

# Accelerating deep neural network training for action recognition on a cluster of GPUs

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# Outline

- Introduction of Action Recognition in Videos
- Two-Streams CNNs for Action Recognition
- Adaptive-batchsize model averaging with sparse communication
  - The AAVG algorithm
  - Dynamically adapting batchsizes
  - Customizing the optimizer for AAVG
  - Transfer learning for training the flow stream
- Conclusions

# Action Recognition in Videos

# Action Recognition in Videos

- Input: video
- Output: the action label
- Why perform action recognition?
  - Surveillance footage
  - Automatic video organization / tagging
  - Search-by-video
  - ....
- What is an action?
  - **Action:** walking, pointing, putting, etc.
  - **Activity:** talking on the phone, drinking tea, etc.
  - **Event:** a soccer game, a birthday party, etc.



credit: Bingbing Ni



Level of semantics

# Why Action Recognition is challenging

- Different scales
  - People may appear at different scales in different videos, yet perform the same action
- Movement of the camera
  - The camera may be a handheld camera, and the person holding it can cause it to shake.
- Occlusions
  - Action may not be fully visible
- Action variation
  - Different people perform different actions in different ways
- Action Recognition task is both very computing and memory intensive
  - The required neural networks to accomplish it are huge
    - Up to 100 or 200 layers
    - Up to 10 or 100M parameters
  - The size of the datasets and features is big
    - Up to 100 TB

# CNN for Action Recognition

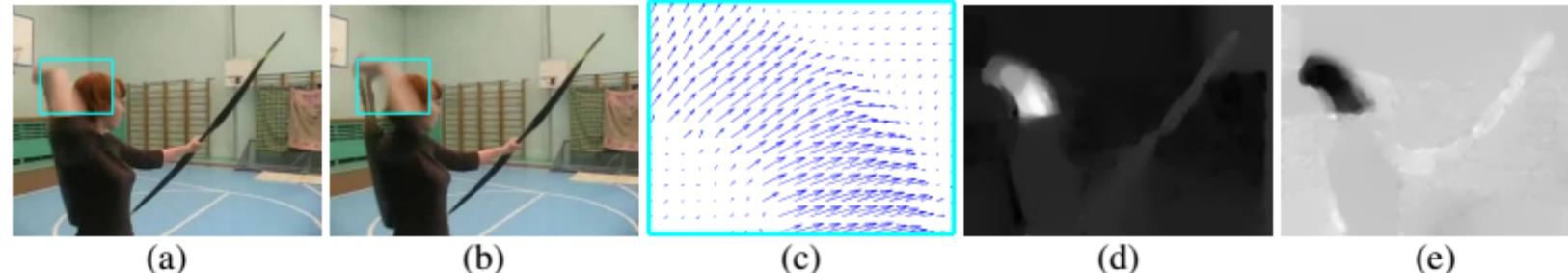
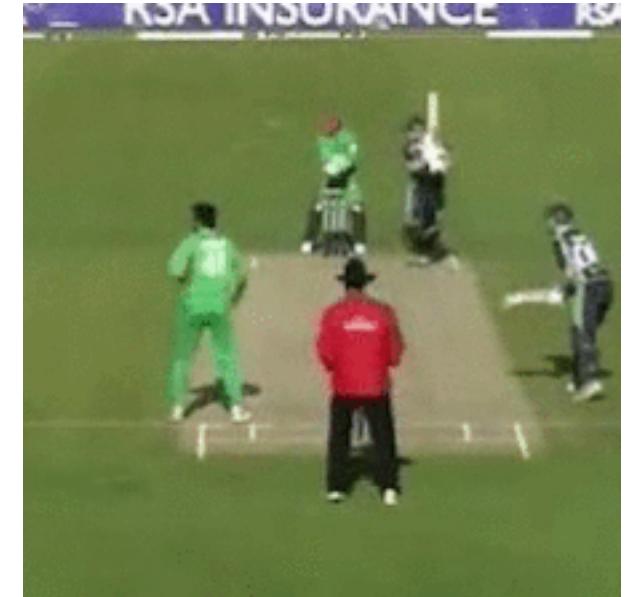
# Two-Streams CNNs for Action Recognition

