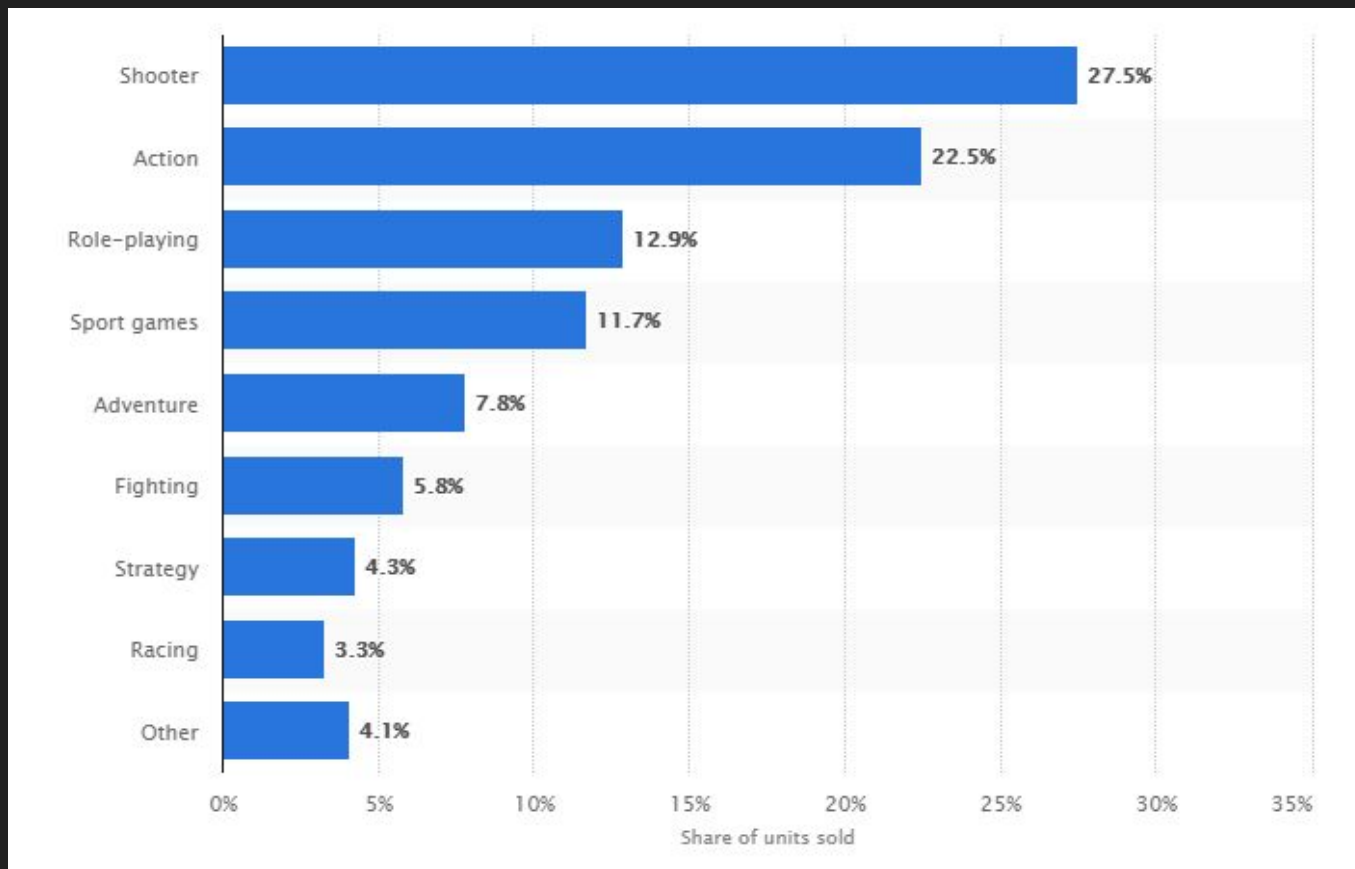


# First-person 3d shooters

history

By Ershov Gleb



2016 US. market The graph shows the distribution of U.S. video game sales by genre.

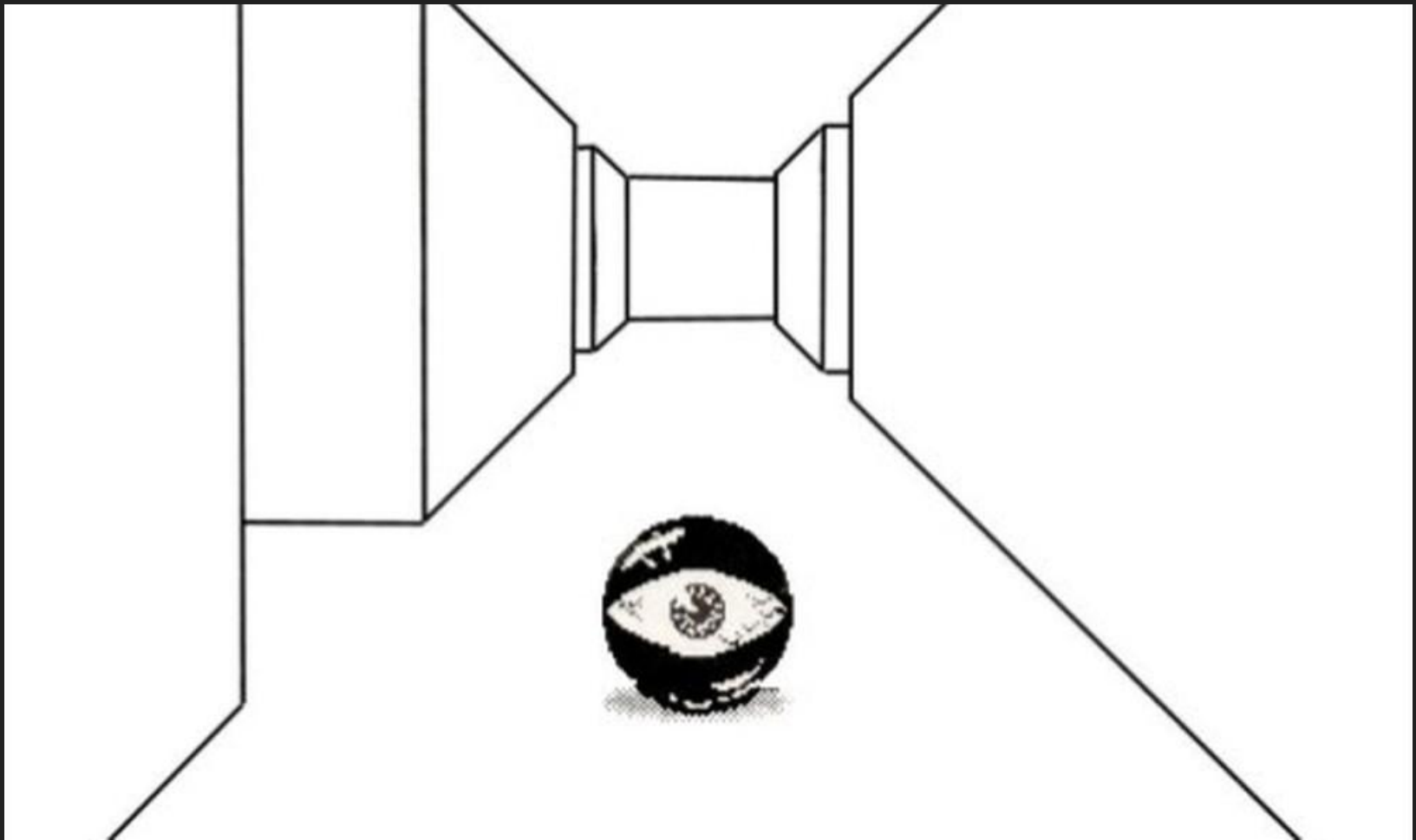


Enemy Front (2014)



Counter Strike 1.5 (2000)





Maze War (1974)



id Software team (1992)



Catacomb 3D (1991)



Wolfenstein 3D (1992)





Doom (1993)



Marathon (1994)



Duke Nukem 3D (1996)





## Quake (1996)



Quake (1996)



