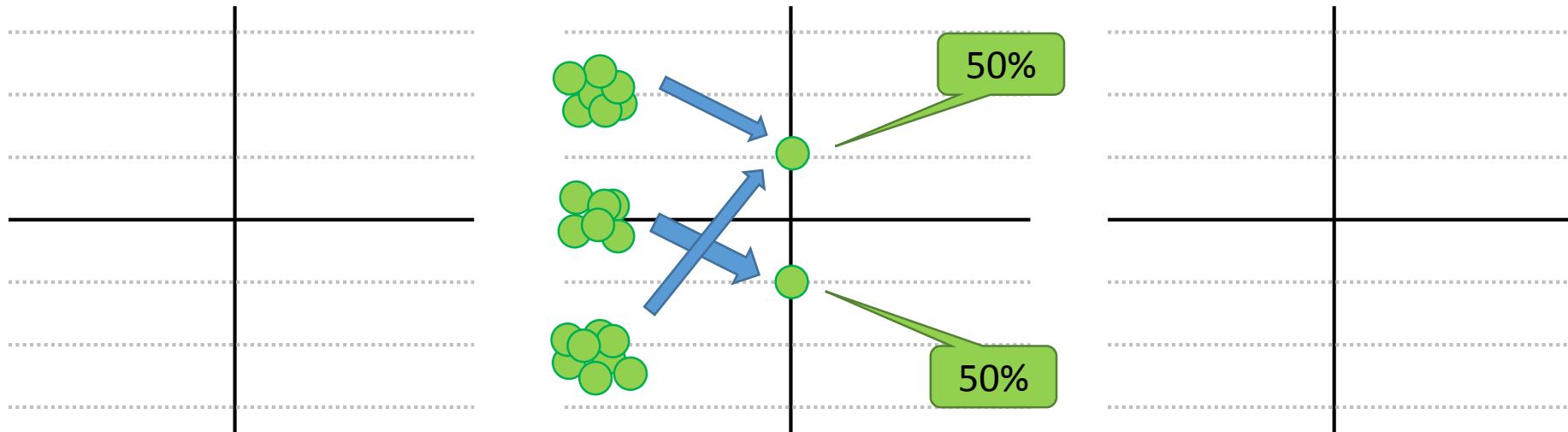
Relay

Bob

BPSK Example

Analog Network Coding

2nd step - relay



Alice

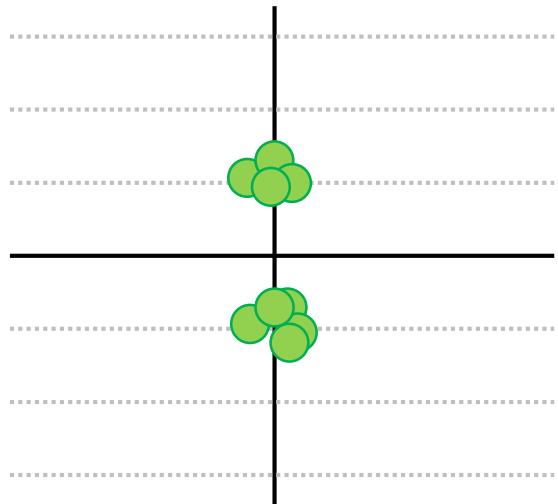
Relay

Bob

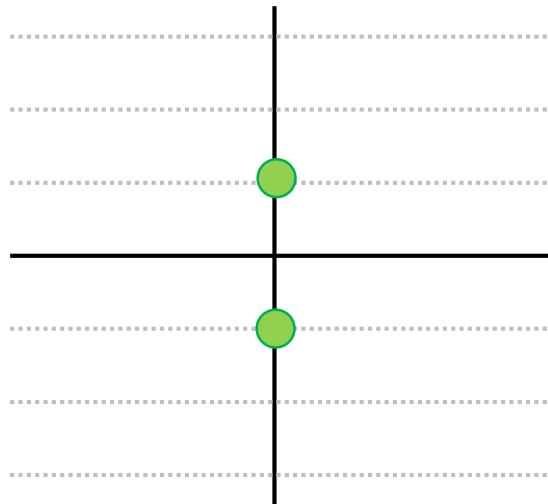
BPSK Example

Analog Network Coding

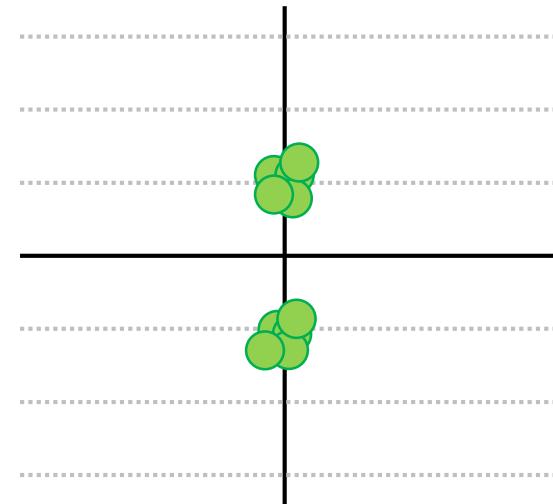
2nd step - relay



Alice



Relay

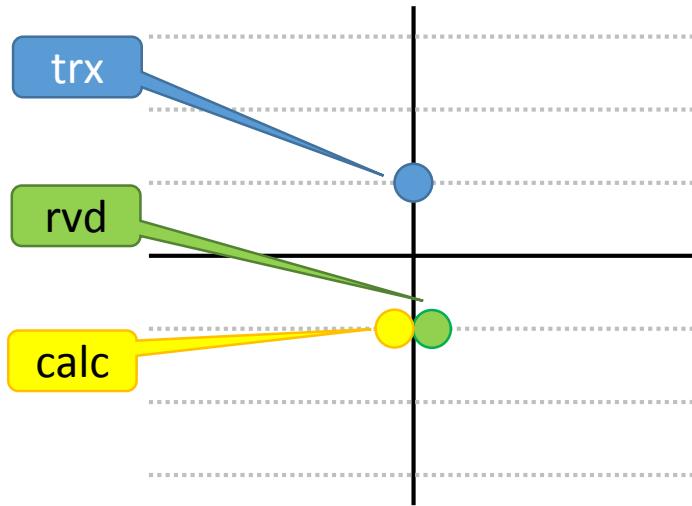


Bob

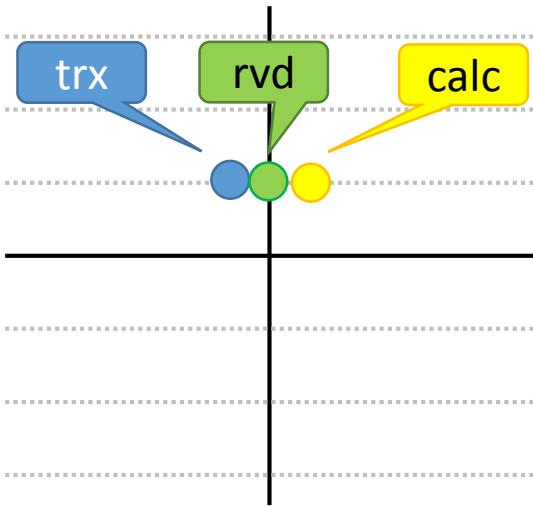
BPSK Example

Analog Network Coding

3rd step decoding



Alice



Alice

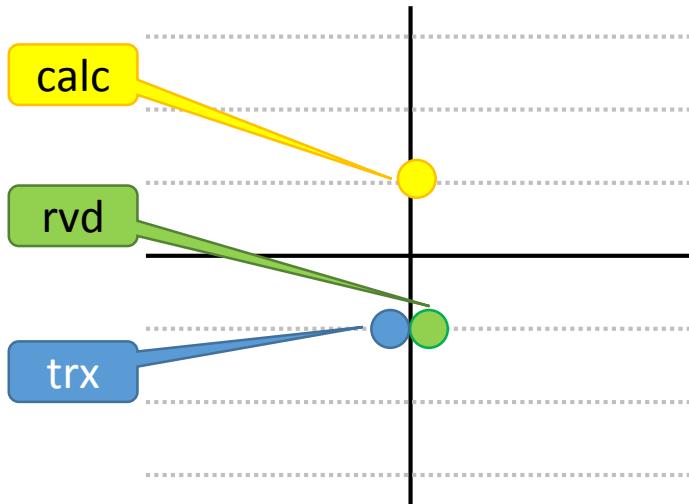


Alice

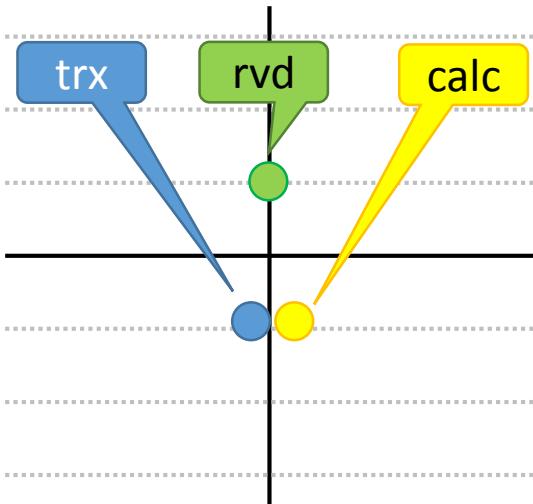
BPSK Example

Analog Network Coding

3rd step decoding



Alice



