

# Runtime Environment

## CSE 340 FALL 2021

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**NOTE** I covered only a small part of these notes in class

# Runtime Environment

So far, we have looked at how to analyze the syntax (parsing) and some semantics (type checking) of a program.

Now, we will consider how to generate a lower-level representation of the program that we can execute on a target machine. In particular, we will look at

1. What memory allocation means (required)
2. Generating code for complex expressions (not covered)
3. What is involved in function calls (required)
  1. call setup (required)
  2. call return (required)
  3. who can do what: caller, callee or either (required)
  4. allocation of memory for local variables (required)
  5. accessing local and global variables (required)
  6. calling conventions (required)
  7. saving and restoring registers (required)
  8. accessing non-local variables (not covered)

NOTE I covered only a small part of these notes in class

# Memory Allocation for Global Variables

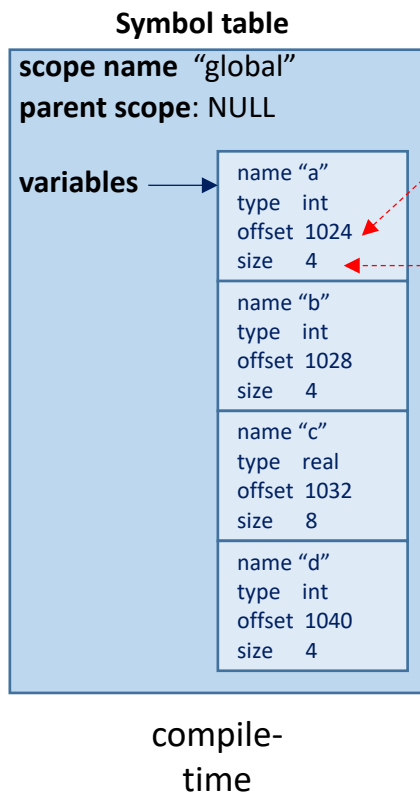
Consider a program with global variable declarations

```
a : int;  
b : int;  
c : real;  
d : int;
```

In my exposition, I will assume all variables have space allocated in memory, but in practice, some variable might have registers allocated to them for the duration of their lifetime. The distinction is not really fundamental

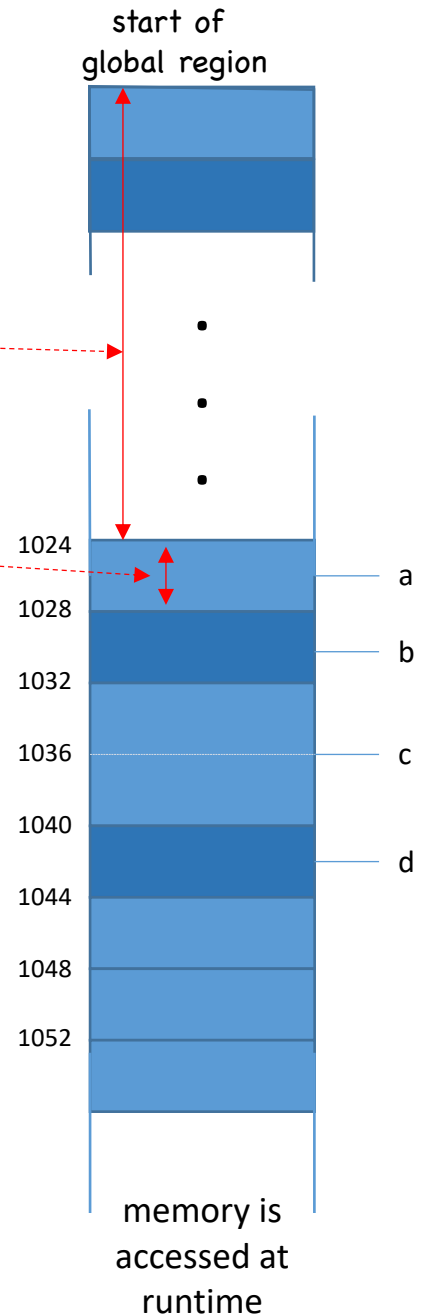
1

The symbol table contains information about the locations of the variables so that if we need to generate code for a given statement, we can consult the symbol table to determine the locations that need used in the generated code



location at runtime  
expressed as  
**offset** from start  
of global region

**size:** number  
of bytes to  
represent variable



# Memory Allocation for Global Variables

2

the information in the symbol table is used to generate the code that will be executed at runtime for the program

Symbol table	
scope name "global"	
parent scope: NULL	
variables	name "a"
	type int
	size 4
	offset 1024
	name "b"
	type int
	size 4
	offset 1028
	name "c"
	type real
	size 8
	offset 1032
	name "d"
	type int
	size 4
	offset 1040

compile-time

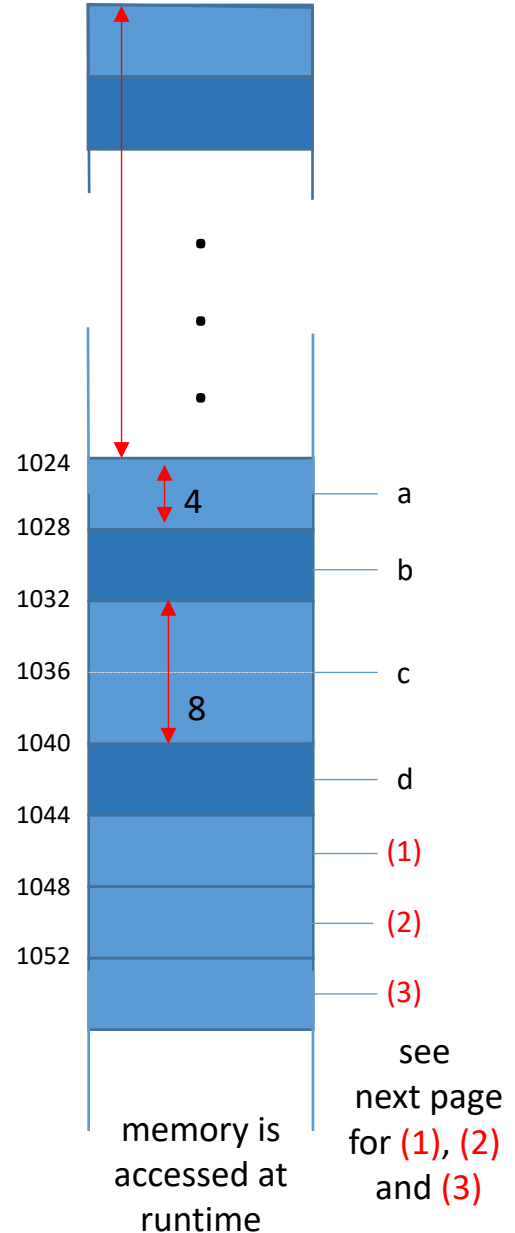
For example

```
a = 5
b = a
print b
```

→

```
mem[1024] = 5
mem[1028] = mem[1024]
system_print mem[1028]
```

start of global region



**Note** 1024 (address of a) and 1028 (address of b) are constants that are known at compile time. We call the address an offset (in reality the actual address is determined when the program is linked). I will use  $a_{\text{offset}}$  and  $b_{\text{offset}}$  for to refer to the addresses of the global variables a and b.

