

Distributed Spectrum Assignment for Home WLANs

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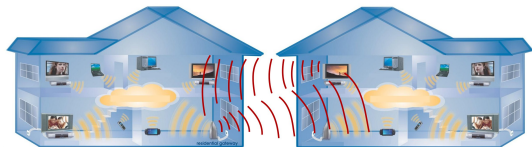
Ruben Merz (Swisscom)

Patrick Thiran (EPFL)

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Context

Interfering neighboring wi-fi home/office networks



www.wigle.net

- Several possible channels (center frequencies)
- Variable bandwidth (5 → 20 → 40 → 160 MHz), limited spectrum
- Non-heterogeneous density
- No central control

Goal

Joint allocation of channel center frequencies and bandwidths

Conflicting goals:

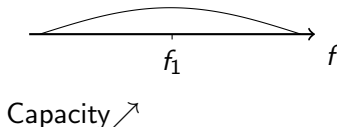
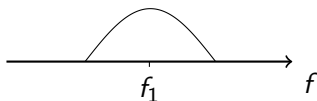
- Bandwidth ↗ \Rightarrow Capacity ↗
- Bandwidth ↗ \Rightarrow Interference likelihood ↗

Goal

Joint allocation of channel center frequencies and bandwidths

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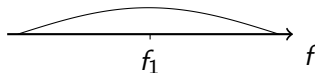
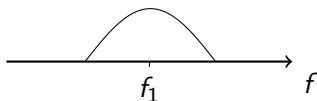


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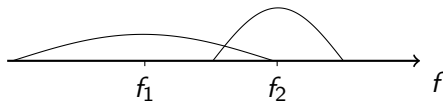
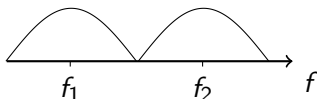
Joint allocation of channel center frequencies and bandwidths

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Capacity \nearrow



Capacity $\rightsquigarrow ?$

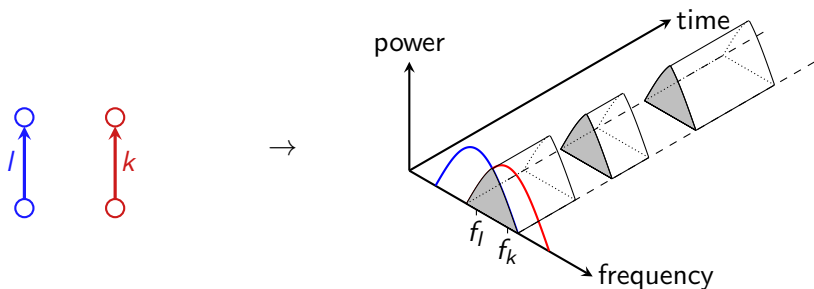
Design Goals

- **Decentralized** algorithm
- **Global convergence** guarantees
- **Online** for adaptivity to time-varying conditions
- **Transparent** to user traffic
- **Practical** for implementation on off-the-shelf 802.11 hardware

Main contribution

The first **decentralized** algorithm for joint **center frequency** and **bandwidth** adaptation with **global convergence** guarantees

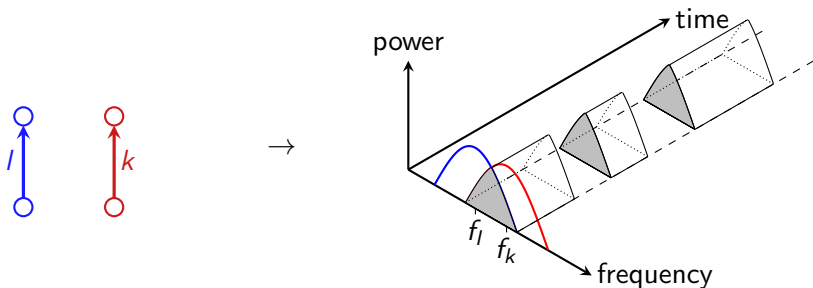
Interference Model



Interference produced by k on neighbor l :

$$I_l(k) = \text{airtime}(k) \cdot \text{overlap}(k, l)$$

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For two BSSs A and B :

$$I_A(B) = \sum_{l \in A} \sum_{k \in B} I_l(k)$$

Optimization Objective

Explicit interference vs. bandwidth trade-off:

$$\text{minimize } \mathcal{E} := \underbrace{\sum_A \sum_{B \in \mathcal{N}_A} I_A(B)}_{\text{Total interference}} + \underbrace{\sum_A \text{cost}_A(b_A)}_{\text{Sum of bandwidth "costs"}}$$

