Online Learning for Self-Healing and Self-Optimization

Project Seminar

Prof. Dr. Holger Giese, Christian Medeiros Adriano, Sona Ghahremani

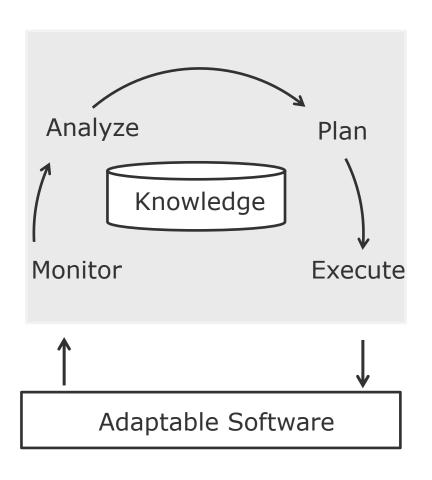
System Analysis & Modeling Group, Hasso Plattner Institute for Digital Engineering University of Potsdam, Germany

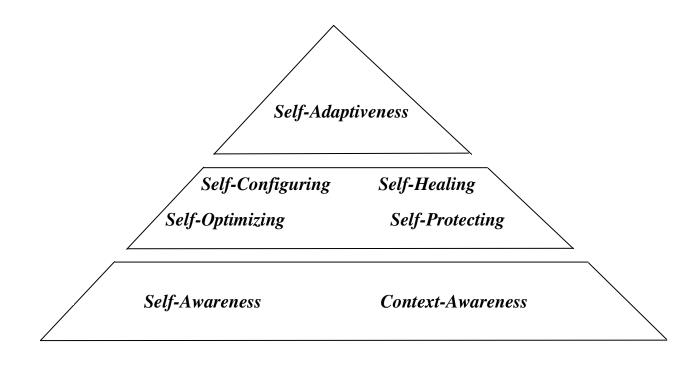
holger.giese@hpi.de christian.adriano@hpi.de sona.ghahremani@hpi.de



Self-* Systems







Self-Healing and Self-Optimization Systems



Self-healing: is the capability of discovering, diagnosing, and reacting to disruptions at runtime.

Self-optimizing: is the capability of managing performance and resource allocation in order to satisfy the requirements.

Self-Healing Options



Any component can (1) crash, (2) throw exceptions, or (3) it can be destroyed (severe crash). Possible countermeasures (possible actions or rules):

- light-weight redeployment of the component,
- restart the component,
- heavy-weight redeployment of the component, and
- replace a component with an alternative one, for instance, switch from internal authorization to an external authorization such as Facebook.

Self-Optimizing Options



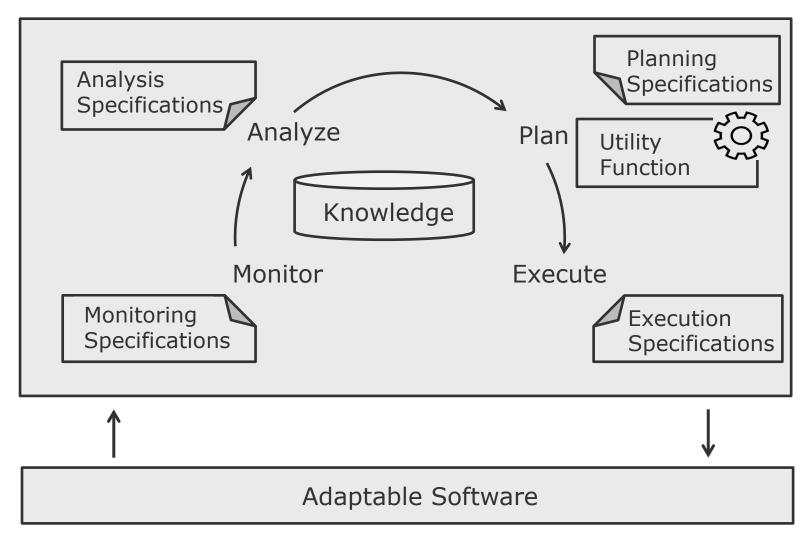
The load of the system can vary and result in an increased or decreased demand for each service and its replicas.

