

Hyperparameter Adjustment in Regression-based Neural Networks for Predicting Support Case Durations

Master Thesis Presentation

Hristo Hristov

Academic supervisor: Assoc Prof. Galina Momcheva

11.04.2020

Outline

- 1. Background and problem description
- 2. Challenge
- 3. Research goal
- 4. Methodology
- 5. Summary of Results
- 6. Conclusion

1. Background and problem description

- Support plays a critical role in the software development process
- Prompt action and response are vital for the perception of the good service
- Often times users are unaware of how long the resolution takes
- Need for a model that makes accurate predictions
- Challenge: text data of high cardinality

1. Background and problem description

Regression & Neural Networks

- By combining a regression model with the computational potential of neural network we aim at getting:
 - Powerful model for accurate predictions
 - Flexibility for processing unknown inputs

2.1. Text data

- Must be represented numerically
- Simple forms of representation tend to produce poor predictions
- The representation must be numerically consistent among the various features
- Feature engineering as a super set of hyperparameter engineering

2.2. Cardinality

- Several features have high cardinality
 - User id
 - Support desk handler
 - Symptom
- The model must be able to process unique values

2.3. Case Duration Standardization

- The dependent variable is also standardized
 - Easier for the network to predict
- Min = 0 and max = 341.28 days
- The huge range compromises the model's prediction capacity
 - Could be compensated with more data

2.4. Overfitting

- We are only using I2 regularizer with a value of 0.001
- Other methods such as I1 or dropout are not used
- All methods have an identical baseline
- Result: the best encoding method can stand out naturally, without specific overfitting counter-measures

3. Research goal

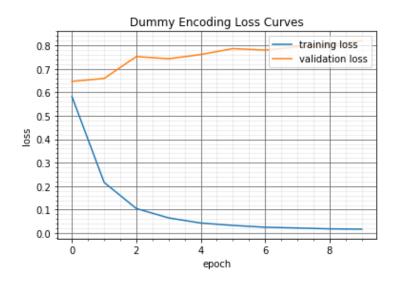
Cardinality

- Compare and contrast different string encoding methods in the context of the presented data set
 - Analyze the results by using established loss metrics
 - Determine the best performing encoding method
 - Explain the differences

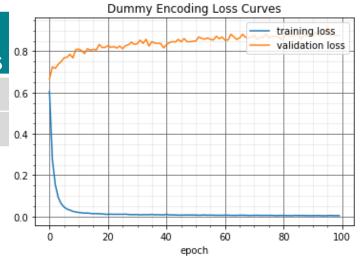
4.1. One-hot encoder

- The most simple encoding method
- All unique values are converted into features
- The new feature values are 0 or 1
- No explicit hyperparameter
 - Possible to artificially adjust cardinality

4.1. One-hot encoder



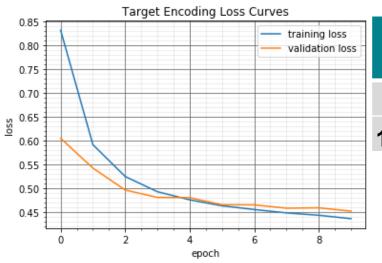
| | Train loss | Val loss | Test loss |
|-----|------------|----------|-----------|
| | Halli 1055 | vai 1033 | 1631 1033 |
| 10 | 0.0177 | 0.7949 | 1.0902 |
| 100 | 0.0042 | 0.8776 | 1.2711 |



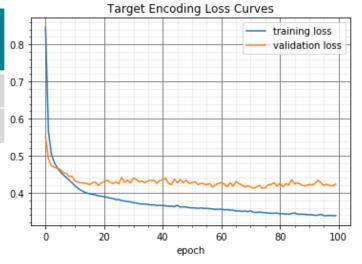
4.2. Target encoder

- Calculate an average of the target value for each unique feature value
- Replace with the calculated mean
- Grouping of the cases with common unique features
- Hyperparemeter: weight of overall mean

4.2. Target encoder

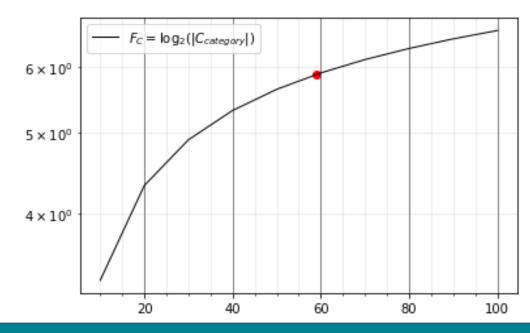


| | Train loss | Val loss | Test loss |
|-----|------------|----------|-----------|
| 10 | 0.4363 | 0.4520 | 0.6064 |
| 100 | 0.3390 | 0.4236 | 0.6708 |

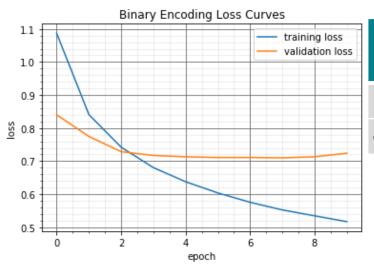


4.3. Binary encoder

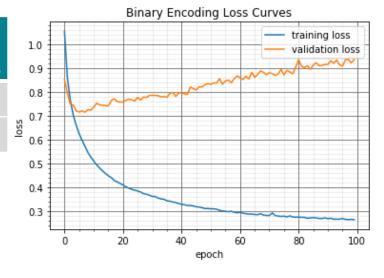
- Convert feature ordinal value into binary value
- Dimensionality is increased at a log scale
- No explicit hyperparameter
 - Possible to artificially adjust cardinality



