

# Profiting from Uncertainty: The Value of Information and Options

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## The Value of Information

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*“... forecasts have no intrinsic value. They acquire value through their ability to influence the decisions made by users of the forecasts.”*

**Allan H. Murphy**, 1993  
“What is a Good Forecast? An Essay on the Nature of Goodness in Weather Forecasting”

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## The Value of Information: Basic ideas

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- The Value of Information is measured as the ***difference in Expected Value*** between having and not having access to the information
- Information can have value only if it is liable to ***influence a decision***
- Value of Information determines an ***optimal information search***, rather than a perpetual plea that “more research is needed”
- Real information is often ***incomplete, unreliable***: ‘***Perfect Information***’ provides an upper bound on information value
- ***Real Options*** share close similitude with Perfect Information: both derive their value from ***avoiding the downside***, or ***profiting from the upside***, of a risk

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## Information: Imperfect, and Perfect

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- ***Information defined***: Information = Any piece of knowledge or observation liable to alter your beliefs about the uncertainties you are facing  
E.g.: Econometric forecasts; Experts’ opinions; Intelligence reports;  
Results of surveys, polls, market studies, medical tests, ...
- ***Reliability of Information***
  - Real information is less than perfectly reliable:  
 $\text{Prob}[X \text{ happens given Information predicts so}] < 100\%$   
Forecasts contain error; Test results inaccurate; Experts fallible; ...
  - The reliability of information is often unknown, hard to measure
  - Thus, it’s useful to introduce the concept of “Perfect” information
- ***Perfect Information***
  - Predicts outcomes with 100% reliability
  - The value of perfect information will provide an upper bound on the value of any real information, ... and it’s easy to calculate

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Decision with Information Acquisition: Example – Marketing Strategy

The management of a motion picture studio has determined the following payoff table for marketing choices for a new film (the amounts are in millions of dollars):

Box Office Result	Distribute as 'A' Feature	Distribute as 'B' Feature	Sell to TV network
Success	25	15	5
Failure	-10	-5	5

The probability that this new production will be a hit has been judged initially at 30%. The studio is considering a pre-release forecast (e.g., based on sneak previews, or opinion markets, such as Hollywood Stock Exchange, [www.hsx.com](http://www.hsx.com)) before deciding how to market the new film. Historical data on films subjected to such market studies shows that 70% of successful films had received favorable forecasts, while 80% of the box office failures had obtained unfavorable forecasts.

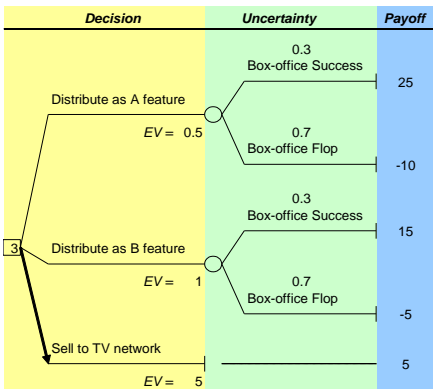
- a) Build a decision tree model to analyze this problem.
- b) What probabilities should be assigned to box office success, if the sneak preview is favorable? If the sneak preview is unfavorable?
- c) If a sneak preview results in a net cost of \$500,000, would you recommend it be taken? (Assume decisions are made on the basis of expected monetary value.)

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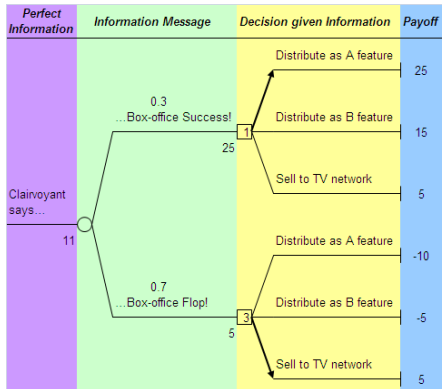
Value of Perfect Information

Decision without information



Decision with Perfect Information

Suppose a "Clairvoyant" could foretell the outcome with 100% reliability...