- Extend deep Convolution Networks to action recognition in video
- The current state-of-art approaches make use of **two streams of CNNs**
  - Proposed by Simonyan and Zisserman<sup>1</sup> in 2014
  - Inspired by the human visual cortex
  - Using 2D convolutions (images), or
  - Using 3D convolutions (streams of images, the third dimension is the time)
- Two separated recognition streams:
  - Spatial (or RGB) stream – image recognition CNN
  - Temporal (or flow) stream – motion recognition CNN
    - Based on Optical Flow

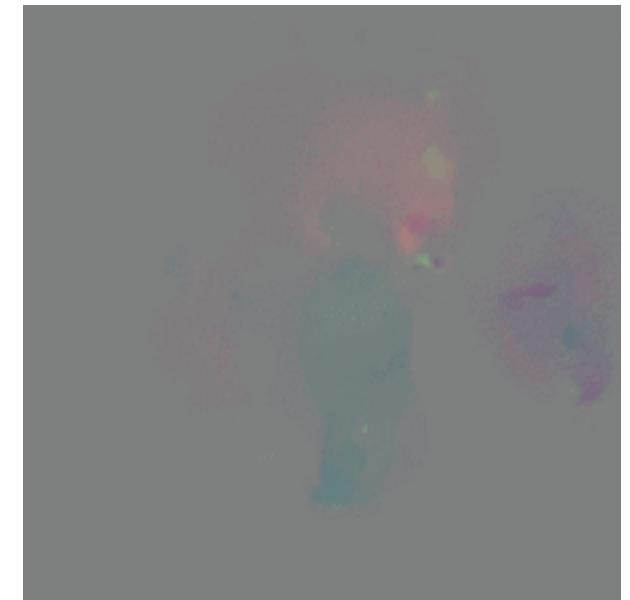
<sup>1</sup>Simonyan K and Zisserman A. *Two-stream convolutional networks for action recognition in videos*. CoRR, 2014

# Optical flow

- Optical flow refers to the visible motion of an object in an image, and the **apparent 'flow' of pixels** in an image
- It is the result of 3D motion being projected on a 2D image plane
- The optical flow can be used as an estimation of object velocity and position of object in the next frame
- We used the OpenCV's TV-L1 estimation

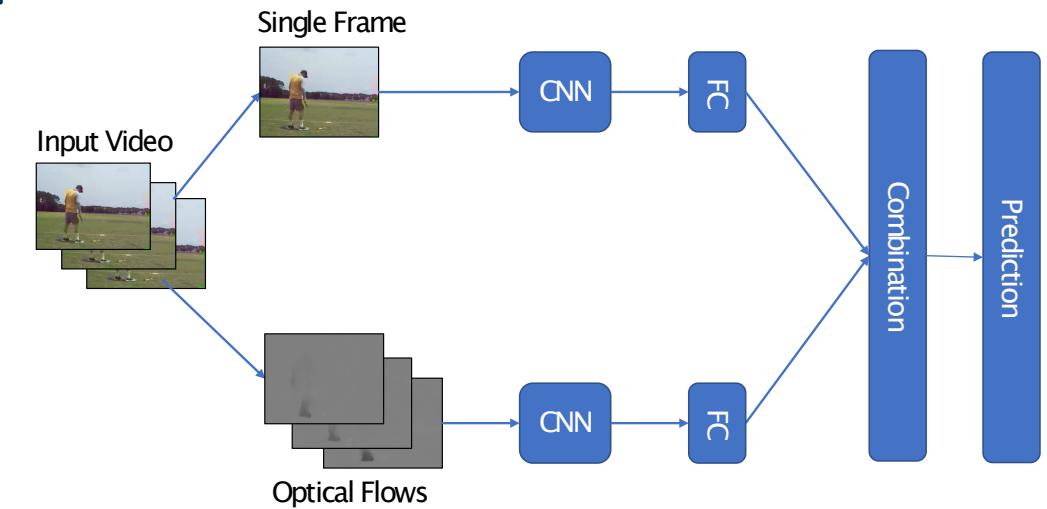


- (a),(b): a pair of consecutive video frames with the area around a moving hand.  
(c): a close-up of dense optical flow in the outlined area;  
(d): horizontal component (higher intensity corresponds to positive values, lower intensity to negative values).  
(e): vertical component.