4.3. Binary encoder



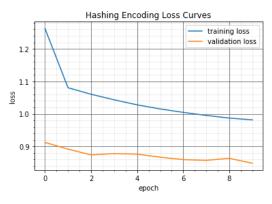
| | Train loss | Val loss | Test loss |
|-----|------------|----------|-----------|
| 10 | 0.5168 | 0.7240 | 0.7429 |
| 100 | 0.2635 | 0.9362 | 1.6971 |



4.4. Hashing encoder

- Suitable for high-cardinality feature vectors
- Values are hashed, converted to integer and mapped to an index in a vector by modulus-dividing by the vector size hyperparameter
- The hashing functions is also a hyperparameter
- Tests showed worse performance after standardization

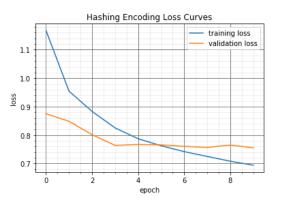
4.4. Hashing encoder

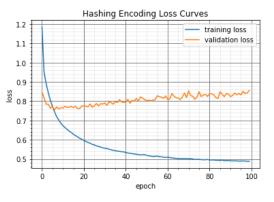


| | Hashing Encoding Loss Curves | | | | | | |
|-----|------------------------------|---|-----|-----------|-----------|-------------------|-----|
| | 1.3 | | | | | training validati | |
| 1.2 | 1.2 | | | | | | |
| 055 | 11 | | | | | | |
| _ | 1.0 | | | | | | |
| | 0.9 | M | M., | ···· | ~///~/ | ····· | |
| | 1 | 0 | 20 | 40 epo | 60 och | 80 | 100 |

| | V = 15 | | | | |
|-----|------------|----------|-----------|--|--|
| | Train loss | Val loss | Test loss | | |
| 10 | 0.9817 | 0.8485 | 0.7306 | | |
| 100 | 0.8860 | 0.8525 | 0.7331 | | |

| | V = 50 | | | | |
|-----|------------|----------|-----------|--|--|
| | Train loss | Val loss | Test loss | | |
| 10 | 0.6940 | 0.7553 | 0.7360 | | |
| 100 | 0.4882 | 0.8556 | 0.8551 | | |

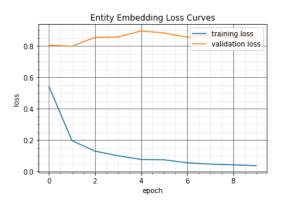




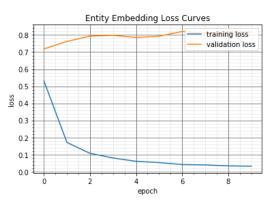
4.5. Entity embeddings

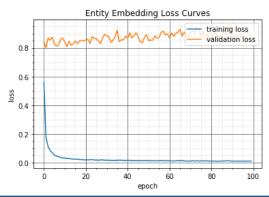
- The most complex approach in terms of network topology
- For each feature vector there are 3 layers
 - Input
 - Embedding
 - Reshape
- Hyperparameter: embedding size

4.5. Entity embeddings

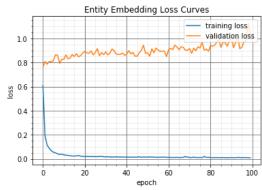


| EE = 50 | | | | |
|---------|------------|----------|-----------|--|
| | Train loss | Val loss | Test loss | |
| 10 | 0.0356 | 0.8856 | 1.1423 | |
| 100 | 0.0103 | 0.9805 | 1.2280 | |



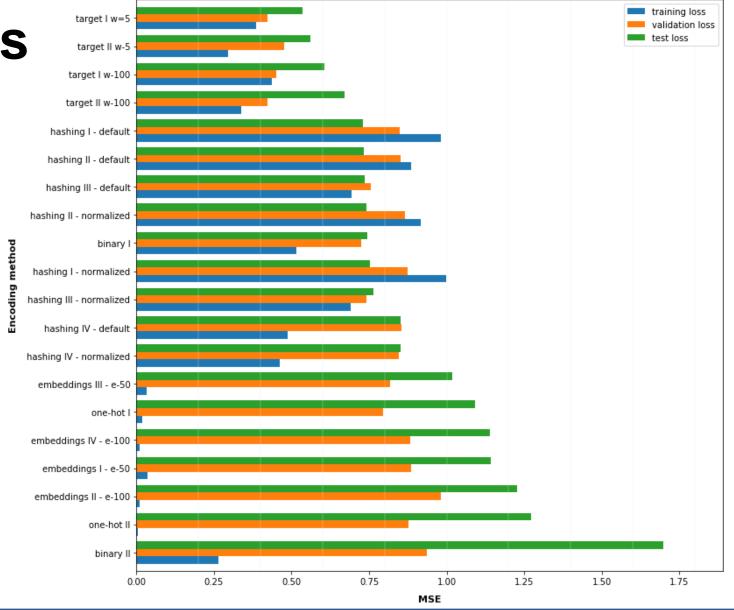


| EE = 100 | | | | |
|----------|------------|----------|-----------|--|
| | Train loss | Val loss | Test loss | |
| 10 | 0.0334 | 0.8171 | 1.0170 | |
| 100 | 0.0108 | 0.8828 | 1.1383 | |



5. Summary of results

Comparative table



6. Conclusion

Key findings

- Averaging over groups of unique feature values performs best
- Increasing dimensionality as a factor of cardinality compromises the model
- No approach is data-agnostic

THANK YOU