Alice



Alice

BPSK Example

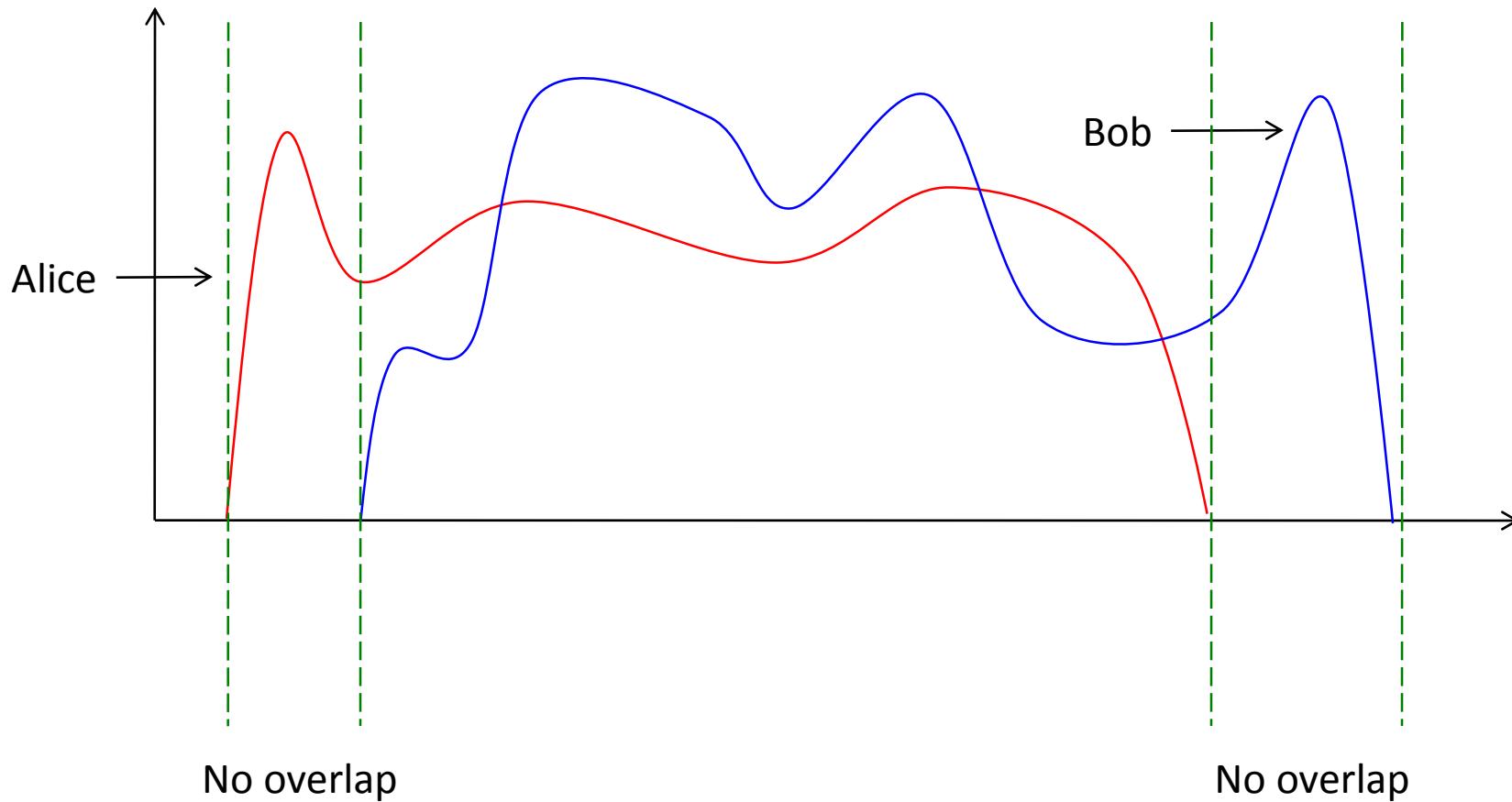
Analog Network Coding

- What were our assumptions so far?
 - No fading → there is amplitude + phase distortion
 - Perfect sync
 - Perfect detection of a collision
 - Perfect knowledge of packet used for decoding at Alice and Bob
 - The “right” packets interfere (MAC / Network impact)

- How to make it practical?
- [Katti et al 2007] Analog network coding
- [Gollakota et al 2008] ZigZag decoding
- (different problem, similar intuition)

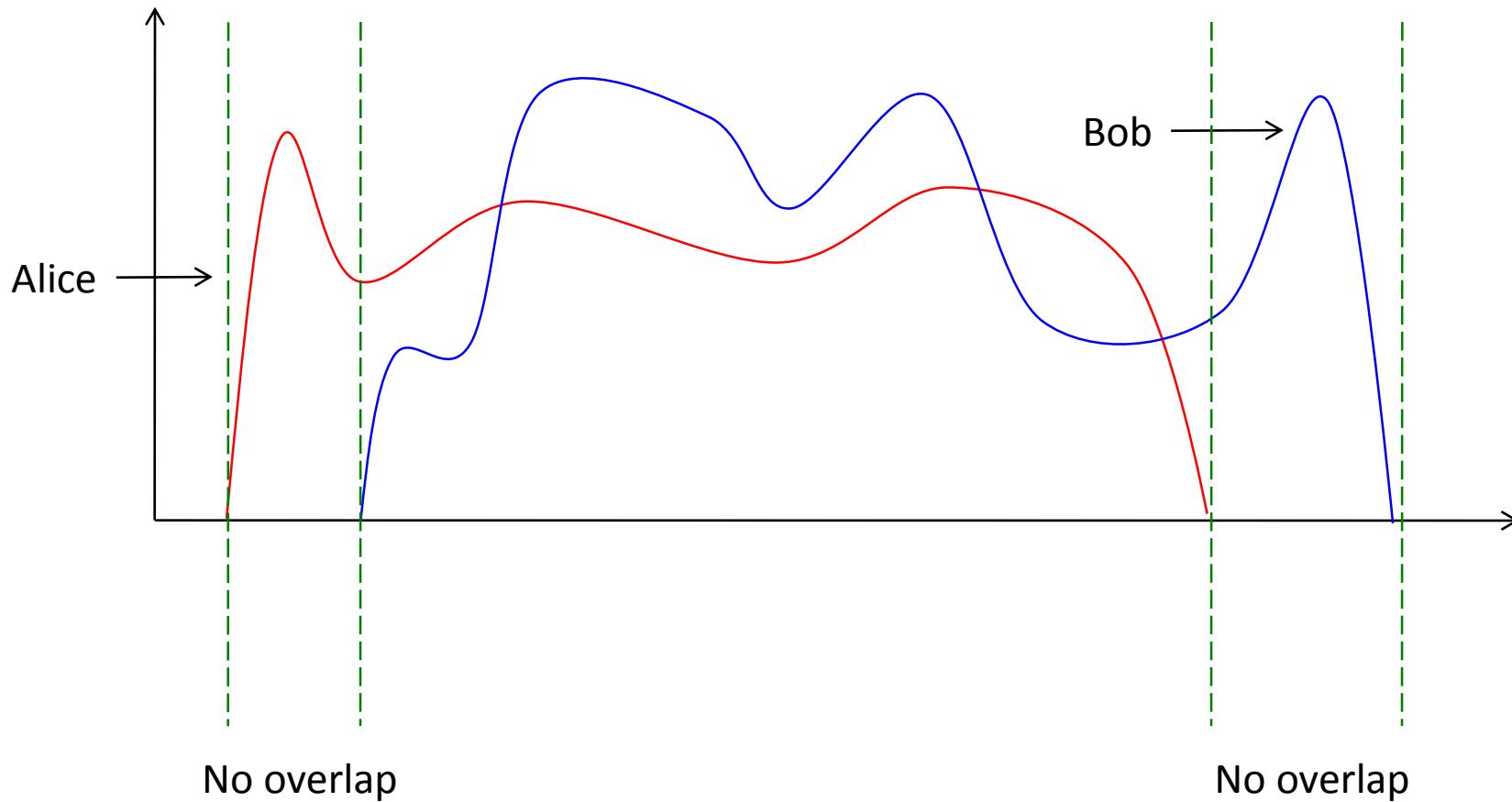
Analog Network Coding

- **Key intuition:** exploit asynchrony [Katti et al 2007]



