

# Example

## Transmissions of bacterial infections in daycare centers.

- Cross-sectional data from a stochastic SIS-model
- Continuous-time Markov process with transition probabilities:

$$P(I_{is}(t + dt) = 1 \mid I_{is}(t) = 0) = \theta_1 \cdot E_s(I(t)) + \theta_2 \cdot P_s, \quad \text{if } I_{i1}(t) + \dots + I_{iN_s}(t) = 0$$

$$P(I_{is}(t + dt) = 1 \mid I_{is}(t) = 0) = \theta_3 \cdot (\theta_1 \cdot E_s(I(t)) + \theta_2 \cdot P_s), \quad \text{otherwise}$$

$$P(I_{is}(t + dt) = 0 \mid I_{is}(t) = 1) = \gamma$$

- $I_{is}(t)$  is the status of carriage of strain  $s$  for individual  $i$ .
- $E_s(I(t))$  is the probability of sampling the strain  $s$
- $\theta_1$  is the rate of transmission from other children at the DCC
- $\theta_2$  is the rate of transmission from the community outside the DCC
- $\theta_3$  scales the rate of an infected child being infected with another strain
- $\gamma$  is the relative probability of healing from a strain (scaled to 1)

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