**Note** if we are generating assembly code, values need to be typically moved to registers before they are manipulated. Also, accessing floating point or integer values might require different instructions. **In what follows, I assume that all variables are integers**

# Accessing global variables: examples

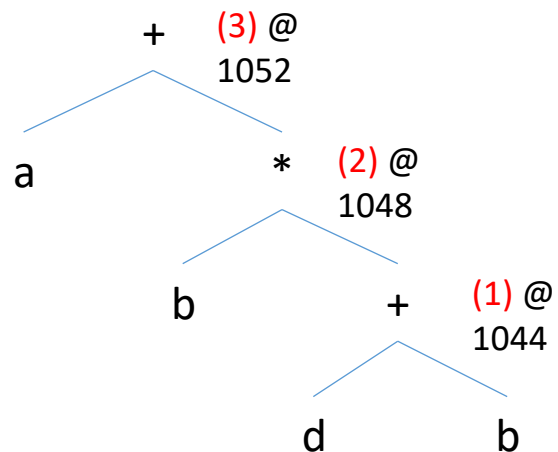
As another example, consider

$$a = a + b \quad \longrightarrow \quad \text{mem}[a_{\text{offset}}] = \text{mem}[a_{\text{offset}}] + \text{mem}[b_{\text{offset}}]$$

Finally consider a more involved expression:

$$a = a + b * (d + b)$$

For this we draw the expression tree:



we break down the computation into smaller computations of the tree node values as follows

$$\begin{array}{lcl} \text{(1)} & = & d + b \\ \text{mem}[1044] & = & \text{mem}[d_{\text{offset}}] + \text{mem}[b_{\text{offset}}] \end{array}$$

$$\begin{array}{lcl} \text{(2)} & = & b * \text{value of node (1)} \\ \text{mem}[1048] & = & \text{mem}[b_{\text{offset}}] * \text{mem}[1044] \end{array}$$

$$\begin{array}{lcl} \text{(3)} & = & a + \text{value of node (2)} \\ \text{mem}[1052] & = & \text{mem}[a_{\text{offset}}] + \text{mem}[1048] \end{array}$$

$$\begin{array}{lcl} a & = & \text{value of node (3)} \\ \text{mem}[a_{\text{offset}}] & = & \text{mem}[1052] \end{array} \quad \text{location 1052 contains value of expression } a + b * (d + b)$$

## Generating Code for Complex Expressions (not covered)

```
struct code_node * parse_factor()
{
    tok = lexer.getToken();

    switch tok.token_type
    case ID :
    {
        n = make_code_node();
        n->code = NULL;
        n->location = find_location(ID);
        return n;
    }
    case NUM :
    {
        n = make_code_node();
        n->location = new_location();
        n->location->value = string_to_int(tok.lexeme);
        n->code = NULL;
        return n;
    }
    case LPAREN:
    {
        n = parse_expr();
        expect(RPAREN);
        return n;
    }
}
```

## Generating Code for Complex Expressions (not covered)

```
struct code_node * parse_expr()
{
    n1 = parse_term();
    tok = lexer.getToken();
    if (lexer.tok_type == PLUS)
    {
        n = make_code_node()
        n2 = parse_expr();

        // append the code of n1 to the end of
        // the code of n2
        n->code = append(n1->code, n2->code);

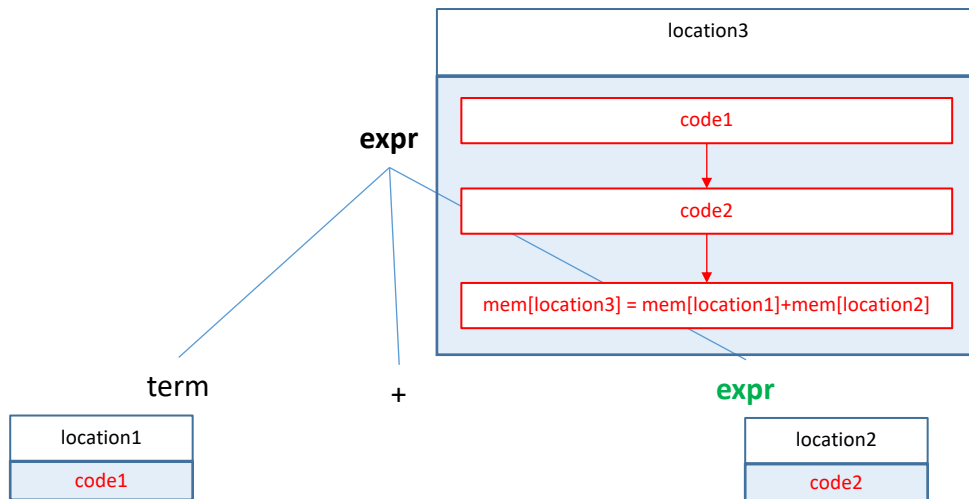
        // reserve new location for the result
        // of the expression
        n->location = new_location();

        // make an assignment statement that does the
        // computation and stores
        // the result in the location of the expression
        s = make_assign_stmt( n->location, n1->location,
                               n2->location, PLUS);

        // append the assignment statement to
        // the end of the code.
        n->code = append(n->code, s);
        return n;

        // the next page illustrates the
        // relationship between n1, n2 and n
    }
    ...
}
```

# Illustration of how to generate code for expressions recursively



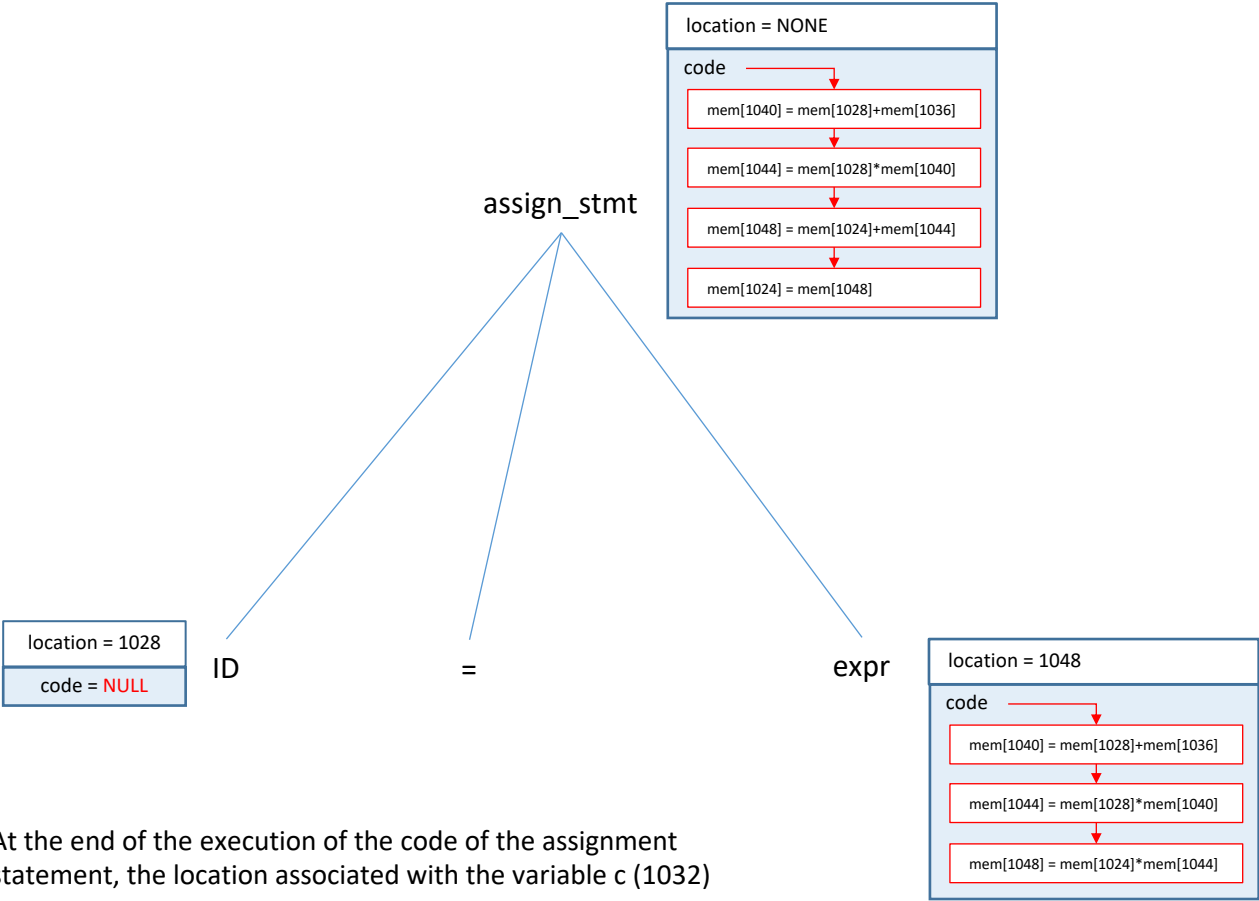
To evaluate the **expr** at the root, we need to evaluate the term (code 1) and the **expr** in term+expr (code2), then we need to add the two values which are at location1 and location2 respectively and store the result in the location for **expr**.