Possible countermeasures (possible actions or rules):

- Add replica to services in high demand
- Remove replica to reduce cost.

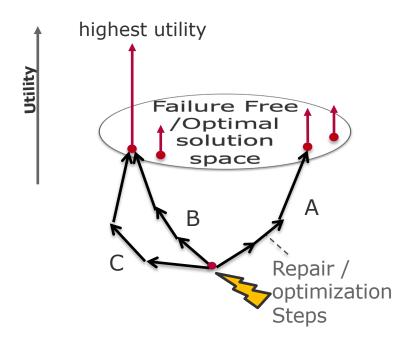
Self-* Systems: Specifications, Utility Functions





Adaptation Rules, Utility, and Reward

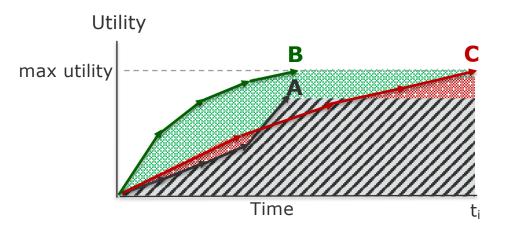




Sequence of repair/optimization steps -> **failure free**/ optimal solution space

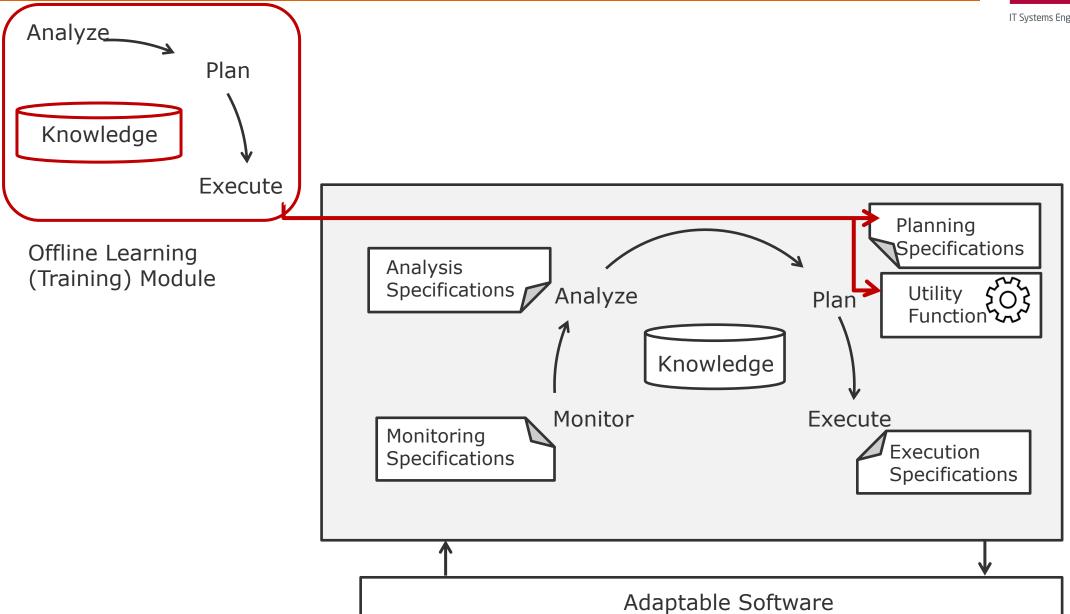
Final configuration with **highest utility**