# Our two-streams 2 dimensional CNNs

- We follow the implementation of Simonyan and Zisserman<sup>1</sup>
- RGB stream: 1 random frame from an input video is sampled and fed into a CNN
- Flow stream: 10 consecutive flows are randomly sampled and fed to another CNN
- Both CNNs in are based on **ResNet152**
  - The weights in ResNet152 are pretrained on the **ImageNet** dataset
- Simple averaging is used to combine the predictions from the two streams
- The two streams are trained separately



# Benchmark datasets and baseline results

- Our primary dataset is UCF-101
  - ~13,000 video in 101 action categories
  - ~9500 training and ~3700 validation videos
- Baseline single-GPU validation accuracy:
  - RGB stream = **85.04%**
  - Flow stream = **84.5%**
  - Two-streams combined = **91.3%**
- Training time on a single GPU
  - RGB stream takes around 12 hours
  - Flow stream takes more than two days
- Experiments performed on 4 IBM Minsky nodes
  - Each node has 2 Power8 CPUs with 10 cores each and 4 NVIDIA Tesla P100 GPUs
  - The interconnect between the nodes is Infiniband
- We also show results on the HMDB-51 dataset
  - ~6,800 video in 51 action categories

# Adaptive-batchsize model averaging with sparse communication (AAVG)

# AAVG

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**Algorithm 1** AAVG ( $\mathcal{T}, \mathcal{V}, K, B, m, \gamma, P, N, b_1, b_2$ )
 

