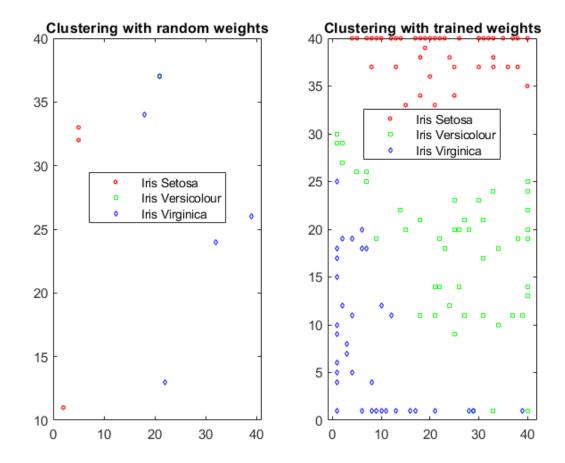
SELF ORGANIZING MAPS

```
clear;
iris data = readmatrix('iris-data.csv');
iris labels = readmatrix('iris-labels.csv');
iris data = iris data./max(iris data);
no of instances = size(iris data, 1);
no of attributes = size(iris data, 2);
no of epochs = 10;
no of patterns = 3;
normalization factor = max(iris data);
initial eta = 0.1;
decay eta = 0.01;
initial width = 10;
decay width = 0.05;
map size = 40;
weights = randn(map size, map size, no of attributes);
initial location = zeros(no of instances, no of patterns);
final location = zeros(no of instances, no of patterns);
for instance = 1:no of instances
    input = iris data(instance, :);
    min distance = inf;
    for i = 1:map size
        for j = 1:map size
            distance = 0;
            for k = 1:no of attributes
                distance = distance + (weights(i, j, k) -
input(k))^2;
            end
            if distance <= min distance</pre>
                min distance = distance;
                i winning = i;
                j winning = j;
            end
        end
    end
```

```
initial location(instance, :) = [i winning, j winning,
iris labels(instance));
end
for epoch = 1:no of epochs
    eta = initial eta * exp(-decay eta * epoch);
    width = initial width * exp(-decay width *epoch);
    for instance = 1:no of instances
        input index = randi(no of instances);
        input = iris data(input index, :);
        min distance = inf;
        for i = 1:map size
            for j = 1:map size
                distance = 0;
                for k = 1:no of attributes
                     distance = distance + (weights(i, j, k)
- input(k))^2;
                end
                if distance <= min distance</pre>
                    min distance = distance;
                     i \min = i;
                     j \min = j;
                    winning position = [i min, j min];
                end
            end
        end
        for i = 1:map size
            for j = 1:map size
                neighbourhood function = exp(-norm([i, j] -
winning position)^2/(2 * width^2));
                if neighbourhood function < 3 * width</pre>
                     for k = 1:no of attributes
                         delta weights = eta *
neighbourhood function * (input(k) - weights(i, j, k));
                         weights(i, j, k) = weights(i, j, k)
+ delta weights;
                     end
                end
```

```
end
        end
    end
end
for instance = 1:no of instances
    input = iris data(instance, :);
    min distance = inf;
    for i = 1:map size
        for j = 1:map size
            distance = 0;
            for k = 1:no of attributes
                distance = distance + (weights(i, j, k) -
input(k))^2;
            end
            if distance <= min distance</pre>
                min distance = distance;
                i winning = i;
                j winning = j;
            end
        end
    end
    final location(instance, :) = [i winning, j winning,
iris labels(instance);
end
figure;
colors = 'rgb'; markers = 'hsdp';
ax1 = subplot(1,2,1);
gscatter(initial location(:, 1), initial location(:, 2),
initial location(:, 3), colors, 'hsdp', 3);
title(ax1, 'Clustering with random weights')
legend('Iris Setosa', 'Iris Versicolour', 'Iris
Virginica');
ax2 = subplot(1,2,2);
gscatter(final location(:, 1), final location(:, 2),
final location(:, 3), colors, 'hsdp', 3);
title(ax2, 'Clustering with trained weights')
legend('Iris Setosa', 'Iris Versicolour', 'Iris
Virginica');
```



A self-organizing map is trained to cluster the different varieties of flowers using the iris data set. The clustering is done on the basis of the attributes. Initially, we find out the winning neuron by calculating the distance between the input attribute and its corresponding weight vector for each flower and mapping is done. The left plot shows the output array off for all the data points with the random initialized weights. We can see here that there is no feature clustering at all.

However, the right plot shows the three different clusters when we train the weights using Kohonen's rule. We calculate the positions of the wining neurons after the training is done and plot the final data set that we get. In the plot we can see that some of the points are at very random locations, the reason for that is the size of the data set that we have.