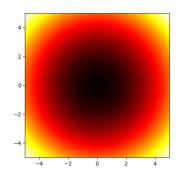
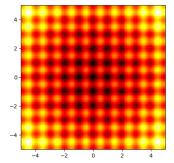
CT5141 Lab Week 5 – Hill-climbing

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Solutions are all in hc_sol.py.

- 1. Download hc.py and use it to solve onemax for n = 16, that is the simple bitstring problem where f = sum. E.g. the bitstring 0111011101110111 has onemax value 12.
- 2. Our hill-climbing code is inefficient because it recalculates f(x) all the time. Can we improve it?
- 3. Add code to record both the iteration number and current f value at each step, and return it as a Numpy array. Use it to make a plot of f (on the vertical axis) against iterations during a longer run with n = 256. What do we observe about this plot?
- 4. Try onemax for various problem sizes, e.g. n = 4, 8, 16, 32, 64, 128, 256, 512, 1024, 2048, with its = 2000, and plot the best f value against n. What do we observe?
- 5. We'll switch now to real-valued optimisation. Use the real-valued versions of init and nbr in hc.py to minimise (not maximise!) the sphere and rastrigin functions. Try n = 2, 8, 32. sphere should be easy, and rastrigin a bit harder! The 2D versions of sphere and rastrigin are illustrated below. For both of these test problems, the optimum is at the origin.





- 6. For onemax, for small n, we should find that the algorithm reaches the optimum quickly. But it doesn't stop, it just keeps searching for improvements even though no improvement is possible. For sphere, it may reach very close to the optimum, and bounce around nearby. In both cases, we know the value of f at the optimum. How can we tell the algorithm to stop at this point? Bear in mind that we should keep HC() generic, not problem-specific.
- 7. Design an objective function on bitstrings where hill-climbing doesn't work, even for a small size such as n = 16.
- 8. Try this code and explain what is happening. (By the way you can press Ctrl-D to quit.)

```
f = lambda x: float(input(f"Here is my guess: {x}. How many are right? "))
HC(f, lambda: bitstring_init(8), bitstring_nbr, its=20)
```