

3.2
~~3.0~~1) For $x = 1$

| | <u>Allocated</u> | <u>Maximum</u> | <u>Available</u> | <u>Need</u> |
|-----|------------------|----------------|------------------|-------------|
| P.A | 1 0 2 1 1 | 1 1 2 1 3 | 0 0 1 1 1 | 0 1 0 0 2 |
| P.B | 2 0 1 1 0 | 2 2 2 1 0 | | 0 2 1 0 0 |
| P.C | 1 1 0 1 0 | 2 1 3 1 0 | | 1 0 3 0 0 |
| P.D | 1 1 1 1 0 | 1 1 2 2 1 | | 0 0 1 1 1 |

Initializing

$$\text{Work} = \text{Available} = 0 0 1 1 1$$

$$\text{Finish}[x] = \text{false where } x = A, B, C, D$$

for ~~process~~ Process D,

$$\text{Need} \leq \text{Work}$$

$$\Rightarrow \text{Work} = 0 0 1 1 1 + 1 1 1 1 0$$

$$= 1 1 2 2 1$$

$$\text{Finish}[D] = \text{True}$$

Now, There exists no process with
 $\text{finish} = \text{false}$ and $\text{Need} \leq \text{Work}$

$$\text{Final Finish Vector} = F F F T$$

\Rightarrow Not safe.

(ii)

| | Allocated | Maximum | Available | Need |
|----|-----------|-----------|-----------|-----------|
| PA | 1 0 2 1 1 | 1 1 2 1 3 | 0 0 5 1 1 | 0 1 0 0 2 |
| PB | 2 0 1 1 0 | 2 2 2 1 0 | | 0 2 1 0 0 |
| PC | 1 1 0 1 0 | 2 1 3 1 0 | | 1 0 3 0 0 |
| PD | 1 1 1 1 0 | 1 1 2 2 1 | | 0 0 1 1 1 |

Initializing

$$\text{Work} = \text{Available} = 00511$$

$$\text{Finish}[x] = \text{False} \text{ for } x = A, B, C, D$$

For Process D,

$$\text{Need} \leq \text{Work}$$

$$\Rightarrow \text{Work} = 00511 + 11110 \\ = 11621$$

$$\text{Finish}[D] = \text{True}$$

For Process C,

$$\text{Need} \leq \text{Work}$$

$$\Rightarrow \text{Work} = 11621 + 11010 \\ = 22631$$

$$\text{Finish}[C] = \text{TRUE}$$

For Process B, $\text{Need} \leq \text{Work}$

$$\Rightarrow \text{Work} = 22631 + 20110 = 42741$$

$$\text{Finish}[B] = \text{TRUE}$$

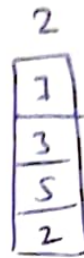
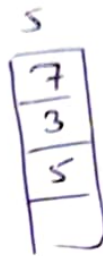
No process left with $\text{finish} = \text{false}$ &
 $\text{Need} \leq \text{work}$. Final Finish Vector = FTTT
 \Rightarrow Not safe

4.2 Reference string given is

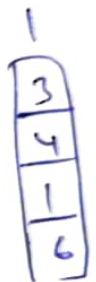
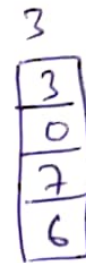
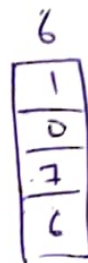
7 3 5 2 1 0 7 1 7 1 2 0 2 6 3 4