- $\text{cost}_A(b_A)$ is the cost that BSS A attributes to using bandwidth b_A
- E.g., $\text{cost}_A(b_A) \propto 1/b_A$

Algorithm at BSS A

Initialization:

Pick a random configuration (f_A, b_A)

After random (exp. distributed) time intervals:

Pick a random configuration $(f_{\text{new}}, b_{\text{new}})$

Measure $e_1 := \sum_{B \in \mathcal{N}_A} (I_A(B) + I_B(A)) + \text{cost}_A(b_A)$ if A uses (f_A, b_A)

Measure $e_2 := \sum_{B \in \mathcal{N}_A} (I_A(B) + I_B(A)) + \text{cost}_A(b_{\text{new}})$ if A uses $(f_{\text{new}}, b_{\text{new}})$

Compute

$$\beta_T = \begin{cases} 1 & \text{if } e_2 < e_1 \\ \exp \frac{e_1 - e_2}{T} & \text{else} \end{cases}$$

Set $(f_A, b_A) = (f_{\text{new}}, b_{\text{new}})$ with probability β_T

Convergence

Metropolis sampling for center frequency and bandwidth

Theorem

Denote X_n the global state of the network after the n -th iteration. Consider a network where all the BSSs run our algorithm using a given parameter T . Then X_n is a Markov chain, and it converges in distribution to

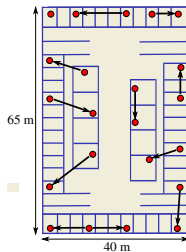
$$\pi(X) \propto e^{-\mathcal{E}(X)/T},$$

where X is a global state.

- State gets arbitrarily close to optimal for T small enough
- T encodes a trade-off between likelihood of local optima and asymptotic efficiency

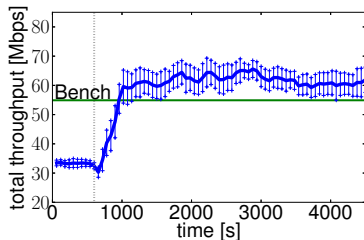
Implementation

- 802.11g with 5, 10 and 20 MHz channel widths
- Interference measured by spending ≤ 50 ms. out-of-band
- Optional client collaboration for interference measurement
- C++ implementation using *Click* in userspace
- $\text{cost}_A(b_A) = 1/b_A$

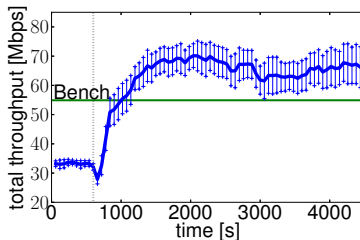


Performance Evaluation

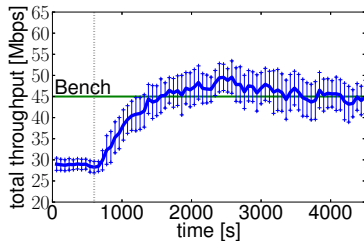
UDP traffic, client-agnostic:



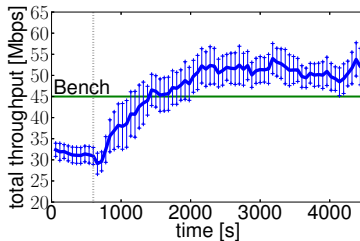
UDP traffic, client-aware:



TCP traffic, client-agnostic:



TCP traffic, client-aware:



