



Initial Board State

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Algorithm

- 1. If the input is empty, immediately return an empty array.
- 2. Initialize variables that we will use to solve the problem:
 - $\circ~$ Number of rows and columns in our matrix;
 - $\circ~$ 2 queues, one for the Atlantic Ocean and one for the Pacific Ocean that will be used for BFS;
 - 2 data structures, again one for each ocean, that we'll use to keep track of cells we already visited, to avoid infinite loops;
 - $\circ~$ A small array ~ [(0, 1), (1, 0), (-1, 0), (0, -1)] that will help with BFS.
- ${\it 3. Figure out all the cells that are adjacent to each ocean, and fill the respective data structures with them.}\\$
- 4. Perform BFS from each ocean. The data structure used to keep track of cells already visited has a double purpose it also contains every cell that can flow into that ocean.
- 5. Find the intersection, that is all cells that can flow into both oceans.

Implementation

Putting it all together for the final solution:

```
Java Python3

for (int i = 0; i < numcots; i++) {
    pacificQueue.offer(new int[]{0, i});
    atlanticQueue.offer(new int[]{numRows - 1, i});
}

// Perform a BFS for each ocean to find all cells accessible by each ocean
boolean[][] pacificReachable = bfs(pacificQueue);
boolean[][] atlanticReachable = bfs(atlanticQueue);

// Find all cells that can reach both oceans

List-List-Integer> commonCells = new ArrayList→();
for (int i = 0; i < numRows; i++) {
    for (int j = 0; j < numCols; j++) {
```

Complexity Analysis

- Time complexity: $O(M \cdot N)$, where M is the number of rows and N is the number of columns.

In the worst case, such as a matrix where every value is equal, we would visit every cell twice. This is because we perform 2 traversals, and during each traversal, we visit each cell exactly once. There are $M \cdot N$ cells total, which gives us a time complexity of $O(2 \cdot M \cdot N) = O(M \cdot N)$.

• Space complexity: $O(M \cdot N)$, where M is the number of rows and N is the number of columns.

The extra space we use comes from our queues, and the data structure we use to keep track of what cells have been visited. Similar to the time complexity, for a given ocean, the amount of space we will use scales linearly with the number of cells. For example, in the Java implementation, to keep track of what cells have been visited, we simply used 2 matrices that have the same dimensions as the input matrix.

The same logic follows for the queues - we can't have more cells in the queue than there are cells in the matrix!

Approach 2: Depth First Search (DFS)

Intuitively, BFS makes more sense for this problem since water flows in the same manner. However, we can also use DFS, and it doesn't really make much of a difference. So, if you prefer DFS, then that's perfectly fine for this problem. Additionally, it's possible that your interviewer will ask you to implement the problem recursively instead of iteratively. Recursion must be DFS, not BFS.

Algorithm

DFS is very similar to BFS. Instead of using a queue and working iteratively, we'll use recursion. Our dfs method will be called for every reachable cell. Note: we could also work iteratively with DFS, in which case we would simply use a stack instead of a queue like in the Approach 1 code, with mostly everything else being identical to the BFS approach.

Implementation

```
🖺 Сору
Java Python3
 1 class Solution {
             private static final int[][] DIRECTIONS = new int[][]{{0, 1}, {1, 0}, {-1, 0}, {0, -1}}; private int numCous; private int numCols;
              private int[][] landHeights;
              public List<List<Integer>>> pacificAtlantic(int[][] matrix) {
                    // Check if input is empty
if (matrix.length == 0 || matrix[θ].length == θ) {
    return new ArrayList⇔();
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                    }
                     // Save initial values to parameters
                    numRows = matrix.length;
numCols = matrix[0].length;
                    hommoots = matrix;
boolean[][] pacificReachable = new boolean[numRows][numCols];
boolean[][] atlanticReachable = new boolean[numRows][numCols];
                     // Loop through each cell adjacent to the oceans and start a DFS
                     // Loop time up each cett adjacent to the of
for (int i = 0; i < numRows; i++) {
    dfs(i, 0, pacificReachable);
    dfs(i, numCols - 1, atlanticReachable);</pre>
                     for (int i = 0; i < numCols; i++) {
    dfs(0, i, pacificReachable);</pre>
                           dfs(numRows - 1, i, atlanticReachable);
```

Complexity Analysis

• Time complexity: $O(M \cdot N)$, where M is the number of rows and N is the number of columns.

Similar to approach 1. The dfs function runs exactly once for each cell accessible from an ocean.

- Space complexity: $O(M \cdot N)$, where M is the number of rows and N is the number of columns.

Similar to approach 1. Space that was used by our queues is now occupied by dfs calls on the recursion stack.

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"Water can only flow in four directions"

Here water means, land water, not ocean water.

Hope that will help someone understanding the problem

