



Indian Institute of Technology Kharagpur

COA-22 Lab Assignment-1

Part 1:- Ripple Carry Adder

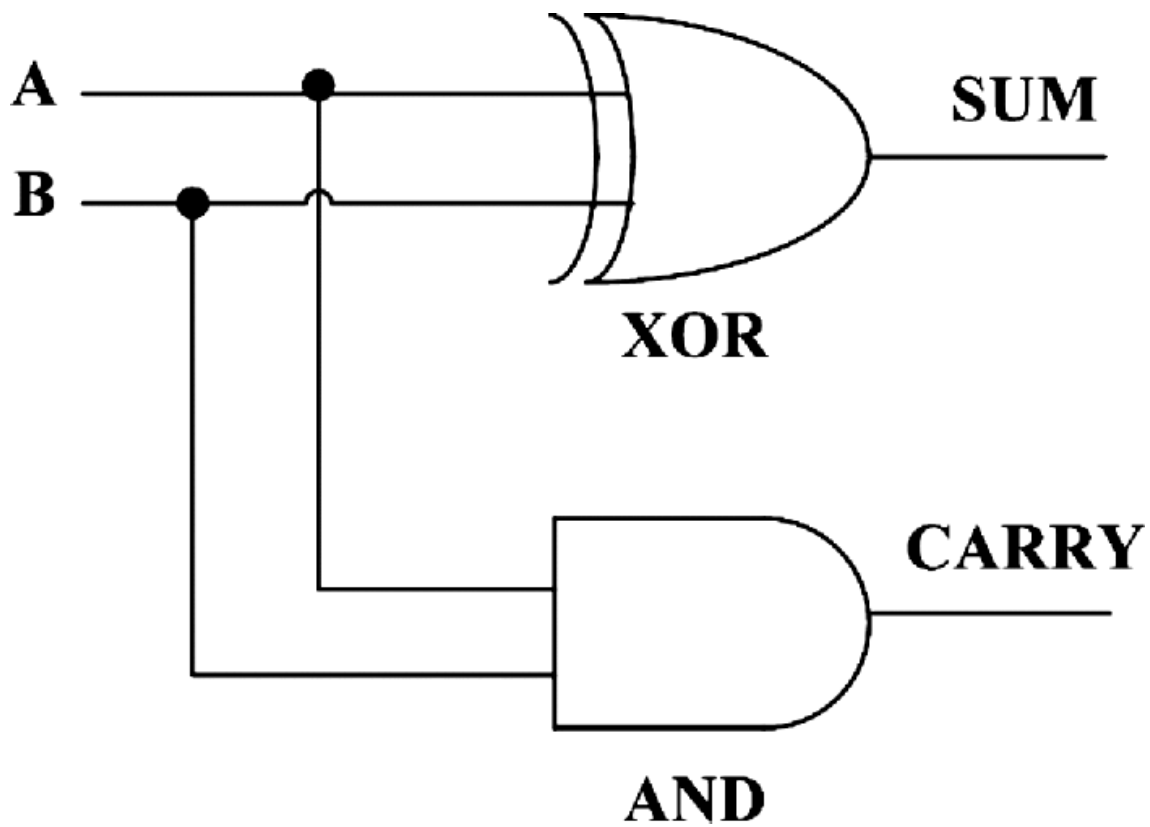
Hardik Pravin Soni 20CS30023
Abhay Kumar Keshari 20CS10001

Contents

1	Half Adder	3
1.1	Circuit Diagram	3
1.2	Truth Table	3
1.3	Logic Expression	4
2	Full Adder	4
2.1	Circuit Diagram	4
2.2	Truth Table	5
2.3	Logic Expression	5
3	Ripple Carry Adder for 8-bit	6
3.1	Circuit Diagram	6
4	Ripple Carry Adder for 16-bit	7
4.1	Circuit Diagram	7
5	Ripple Carry Adder for 32-bit	7
5.1	Circuit Diagram	8
6	Ripple Carry Adder for 64-bit	8
6.1	Circuit Diagram	9
7	Synthesis Table	10
7.1	Table	10
8	Difference of two n-bit Numbers	10
8.0.1	How can you use the above circuit, to compute the difference between two n-bit numbers?	10