"Bench" line: centralized graph-coloring for fixed-width channels

Simulation

- Random distribution of BSSs on the plane
- Capacity of link $l = b_l \cdot \log(1 + SINR)$
- $\text{cost}_A(b_A) = c/b_A$, optimization objective becomes:

$$\text{minimize } \sum_A \sum_{B \in \mathcal{N}_A} I_A(B) + c \cdot \sum_A 1/b_A$$

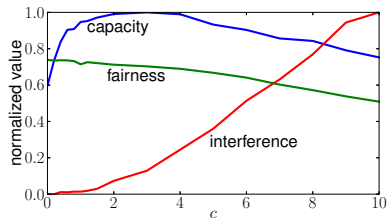
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- $c \rightarrow \infty$: use largest bandwidth, irrespective of interference

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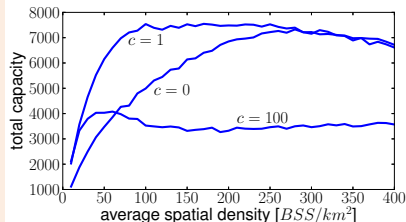
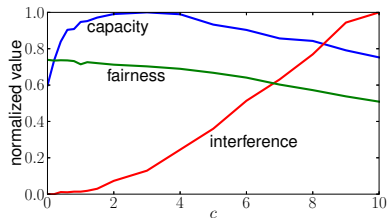


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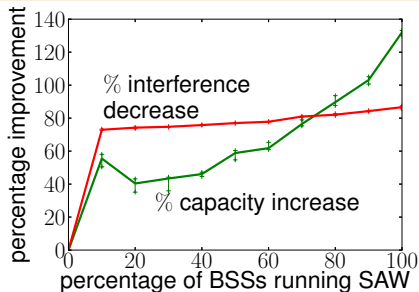
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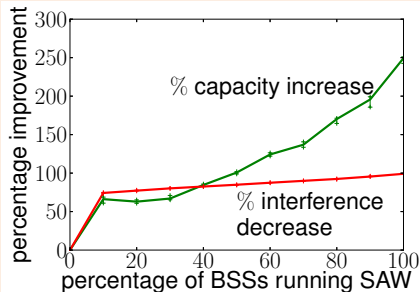
Simulation

Improvement with respect to random allocations

after 5 iterations:

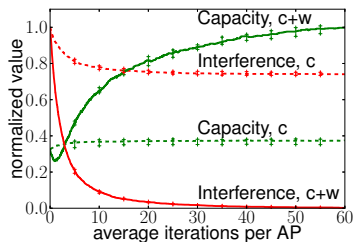


after 20 iterations:

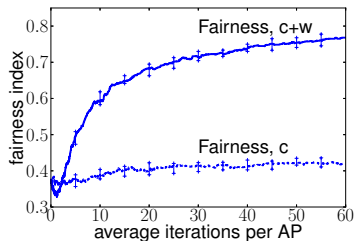
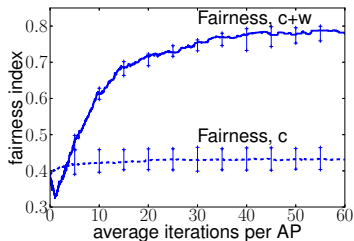
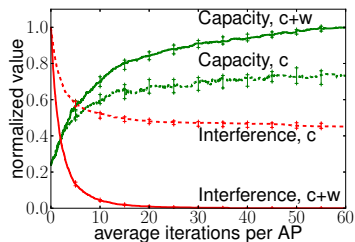