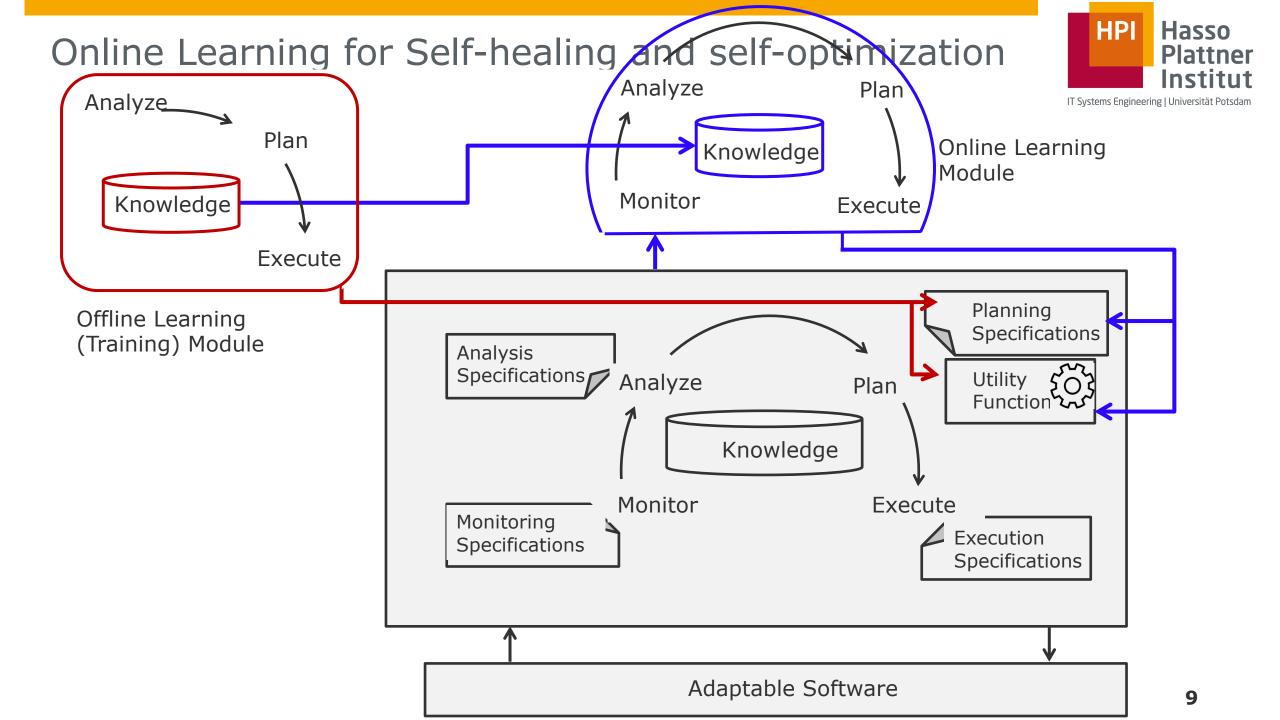
Optimal order of rules-> highest Reward



Offline Learning for Self-healing and self-optimization

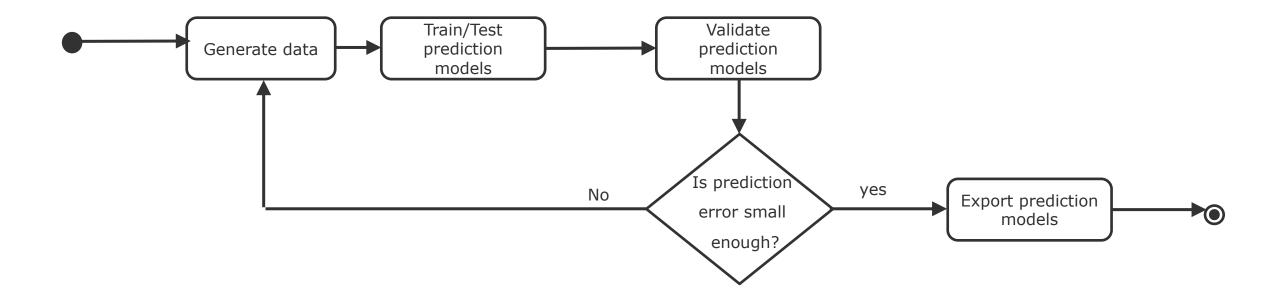






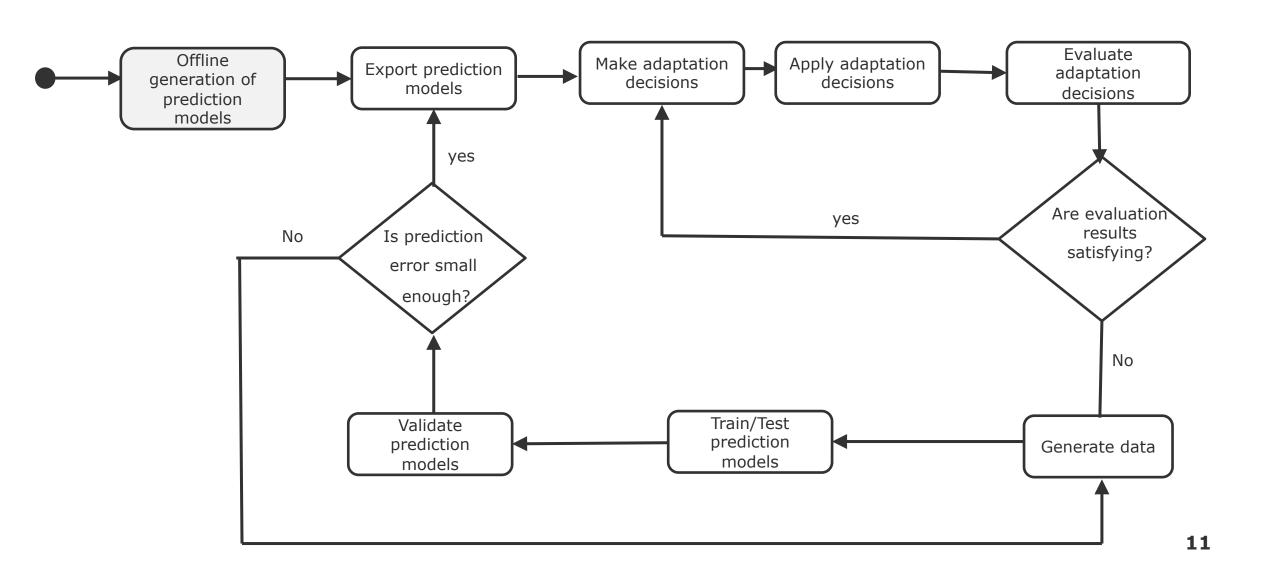
Offline Learning (detailed look)





Online Learning (detailed look)







Overview of Scenario and Models

Topics



Elements of Reinforcement Learning

- Exploration & Exploitation Multi-armed bandits
- Markov Decision Process (MDP)
- Markov property, Bellman Equation, Optimality

Model-Based methods

- Finite MDP
- Dynamic Programming (Policy and Value Iteration)

Model-Free methods

- Monte Carlo
- Temporal Difference (On-policy/Sarsa, Off-policy/Q-Learning)

Approximate methods

- Generalized solution (Incremental, Batch)
- Parameterized solution (Gradient Policy)

Concepts and Theory and Assumptions

Tabular Methods
Finite/Small State
Spaces

Function
Approximation
Infinite/Large State
Spaces

Textbooks (free access)

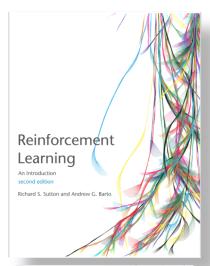


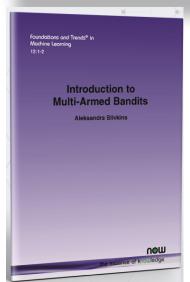
Sutton, R. S., & Barto, A. G. (2015). *Reinforcement learning: An introduction*. MIT press.

free access at the author's page: http://richsutton.com

Aleksandrs Slivkins (2019). *Introduction to Multi-Armed Bandits*, Foundations and Trends® in Machine Learning: Vol. 12: No. 1-2, pp 1-286 free access by the authors'

https://arxiv.org/abs/1904.07272





Incremental implementations



Phase-1 Environment setup with Multi-armed Bandit

Phase-2 Model-Based implementation

Phase-3 Model-Free extension

Phase-4 Approximate model extension

"When solving a problem of interest, do not solve a more general problem as an intermediate step"