EV without information = \$5m ≤ EV with perfect information = \$11m

Expected Value of Perfect Information (EVPI) = ΔEV = 11 – 5 = \$6m

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## Calculating the Expected Value of Perfect Information (EVPI)

1. Draw the tree of acquiring Perfect Information signals + the subsequent decision(s)/event(s) following each information signal
2. Calculate EV of the tree from (1) above: that's EV with Perfect Information
3. Calculate increase in EV due to perfect information:

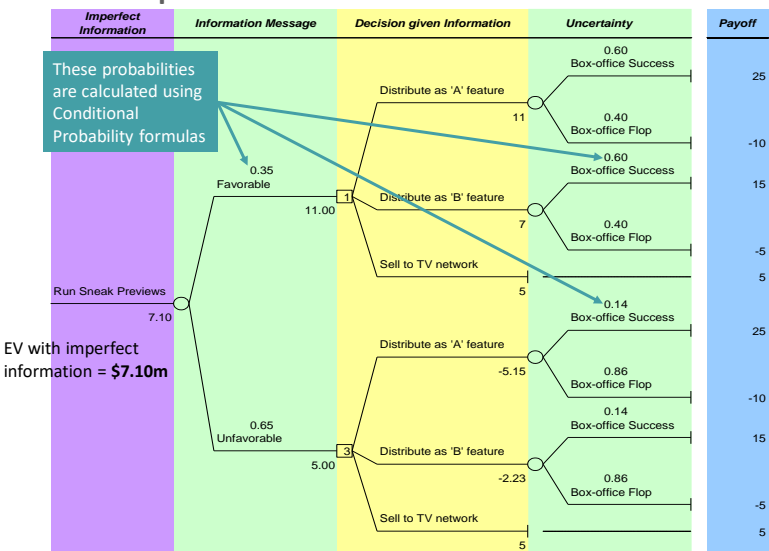
$$\text{EVPI} = \text{EV with (costless) Perfect Info} - \text{best EV without info}$$

Perfect Information is, by definition, the highest quality information, therefore EVPI provides an upper limit on the value of any information about the uncertainty at hand.

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## Value of Imperfect Information



**Expected Value of Imperfect Information (EVII) = 7.10 – 5 = \$2.10m**

- \$2.1m is the most we would be willing to pay for the Sneak Previews
- Note that  $\text{EVII} \leq \text{EVPI}$  (this is always true)

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## Imperfect Information: Probability Calculations

Take 30 movies that were box-office successes and 70 movies that were flops, which were all run through sneak previews. The breakdown of cases is as follows:

		<i>Sneak preview result</i>		
		Favorable	Unfav.	
<i>Box-office result</i>	Success	21	9	30
	Flop	14	56	70
		35	65	

$$\text{Prob}(\text{Success} \mid \text{Fav sneak preview}) = 21/(21+14) = .60$$

$$\text{Prob}(\text{Flop} \mid \text{Unfav sneak preview}) = 56/(9+56) = .86$$

$$\text{Prob}(\text{Fav sneak preview}) = (21+14)/100 = .35$$

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## Calculating the Expected Value of Imperfect Information (EVII)

- ❑ EVII defined similarly as EVPI:

$$\text{EVII} = \text{EV with (costless) Imperfect Info} - \text{best EV without the Info}$$

- ❑ Notes:

- The cost of information acquisition is ignored in calculating EVII (that's just by definition, and for consistency with EVPI)
- Information is worth acquiring if its value exceeds its cost, that is, if:  $\text{EVII} > \text{Cost of Information}$
- $\text{EVPI} \geq \text{EVII} \geq 0$  ...always!

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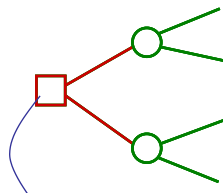
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## Perfect Information: the value of deciding after the fact

- How better off would we be if we could decide with hindsight?

Invert the Decision-Chance sequence:

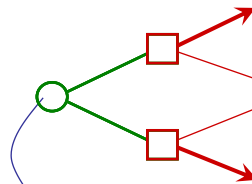
*Decision under Uncertainty*



EV without information

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*Decision in Hindsight*



EV with Perfect Information

The increase in EV measures the value of resolving the uncertainty before deciding, it is the Expected Value of Perfect Information, **EVPI**:

$$\text{EVPI} = \text{EV with (costless) Perfect Info} - \text{EV without info}$$

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## Practical interest of EVPI

- Provides an easy-to-estimate maximum value of any real information
- EVPI can always be calculated from the existing decision tree data (no need to know the reliability of any real information sources)
- EVPI may help prioritize which uncertainties should be subjected to further information gathering

Exploit EVPI to:

- Price the cost of uncertainty
- Prioritize: further research / front-loading activities / information gathering

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## Summary on Value of Information

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- Information and Forecasts are a key ingredient of decision making under uncertainty. More or better information can improve decision-making.
- Forecasts are never perfect. *Yes, we already know that!* ... ok but assume that they are even *less* reliable than you think.
- Information that will have no chance of changing your decision is worthless (value = 0). No need to know it if it will not influence the decision.
- Information could be too expensive: if the cost of obtaining a forecast is more than the value created by the forecast, it's not worth acquiring.
- Perfect information can provide an upper limit on how much you should be willing to pay for better forecasts / more information.

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