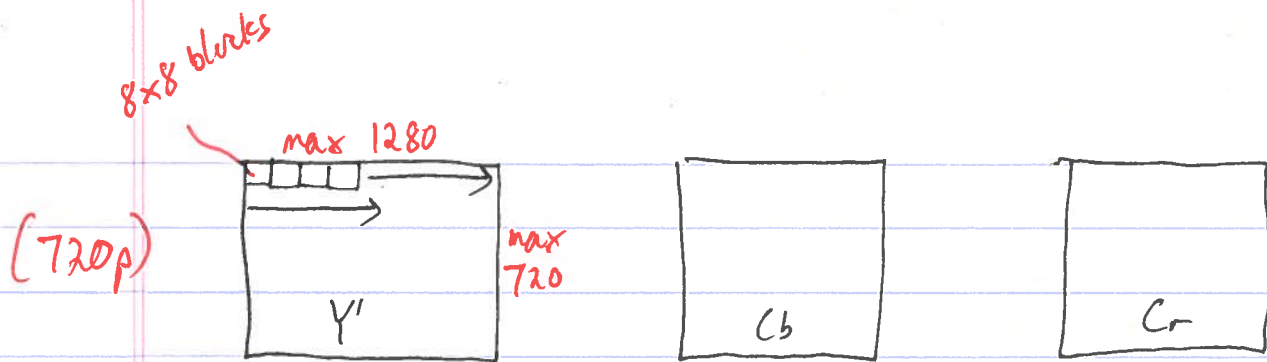


Lab Intro

①

- project: video decoder on an SoC
- file format: mjpeg⁴²³
 - a sequence of frames (simplified jpeg images)
- colour spaces
 - bitmaps (.bmp files) and screen output are normally in the RGB (red green blue) space
 - a pixel can be represented using 8 bits per colour
 - RGB is hard to compress
 - our eyes are more sensitive to changes in brightness (luminance) than changes in colour (chrominance)
 - Y'CbCr space is used instead
$$Y' (\text{luminance}) = 0 + 0.299R + 0.587G + 0.114B$$
$$Cb (\text{blue chrominance}) = 128 - 0.169R - 0.331G + 0.500B$$
$$Cr (\text{red chrominance}) = 128 + 0.500R - 0.419G - 0.081B$$
 - we use 8 bits per channel
 - the Cb and Cr channels might be compressed more (with resulting loss of information) than the Y' channel

(2)