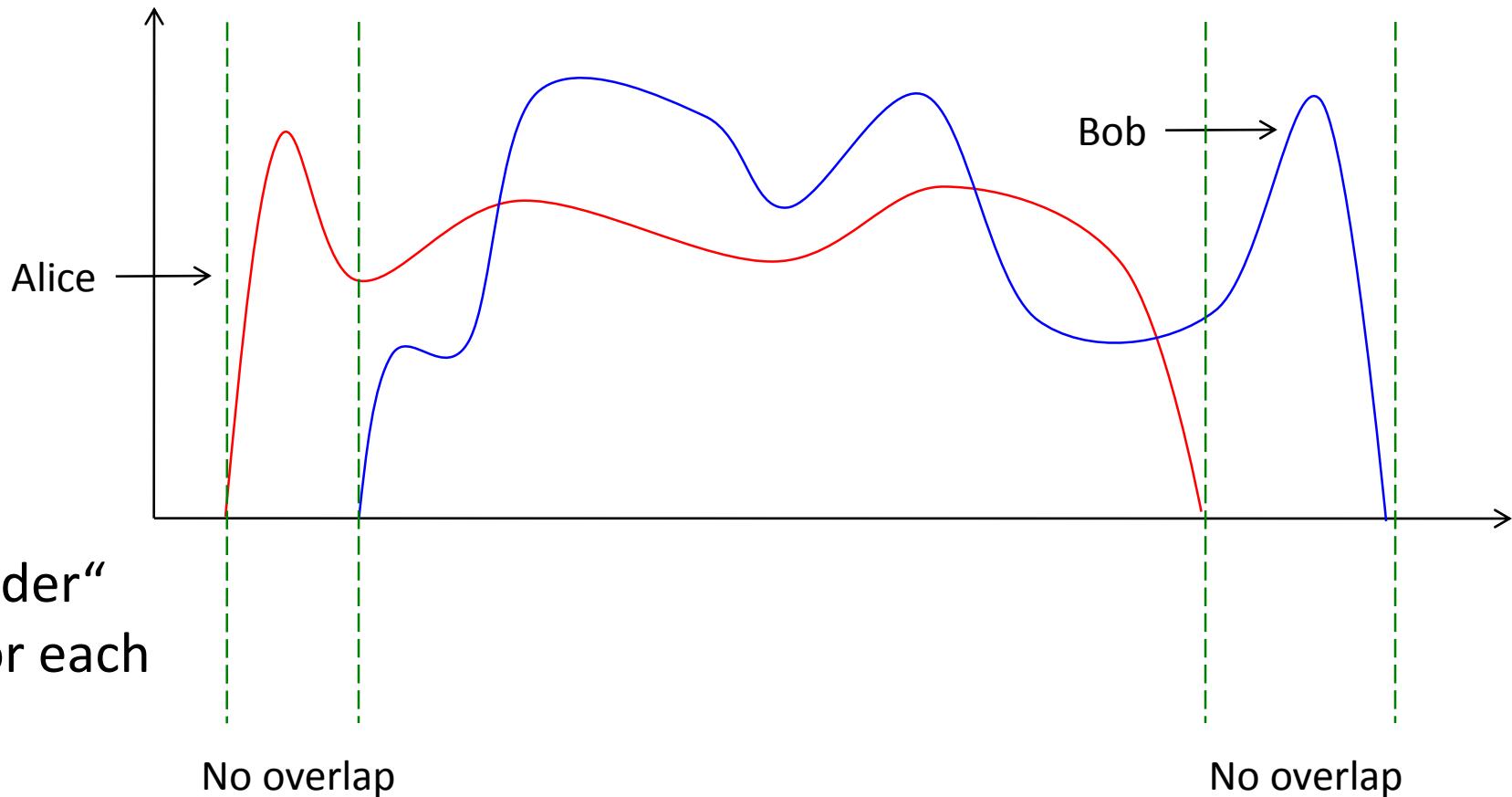
Analog Network Coding

- Areas with no overlap allow us to address some of the key challenges

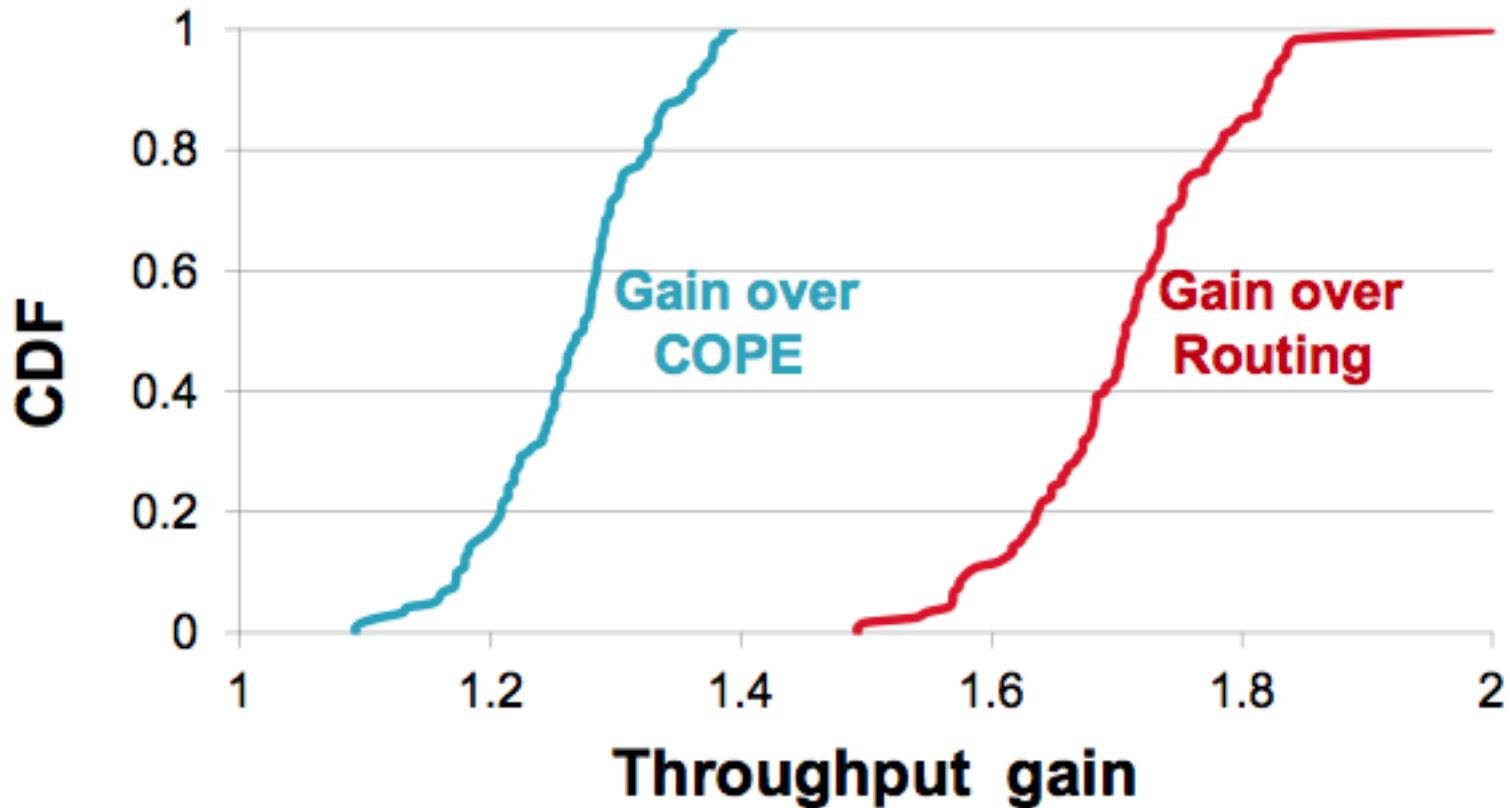


Analog Network Coding

- Pilot sequence: channel estimation
- ID of sender+destination+sequence number of the packet:
active session and to determine which packet was used



Analog Network Coding

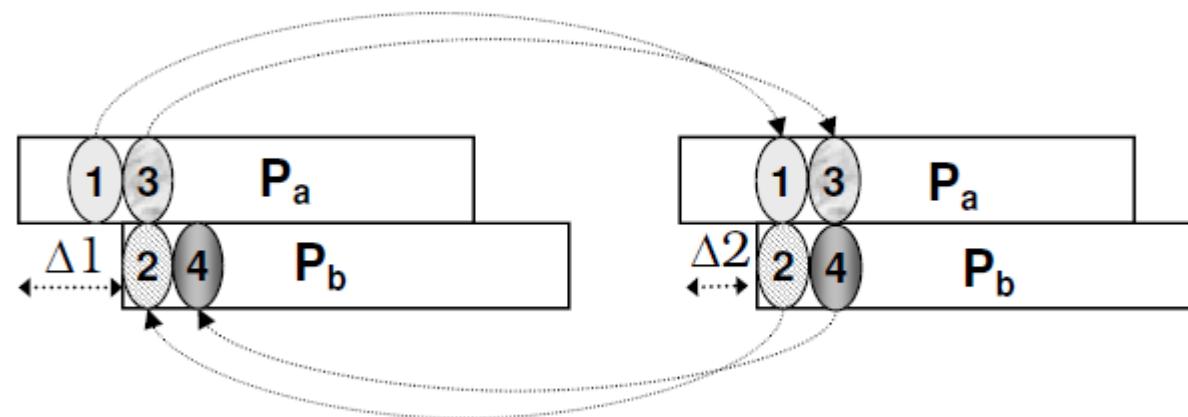


ZigZag Decoding

- Draws from the same intuition as the above problem
- Difference:
 - More general setting
 - A node can use it to recover several interfering signals (no knowledge required on its end)
 - We need to receive n collisions of n packets to recover
- Where is it useful?
 - Hidden terminal problem
 - In high SNR, to boost overall data rate from multiple sources to a single receiver [ParandehGheibi et al 2010]

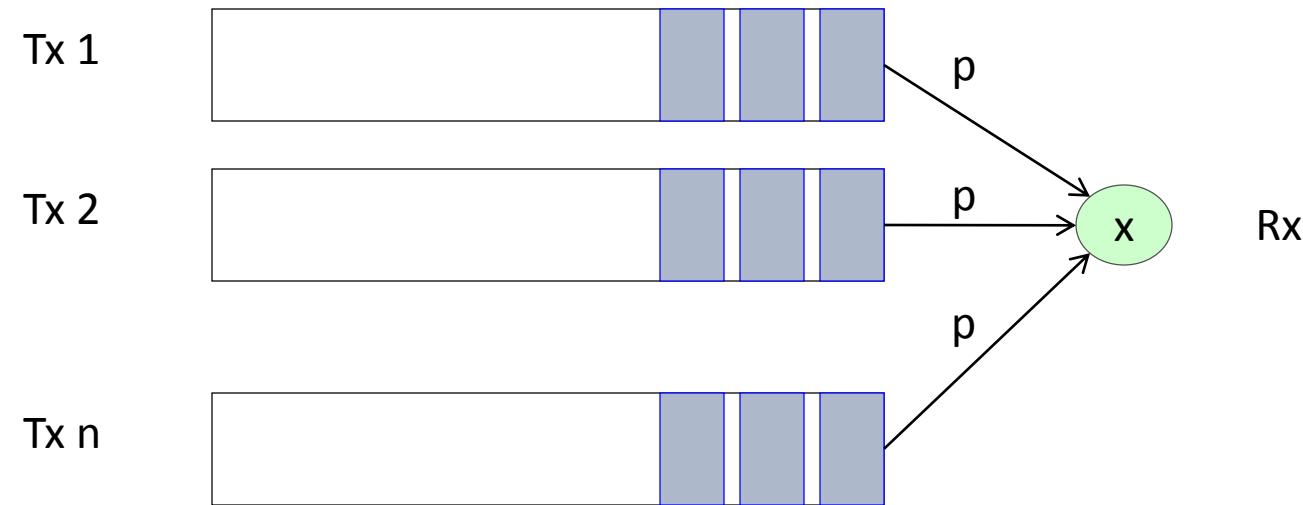
ZigZag Decoding: Basic Idea

- Again: asynchrony
- Chunk 1 of bits from user A from 1st collision is decoded successfully
- Thus, can subtract it from 2nd collision to decode Chunk 2 of bits of user B
- Once Chunk 2 is free, can use to free Chunk 3, and so on