1 5 2 7 0 7 4 7 1 2 0

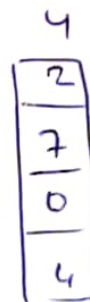
i) FIFO



1 7 1 2 0 2



7



7



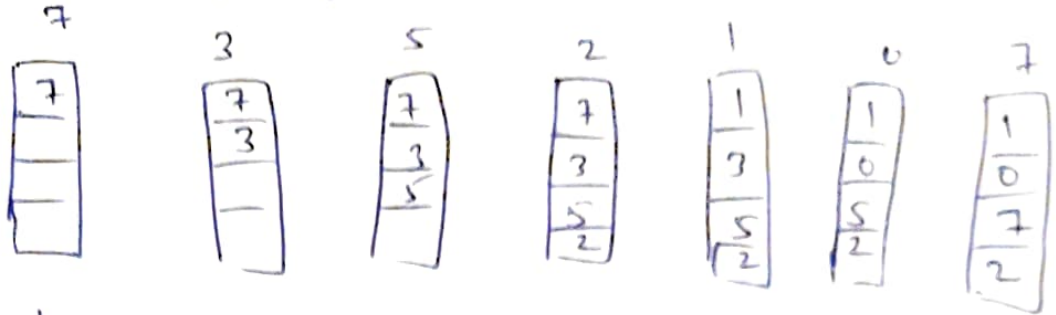
2

0

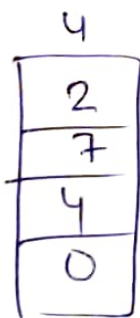
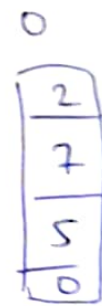
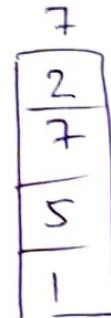
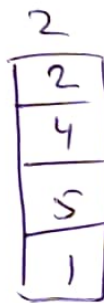
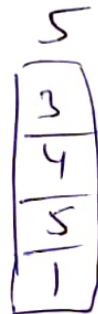
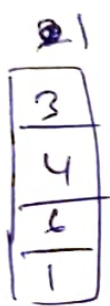
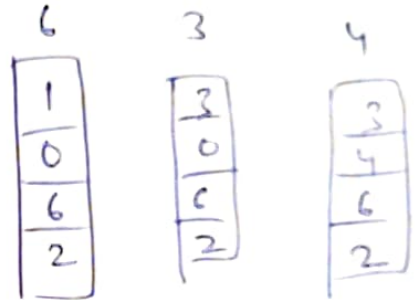


Total Page faults
= 18

ii) LRU Algo



1 7 1 2 0 2



7



Total Page faults = 19

Q:1

- a) False, Validity of the entry is checked when it is loaded into TLB. Exception handler is called if found invalid.
- b) TRUE, If the needed page is not in memory, Page fault occurs. OS fetches the page if it exists and process has the required permissions otherwise the process is aborted.
- c) ~~False~~,
TRUE, Same algo
- d) ~~False, It is limited by by the size variable used in fat, for each file~~
- e) False, There exists at max 1 inode of a file is system-wide open file table. Per-process file table of ~~the~~ both processes will have different entries pointing to the same inode in system-wide open file table.

- d) TRUE, FAT ~~1~~ has a table where each block can point to the next block of the file.
⇒ Only limit is the size of storage device.
- f) TRUE, Interrupt handlers run in kernel threads
- g) False:- Swapped out states contains ready processes which are swapped out of memory due to memory shortage
- h) TRUE:- Soft links point to the filename which points inside of the file/folder, hence it can work across file systems
- i) False:- Hard links don't work across different file systems. It knows nothing about where the data is stored in other file systems.
- j) FALSE:- FAT doesn't have support for hard links

3.1Sum of Max. need $< m + n$.

Worst Case = All processes have max. resources and not finished.

- \Rightarrow Resources must be 1 less than the max need of the process.
- \rightarrow Total available resources $< m + n - m = n$
 Total resources $= n$
- \Rightarrow Deadlock cannot occur

4.1~~Loop Cache is a~~

$$\begin{aligned}
 \text{i) Time} &= \overset{\text{(L1 hit)}}{1 \times 0.65} + \overset{\text{(L1 miss)}}{0.35} \times \left[\overset{\text{(L2 hit)}}{0.8 \times 5} + \overset{\text{(L2 miss)}}{0.2 \times 100} \right] \\
 &= 0.65 + 0.35 \times [4 + 20] \\
 &= 9.05 \text{ clocks}
 \end{aligned}$$

- 2) a) $\text{access_seats}.P()$
- b) $\text{access_seats}.V()$ & $\text{agent_ready}.V()$
- c) $\text{agent_ready}.P()$ & $\text{voter_ready}.P()$
- d) $\text{access_seats}.P()$
- e) $\text{access_seats}.V()$ & $\text{voter_ready}.V()$
- f. $\text{access_seats}.V()$