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```

1: initialize  $\tilde{\mathbf{w}}_1$ 
2:  $a^* \leftarrow 0, B_0 \leftarrow B, \gamma_0 \leftarrow \gamma$ 
3: for  $n = 1, \dots, N$  do
4:    $B_n \leftarrow B_{n-1}, \gamma_n \leftarrow \gamma_{n-1}$ 
5:   for  $j = 1, \dots, P$  in parallel do
6:     set  $\mathbf{w}_n^j = \tilde{\mathbf{w}}_n$ 
7:     for  $k = 1, \dots, K$  do
8:       randomly sample a mini-batch of size  $B_n$  from  $\mathcal{T}$ 
9:        $\mathbf{w}_{n+k}^j \leftarrow \mathbf{w}_{n+k-1}^j - \frac{\gamma_n}{B_n} \sum_{s=1}^{B_n} \nabla F(\mathbf{w}_{n+k-1}^j; \xi_{k,s}^j)$ 
10:    end for
11:   end for
12:    $\tilde{\mathbf{w}}_{n+1} \leftarrow \frac{1}{P} \sum_{j=1}^P \mathbf{w}_{n+K}^j$ 
13:   if  $n \% m = 0$  then
14:      $a \leftarrow \text{evaluate}(\tilde{\mathbf{w}}_{n+1}, \mathcal{V})$ 
15:     if  $a < a^* \cdot b_1$  then
16:        $B_n \leftarrow B_n \cdot b_2$ 
17:     end if
18:     if  $a > a^*$  then
19:        $a^* \leftarrow a$ 
20:     end if
21:   end if
22: end for
  
```

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- **Adaptive-batchsize model averaging with sparse communication (AAVG)**

- **Input parameters:**

- the training dataset  $\mathcal{T}$
- the validation dataset  $\mathcal{V}$
- the averaging interval  $K$
- the initial batchsize  $B$
- the validation interval  $m$
- the initial learning rate  $\gamma$
- the number of learners  $P$
- the number of training steps  $N$
- parameters  $b_1$  and  $b_2$  that are used to adapt batchsize

# AAVG

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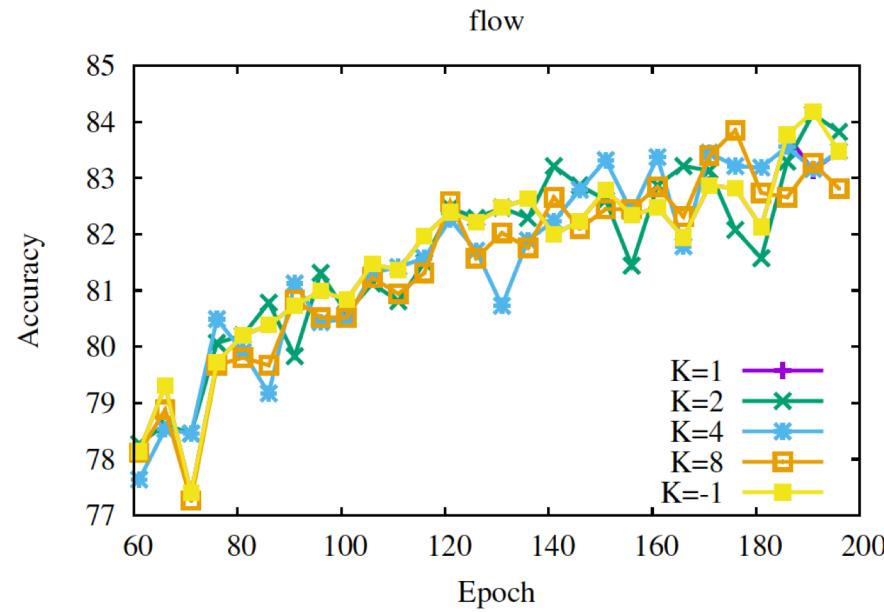
