```
Problem
       Property LTO, (TO) = N(TO)
                 Pf Lπ<sub>θ</sub>(π<sub>θ</sub>)= N(π<sub>θ</sub>)+ Σd<sup>π<sub>θ</sub></sup>(S)Σπ<sub>θ</sub>,(a(S)A<sup>π<sub>θ</sub></sup>(S, a)
A 20 2 22
                                                                            (by definition of INO) M (1))
                                                                     = N(TO1)+(ZdTO (S)). 0
= N(TO1)+(ZdTO (S)). 0
                         Closm: _= 0

_= ZTO_(als)(QT(S,0)-VT(s,a) Are

OCA
                                          = I TO, (als) Qt, (s, a) - ITO, (als) VT (s, a)
A=0
A=0
A=0
A=0
                                          = Vry(5)-Vry(5)
                                                    (by bellman equation)
        Property 2 702 TO, (TO) 10=0,= 70 N(TO) 10=0,
                pf By Performance Lemma and (1), we have 1(T_0) = 1(T_0) + \sum_{s} d_{s}(s) \sum_{s} T_{o}(a|s) A^{T_{o}}(s,a)
                                    LTO, (TO)= M(TO,)+ Idu (S) ITO(a15) ATO(S,a) RH(SZ
                                => If aRHSI 10=0, = aRHSZ 10=0, then Property 2 holds.
                                   + \(\frac{1}{5} d_{\mu}(S) \(\frac{1}{5} \) \(\frac{1}{5}
                                                                                                (by Chan rule) : I To,(als) Ater(s,a)
```

Problem 2

(a) We use two Lemma to solve.

Let  $f: \mathbb{R}^n \to \mathbb{R}$  given by  $foo: X^T A X_1$ .

Where  $A: Symmetric and X=(X_1'-X_1)^T$ .

Then  $\frac{\partial f}{\partial X}=2AX$ .

pf 
$$\chi = f(x) : \chi^{T} A \chi = \sum_{i=1}^{n} \sum_{j=1}^{n} \alpha_{ij} \chi_{i} \chi_{j}$$

$$= \sum_{i=1}^{n} \alpha_{ip} \chi_{i} \chi_{p} + \sum_{i=1}^{n} \alpha_{ij} \chi_{p} \chi_{j} + \sum_{i=1}^{n} \alpha_{ij} \chi_{i} \chi_{j}$$

$$= \sum_{i=1}^{n} \alpha_{ip} \chi_{i} + \sum_{i=1}^{n} \alpha_{ij} \chi_{j} \qquad inj \neq p$$

$$= 2 \sum_{i=1}^{n} \alpha_{ip} \chi_{i} + \sum_{i=1}^{n} \alpha_{ij} \chi_{j} \qquad inj \neq p$$

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$$= 2 \sum_{i=1}^{n} \alpha_{ip} \chi_{i} + \sum_{i=1}$$

2X = A, where A: metrix pf similar to above proof. 764 97(0'Y)=0. =>-(70L0K) 0=0K)+ = (2H0K(0-0K))=0 by Lemma 1, Lemma 2.  $\Rightarrow (\theta - \theta_{k}) = \frac{1}{\lambda} H_{\theta_{k}}^{-1}(\nabla_{\theta} L_{\theta_{k}} | \theta = \theta_{k}) 代国(4)$ =) L(0, X) = - (70 LOK(0) | 0= 0K / HOK(0=0K) + X(-1 HOK(VOLOK/0=0K)) HOK(0-0K)  $=-\left(\nabla_{\theta}L_{\theta K}(\theta)\right|_{\theta=\theta K}\frac{1}{\lambda}H_{\theta K}^{-1}(\nabla_{\theta}L_{\theta K})_{\theta=\theta K}$ t X (2 (0) 0= 0x) (-1) / HOx (0-0x) 4 = ( D) 0 kg) | 0 = 0 k - HOK (D) OK | 0 = 0 K) - > & =- - 1 (DOLOK(B) | B=OK) HOK (DOLOK(B) | B=OK) - YS = minf(0,1) ('i'it's LP transformation,
Ofted Strong duality holds