The next page shows how this applies to a larger example





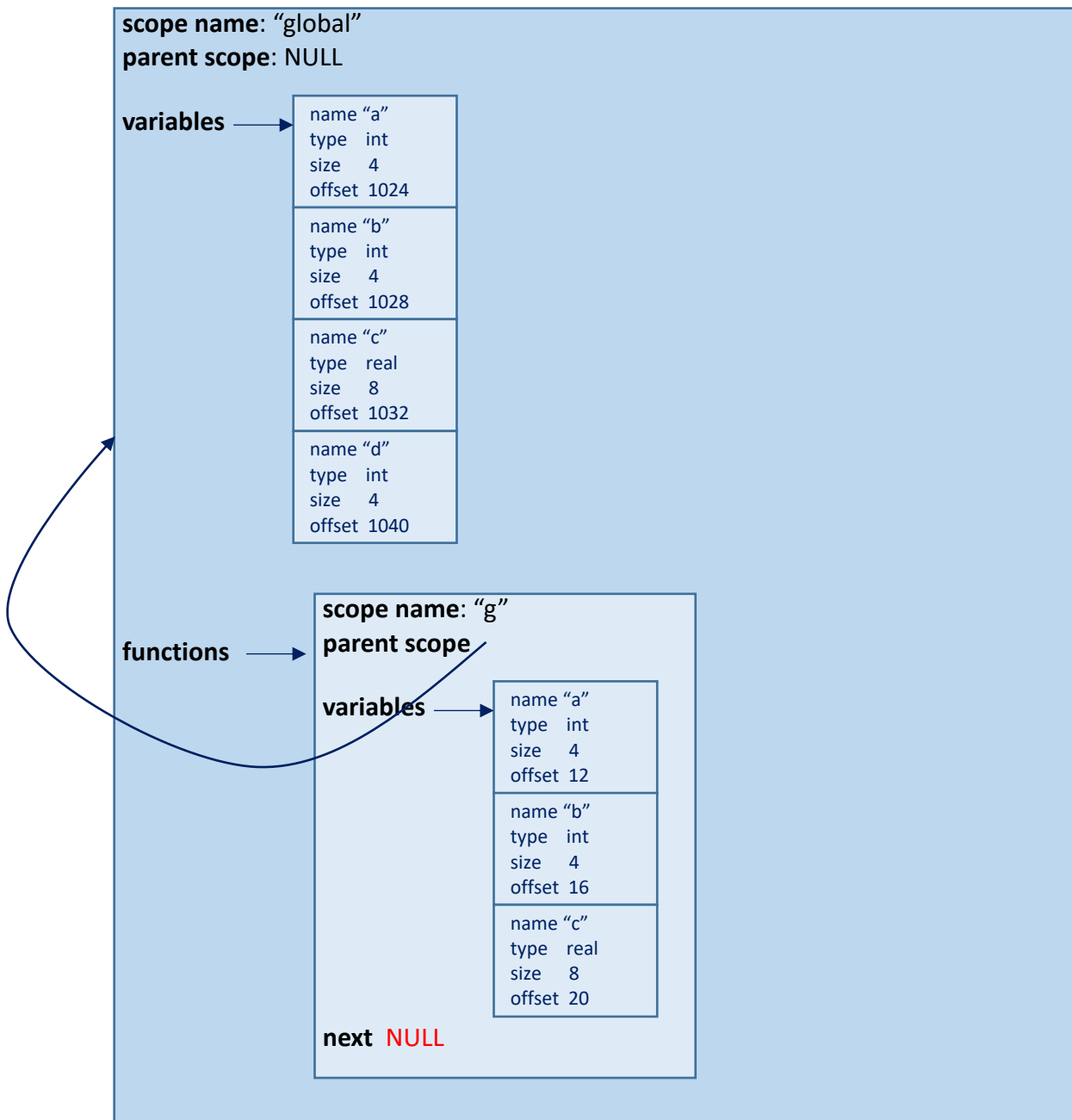
Example code generation for complex expressions:  $b = a + b * (b + d)$







# Symbol Table



In the symbol table, the local variables, a, b, and c are given offsets 12, 16, and 20. This assumes that the return value, the fp of the caller and the return address are 4 bytes each (32-bit)

For local variables, the offset is the address of the variable within the frame (the frame starts at offset 0). The address of the local variables would then be

$$\text{address of local variable a} = \text{fp} + a_{\text{offset}}$$





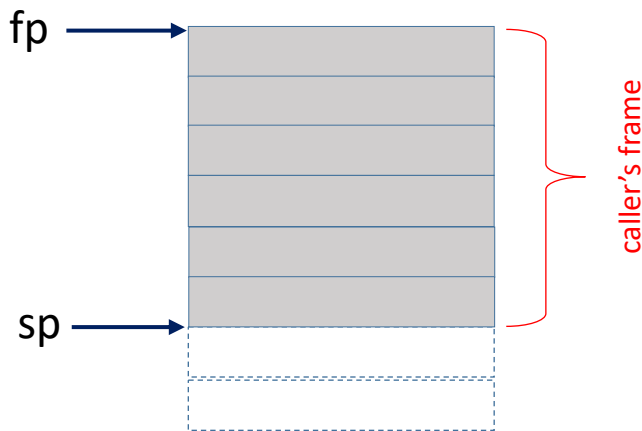
# Activation Records: alternative organization

The activation record we have discussed so far stores the arguments in the frame of the callee.

This makes  $fp_{offset}$ ,  $return_{offset}$ , and  $AL_{offset}$  (see later) dependent on the number of arguments (assuming the arguments are stored before them). More importantly, this makes the offsets of local variables dependent on the number of arguments.

The activation record we have seen so far does not support a variable number of parameters because in that case some offsets cannot be determined at compile time as they depend on the actual number of parameters

An alternative organization would store the arguments in the frame of the caller. Before the call, the caller increases the frame size (by changing  $sp$ ) to accommodate the arguments. The callee would then access the arguments in the frame of the caller by using negative offsets (assuming stack grows from low to high). This organization is illustrated below