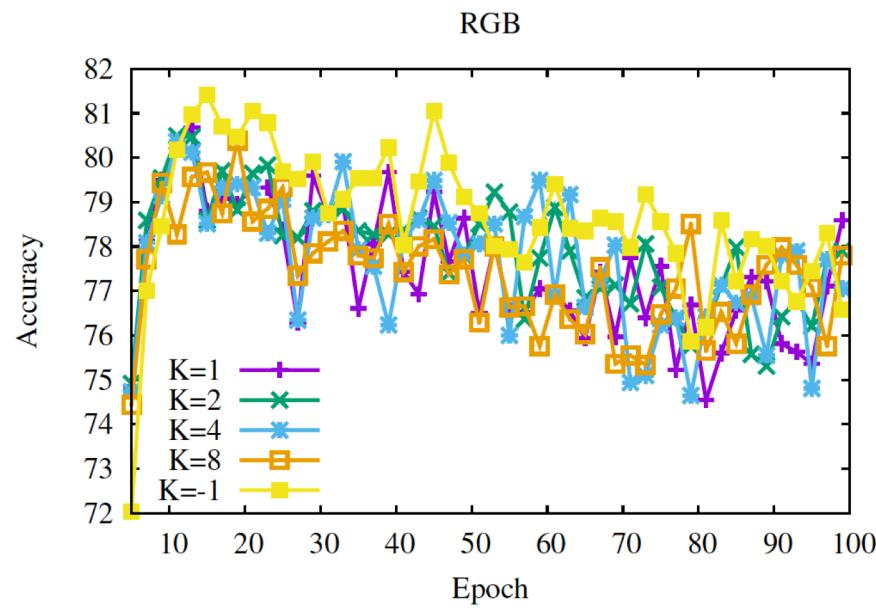
- $P$  learners run stochastic gradient descent concurrently (lines 4 to 11) and average their parameters every  $K$  steps (line 12)
- When  $K=1$ , AAVG with constant batchsize is equivalent to hard-sync parallelization of SGD
  - Its convergence behavior is exactly the same as SGD with batchsize =  $PB$
- Every  $m$  steps, the algorithm evaluates validation accuracy  $a$  on the validation dataset  $\mathcal{V}$  and adapts batchsize according to the validation result (lines 13 to 21)

# What is the best $K$ ?

- The right  $K$  plays a critical role
  - Too small  $K$  incurs high overhead due to frequent communication
  - Too high  $K$  incurs in slow or even non-convergence
- Intuitively, frequent averaging reduces the variance more frequently, thus one may think the smaller  $K$  the better.
- Surprisingly, it is not!

# Results varying $K$

- We experiment with different  $K$  values and observe their impact on the validation accuracy



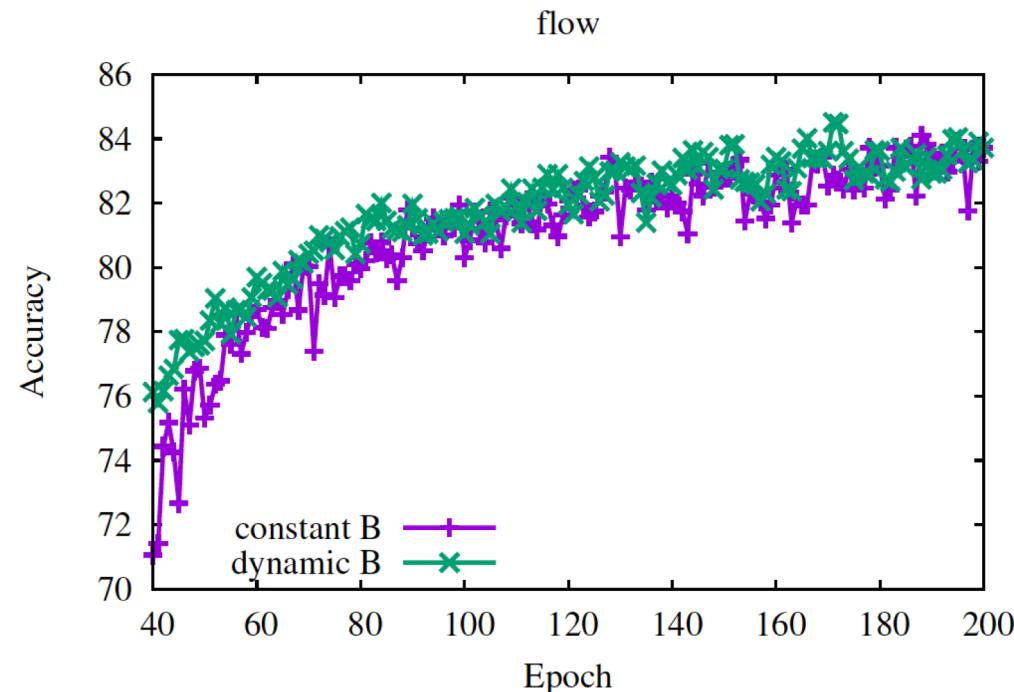
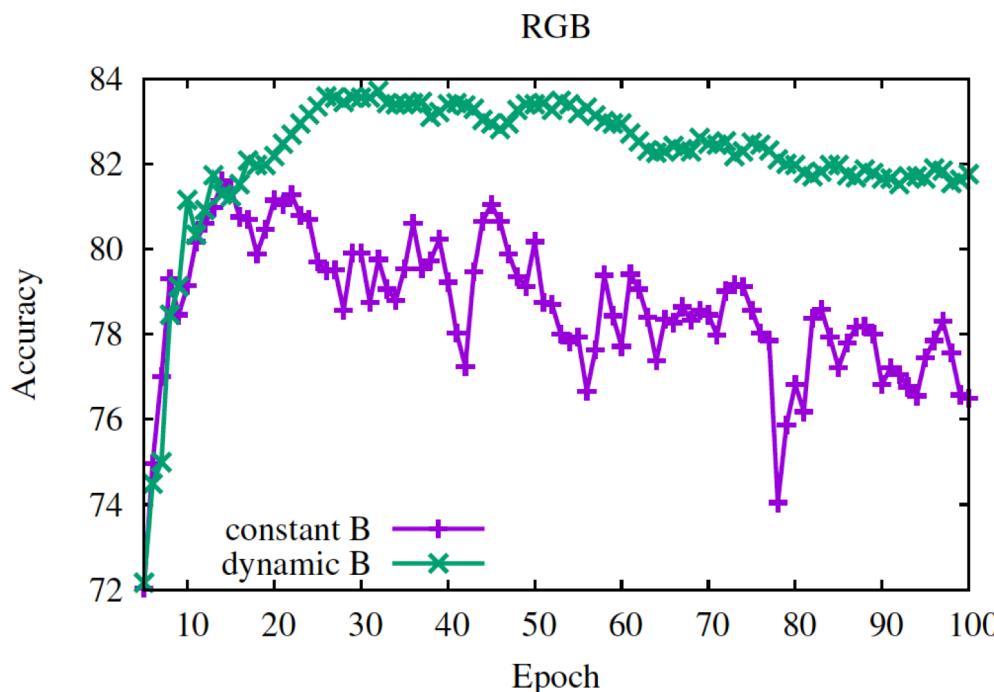
- High  $K$  provides good results and prevents communication overhead
- AAVG with  $K=-1$  achieves near linear speedup
  - Ignoring I/O overhead (determined by the storage type and file system)

# Dynamically Adapting Batchsizes

- The *adam* optimizer adaptively scales the learning rate for each individual gradient component
- Why not to consider the batchsize?
- Idea:
  - **higher  $B_n$  for higher  $n$**
- Gradient estimates from small batches are sufficient at the beginning for rapid progress