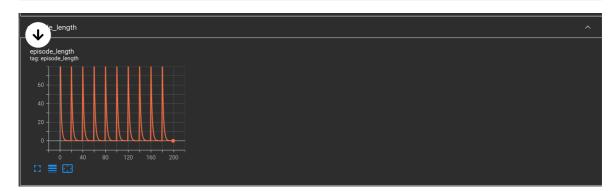
num	$p_t( heta)>0$	$A_t$	Return Value of $min$	Objective is Clipped	Sign of Objective	Gradient
1	$p_t(\theta) \in [1-\epsilon, 1+\epsilon]$	+	$p_t( heta)A_t$	no	+	$\overline{\mathbf{V}}$
2	$p_t(\theta) \in [1-\epsilon, 1+\epsilon]$	-	$p_t( heta)A_t$	no	-	$\overline{\mathbf{V}}$
3	$p_t( heta) < 1 - \epsilon$	+	$(1-\epsilon)p_t(\theta)A_t$	yes	+	0
4	$p_t( heta) < 1 - \epsilon$	-	$(1-\epsilon)p_t( heta)A_t$	yes	-	0
5	$p_t( heta) > 1 + \epsilon$	+	$(1+\epsilon)p_t(\theta)A_t$	yes	+	0
5	$p_t( heta) > 1 + \epsilon$	-	$(1+\epsilon)p_t(\theta)A_t$	yes	-	0

tags: 2024 年 下學期讀書計畫 Reinforcement Learning

# RL Homework 3: DDPG, TRPO, and PPO

### a

# ep\_len



# ep\_reward



#### reward



# train

#### hyperparameters

```
wm_episodes = 200
gamma = 0.995
tau = 0.002
hidden_size = 128
noise_scale = 0.3
replay_size = 100000
batch_size = 128
updates_per_step = 1
print_freq = 20
ewma_reward = 0
rewards = []
ewma_reward_history = []
total_numsteps = 0
updates = 0
```

### learning rates

```
def __init__(self, num_inputs, action_space, gamma=0.995, tau=0.0005, hidden_size=128, lr_a=1e-4, lr_c=1e-3):
```

#### NN architecture

```
def __init__(self, hidden_size, num_inputs, action_space):
    super(Actor, self).__init__()
    self.action_space = action_space
    num_outputs = action_space.shape[0]

######### YOUR CODE HERE (5~10 lines) ########

# Construct your own actor network
    self.fc1 = nn.Linear(num_inputs, hidden_size)
    self.fc2 = nn.Linear(hidden_size, hidden_size)
    self.fc3 = nn.Linear(hidden_size, num_outputs)
    self.relu = nn.ReLU()
    self.tanh = nn.Tanh()
```

```
def __init__(self, hidden_size, num_inputs, action_space):
    super(Critic, self).__init__()
    self.action_space = action_space
    num_outputs = action_space.shape[0]

########## YOUR CODE HERE (5~10 lines) ########

# Construct your own critic network
    self.fc1 = nn.Linear(num_inputs + num_outputs, hidden_size)
    self.fc2 = nn.Linear(hidden_size, hidden_size)
    self.fc3 = nn.Linear(hidden_size, 1)
    self.relu = nn.ReLU()
```

#### b

#### ep\_len



#### ep\_reward



#### reward



#### train

## hyperparameters

```
Jm_episodes = 200
gamma = 0.995
tau = 0.002
hidden_size = 128
noise_scale = 0.3
replay_size = 100000
batch_size = 128
updates_per_step = 1
print_freq = 20
ewma_reward = 0
rewards = []
ewma_reward_history = []
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# learning rates

```
def __init__(self, num_inputs, action_space, gamma=0.995, tau=0.0005, hidden_size=128, lr_a=1e-4, lr_c=1e-3):
```

#### NN architecture

```
def __init__(self, hidden_size, num_inputs, action_space):
    super(Actor, self).__init__()
    self.action_space = action_space
    num_outputs = action_space.shape[0]

######### YOUR CODE HERE (5~10 lines) ########

# Construct your own actor network
    self.fc1 = nn.Linear(num_inputs, hidden_size)
    self.fc2 = nn.Linear(hidden_size, hidden_size)
    self.fc3 = nn.Linear(hidden_size, num_outputs)
    self.relu = nn.ReLU()
    self.tanh = nn.Tanh()
```

```
def __init__(self, hidden_size, num_inputs, action_space):
    super(Critic, self).__init__()
    self.action_space = action_space
    num_outputs = action_space.shape[0]

######### YOUR CODE HERE (5~10 lines) ########

# Construct your own critic network
    self.fc1 = nn.Linear(num_inputs + num_outputs, hidden_size)
    self.fc2 = nn.Linear(hidden_size, hidden_size)
    self.fc3 = nn.Linear(hidden_size, 1)
    self.relu = nn.ReLU()
```