1

Before call. **fp** and **sp** point to start and end of caller's frame



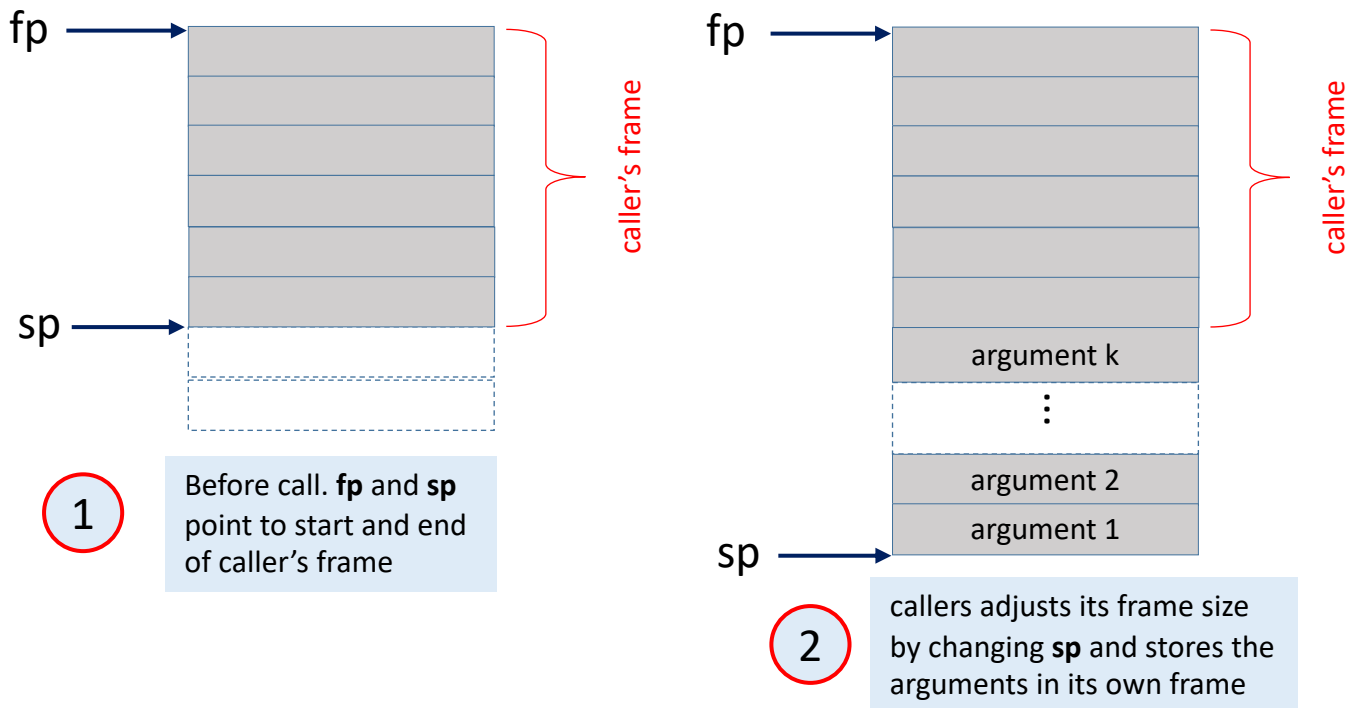
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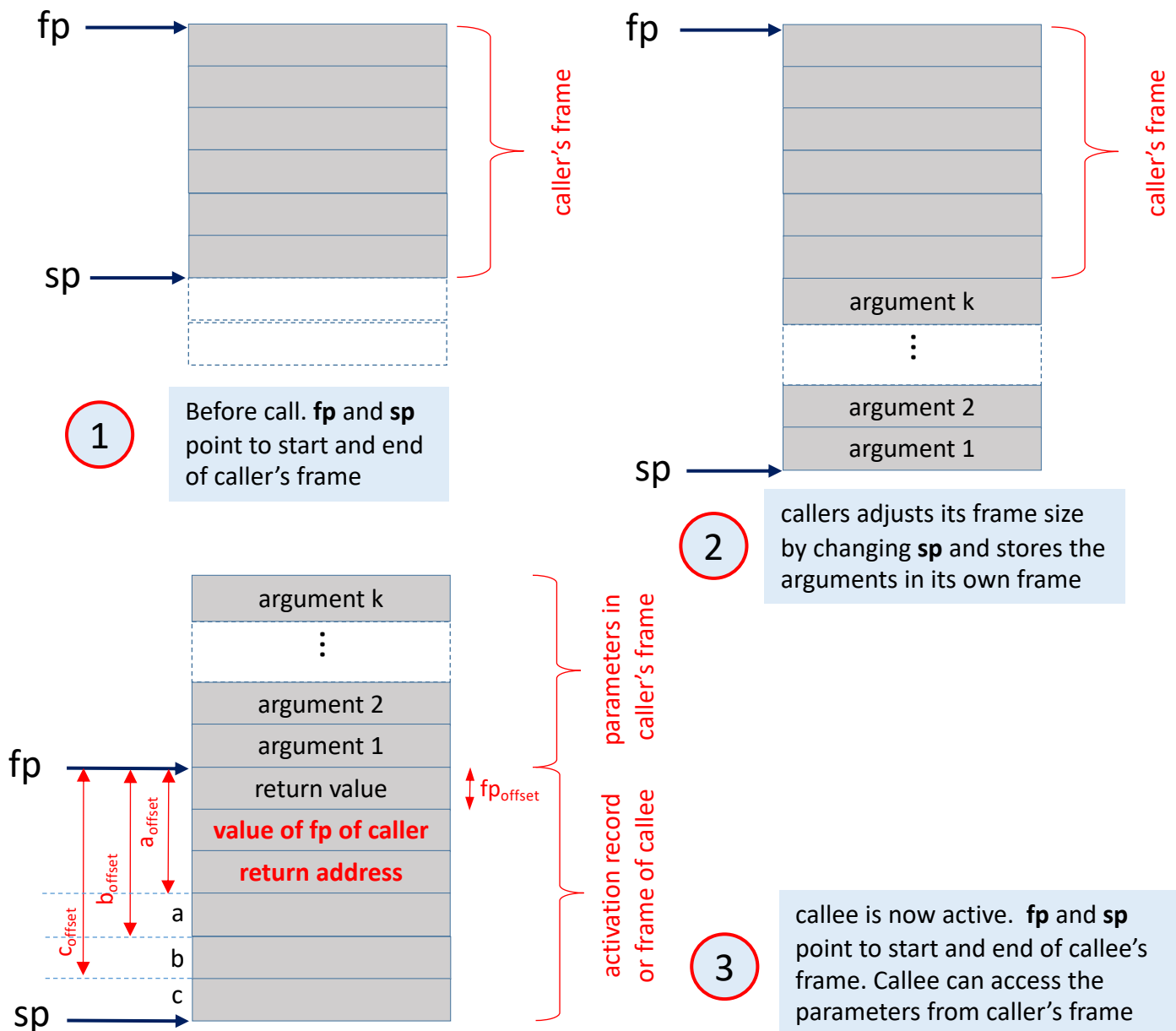
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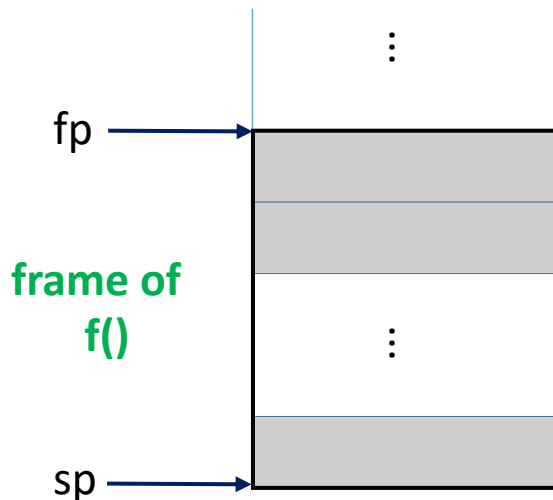
# Function call: a closer look



We consider a function  $f()$  that calls a function  $g()$ .

Before the call,  $f()$  is active and we have the following stack configuration:

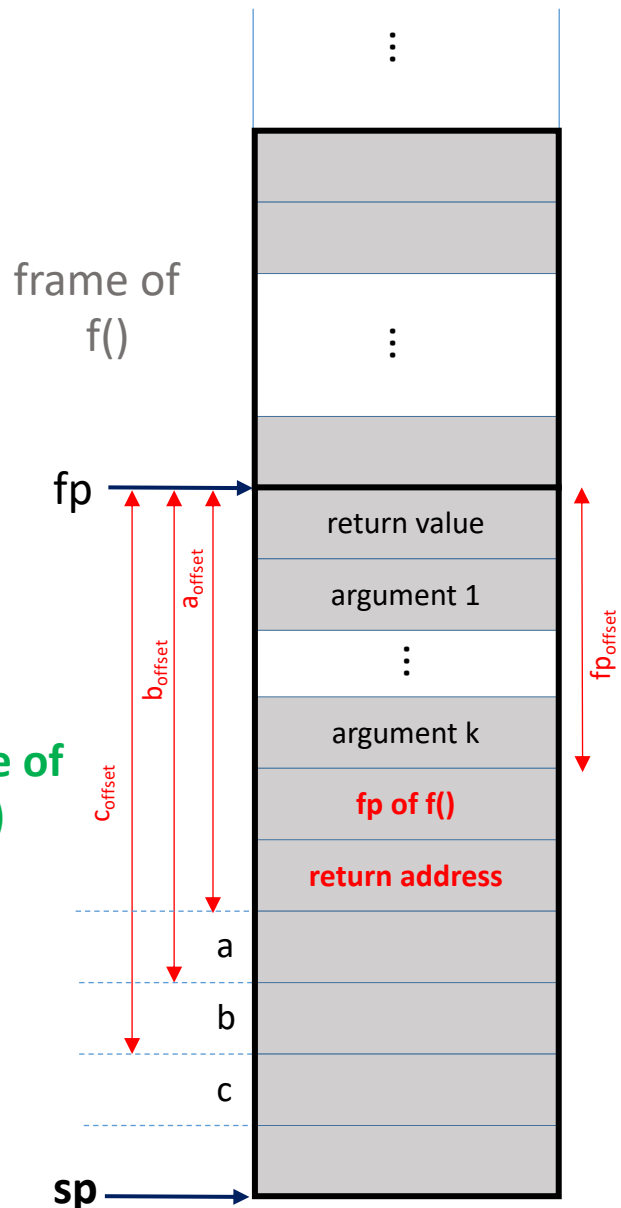
when call is made,  $f()$  is not active and  $g()$  becomes active