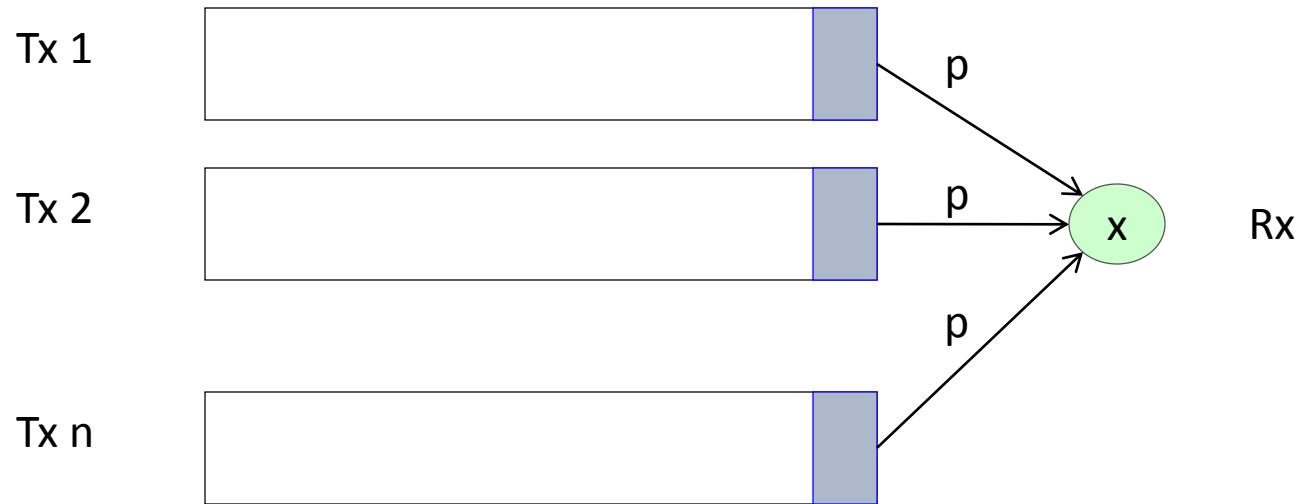
ZigZag Decoding: Single Hop Analysis

Work in [ParandehGheibi et al 2010]



ZigZag Decoding: Single Hop Analysis

Work in [ParandehGheibi et al 2010]



First result: Mean time to deliver one packet each

With zigzag:

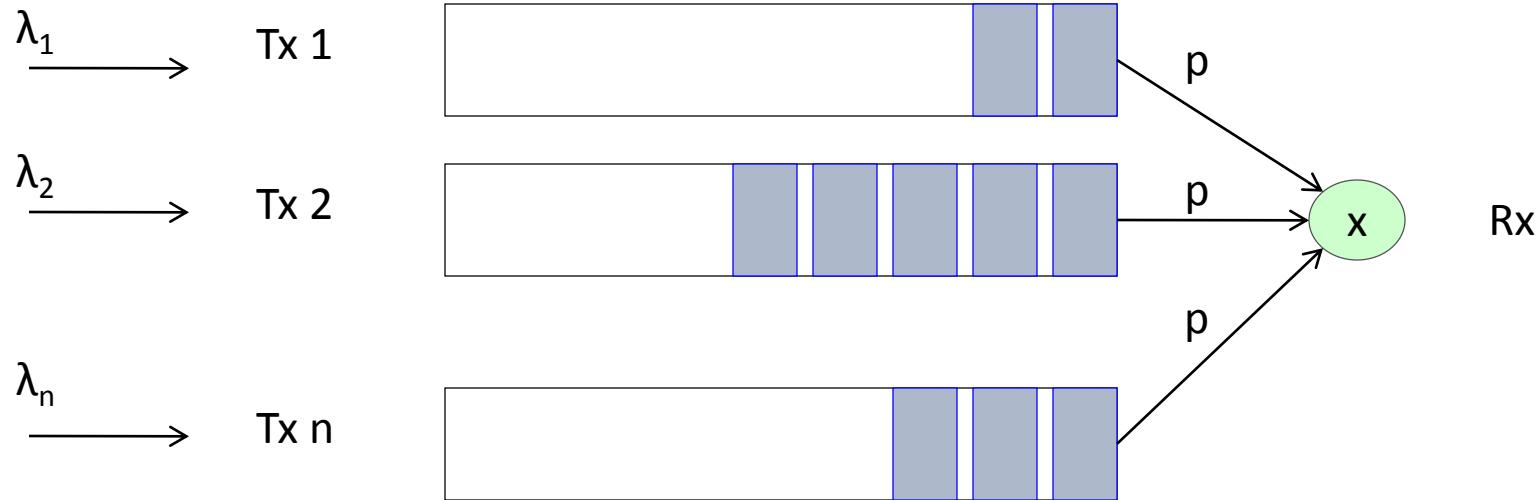
$$\frac{n}{1-p^n} \leq E[T_D] \leq \sum_{i=1}^n \frac{1}{1-p^{n-i+1}}$$

$$\begin{aligned} p &= \frac{1}{2}, n = 3 \\ \text{ZZ: } &4 + \frac{10}{21} \\ \text{PS: } &6 \end{aligned}$$

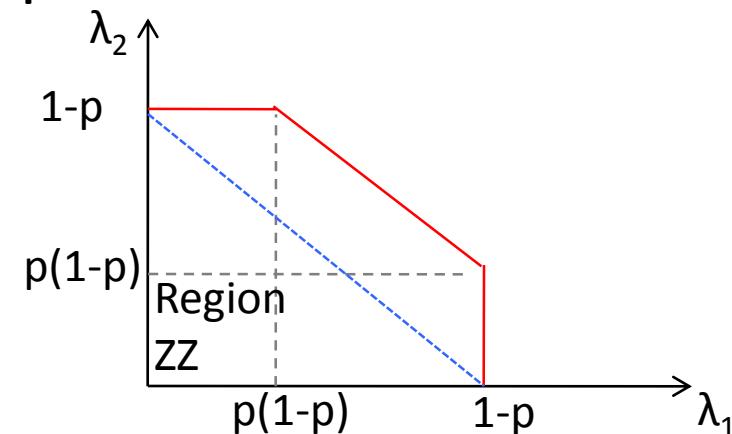
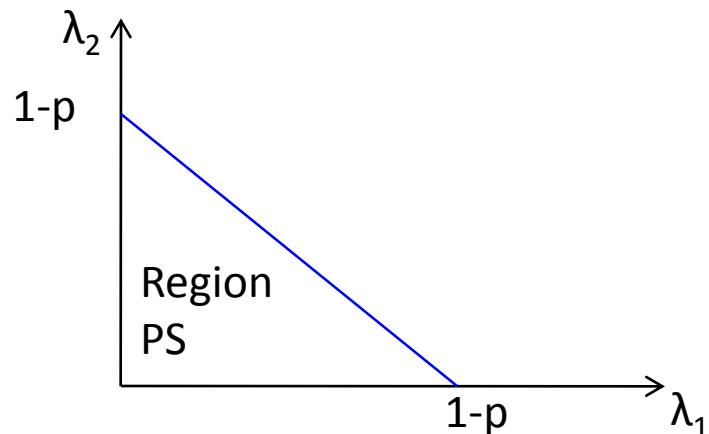
Perfect scheduler (no collisions): $E[T_D] = \frac{n}{1-p}$