1 Half Adder

1.1 Circuit Diagram



1.2 Truth Table

(i)			
a	b	s	c
0	0	0	0
0	1	1	0
1	0	1	0
1	1	0	1

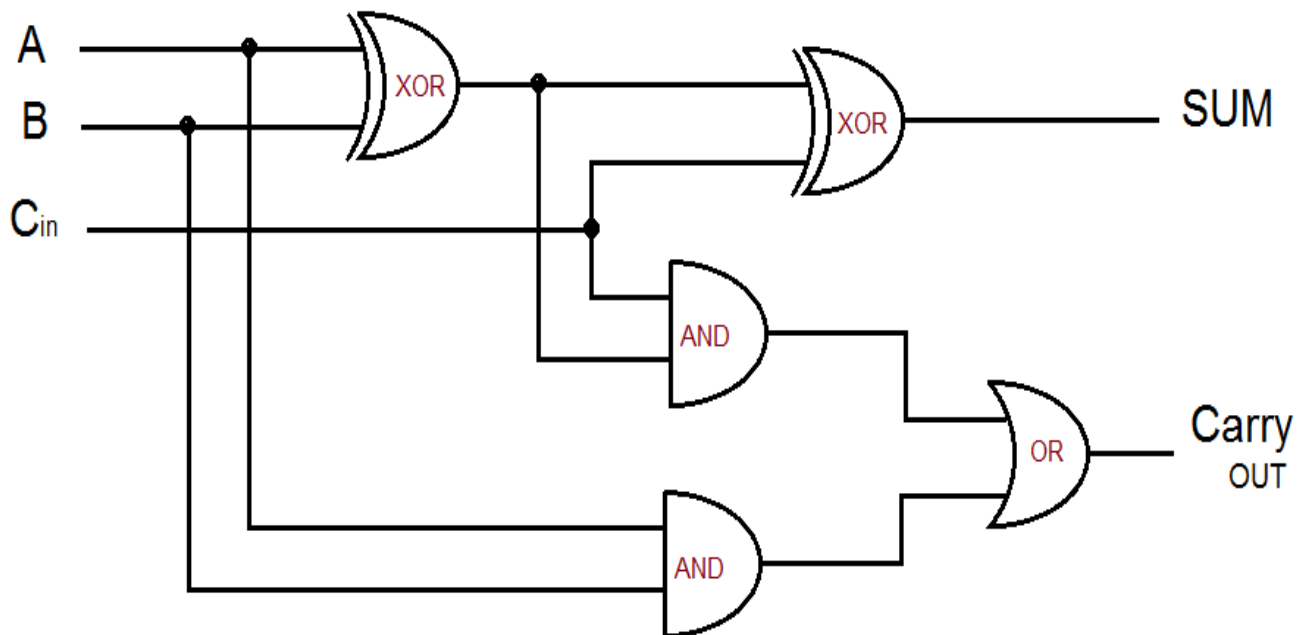
1.3 Logic Expression

$$s = a \oplus b \quad (1)$$

$$c = a \& b \quad (2)$$

2 Full Adder

2.1 Circuit Diagram



2.2 Truth Table

(ii)				
a	b	c_{in}	s	c_{out}
0	0	0	0	0
0	0	1	1	0
0	1	0	1	0
1	0	0	1	0
1	1	0	0	1
1	0	1	0	1
0	1	1	0	1
1	1	1	1	1