When a call is made, we need to:

1. calculate new values for  $fp$  and  $sp$  so that they point to the beginning and end of the callee's frame
2. store information about the caller's environment to be able to recover the caller's environment when the call returns

frame of  $g()$



We will look at each one separately

# Calculating new values for fp and sp

The new values for fp and sp are given by the following formula

$$\begin{aligned} fp_{\text{new}} &= sp_{\text{old}} \\ sp_{\text{new}} &= fp_{\text{new}} + \text{frame\_size of callee} \end{aligned}$$

**Note** **frame size** is given in unit of addressable space. It can be in bytes or words depending on the architecture. Some architectures allow addressing individual bytes even if the bus size is multiple bytes. Some architecture only allow addressing at the word granularity

**Note** In the equations above, we are saying how new values of fp and sp relate to old values of fp and sp. On a given architecture, there is one fp and one sp register, so the equation above say how those registers should be updated.

# Caller's obligations

We consider a function  $f()$  that calls a function  $g()$ .

Caller **must** do the following

1. save return address

$\text{mem}[\text{sp} + \text{ret\_address\_offset}] = \text{return address}$

2. calculate and copy arguments

$\text{mem}[\text{sp} + \text{argument1\_offset}] = v1$

$\text{mem}[\text{sp} + \text{argument2\_offset}] = v2$

...

$\text{mem}[\text{sp} + \text{argumentk\_offset}] = vk$

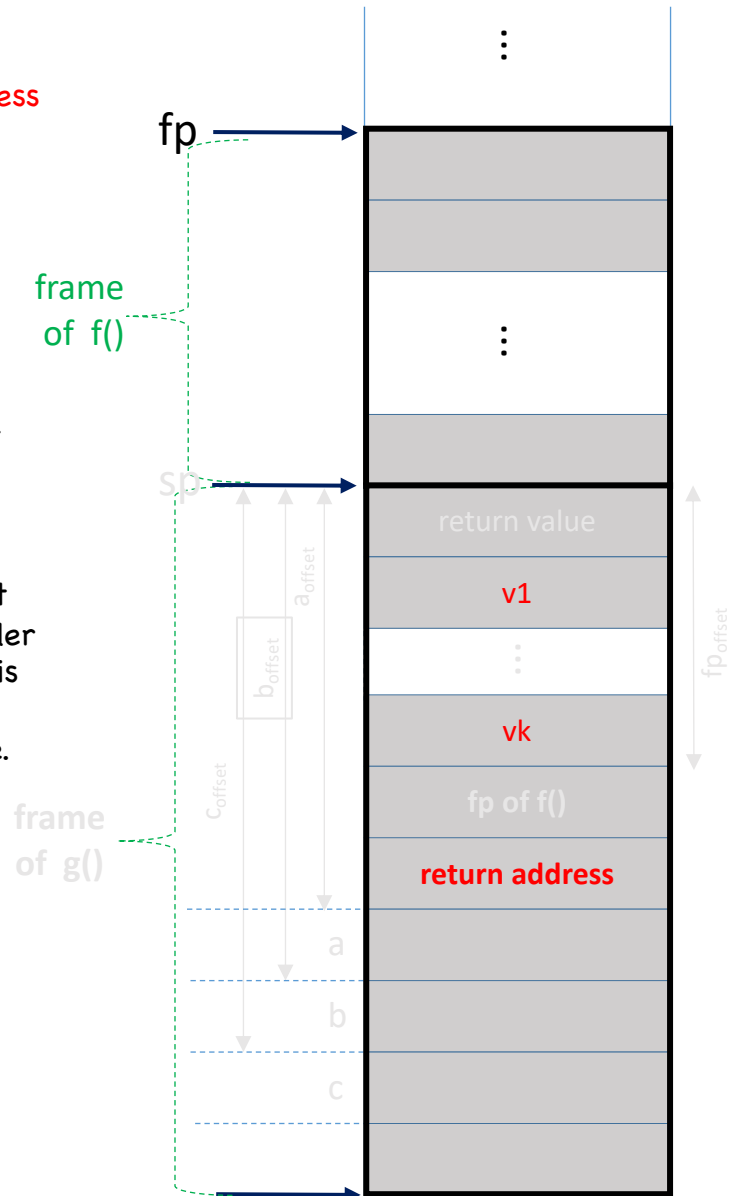
where  $v1 \dots vk$  are the calculated values of the  $k$  parameters

**Note** In the assignments,  $\text{sp}$  is used as the base of the offset because we assume that these assignments are executed by the caller before  $\text{fp}$ . The value of  $\text{sp}$  when the caller is active before the call is the same as the value of  $\text{fp}$  when the callee becomes active.

Why can't callee save return address and calculate the argument values?

1. callee does not know at what point in the execution the call is made
2. callee does not know the specific arguments that will be used for a particular call

when call is made,  $f()$  is not active and  $g()$  becomes active



# Callee's obligations

We consider a function  $f()$  that calls a function  $g()$ .

Callee **must** do the following

1. calculate  $sp$  for its own frame

$$sp = fp + \text{frame size}$$

2. calculate and save return value

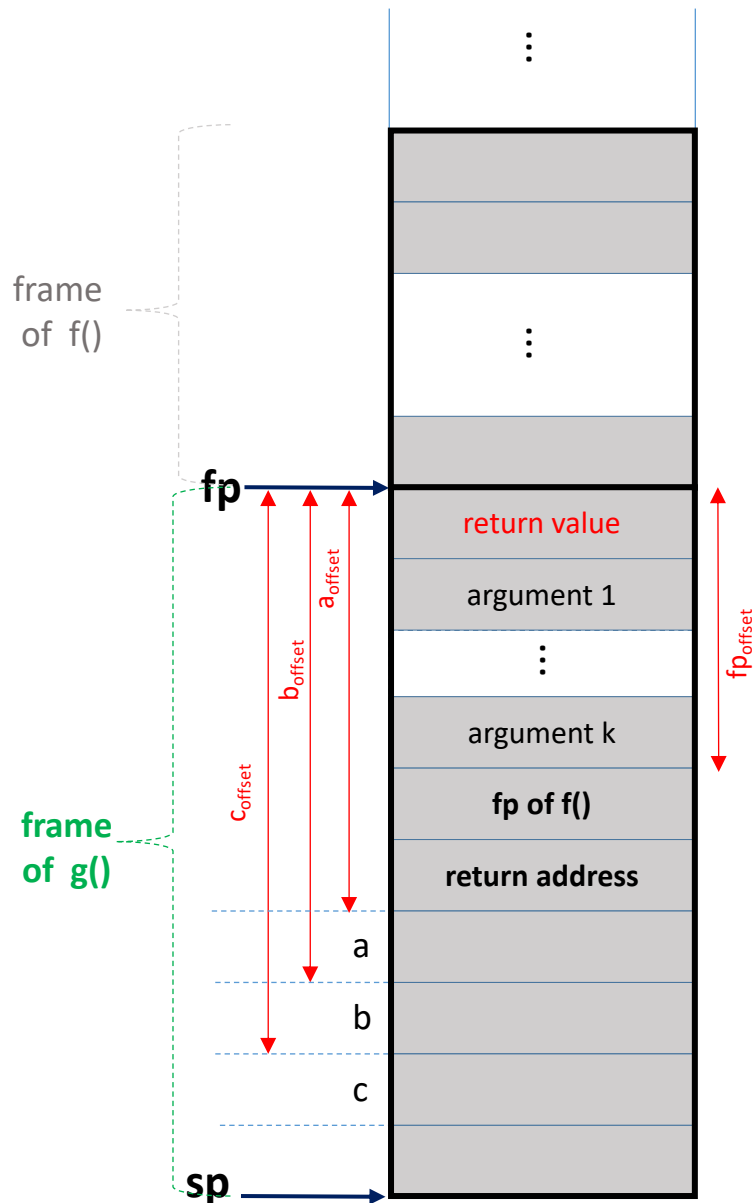
$$\text{mem}[fp + \text{ret\_val\_offset}] = \text{return value}$$

Here  $fp$  is used because this is done after  $fp$  is updated.