- SGD with increasing batchsize should eventually start to resemble deterministic algorithms for strongly convex problems via larger  $B_n$  batch sampling

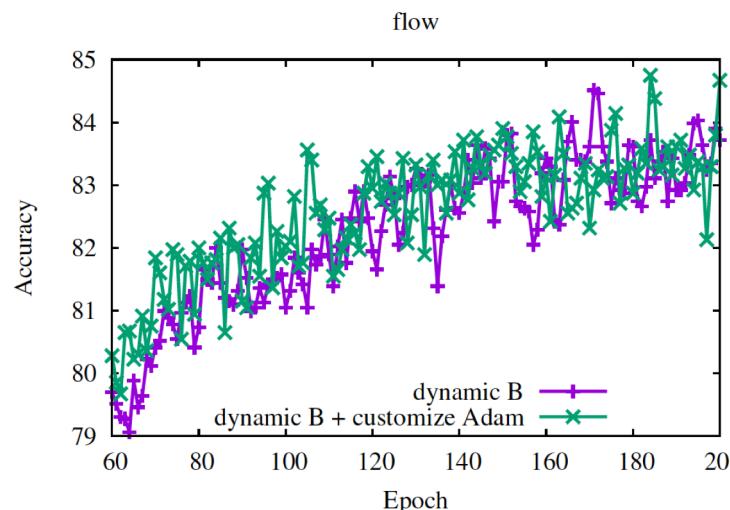
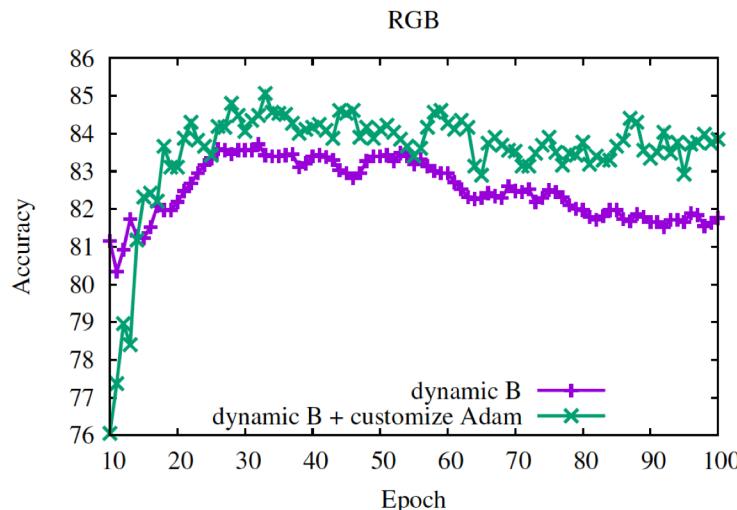
# Dynamically Adapting Batchsizes

- AAVG increases the batchsize by a factor of  $b_2$  whenever the validation accuracy does not improve by a margin of  $b_1$
- In our implementation, we simply use  $b_1=1$  and  $b_2=2$
- We keep the maximum batchsize to 576



# Customizing the optimizer for AAVG

- *Adam* optimizer uses two quantities to adapt the learning rate:
  - $m$ , the weighted average of historical gradients
  - $v$ , the weighted average of the historical squared gradients.
- Model averaging disrupts *adam*'s internal state
- We adjust  $m$  and  $v$  in the *adam* optimizer for AAVG.



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**Algorithm 2** Adjust-optimizer( $\{m_j\}$ ,  $\{v_j\}$ ,  $\{m_j^b\}$ ,  $\{v_j^b\}$ ,  $P$ )

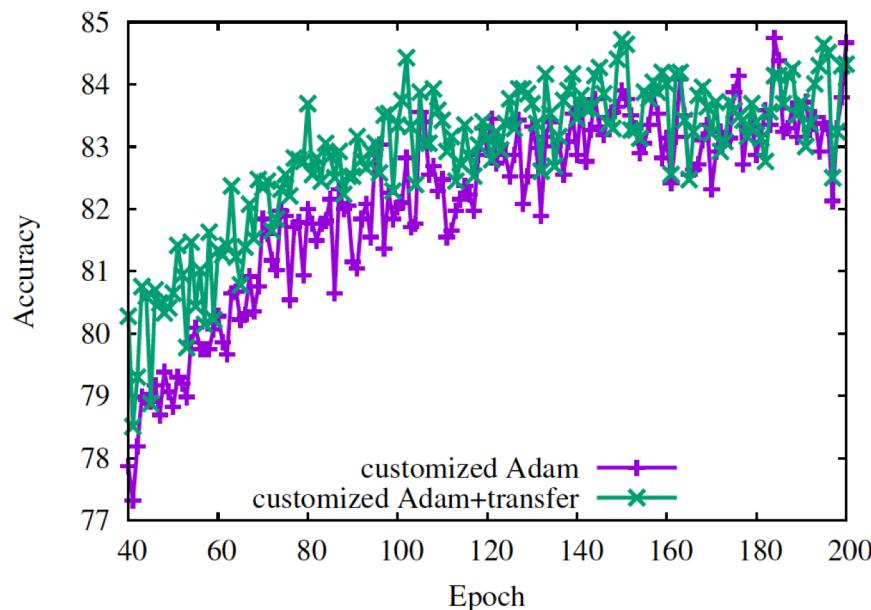
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- 1:  $z_j \leftarrow v_j^b + (m_j^b)^2$
- 2: set  $m = \sum_j^P m_j$ ,  $v = \sum_j^P v_j$
- 3: set  $m^b = \sum_j^P m_j^b$ , set  $z = \sum_j^P z_j$
- 4: **for**  $j = 1, \dots, P$  in parallel **do**
- 5:    $m_j \leftarrow m/P$ ,  $v_j \leftarrow v/P$
- 6:    $m_j^b \leftarrow m^b/P$ ,  $v_j^b \leftarrow z/P - (m_j^b)^2$
- 7: **end for**

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# Transfer Learning in the Flow Stream

- Training the flow stream is significantly slower due to:
  - The pretrained ResNet model was trained with RGB images not flow inputs
