

Himanshu Rane

4/8

MA 331 thr #1

"I pledge my honor that I have abided by the Stevens Honor System" - Himanshu Rane

1) a)

Lied at least once	Gender		
	female	male	
yes	121	110	231
no	70	65	135
	191	175	366

Gender
 female: $191/366 = .522$
 male: $175/366 = .478$

Lied
 yes: $231/366 = .631$
 no: $135/366 = .369$

b) female lied: $121/231 = .524$ female no lie: $70/135 = .519$
 male lied: $110/231 = .476$ male no lie: $65/135 = .481$

c) $H_0: V_1$ is independent from V_2
 $H_1: V_1$ is not independent from V_2

$\alpha = .05$

Lied at least once	Gender		
	female	male	
yes	120.5	110.5	231
no	70.5	64.5	135
	191	175	366

df: $(2-1)(2-1) = 1$
 $\chi^2_{.95} = 3.84$

.011 is not greater than 3.84 (χ^2_c)
 so we do not reject H_0

$$\chi^2 = \sum_{i=1}^r \sum_{j=1}^c \frac{(n_{ij} - e_{ij})^2}{e_{ij}} = .01176$$

2) a)

	Withdrawals	Non Withdrawals	
Year 1	600	1800	2400
Year 2	517	1833	2350
Year 3	464	1856	2320
	1581	5489	7070

b) H_0 : V_1 is independent from V_2 $\alpha = .01$
 H_1 : V_1 is not independent from V_2

	Withdrawals	Non Withdrawals	
year 1	536.69	1863.31	2400
year 2	525.51	1824.49	2350
year 3	518.80	1801.20	2320
	1581	5489	7070

$$\chi^2 = \sum_{i=1}^r \sum_{j=1}^c \frac{(n_{ij} - e_{ij})^2}{e_{ij}} = 17.25$$

$$\text{df: } (3-1)(2-1) = 2$$

$$\chi_{\text{obs}}^2 > \chi^2 \text{ and } p\text{-val} < \alpha$$

$$17.25 > 9.21 \text{ and } .00018 < .01 \rightarrow \text{Reject } H_0$$

Withdrawals and revisions are indep.

c) yes, the course revisions were
 successful in reducing # of withdrawals
 because p-value 0.00018 is less than α