**Why can't the caller calculate  $sp$  of callee and calculate return value?**

1. Calculating  $sp$  of callee requires knowing the frame size of the callee. The size of the frame of the callee depends on the number and size of local variables used by the callee. This information is not available to the caller. The caller only needs to know the callee's signature (types of parameters and return value) in order to make the call.
2. The return value is calculated by the callee!

when call is made,  $f()$  is not active and  $g()$  becomes active



# Other obligations by caller or callee

We consider a function  $f()$  that calls a function  $g()$ .

when call is made,  $f()$  is not active and  $g()$  becomes active

Caller can do the following

1. save the value of its frame pointer

$\text{mem}[\text{sp} + \text{fp}_{\text{offset}}] = \text{fp}$

2. setup fp of callee (after saving its own frame pointer)

$\text{fp} = \text{sp}$

caller cannot setup sp of callee

Callee can do the following

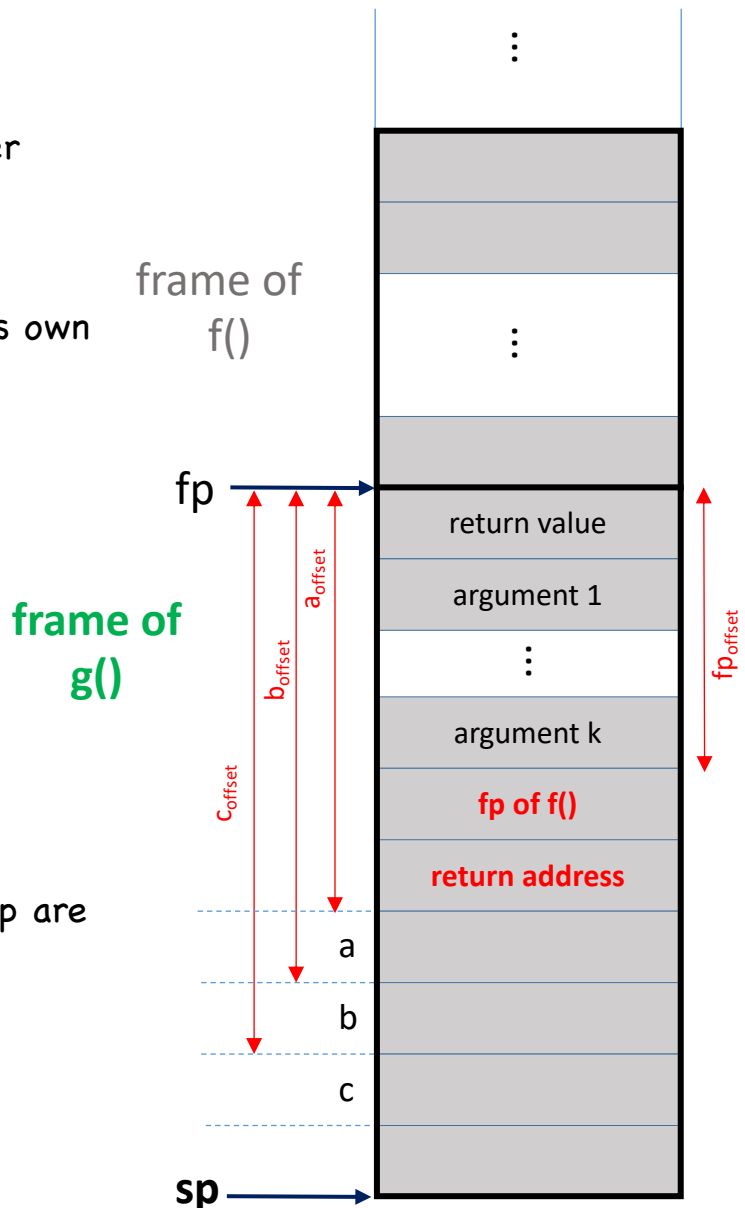
1. save fp of caller (before fp and sp are changed)

$\text{mem}[\text{sp} + \text{fp}_{\text{offset}}] = \text{fp}$

2. calculate its own fp and sp (after fp of caller is saved)

$\text{fp} = \text{sp}$

$\text{sp} = \text{sp} + \text{frame size}$



# Control Link

The control link is a pointer to the activation record of the calling environment

In the example above,  $f()$  calls  $g()$ , so the value of  $fp$  of  $f()$  that is saved in the frame of  $g()$  is the control link

The address of the control link in a given frame is

$$fp + fp_{\text{offset}}$$

where  $fp$  is the frame pointer of the current frame and  $fp_{\text{offset}}$  is the offset relative to the beginning of the frame

**Note** I use frame and activation record interchangeably



# Calling Conventions

It is important to have a calling convention that both caller and callee can follow so that they are in agreement on each other's responsibility regarding the call:

- who does what?
- where are values stored?

Essentially, everything we considered as content and location of frame is specified by the calling convention

Note that in general, the compiler does not generate the code for both caller and callee. Callee can be a library function that is separately compiled. So, it is not up to a compiler to decide on its own calling convention. A compiler should compile according to some calling convention. The particular convention can depend on the target computer architecture and the programming language itself.

In general the arguments and return value need not be on the stack. They can be in registers depending on the number and size of parameters.

Also, in some languages, a pointer to an argument can be provided to the callee and the actual argument is on the heap.

The details of a particular calling convention is not important to us.

It is important, though, to understand the need for a calling convention, and to understand what a calling convention specifies

# Saving and Restoring the Registers

One point that I have omitted so far is a discussion of registers.

On most architecture, the operands of an operation are values that are present in registers.

Functions need to move values from memory to registers in order to do computations on those values and then the results can be moved back to memory to free up registers for other operations

Calling conventions also specify what to do with registers when a function call is made.

The issue is the following. If at the time of a call,

- (1) a register contains a value that the caller needs after the call returns and
- (2) the same register is overwritten by the callee during the call,

the value needed by the caller needs to be saved (by the caller or callee) and restored when the call returns.

On the next page, we consider various possibilities

**Note** two specific registers that we already considered are fp and sp

# Saving and Restoring the Registers

We consider various possibilities (a given calling convention would follow one of these possibilities)

**1. Caller-saved.** In this convention, the caller is responsible for saving the registers whose values it needs. The caller is also responsible for restoring the values when the call returns

**2. Callee-saved.** In this convention, the callee is responsible for saving any registers it uses. The callee is also responsible for restoring the values before the call returns

## Advantages/disadvantages

If callee uses many registers, then caller-saved is better because registers that are needed by caller are fewer than those modified by callee and only registers that are needed by caller are saved and restored

If callee uses few registers, then callee-saved is better because registers that are modified by callee are fewer than those that are needed by caller and only registers modified by callee are saved and restored

**3. Caller/Callee-saved.** This option divides registers into two groups

1. One group of registers is caller-saved
2. One group of registers is callee-saved

Caller attempts to use only callee-saved registers and callee attempts to use only caller saved registers. This way no registers need to be saved

## Advantages/disadvantages

This works for single level of calls and if there are deeper levels, caller and callee are switched and more registers would need to be saved

# Accessing non-local variables

**Note I did not cover the material on access links in class.**

So far we have talked about accessing global and local variables

In some languages like Javascript, functions can be defined inside the scope of other functions

For such nested functions, an inner function might access a variable that is declared in its parent scope. Such access is not local and is not global and we need a way to achieve it

non-local access is made easier using access links .