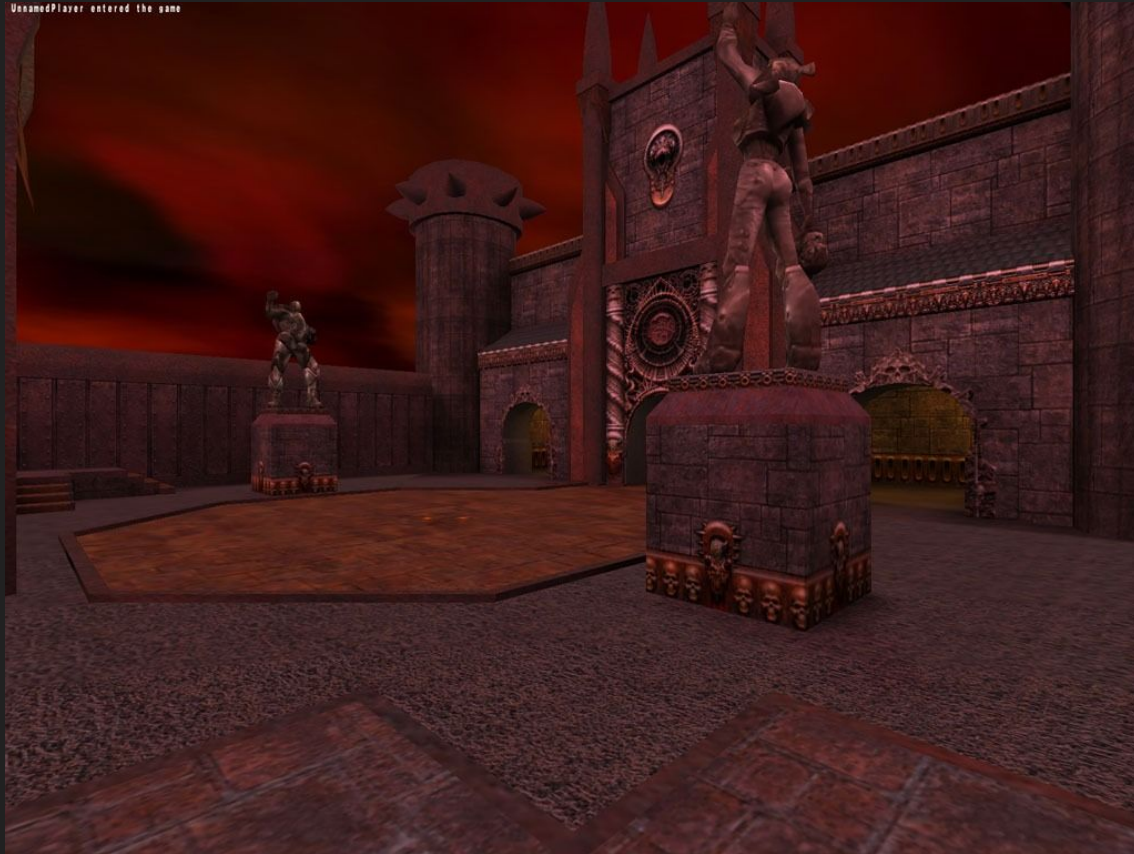
# Without shaders

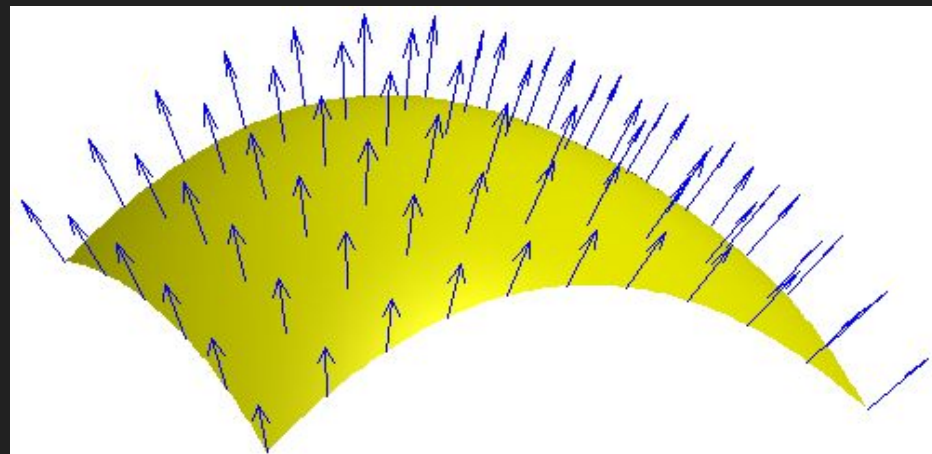
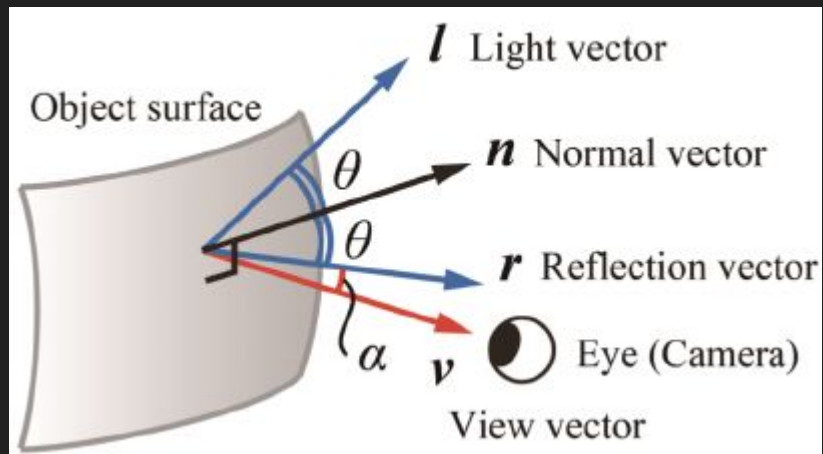