Simulation

total spectrum: 45 MHz

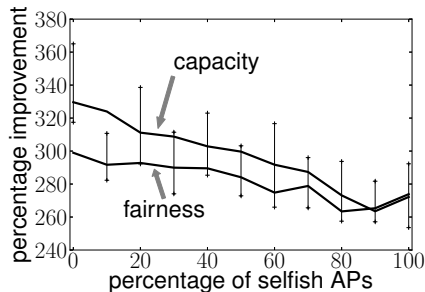
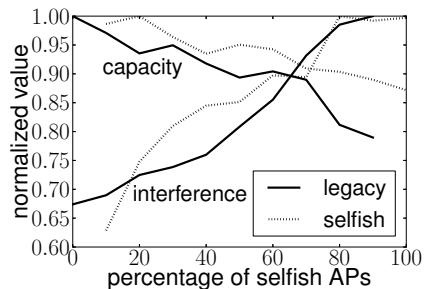


total spectrum: 70 MHz



Simulation

Influence of selfish APs



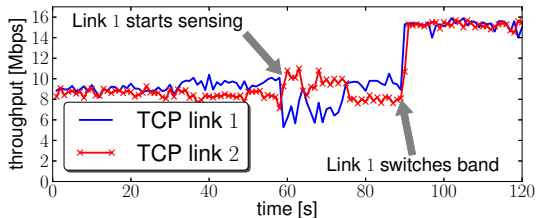
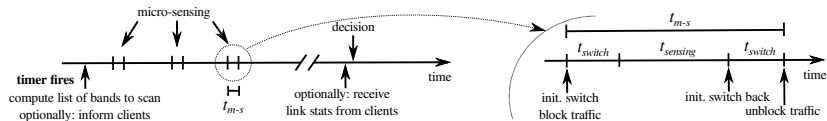
Conclusion

- Distributed, joint allocation of center frequencies and bandwidths
- Bandwidth influences both capacity and interference; ideal spectrum consumption should depend on network density
- Optimization of an explicit trade-off between interference mitigation and use of advantageous bandwidths
- Simple optimization objectives yield best results irrespective of network density
- Large capacity improvements, even when not all BSSs run the algorithm
- Testbed implementation shows feasibility and improvements compared to fixed-width graph coloring

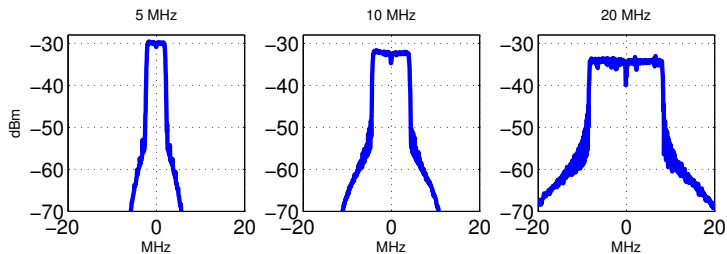
Some Related Work

- Channel allocation / graph coloring, e.g., [Akella et al. 2005, Kauffmann et al. 2007, Duffy et al. 2011, Leith et al. 2012]
 - ▶ Main goal: minimize interference (no variable bandwidth)
- Variable bandwidth / white spaces, e.g., [Chandra et al. 2008, Bahl et al. 2009, Rayanchu et al. 2011]
 - ▶ Heuristics, no focus on self-organization

Micro-sensing

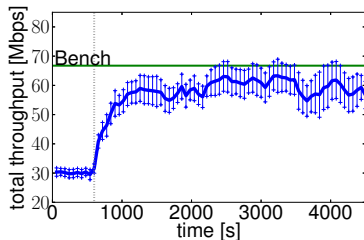


Channel widths

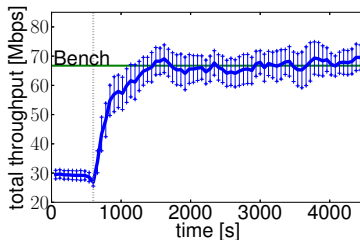


Performance Evaluation (uplink)

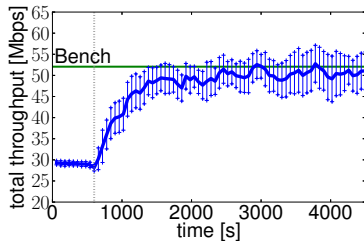
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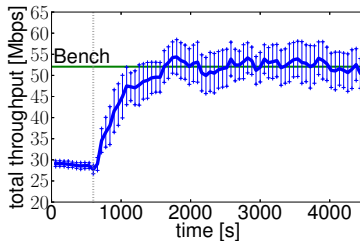
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