

```

1)
num=0;
for (i = n; i >= 0; i--)
    num--;

```

Answer: Running time is $O(n)$

Explanation: after the 1st instruction, there is a single loop that runs $(n+1)$ times; each time the loop runs it executes the instruction in the loop header and 1 instruction in the body of the loop. The total number of instructions is $2*(n+1) + 1$ (for the last loop check) $+ 1 = 2n + 4 = O(n)$.

```

2)
num=0;
for (i = 0; i <= n * n; i=i+2)
    num=num+2;

```

Answer: Running time is

Explanation: after the 1st instruction, there is a single loop that runs $(n^2)/2 + 2$ (including last loop check);

therefore $2[(n^2)/2 + 2] + 1 = n^2 + 5 = O(n^2)$.

0 2 4 6 8 10 12 14 16 18 20 22 24 26 28 30 32 34 36

```

n=2    4
n=3    6
n=4   10
n=5   14
n=6   20

```

```

3)
num=0;
for (i = 1; i <= n; i=i*2)
    num++;

```

Answer: Since the number of iterations decreases by half, loop has $\log N + 2$ complexity (inclusive of last loop check); therefore $2(\log N + 2) + 1 = 2\log N + 5 = O(\log N)$.

```

4)
num=1;
for (i = 0; i < n; i++)
    for (j = 0; j <= i; j++)
        num = num * 2

```

Answer: $O(n^2)$

```

5)
p=10;
num=0;
plimit=100,000;

```

```

for (i = p; i<=plimit; i++)          ((10^5) - 9) n
    for (j = 1; j<=i; j++)          ((10^5) - 9) n
        num = num + 1;

```

Answer: $O(n^2)$

6)
num=0;

```

for (i = n*n; i>=0; i=i/2)
    for (j = 1; j<=n; j++)
        num = num + i;

```

Answer: $O(n^3 \log N)$

7)
num=0;
for (i = 0; i<n*n-1; i++)
 for (j = 0; j< i * i; j++)
 num = 2*num;

Answer:

8)
num=0;
for (i = 0; i<= n*n; i++)
 num++;
for (i = 1; i<=n; i=i*2)
 for (j=n; j>= 1; j=j/2)
 num++;

Ans: $n^2 + \log n * \log n$

9)
for (i = 0; i < n; i++) {
 smallest = i;
 for (j = i+1; j <= n; j++) {
 if (a[j] < a[smallest])
 smallest = j;
 }
 swap(a, i, smallest); // has three instructions
}

Ans: $O(n^2)$

10)
num = 0;
i = 0;

while (i<n) {

```
j = 0;
while (j<100) {
    //constant time operations
    j++;
}
i++;
}
```

Ans: $O(100n^2)$