Tutorial #1

CSE 301: Computer Engineering (I)
Third Year, Communication Engineering

Problem 2.10:

A benchmark program is run on a40 MH processor. The executed program consists of 100,000 instruction executions, with the following instruction mix and clock cycle count:

Instruction Type	Instruction Count	Cycles per Instruction
Integer arithmetic	45,000	1
Data transfer	32,000	2
Floating point	15,000	2
Control transfer	8000	2

Determine the effective CPI, MIPS rate, and execution time for this program.

Solution:

$$f = 40 \text{MHz} \quad I_c = 100000$$

$$CPI_{effective} = (45000*1 + 32000*2 + 15000*2 + 8000*2)/100000$$

$$CPI = 1.55$$

$$MIPS = f / (PI_{effective} * 10^6) = 40/1.55 = 25.8$$

$$T_p \text{ (execution time for this program)} = (I_c * PI_{effective})/f = 100000*1.55 / 40 * 10^6 = 3.875 \text{ s}$$

Problem 2.14:

The following table shows the execution times, in seconds, for five different benchmark programs on three machines.

Benchmark	Processors		
	R	M	Z
Е	417	244	134
F	83	70	70
Н	66	153	135
I	39449	35527	66000
K	772	368	369

- a. Compute the speed metric for each processor for each benchmark, normalized to machine R. That is, the ratio values for R are all 1.0. Other ratios are calculated using Equation (2.5) with R treated as the reference system.
- b. Repeat part (a) using M as the reference machine.
- c. Which machine is the slowest based on each of the preceding two calculations?

Solution:

$$r_x = T_{ref} / T_{sut}$$

a. The following table, using the equation above, shows the speed ratios as R is the reference machine

Benchmark	Processors		
	M	Z	
Е	1.7	3.12	
F	1.2	1.2	
Н	0.4	0.5	
I	1.1	0.6	
K	2.1	2.1	

To compare the two machines M and Z with reference to machine R, the geometric mean is computed

For machine M:
$$r_g = (1.7*1.2*0.4*1.1*2.1)^{1/5} = 1.1352$$

For machine Z:
$$r_g = (3.12*1.2*0.5*0.6*2.1)^{1/5} = 1.2$$

So machine Z is faster than machine M.

b. The following table shows the speed ratios as R is the reference machine

Benchmark	Processors		
	R	Z	
Е	0.6	1.8	
F	0.84	1	
Н	2.32	1.13	
I	0.9	0.54	
K	0.48	1	

To compare the two machines M and Z with reference to machine R, the geometric mean is computed

For machine R:
$$r_g = (0.6*0.84*2.32*0.9*0.48)^{1/5} = 0.8723$$

For machine Z:
$$r_g = (1.8*1*1.13*0.54*1)^{1/5} = 1.019$$

So machine Z is faster than machine R.

c. From the previous calculation in part a and b machine R is the slowest one

External Problem:

Given that 30% of a certain program could be executed in parallel, calculate the speed up factor due to executing that program on 8 processors/cores instead of a single processor.

Solution:

Speed Up =
$$1/((1-f) + (f/N)) = 1/((1-0.3) + (0.3/8)) = 1.4$$

CSE 321a – Midterm Exam– Fall 2014

A processor runs on a 1 GHz clock to execute a program that contains 1000 instructions classified as follows: 25% "multiply" instructions (whose CPI is 10), 30% "add" instructions (whose CPI is 5), 45% other instructions (whose CPI on average is 6). The processor supports another instruction called "multiply-add" (whose CPI is 12). A single "multiply-add" is equivalent to a "multiply" instruction followed by an "add" instruction. Suppose that the program is to be modified to use the "multiply-add" instructions whenever is possible. Suppose further that 80% of the "multiply" instructions in the original program are followed by "add" instructions and hence can be replaced by "multiply-add" instructions.

- 12. What is the average CPI of the original program (i.e., before using "multiplyadd" instructions)?
- (a) 16.3
- (b) 7.2
- (c) 12.3
- (d) 6.7
- (e) None of the above.
- 13. How much time does it take to execute the original program?
- (a) 16.3 μs
- (b) 7.2 μs
- (c) 12.3 μs
- (d) 6.7 μs
- (e) None of the above.
- 14. What is the length of the modified program (i.e., after using "multiply-add" instructions)?
- (a) 800 instructions
- (b) 750 instructions
- (c) 1200 instructions
- (d) 700 instructions
- (e) None of the above.

- 15. What is the average CPI of the modified program?
- (a) 9.5
- (b) 7.625
- (c) 7
- (d) 6.375
- (e) None of the above.
- 16. How much time does it take to execute the modified program?
- (a) 6.1 μs
- (b) 6.375 μs
- (c) 5.6 µs
- (d) $5.1 \mu s$
- (e) None of the above.