

BASIC PRINCIPLES OF FINANCIAL VALUATION DISCOUNTING

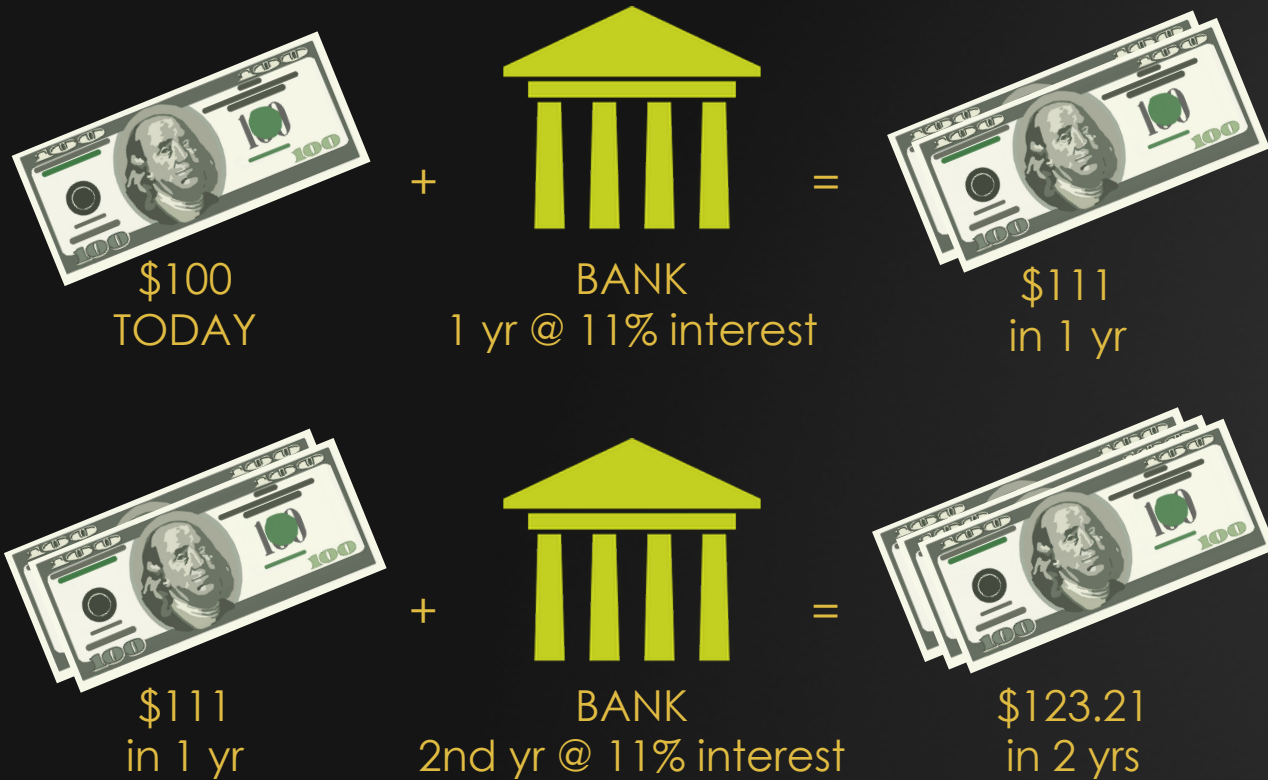
Compounding and
Earning Returns Over Time

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COMPOUNDING



The second year is more because you are earning interest on the interest you earned in the first year — this is **Compound Interest**.

FUTURE VALUE: MONEY IN THE BANK

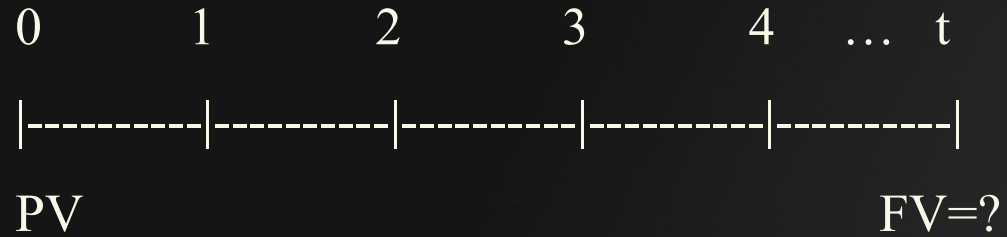
Interest rate = 11%

\$1,000 in bank for 5 years

Year	Amount
0	\$1,000
1	$\$1,110 = \$1,000 + \$1,000 * 11\% = \$1,000 * (1+11\%)$
2	$\$1,232 = \$1,110 * (1+11\%) = \$1,000 * (1+11\%)^2$
3	$\$1,368 = \$1,232 * (1+11\%) = \$1,000 * (1+11\%)^3$
4	$\$1,518 = \$1,368 * (1+11\%) = \$1,000 * (1+11\%)^4$
5	$\$1,685 = \$1,518 * (1+11\%) = \$1,000 * (1+11\%)^5$

\$1,685

FUTURE VALUE



$$FV = PV(1+r)^t$$

FV = Future Value

PV = Present Value

r = interest rate

t = time

FUTURE VALUE EXAMPLE 1 (LIGHTBOARD)

Suppose you put \$1,000 into a savings account today that will pay 11% interest for five years. How much will you have at the end of five years?

$$FV = \$1,000(1.11)^5 = \$1,685.06$$

FUTURE VALUE EXAMPLE 2 (LIGHTBOARD)

- ▶ What if I bought a painting for \$700 and then 3 years later sold it for \$825. How much did I earn on the painting on an annual basis?
- ▶ Use the formula to figure it out
- ▶ $FV = PV * (1+r)^t$
- ▶ Future value is the \$825, Present value is the \$700
- ▶ $t=3$, Solve for r
- ▶ $\$825 = \$700 * (1+r)^3$

$$r = \sqrt[3]{\frac{\$825}{\$700}} - 1 = 5.63\%$$