ZigZag Decoding: Single Hop Analysis

Work in [ParandehGheibi et al 2010] <http://arxiv.org/pdf/1001.1948v1.pdf>



Second result: Stable throughput increases

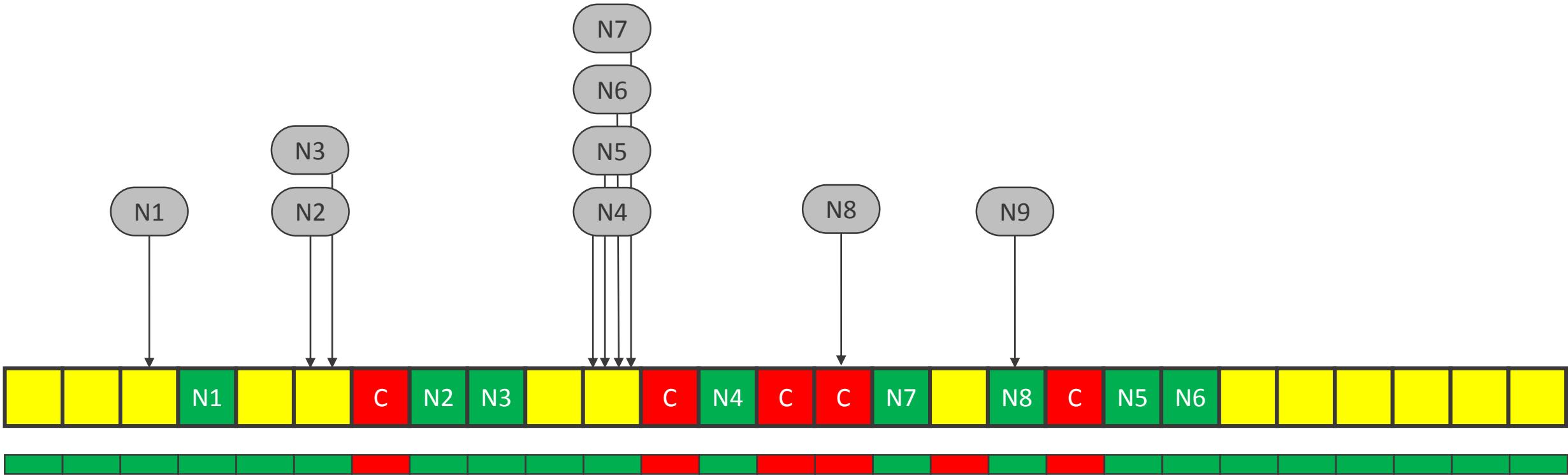


Coded Access

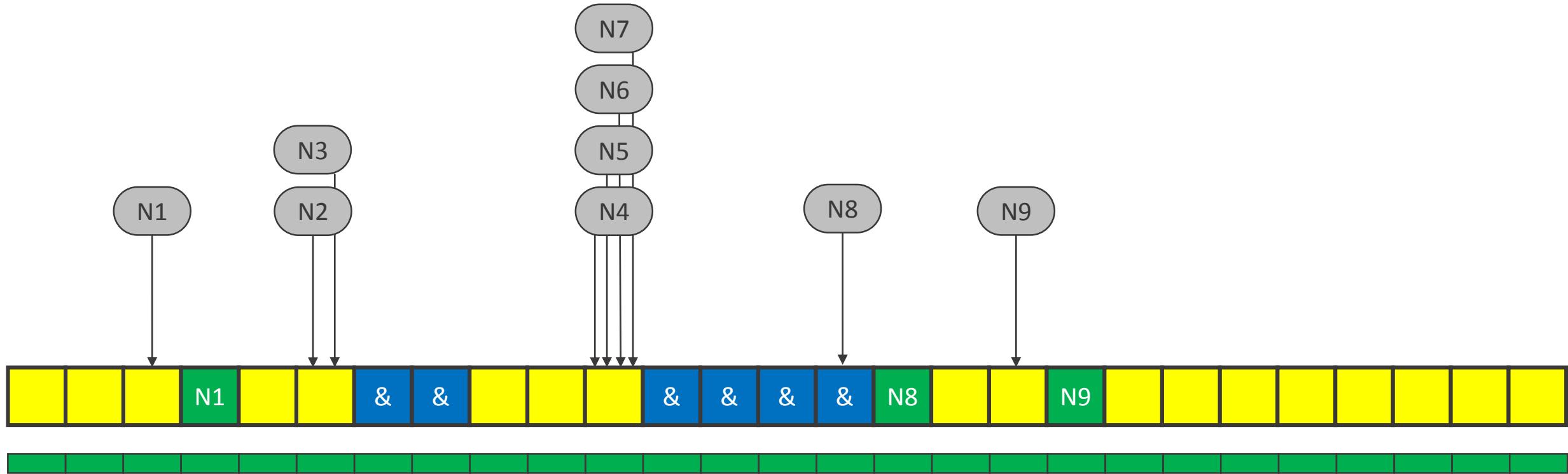
Multiple Access SoA

- Random access was the key to get access to the scheduler
- In time slotted systems
 - Idle slots: nobody was transmitting
 - One transmission: successful access to the resources
 - More than one transmission: Collision