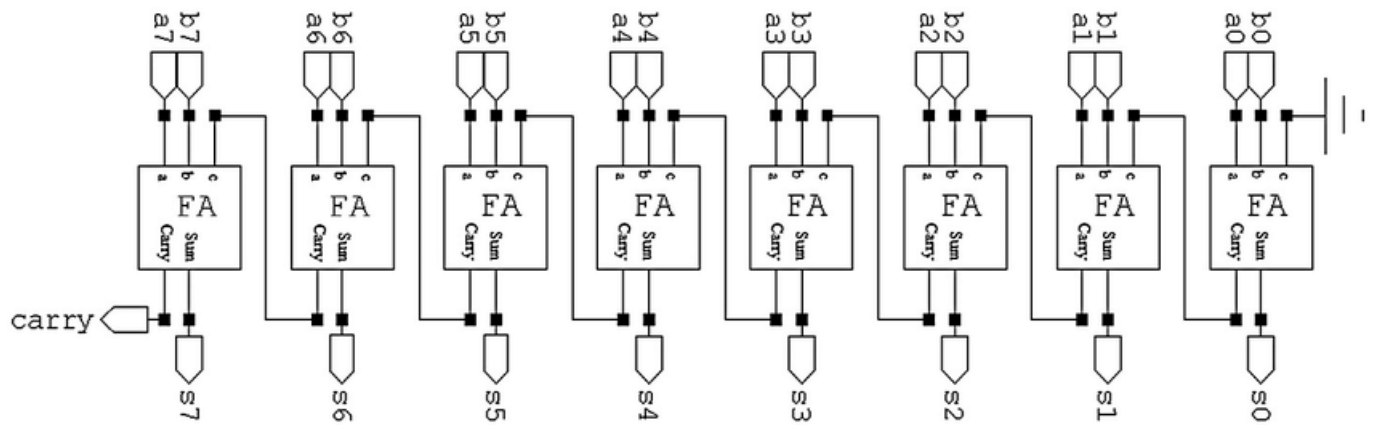
2.3 Logic Expression

$$s = a \oplus b \oplus c_{in} \quad (3)$$

$$c_{out} = (a \ \& \ b) | (c \ \& \ (a \oplus b)) \quad (4)$$

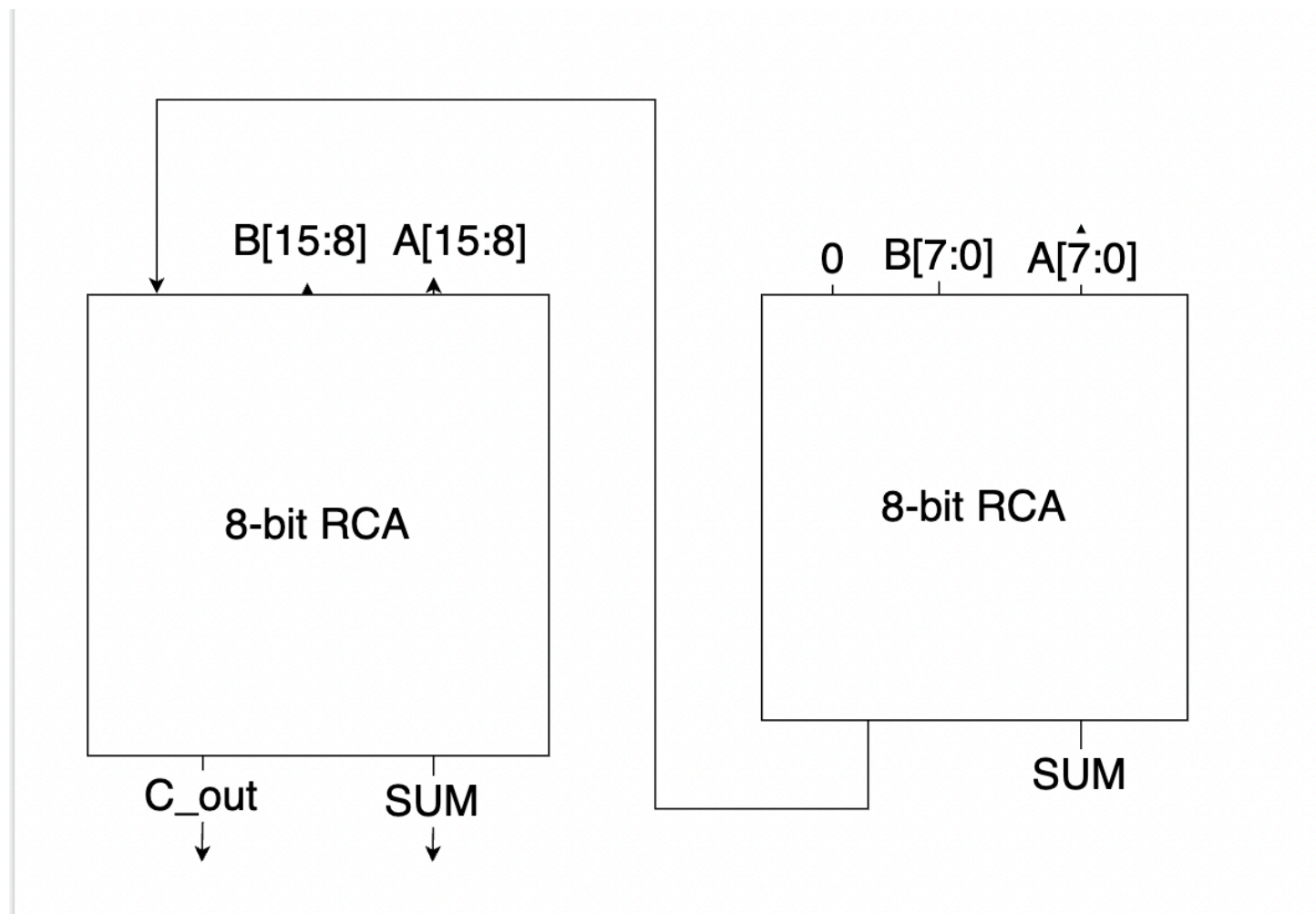
3 Ripple Carry Adder for 8-bit

3.1 Circuit Diagram



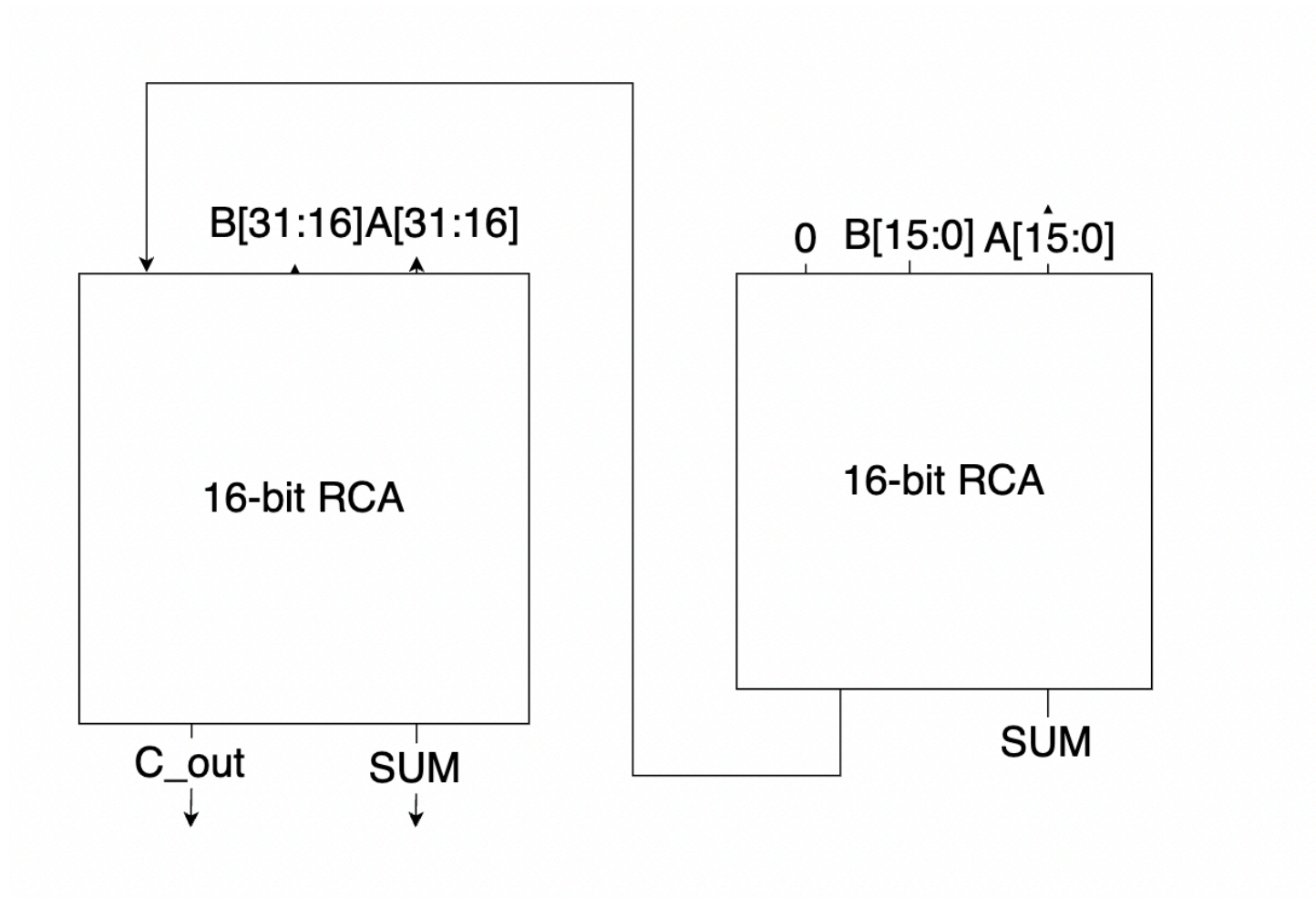
4 Ripple Carry Adder for 16-bit

4.1 Circuit Diagram



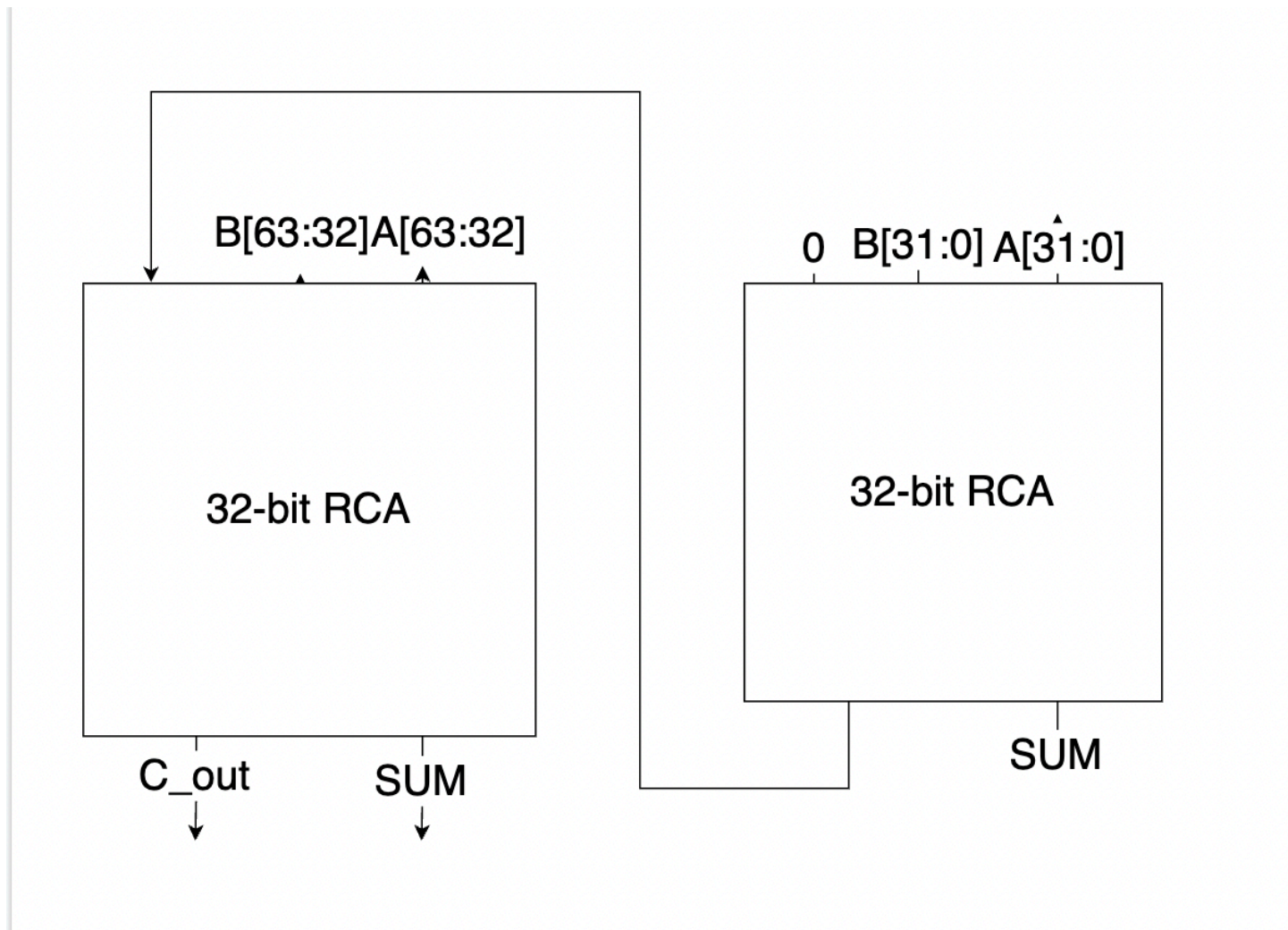
5 Ripple Carry Adder for 32-bit

5.1 Circuit Diagram