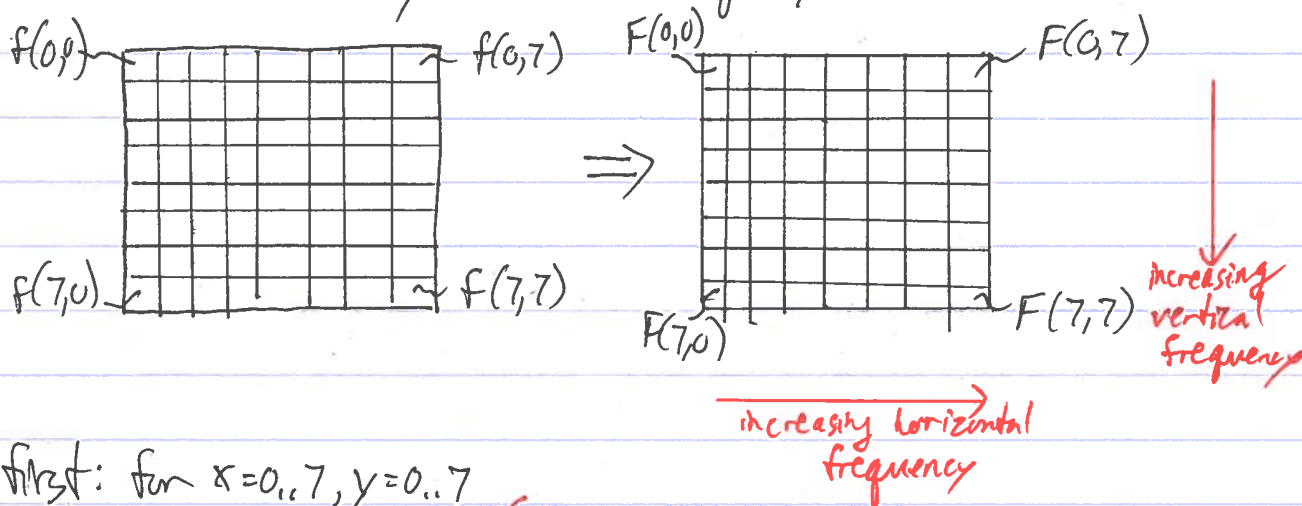
- encoding steps

lossless
lossy
lossless

- 1) sub-divide channel into 8x8 blocks
- 2) process blocks from left to right, top to bottom
- 3) apply a 2D - Discrete Cosine Transform (DCT) to each block
- 4) quantize resulting 8x8 coefficients
- 5) entropy encode the quantized coefficients

DCT: converts intensity data into frequency data

30 computer-philie Nick Rand



- first: for $x=0..7, y=0..7$

$$f(x,y) - 128 \quad ([0,255] \rightarrow [-128,127])$$

- second: for $u=0..7, v=0..7$

$$F(u,v) = \frac{1}{4} C(u) C(v) \left[\sum_{x=0}^7 \sum_{y=0}^7 f(x,y) * \cos \frac{(2x+1)u\pi}{16} * \cos \frac{(2y+1)v\pi}{16} \right]$$

where $C(z) = \frac{1}{\sqrt{2}}$ if $z=0$

or $= 1$ if $z \neq 0$

- see Learn > Lecture > Handouts > jpeg

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$F(0,0)$ DC AC

139	144	149	153	155	155	155	155	235.6	-1.0	-12.1	-5.2	2.1	-1.7	-2.7	1.3	16	11	10	16	24	40	51	61
144	151	153	156	159	156	156	156	-22.6	-17.5	-6.2	-3.2	-2.9	-0.1	0.4	-1.2	12	12	14	19	26	58	60	55
150	155	160	163	158	156	156	156	-10.9	-9.3	-1.6	1.5	0.2	-0.9	-0.6	-0.1	14	13	16	24	40	57	69	56
159	161	162	160	160	159	159	159	-7.1	-1.9	0.2	1.5	0.9	-0.1	0.0	0.3	14	17	22	29	51	87	80	62
159	160	161	162	162	155	155	155	-0.6	-0.8	1.5	1.6	-0.1	-0.7	0.6	1.3	18	22	37	56	68	109	103	77
161	161	161	161	160	157	157	157	1.8	-0.2	1.6	-0.3	-0.8	1.5	1.0	-1.0	24	35	55	64	81	104	113	92
162	162	161	163	162	157	157	157	-1.3	-0.4	-0.3	-1.5	-0.5	1.7	1.1	-0.8	49	64	78	87	103	121	120	101
162	162	161	161	163	158	158	158	-2.6	1.6	-3.8	-1.8	1.9	1.2	-0.6	-0.4	72	92	95	98	112	100	103	99

(a) source image samples

(b) forward DCT coefficients

(c) quantization table

15	0	-1	0	0	0	0	0	240	0	-10	0	0	0	0	0	144	146	149	152	154	156	156	156
-2	-1	0	0	0	0	0	0	-24	-12	0	0	0	0	0	0	148	150	152	154	156	156	156	156
-1	-1	0	0	0	0	0	0	-14	-13	0	0	0	0	0	0	155	156	157	158	158	157	156	155
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	160	161	161	162	161	159	157	155
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	163	163	164	163	162	160	158	156
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	163	164	164	164	162	160	158	157
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	160	161	162	162	162	161	159	158
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	158	159	161	161	162	161	159	158