SoA Access

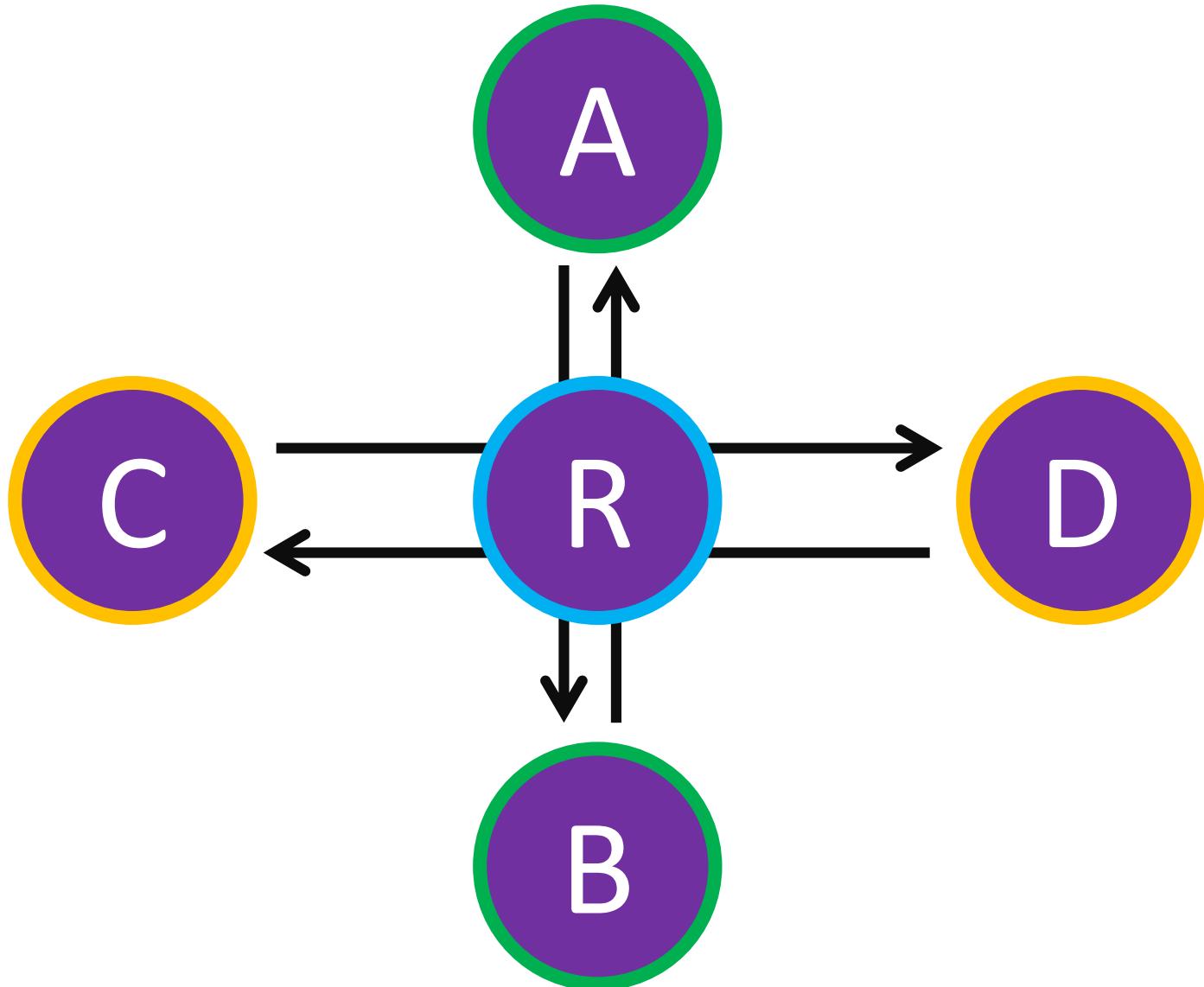


Coded Access

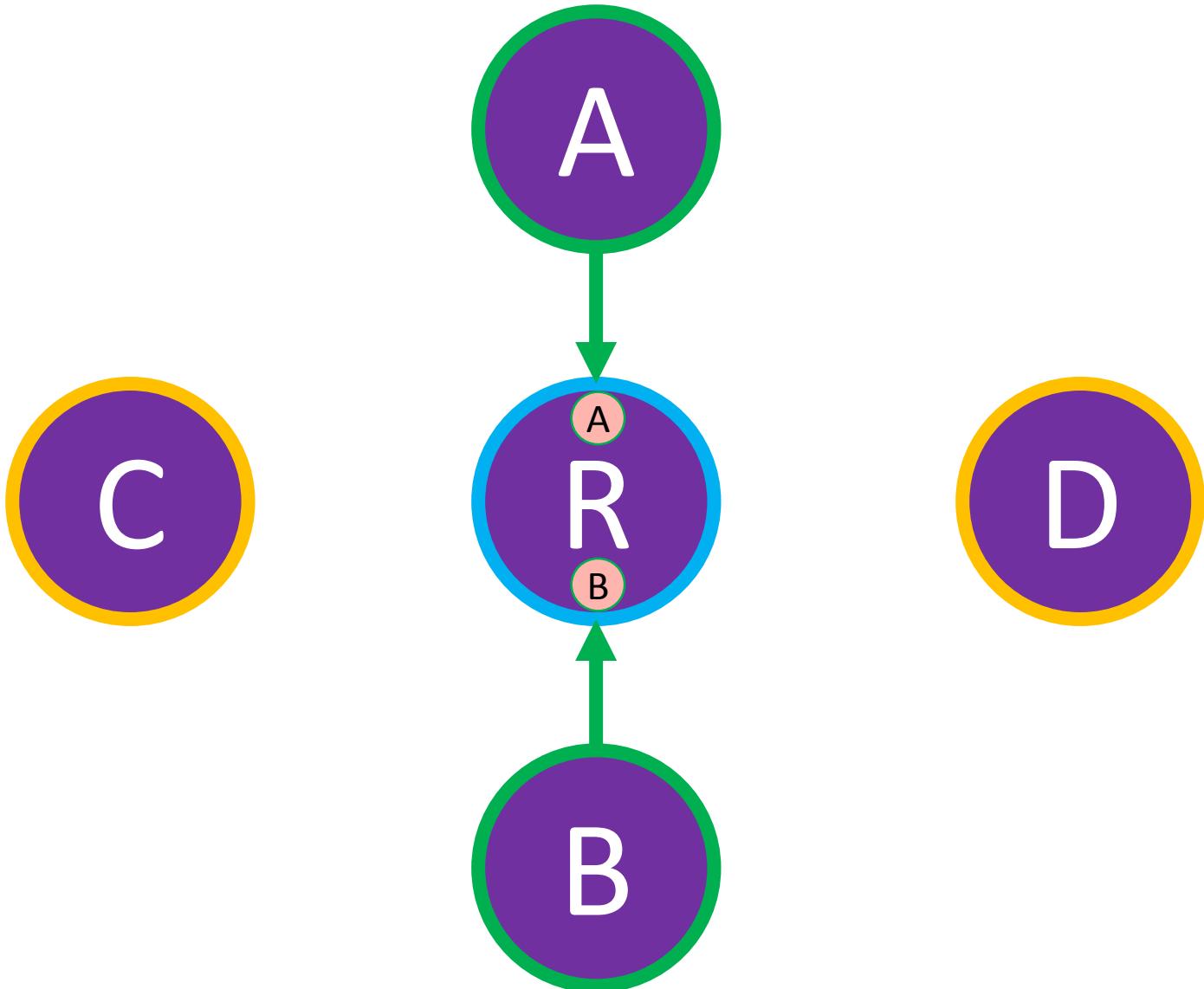


ANC for topologies

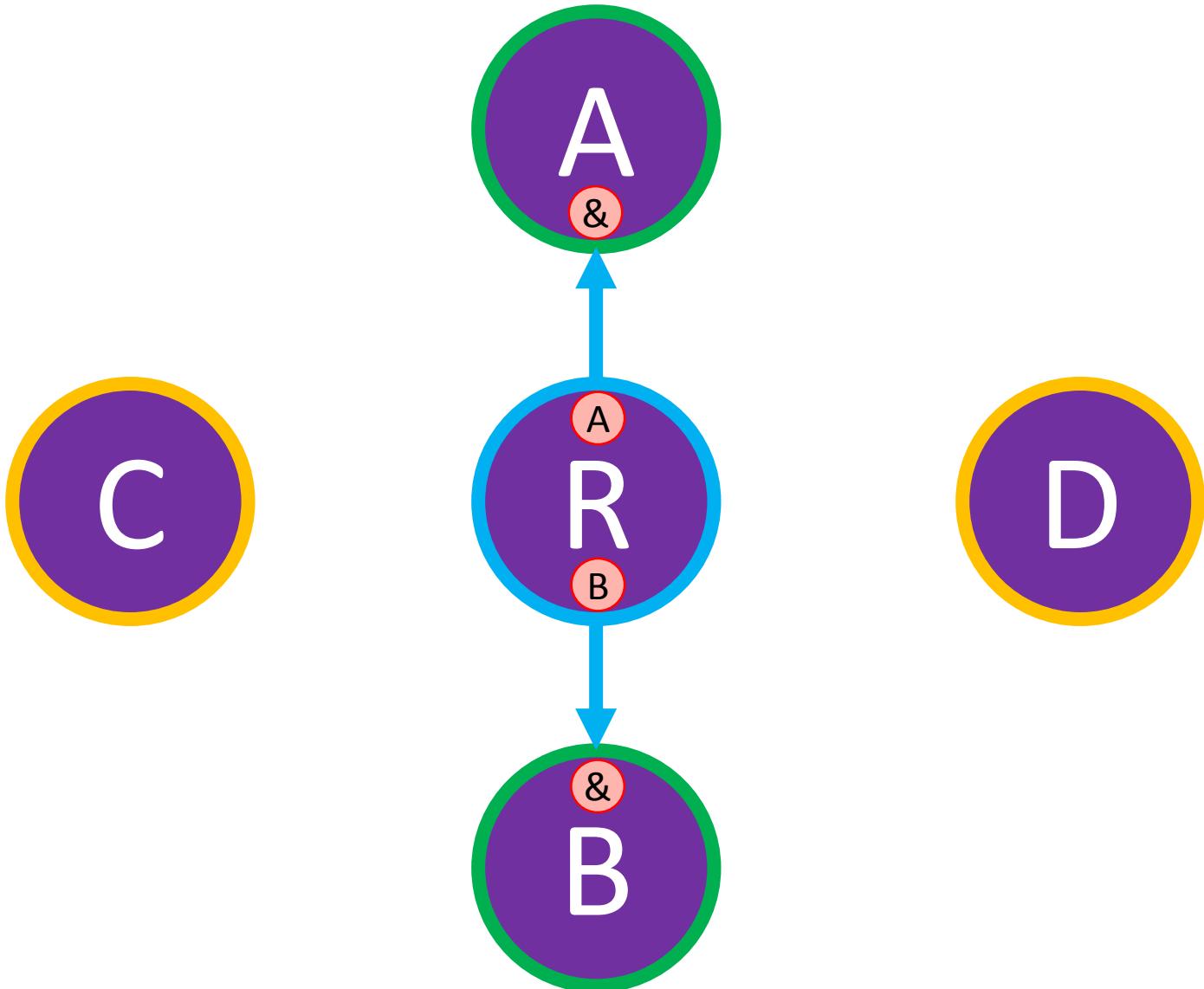
Cross Topology without Overhearing



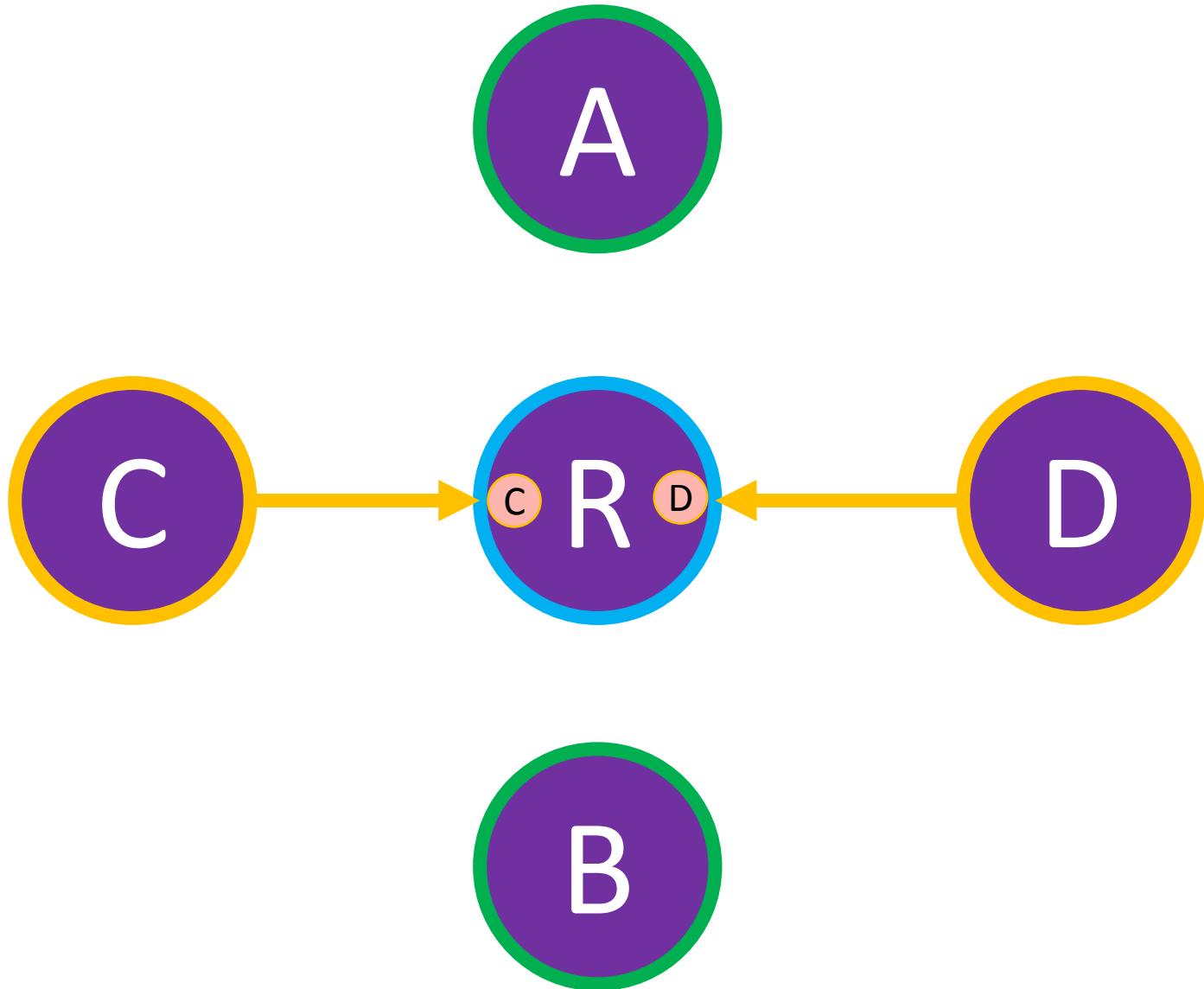
Cross Topology with Overhearing – Slot 1