  - The input layer has significantly more channels and thus more weights to train
- Proposal: Instead start the training with weights pre-trained on ImageNet, use the model trained for the RGB stream



- Similar highest validation accuracies
- Achieved faster with transfer learning (epoch 150 vs 185)

# Results Recap

	UCF101			HMDB51		
	RGB	Flow	2stream	RGB	Flow	2stream
$AAVG_1$	81.6	84.1	88.3	-	-	-
$AAVG_2$	83.7	84.5	89.7	-	-	-
$AAVG_3$	85.6	84.7	91.4	61.4	55.9	67.0
$AAVG_4$	85.6	84.7	93.04	61.4	56.0	67.9

- $AAVG_1$  implements AAVG with constant batchsize
- $AAVG_2$  implements AAVG with adaptive batchsize
- $AAVG_3$  implements AAVG with both adaptive batchsize and tuned *adam* optimizer
- $AAVG_4$  is  $AAVG_3$  with weights transferring from the RGB stream to the flow stream
- The RGB stream training on UCF101 with 16 GPUs takes 61 minutes using AAVG with customized *adam*, while the base-line single-GPU SGD implementation takes 2067 minutes to train to achieve similar validation accuracy

# Conclusions

- AAVG is an efficient distributed training algorithm with adaptive batchsize that explicitly manages the impact of model averaging frequency on both convergence and communication overhead
- AAVG with very sparse synchronization (i.e. once per epoch), shows very good convergence behavior
  - As a happy coincidence, the communication overhead is very low
- AAVG shows up to super-linear speedups on 16 GPUs over the base-line single-GPU SGD implementation, while improving accuracy
- In our future work, we plan to evaluate our algorithm on larger datasets and on 3-Dimensional CNNs

Thank you!