

Assignment 3

Week 1

1.1 (2pts)

1.1 Addition and Subtraction

Input file: **standard input**
Output file: **standard output**
Time limit: 2 seconds
Memory limit: 512 megabytes

Given two integers x and y , construct an infinite sequence of integers $A = \{a_0, a_1, a_2, \dots\}$ as follows: $a_0 = 0$ and for every $i \geq 1$, $a_{2i-1} = a_{2i-2} + x$ and $a_{2i} = a_{2i-1} - y$.

Given three integers x , y and z , find the index of the first occurrence of z in A or report that z does not appear in A .

For example, if $x = 2$, $y = 1$ and $z = 3$, then $A = (0, 2, 1, 3, 2, 4, 3, \dots)$ and the answer is 3 ($a_3 = 3$ and this is the first occurrence of 3 in A). If $x = 2$, $y = 0$ and $z = 3$, then $A = (0, 2, 2, 4, 4, 6, 6, \dots)$ and the answer is -1 (there is no occurrence of 3 in A).

Input

Three integers x , y and z ($0 \leq x, y, z \leq 1000$) separated by spaces.

Output

The first position of z in A or -1 , if there is no occurrence of z in A .

Examples

| standard input | standard output |
|----------------|-----------------|
| 2 1 3 | 3 |
| 2 0 3 | -1 |

1.2 (2 pts)

1.2 Erasing Maximum

Input file: **standard input**
Output file: **standard output**
Time limit: 2 seconds
Memory limit: 512 megabytes

Let $A[1..n]$ be an array of integers. Output the same array without its maximum element. If there are several maximum elements, get rid of the third. It is guaranteed that the input array A has either a unique maximum element or at least three maximum elements.

Input

The first line contains an integer n ($2 \leq n \leq 100$), the length of the array. The second line contains integers $A[1], A[2], \dots, A[n]$ ($1 \leq A[i] \leq 100, 1 \leq i \leq n$).

Output

Output $n - 1$ integers separated by spaces.

Examples

| standard input | standard output |
|--------------------|-----------------|
| 3 1 3 2 | 1 2 |
| 7 4 1 4 2 4 3 4 | 4 1 4 2 3 4 |

1.3 (2 pts)

1.3 Increment

Input file: **standard input**
Output file: **standard output**
Time limit: 2 seconds
Memory limit: 512 megabytes

Given a large non-negative integer x , find the number of decimal digits in $x + 1$.

Input

A non-negative integer x ($0 \leq x \leq 10^{1000000}$) with no leading zeroes.

Output

The number of decimal digits in $x + 1$.

Examples

| standard input | standard output |
|----------------|-----------------|
| 1 | 1 |
| 9 | 2 |

1.4 (2 pts)

1.4 Straight Flush

Input file: **standard input**
Output file: **standard output**
Time limit: 2 seconds
Memory limit: 512 megabytes

The deck of 52 French playing cards is the most common deck of playing cards used today. It includes thirteen ranks of each of the four French suits: clubs (C), diamonds (D), hearts (H), and spades (S). Each suit includes an ace (A), a king (K), a queen (Q), and a jack (J), each depicted with a symbol of its suit; and ranks two (2) through ten (T), with each card depicting that many symbols (pips) of its suit.

A **straight flush** is a poker hand containing five cards of sequential rank, all of the same suit, such as QH JH TH 9H 8H (a “queen-high straight flush”). As part of a straight flush, an ace (A) can rank either above a king or below a two. So an ace can rank either high (e.g., AH KH QH JH TH is an ace-high straight flush) or low (e.g., 5D 4D 3D 2D AD is a five-high straight flush), but cannot rank both high and low in the same hand (e.g. QS KS AS 2S 3S is not a straight flush). Thus, there are 40 possible straight flush hands when using a standard 52-card deck.

Given 5 different cards, check whether they constitute a straight flush.

Input

Five different cards separated by spaces. Each card is specified by two symbols: the first one is a rank and the second is a suit. Suites are marked with letters C, D, H, and S. Ranks are marked with symbols 2, 3, . . . , 9, T, J, Q, K, and A.

Output

Output YES, if the given cards form a straight flush, otherwise output NO.

Examples

| standard input | standard output |
|----------------|-----------------|
| 2D 5D 3D 4D 6D | YES |
| AD KH QH JS TC | NO |