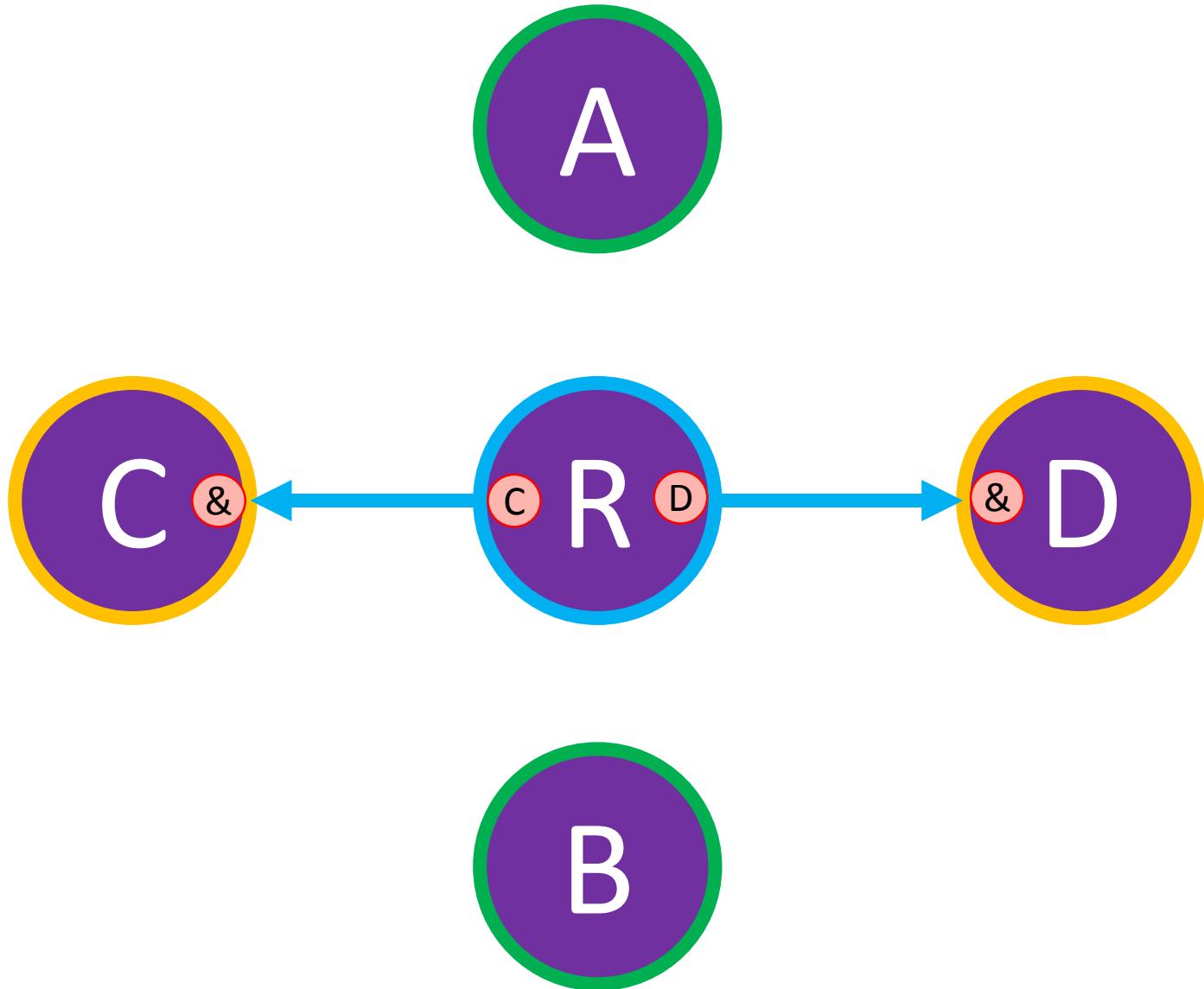
Cross Topology with Overhearing – Slot 2



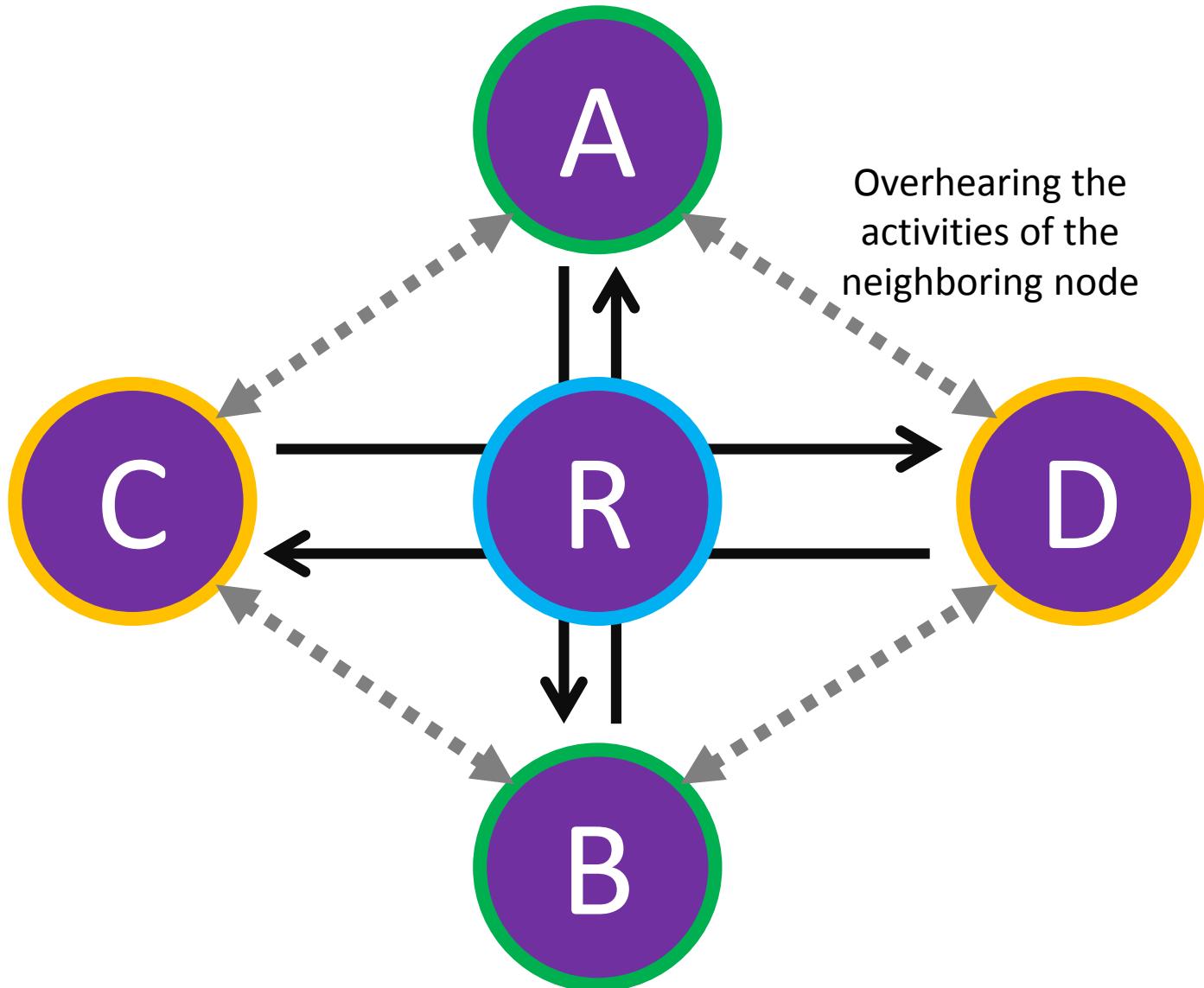
Cross Topology with Overhearing – Slot 3



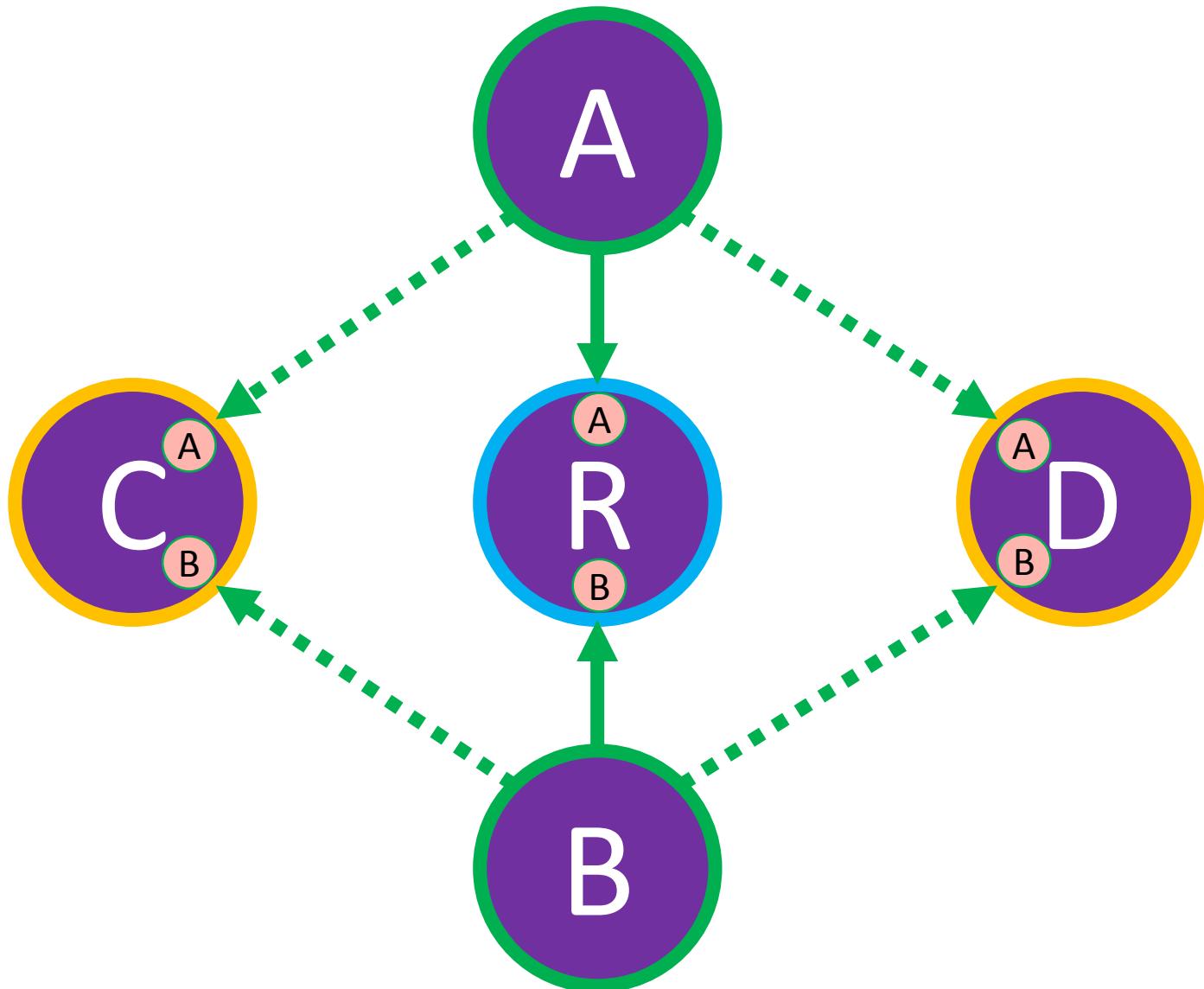
Cross Topology with Overhearing – Slot 4



