Q4. Saying Random is not enough

4.1

1. $random_theta()$: The function finds random θ_1 and θ_2 . θ is chosen randomly from degrees(ϕ) and then converted to radians.

$$\theta_1 = \phi_1 \cdot \frac{\pi}{180}$$

$$\theta_2 = \phi_2 \cdot \frac{\pi}{180}$$

2. cord(R): The function takes the radius as the input and returns length of the cord between θ_1 and θ_2 . It first calls $random_theta()$, and find the absolute value of their difference $(\theta = |\theta_1 - \theta_2|)$. Then the length of the cord in calculated using the following formuls,

$$\operatorname{cord} \operatorname{length} = 2R.\sin(\theta/2)$$

3. $find_cords1(R)$: The function takes radius R as input, then draw the histogram as the output. It iterates 1000 times, calls cord(R) for each iteration and append the result in $cord_len$. Then we calculate the value of appropriate bins for the histogram, and then plot it using matplotlib.

```
def find_bins(n, val_range):
      interval = m.sqrt(n)
       width_interval = val_range/interval
      return width_interval
6
  def random_theta():
9
       theta1 = np.random.uniform(0,360)*(m.pi/180)
                                                          #random theta 1
10
       theta2 = np.random.uniform(0,360)*(m.pi/180)
11
                                                          #random theta 2
       return (theta1, theta2)
12
13
14 def cord(R):
      angle = random_theta()
theta = abs(angle[0] - angle[1])
                                             #theta between the two radius(theta1 and theta2)
16
      1 = 2*R*m.sin(theta/2) #length of cord = 2rsin(theta/2)
17
      return(1)
18
19
  def find_cords1(R):
20
21
       cord_len = []
      I = 100
                  #iterations
23
24
25
       for _ in range(I):
         cord_len.append(cord(R))
```

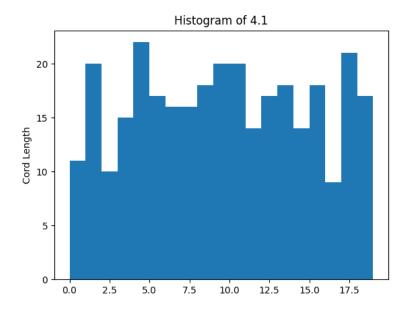
4.2

```
#Finding bins
rng = max(cord_len) - min(cord_len)
width = int(find_bins(I, rng))

#bin val list
bin_lst = [x*width for x in range(int(m.sqrt(I)))]
print(len(cord_len))

arr=plt.hist(cord_len, bins = bin_lst)
for i in range(int(m.sqrt(I))-1):
    plt.text(arr[1][i],arr[0][i],str(arr[0][i]))
plt.title("Histogram of 4.1")
```

Figure 1: Histogram of 4.1

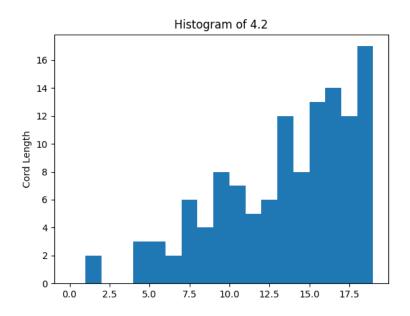


```
plt.ylabel("Cord Length")
       plt.xlabel("bins")
14
15
       *plt.savefig("Q4/Q4(1).png")
       plt.show()
16
18
  def random_cord(R):
19
20
       theta = np.random.uniform(0,360)*(m.pi/180)
21
       point_at_radius = np.random.uniform(0,R)
                                                     #point at R
22
23
       #cartesian cordinates at the picked point
24
25
      x = point_at_radius*m.cos(theta)
26
      y = point_at_radius*m.sin(theta)
27
       #finding base line from center to point_at_radius using distance formula
28
29
       base = m.sqrt(x**2+y**2)
30
31
       \#perpendicular using pythagorean theorem, p = sqrt(h^2-b^2)
      perp = m.sqrt(R**2-base**2)
32
33
       #length of the cord
34
      1 = 2*perp
35
```

4.3

```
return 1
  def find_cords2(R):
      cord_len = []
      I = 1000
                 #iterations
9
      for _ in range(I):
          cord_len.append(random_cord(R))
10
      plt.hist(cord_len, bins = range(0,R))
12
      plt.title("Histogram of 4.2")
13
      plt.ylabel("Cord Length")
14
15
      plt.savefig("Q4/Q4(2).png")
    plt.show()
16
```

Figure 2: Histogram of 4.2



```
17
18 # 4.3
20 def p_to_o(cord):
       return m.sqrt(cord[0]**2+cord[1]**2)
21
22
  def random_point(R):
23
24
       x = np.random.uniform(-R,R) #random point x
y = np.random.uniform(-R,R) #random point y
25
26
27
       return (x,y)
28
29
  def cal_cord(R,pnt):
30
       #finding adjacent from the random point.
31
       adj = p_to_o(pnt)
32
33
       #length of opposite
34
35
       opp = m.sqrt(R**2-adj**2)
36
       #length of the cord
37
       1 = 2*opp
39
     return 1
40
```

Figure 3: Histogram of 4.3