Vladimir Vapnik [1]

General goal



For each phase, you will receive:

- a working algorithm that integrates with some simple environment
- a training version of the environment to train your algorithm
- a testing version of the environment to test your algorithm

Your goal will be to:

- Document the algorithm
- Make any needed extensions to integrate with new environment
- Run experiments and plot the results (error approximation by episodes)

Scenario



Event: One of more components failing

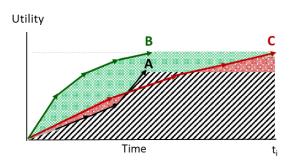
<u>Adaptive response</u>: Select the repair actions (rules) that more quickly restore the system

Challenges:

- 1. Multiple components might fail at the same time
- 2. For the same failure, there might be multiple actions that repair a component

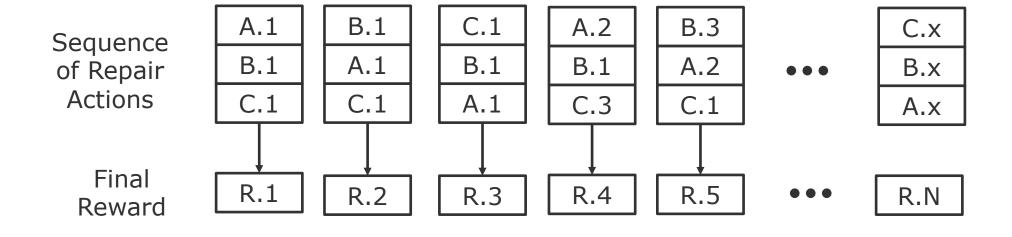
Goal:

Find the best sequence of repair actions



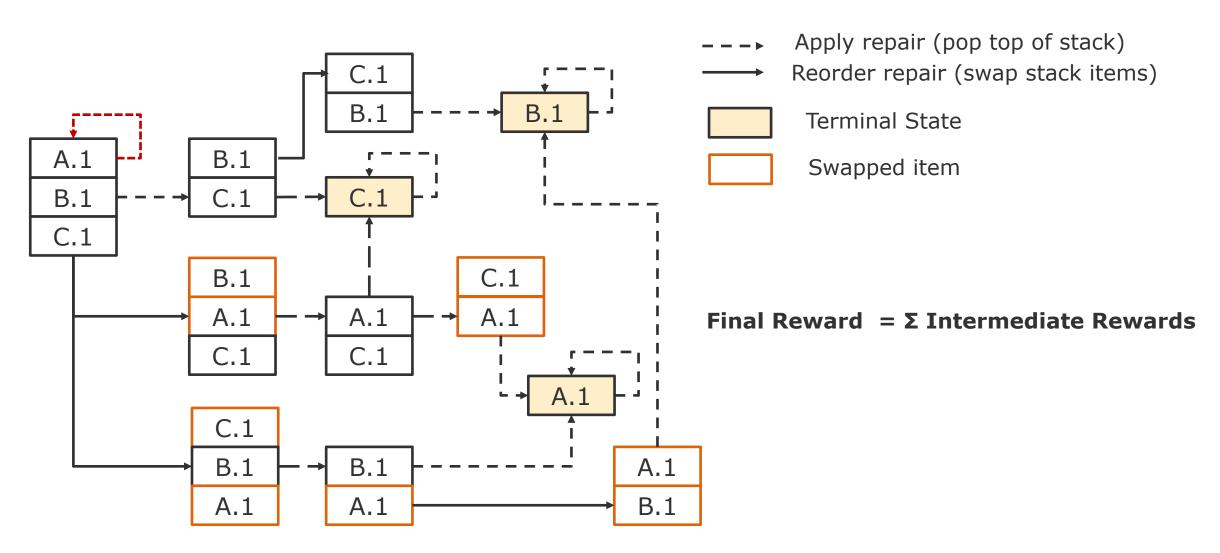
Multi-Armed Bandit Model





Markov Decision Process Model







End