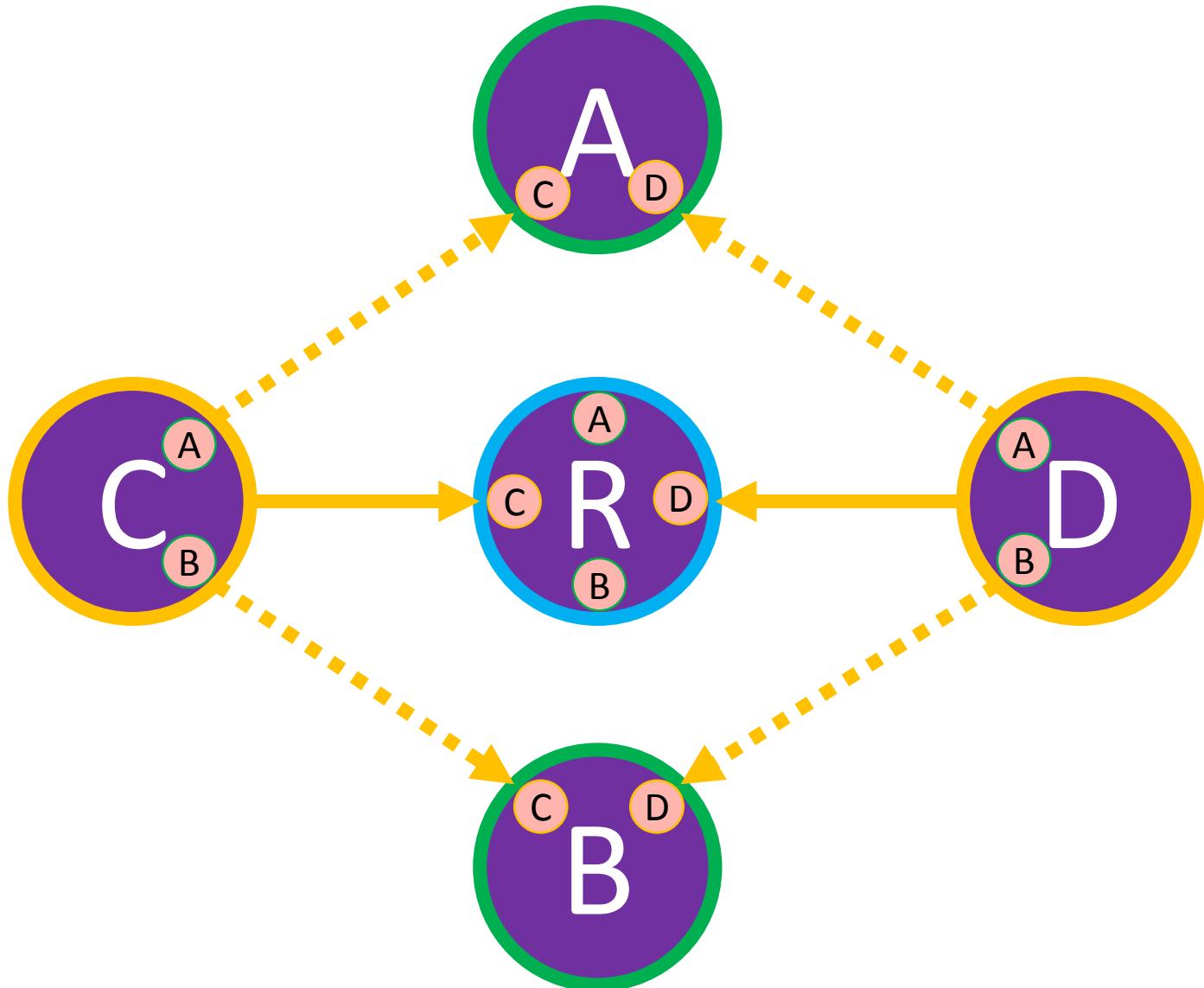
Cross Topology with Overhearing



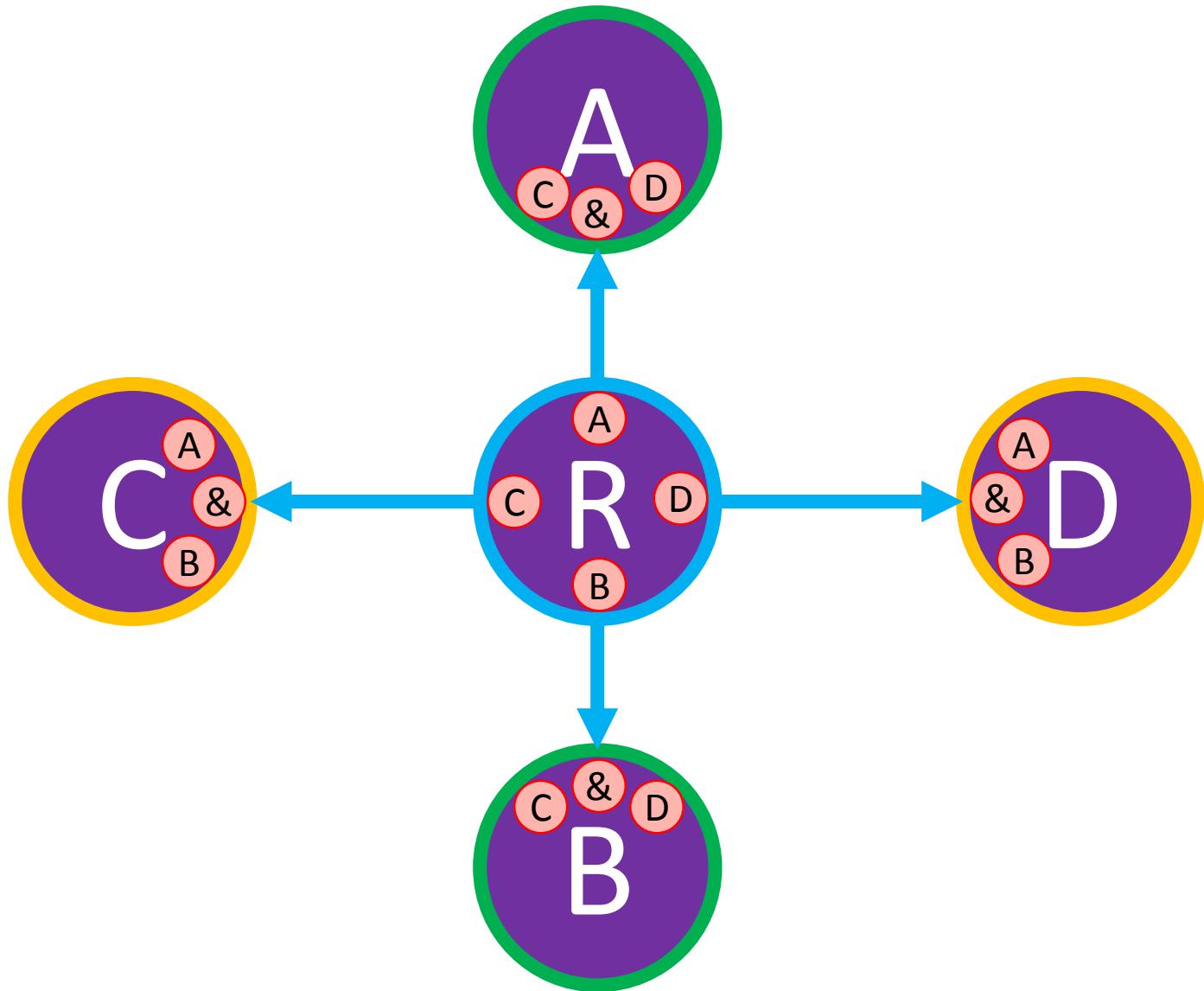
Cross Topology with Overhearing – Slot 1



Cross Topology with Overhearing – Slot 2



Cross Topology with Overhearing – Slot 3



Throughput for the Cross Topology