(d) normalized quantized coefficients

(e) denormalized quantized coefficients

(f) reconstructed image samples

entropy encode AC_i

Figure 10. DCT and Quantization Examples

(4)

- $F(0,0)$ is the DC coefficient (zero frequency) and the rest of $F(u,v)$ values are the AC coefficients
- $F(0,0)$ represents average $f(x,y)$ scaled by 8 $[-1024, +1023]$ 11 bits
- the more significant values tend to the upper left (lower frequencies) because images tend to vary slow across an 8×8 block

Quantization (compression)

- each coefficient $F(u,v)$ is divided by the corresponding value from an 8×8 quantization table and rounded to the nearest integer
- our eyes are less perceptive of high frequency changes so the lower right is quantized more aggressively which tends to produce lots of zeroes
- quantization is lossy
- image quality and compression can be varied by using different tables
- one table is used for the Y' channel and another for the Cb and Cr channels

⑥

- example (from handout image d)

DC coeff.

15	0	-1	0	...
-2	-1	0	0	...
-1	-1	0	0	...
0	0	0	0	...
⋮	⋮	⋮	⋮	⋮

- suppose $DC_{i-1} = 12$, then $\Delta DC_i = +3$.
 (2)(3), (1,2)(-2), (0,1)(-1),
 (0,1)(-1), (0,1)(-1), (2,1)(-1),
 (0,0)

↗ EOB (end-of-block escape)

- (15,0) ← ZRL (represents 16 zeros)

e.g. $\underbrace{00 \dots 0}_{20} 5 \Rightarrow (15,0)(4,3)(5)$

Frame Types

- mjpeg423 takes advantage of the similarity between successive frames

- two frame types: Intra (I-), Progressive (P-)

- I-frame: stored as a normal jpeg image

- DC coefficient is differential between blocks

$$\Delta DC_i = DC_i - DC_{i-1} \quad \text{block \#}$$

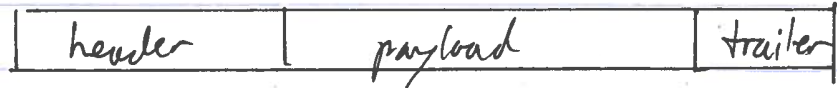
- P-frame: differential encoding of DC and AC coefficients between frames

frame \#

$$\Delta DC_i^j = DC_i^j - DC_i^{j-1} \quad \Delta AC_i^j(x,y) = AC_i^j(x,y) - AC_i^{j-1}(x,y)$$

⑦

File Format



- Header

# frames	frame width	frame height	# i-frames	# payload bytes
----------	-------------	--------------	------------	-----------------

total frames (I- and P) *each 4B*

- Payload - sequence of frames (4B aligned)

# Frame bytes	type	Y' bytes	Cb bytes	...
	Y' bitstream			
	Cb bitstream			
	Cr bitstream			

byte aligned

- Trailer: size = 8 * # i-frames

frame index	frame offset
1	...

4B *4B* *frame offset from start of file*

...

Decode Steps

- 1) lossless entropy decode
- 2) dequantize block (multiply by table values)
- 3) apply inverse DCT (IDCT)

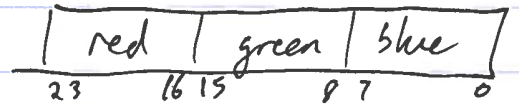
for $x = 0..7, y = 0..7$

$$f(x, y) = \frac{1}{4} \left[\sum_{u=0}^7 \sum_{v=0}^7 C(u) C(v) F(u, v) * \cos \frac{(2x+1)u\pi}{16} * \cos \frac{(2y+1)v\pi}{16} \right]$$

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Given a reference implementation

- does encode and decode
- decoder outputs a sequence (one per frame) of bmp files using 32 bits/pixel
- VDMA transfers 24 bits/pixel



- overall goal: achieve 24 fps playback