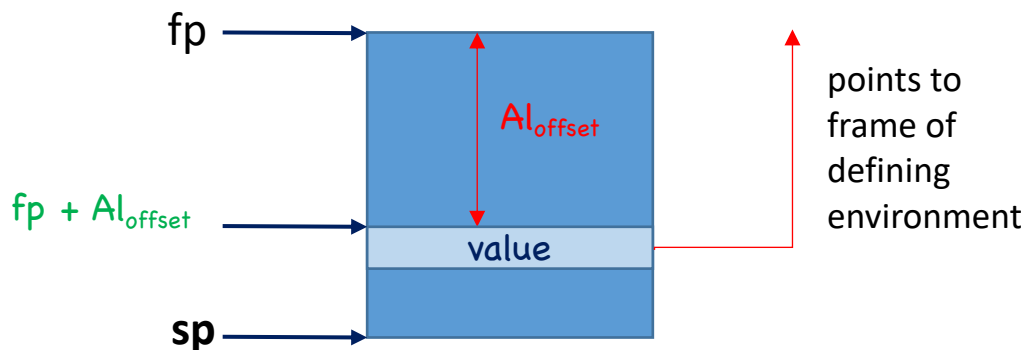
Access link. The access link of an activation record of a function  $g()$  points to the activation record of the defining environment of  $g()$

The access link is stored in the activation records.

1.  $AL_{offset}$  is the offset of the access link within the activation record
2. The address where the access link is stored in an activation record is

$$fp + AL_{offset}$$

3. The value of the access link is the content of the memory whose address is  $fp + AL_{offset}$



# Accessing non-local variables

We consider a simple example

```
f()
    a    // local variable in f()

    g1() // function defined in f()

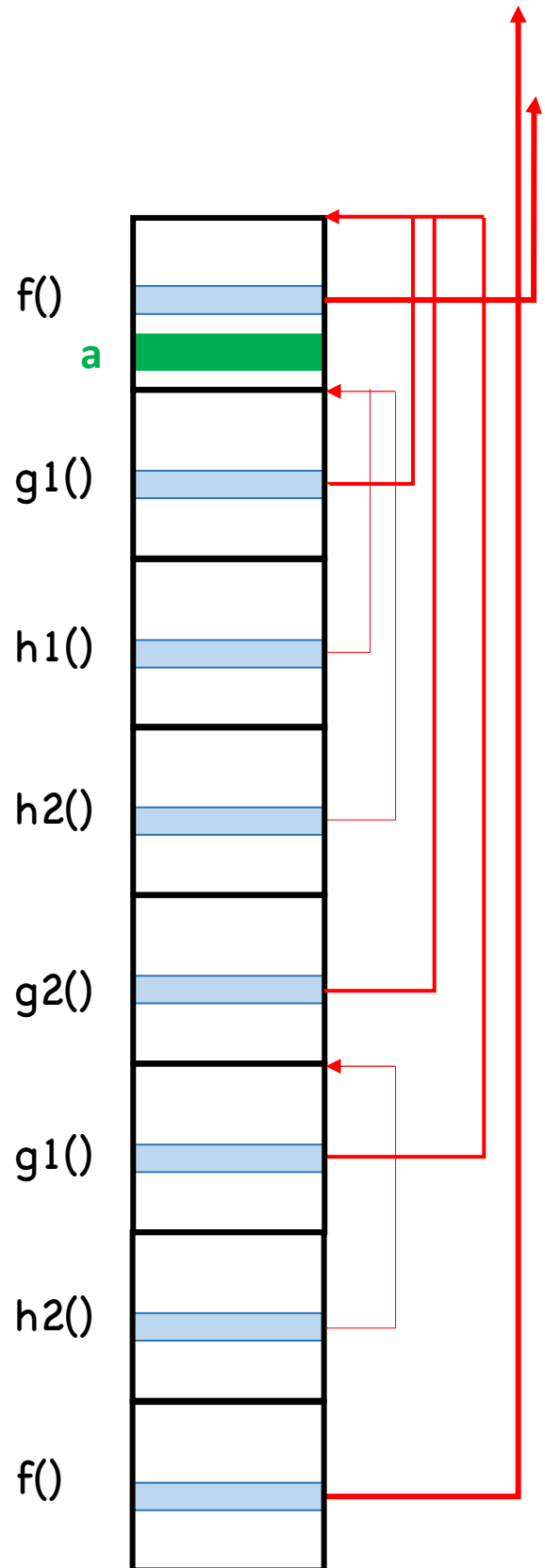
        h1() // function defined in g1()
        {
            ... // body of h1()
        }

        h2() // function defined in g1()
        {
            ...
            a = a + 1; // body of h2()
            ...
        }

    {
        ... // body of g1()
    }

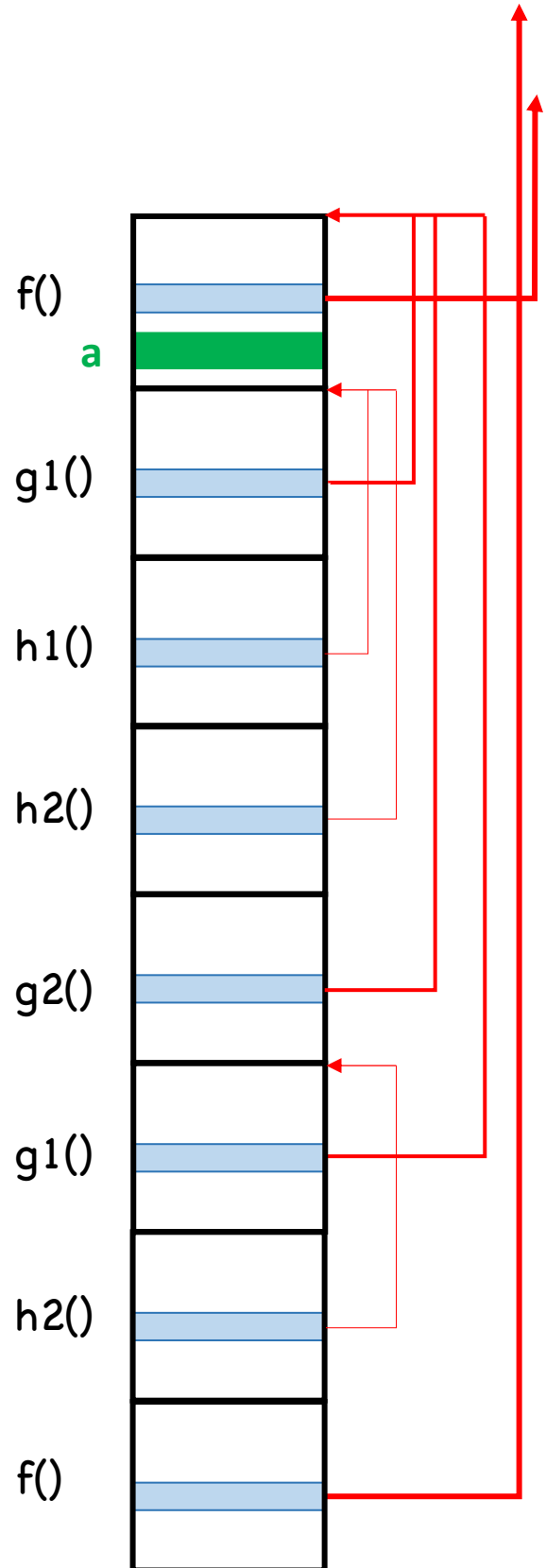
    g2() // function defined in f()
    {
        ... // body of g2()
    }

{
    .... // body of f()
}
```



# Accessing non-local variables

- `g1()` is defined inside `f()`: the access link of `g1()` points to the frame of `f()`
- `h1()` is defined inside `g1()`: the access link of `h1()` points to the frame of `g1()`
- `h2()` is defined inside `g1()`: the access link of `h2()` points to the frame of `g1()`
- `g2()` is defined inside `f()`: the access link of `g2()` points to the frame of `f()`
- the access link of the second call to `f()` points to the same frame (not shown) that the access link of the first call to `f()` points to



# Accessing non-local variables

We assume that the access link are correctly calculated (we will see how that is done in a couple pages) and we show how access links can be used to calculate the address of non-local variables

We start with the example of `h2()` in which the local variable `a` of `f()` is accessed

Address of `a` = fp of `f()` +  $a_{\text{offset}}$

So, to calculate the address of `a`, `h2()` needs to calculate the address of fp of `f()`

The calculation is iterative

```
address = fp                                // points to frame of h2()
address = mem[address + AL_offset ]         // points to frame of g1()
address = mem[address + AL_offset ]         // points to frame of f()
address = address + a_offset                // points to location of a
```

This can be rewritten as follows

```
address = fp
for i = 1 to 2
    address = mem[address + AL_offset ]
address = address + a_offset
```

# Accessing non-local variables

In general, the calculation for the address of variable  $x$  declared in  $f()$  and accessed in  $g()$  which is  $L$  level deep within  $f()$  can be done as follows

```
address = fp
for i = 1 to L
    address = mem[address +  $A_{L_{offset}}$  ]
address = address +  $X_{offset}$ 
```

where  $L$  is the difference in nesting levels between the points where  $x$  is accessed and the point where  $x$  is declared.