# Shaders



# Together





Vector normalization problem



# AMD



# nVIDIA



GPU vendors

$$\frac{1}{\sqrt{x^2 + y^2 + z^2}}$$

Vector normalization formula

# Too simple, isn't it?

```
1 float InvSqrt(float x){  
2     return 1.0f / sqrt(x);  
3 }
```

# Too simple, isn't it?

```
1 float InvSqrt(float x){  
2     return 1.0f / sqrt(x);  
3 }
```

# And also too slow



```

1
2 float FastInvSqrt(float x) {
3     float xhalf = 0.5f * x;
4
5     int i = *(int*)&x;           // evil floating point bit level hacking
6     i = 0x5f3759df - (i >> 1);   // what the f---ck?
7
8     x = *(float*)&i;
9     x = x*(1.5f-(xhalf*x*x));     //1st iteration
10    //x = x*(1.5f-(xhalf*x*x));    // 2nd iteration, this can be removed
11
12    return x;
13 }
14

```

Code to compute the inverse square root from Quake engine

# Algorithm

```
float xhalf = 0.5f * x;
```

1. Compute half of input integer

# Algorithm

```
int i = *(int*)&x;           // evil floating point bit level hacking
```

1. Compute half of input integer
2. Cast float to int





# Algorithm

```
i = 0x5f3759df - (i >> 1);
```

1. Compute half of input integer
2. Cast float to int
3. Bitwise shift to the right
4. Subtract result from magic constant 5F3759DF16

# Algorithm

```
x = *(float*)&i;
```

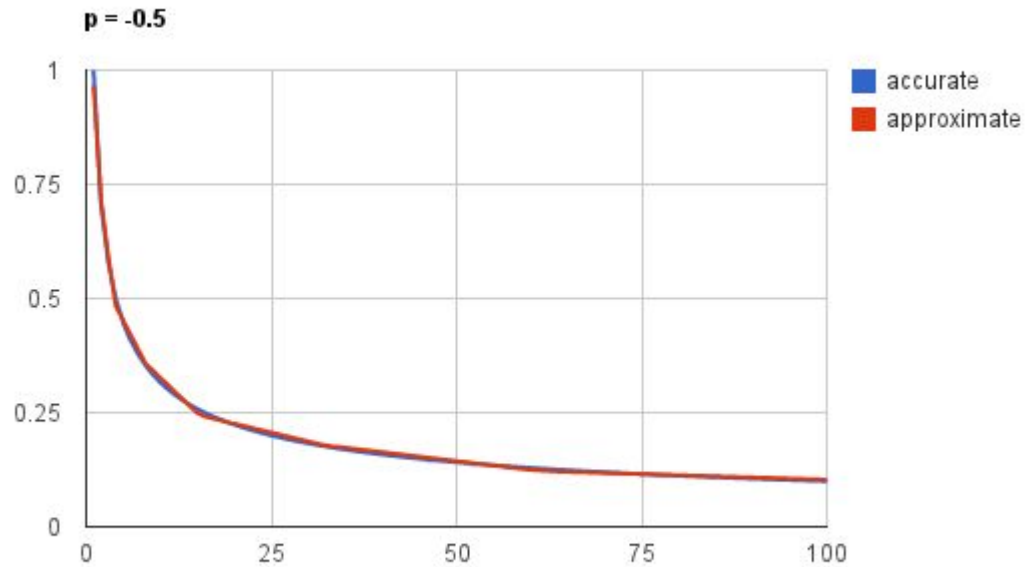
1. Compute half of input integer
2. Cast float to int
3. Bitwise shift to the right
4. Subtract result from magic constant 5F3759DF16
5. Cast result back to float

# Algorithm

```
x = x*(1.5f-(xhalf*x*x));
```

1. Compute half of input integer
2. Cast float to int
3. Bitwise shift to the right
4. Subtract result from magic constant 5F3759DF16
5. Cast result back to float
6. Make one iteration of Newton method to get more accurate

# Accuracy





# Speed

3-4 times faster

# References

- [https://en.wikipedia.org/wiki/Newton's\\_method](https://en.wikipedia.org/wiki/Newton's_method)
- <http://h14s.p5r.org/2012/09/0x5f3759df.html>
- [https://www.slideshare.net/maksym\\_zavershynskyi/fast-inverse-square-root](https://www.slideshare.net/maksym_zavershynskyi/fast-inverse-square-root)