

# Topology Seminar

**Kyle Ormsby**

of MIT will be speaking on

## Equivariant motivic homotopy and the completion problem for Hermitian $K$ -theory

on October 18 at 4:30 in  
MIT Room 2-131

I will discuss the (motivic, or  $A^1$ ) homotopy theory of  $G$ -equivariant schemes,  $G$  a finite group. Stabilizing with respect to regular representation of spheres produces a good stable theory which, in the case  $G = \mathbb{Z}/2$ , contains motivic analogues of Atiyah's Real  $K$ -theory and Araki's Real cobordism over arbitrary characteristic 0 base fields. The algebraic Real  $K$ -theory spectrum is closely related to Hermitian  $K$ -theory (a.k.a. higher Grothendieck-Witt theory). Tools from stable equivariant topology like the Tate diagram and slice spectral sequence allow us to resolve the completion (or homotopy limit) problem for the Hermitian  $K$ -theory of fields.