6 Ripple Carry Adder for 64-bit

6.1 Circuit Diagram



7 Synthesis Table

7.1 Table

Design Summary		
Delay	Slice LUT's	Bonded IOB's
2.523 ns	12	26
4.467 ns	24	50
8.356 ns	48	98
16.134 ns	96	194

8 Difference of two n-bit Numbers

8.0.1 How can you use the above circuit, to compute the difference between two n-bit numbers?

We have constructed 8-bit, 16-bit, 32-bit, 64-bit Ripple Carry Adder using Half-Adders and Full-Adders Circuit.

We see for n-bit numbers p and q, the difference between them can be written as,

$$p - q = p + (-q) \quad (5)$$

We observe that $(-b)$ is the two's complement of b :-

$$-b = \sim b + 1 \quad (6)$$

So,

$$a - b = rca_n(a, \sim b, 1) \quad (7)$$

Wherein,

a = First Number

b = Second Number

carry-in = 1

To obtain the difference, we may use the 64-bit RCA Adder and enter a as the first number and b as the second number (negative number), which will be saved in the 2's complement form of b .

The second method we may make a difference is as follows: A switch connected to the adder's carry-in, as well as XOR gates connected to each of the input bits for bit b , may be added to the circuit. When the switch is turned on, the carry-in is set to 1 and all of the bits of b are flipped at the same time (xor with 1 flip all bits). This will get the result $a-b$. If the switch is flipped, the output will be $a+b$.