In the example above on the previous page,  $L = 2$

The quantities in green are known at compile time. I highlight this to show that the compiler can generate the necessary code

The actual value of the address is calculated at runtime by executing the code



# Calculating Access Link

All that remains is to calculate access links

I remind you of the definition of access link and control link

Access link. The access of an activation record of a function  $g()$  points to the activation record of the defining environment of  $g()$

The control link of is a pointer to the activation record of the calling environment

# Calculating access links

1.  $f()$  calls  $g1()$

here the caller is the defining environment,  
so access link points to the frame of the  
caller

The caller executes

$$\text{mem}[\text{sp} + \text{AL}_{\text{offset}}] = \text{fp}$$

---

2.  $g1()$  calls  $h1()$

same as previous case

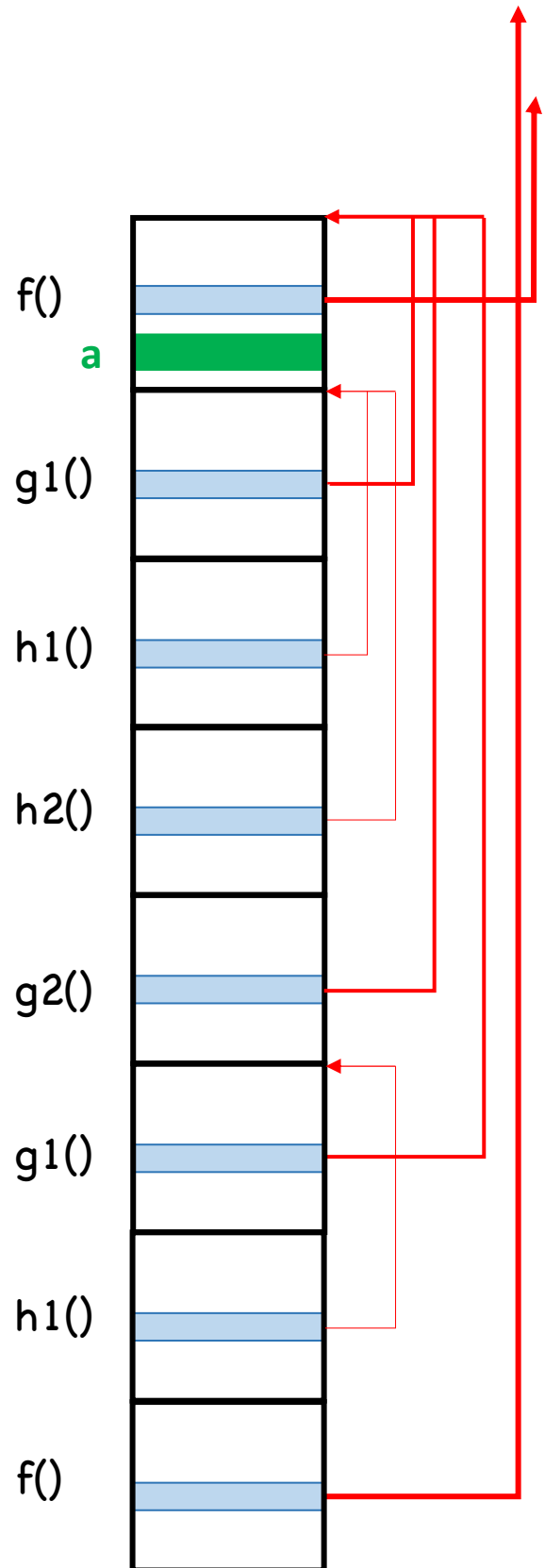
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3.  $h1()$  calls  $h2()$

here  $h1()$  and  $h2()$  have the same defining  
environment and their access links have the  
same value

The caller executes

$$\text{mem}[\text{sp} + \text{AL}_{\text{offset}}] = \text{mem}[\text{fp} + \text{AL}_{\text{offset}}]$$



# Calculating access links

4. h2() calls g2()

this is more interesting

```
address = fp
// points to current frame
```

```
address = mem[address + AL_offset]
// points to frame of g1()
```

```
address = mem[address + AL_offset]
// points to frame of f()
```

```
mem[ sp + AL_offset ] = address
// stores access link in frame of callee
```

---

5. g2() calls g1()

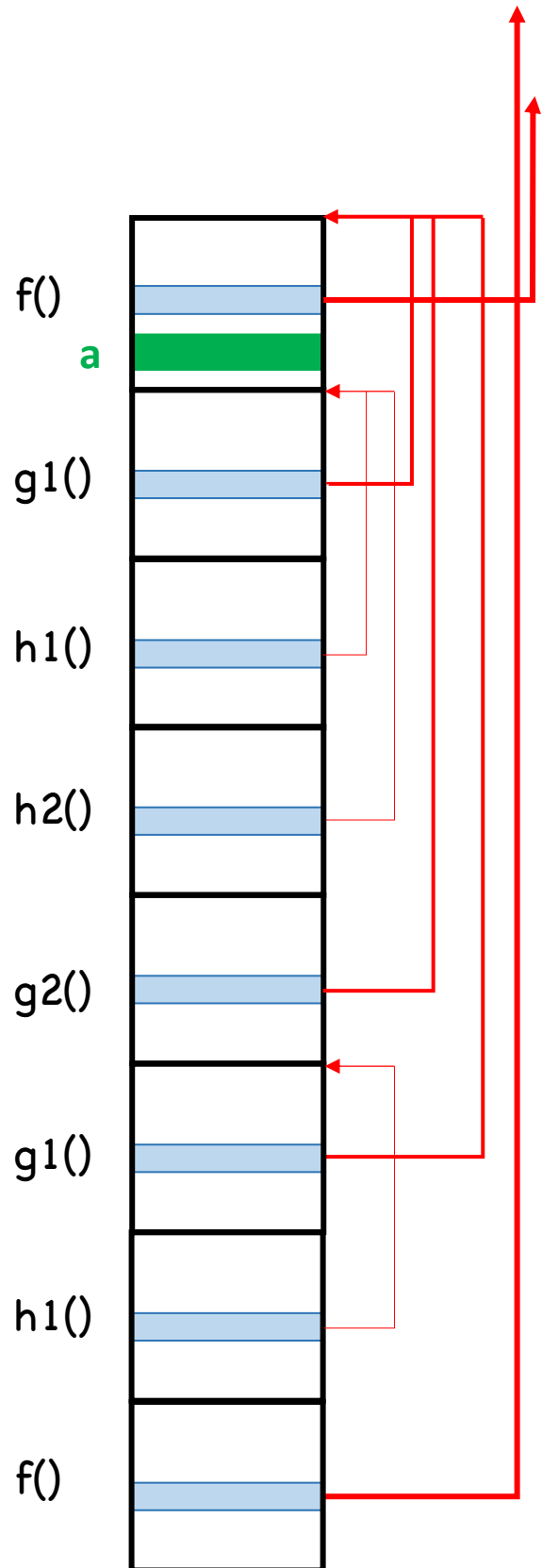
same as case (3) on previous page

---

6. g1() calls h1()

same as cases (1) and (2) on previous page

---



# Calculating access links

## 7. h1() calls f()

This is similar to case (4). We need to follow access links until we get to the frame of the first call to f() where we can copy the access link value

```
address = fp
```

```
address = mem[address + AL_offset]  
// points to frame of g1()
```

```
address = mem[address + AL_offset]  
// points to frame of f()
```

```
address = mem[address + AL_offset]  
// points to frame of parent scope of f()
```

```
mem[ sp + AL_offset ] = address  
// stores access link in frame of callee
```

---

