

BAYESIAN STATISTICS

Chapter 2

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2. R

2.1. Introduction to R

R is a powerful statistical language that provides various statistical methods (linear/nonlinear modeling, statistical hypothesis test, time-series analysis, multivariate data analysis, etc.) and extensive graphical methods.

R is almost similar with **S** language. But **R** is a public software which is developed under the GNU project. Thus, **R** is freely downloaded through the Internet and anyone can contribute to the **R** development.

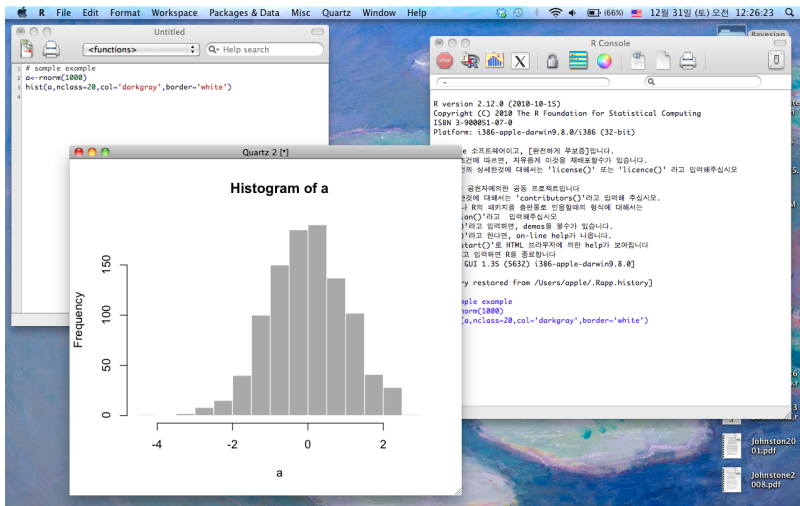
R is not a statistical program strictly, but a platform that provides the environment for implementing statistical methodologies through **packages**

The website of “The R project for Statistical Computing” (<http://www.r-project.org/>) provides the source codes, installation files, and user manuals.

Study the basic manual (click here) by yourself!!!

2.2. Basic instruction

2.2.1. Start and end R



Some commands

- `q()`: quit R session with asking whether you'd like to save workspace image
- `help(persp)` or `?persp`: show the help document on `persp()` function
- `source("c:/work/sample.R")`: execute R commands in the text file named "sample.R" in the directory "c:/work/"
- `sink("c:/work/record.txt")`: send all text outputs in console to the file "c:/work/record.txt". If you type `sink()`, then close the file
- `objects()` or `ls()`: display all objects in the current session
- `rm(x,y,temp,foo)`: remove the objects defined in the session by the names 'x', 'y', 'temp', and 'foo'

Example

```
> x <- c(1,2,3); y <- c(4,5,6)
> z <- c(x,y,7)
> z
[1] 1 2 3 4 5 6 7
```

Example

```
> x <- 1:3 ; y <- c(2,2,2)
> x+y
[1] 3 4 5
> x-y
[1] -1 0 1
> x*y
[1] 2 4 6
> x/y
[1] 0.5 1.0 1.5
> x^y
[1] 1 4 9
```

Example

```
> x <- 1:3 ; y <- c(2,2,2,2,2) # c(1,2,3,1,2) + c(2,2,2,2,2)
> x+y
[1] 3 4 5 3 4
Warning message:
In x + y : longer object length is not a multiple of shorter object length
> y <- c(2,2,2,2,2,2)
> x+y # c(1,2,3,1,2,3) + c(2,2,2,2,2,2)
[1] 3 4 5 3 4 5
> 3-y # c(3,3,3,3,3,3) - c(2,2,2,2,2,2)
[1] 1 1 1 1 1 1
```

Example

```
> sqrt(-4) # error
[1] NaN
Warning message:
In sqrt(-4) : NaNs 가 작성되었습니다
> sqrt(-4+0i) # conduct the complex number arithmetic
[1] 0+2i
```

function	result
<code>log(x)</code>	the natural logarithm of a vector <code>x</code>
<code>exp(x)</code>	exponentiate a vector <code>x</code>
<code>sin(x)</code>	sine value of a vector <code>x</code>
<code>cos(x)</code>	cosine value of a vector <code>x</code>
<code>tan(x)</code>	tangent value of a vector <code>x</code>
<code>sqrt(x)</code>	square root of a vector <code>x</code>
<code>sort(x)</code>	sort the elements of a vector <code>x</code> in an increasing order
<code>max(x)</code>	the maximum of the elements in a vector <code>x</code>
<code>min(x)</code>	the minimum of the elements in a vector <code>x</code>
<code>length(x)</code>	the length of a vector <code>x</code>
<code>sum(x)</code>	sum of all elements in a vector <code>x</code>
<code>prod(x)</code>	product of all elements in a vector <code>x</code>
<code>mean(x)</code>	average of the elements in a vector <code>x</code>
<code>var(x)</code>	sample variance of the elements in a vector <code>x</code>

Table: some useful arithmetic functions

Example

```
> x <- 1:5 ; z <- x>3
> z
[1] FALSE FALSE FALSE TRUE TRUE
> sum(z) # number of TRUE, i.e., number of the elements in x that are larger than 3
[1] 2
```

operator	meaning	usage	operator	meaning	usage
<	less than	$x > 3$	==	equal	$x == y$
<=	less than or equal to	$x >= 3$!=	not equal	$x != y$
>	greater than	$x < 3$	&	and, intersection	$(x > 3) \ \& \ (y < 2)$
>=	greater than or equal to	$x <= 3$		or, union	$(x > 3) \ \ (y < 2)$

