

2(b)

```
format long e
f = @(x) exp(x);
fprime = @(x) exp(x); %explicit derivative
%initializing a and h
a = 0;
h = logspace(-1,-16,16);
% calculating error
diffApprox = (f(a +h)- f(a-h))./(2*h);
actualDiff = fprime(a);
error = abs(diffApprox - actualDiff);
%plotting error
loglog(h,error,'r')
hold on
line([eps^(1/3) eps^(1/3)], [get(gca, 'ylim')])
xlabel('h')
ylabel('error')
title('error vs h in numerical differentiation of e^x')
legend('error', 'e^(1/3)', 'location', 'southwest')
% Yes, the result agrees with the data plotted in (b), because the
% vertical line passes near to the minimum error.
```