Table: logical operators

Example

```
> x <- c(0.1, 0.2, 0.3, 0.4)
> x[3]
[1] 0.3
> x[1:3]
[1] 0.1 0.2 0.3
> x[c(1,3,5)]
[1] 0.1 0.3 NA
```

Example

```
> y <- c(-3, -2, -1, 0, 1, 2)
> y[y<0] <- -y[y<0]
> y
[1] 3 2 1 0 1 2
```

Example

```
> z <- array(1:20, dim=c(4,5))
> z
```

	[,1]	[,2]	[,3]	[,4]	[,5]
[1,]	1	5	9	13	17
[2,]	2	6	10	14	18
[3,]	3	7	11	15	19
[4,]	4	8	12	16	20

Example

```
> z <- array(1:20, dim=c(4,5))
> z[2,3]
[1] 10
> i <- array(c(1,2,3,3,2,1), dim=c(3,2))
> i
```

	[,1]	[,2]
[1,]	1	3
[2,]	2	2
[3,]	3	1

```
> z[i]
[1] 9 6 3
```

Example

```
> matrix(c(1:8), 2, 4)
      [,1] [,2] [,3] [,4]
[1,]    1    3    5    7
[2,]    2    4    6    8

> matrix(3,2,3)
      [,1] [,2] [,3]
[1,]    3    3    3
[2,]    3    3    3
```

Example

```
> x <- c(1,2,3); y <- c(4,5,6)
> A <- cbind(x,y)
> A
      x y
[1,] 1 4
[2,] 2 5
[3,] 3 6
> A[1,2]
y
4
> B <- rbind(x,y)
> B
      [,1] [,2] [,3]
x       1    2    3
y       4    5    6
```

Example

```
> a <- c(1,2,3); b <- c(1,2,3)
> a%o%b
      [,1] [,2] [,3]
[1,]    1    2    3
[2,]    2    4    6
[3,]    3    6    9
```

Example

```
> A <- matrix(0,3,2)
> A
      [,1] [,2]
[1,]    0    0
[2,]    0    0
[3,]    0    0
> t(A)
      [,1] [,2] [,3]
[1,]    0    0    0
[2,]    0    0    0
```

Example

```
> dnorm(0, mean=0, sd=1)
[1] 0.3989423
> pnorm(0, mean=0, sd=1)
[1] 0.5
> qnorm(0.5, mean=0, sd=1)
[1] 0
> rnorm(5, mean=0, sd=1)
[1] 0.3931224 0.1660678 -1.0957104 1.2508052 -0.0653233
```

distribution	R name	arguments	distribution	R name	arguments
beta	beta	shape1, shape2, ncp	binomial	binom	size, prob
Cauchy	cauchy	location, scale	chi-square	chisq	df, ncp
exponential	exp	rate	F	f	df1, df2, ncp
gamma	gamma	shape, scale	geometric	geom	prob
hypergeometric	hyper	m, n, k	log-normal	lnorm	meanlog, sdlog
logistic	logis	location, scale	negative binomial	nbinom	size, prob
normal	norm	mean, sd	Poisson	pois	lambda
t	t	df, ncp	uniform	unif	min, max
Weibull	weibull	shape, scale	Wilcoxon	wilcox	m, n

Table: Probability distributions in R

Example

```
> x <- 1:4
> if ( sum(x) > 12 ) {
+ y <- 1
+ z <- 0
+ } else {
+ y <- 2
+ z <- 1
+ }
> y
[1] 2
> z
[1] 1
```

Example

```
> x <- c(1,2,3,4); y <- rep(2,4)
> x < y
[1] TRUE FALSE FALSE FALSE
> (x < y) & (x <= y) # logical operation is applied elementwisely
[1] TRUE FALSE FALSE FALSE
> (x < y) && (x <= y) # logical operation is applied only to the first element
[1] TRUE
```

Example

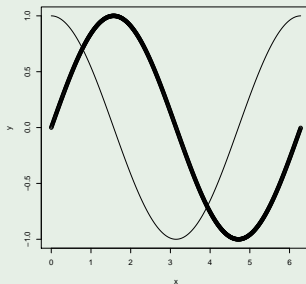
```
> s <- 0; p <- 1
> for ( i in 1:10 ) {
+ s <- s+i
+ p <- p*i
+ }
> s
[1] 55
> p
[1] 3628800
```

Example

```
> fcn <- function(x,y)
+ {
+ ans <- sqrt(x*x+y*y)
+ return(ans)
+ }
> fcn(3,4)
[1] 5
> ans
예러: 오브젝트 'ans' 가 없습니다
```

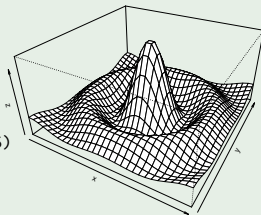
Example

```
> x <- seq(from=0, to=2*pi, by=0.01)
> y <- sin(x); z <- cos(x)
> plot(x,y)
> lines(x,z)
> dev.copy2pdf(file='fig2-1.pdf')
```



Example

```
> x <- seq(-10,10,length=30); y <- x  
> f <- function(x,y){  
+ r <- sqrt(x^2+y^2); 10*sin(r)/r }  
> z <- outer(x,y,f)  
> persp(x,y,z,theta=30,phi=30,expand=0.5)  
> dev.copy2pdf(file='fig2-2.pdf')
```



Example

```
> par(mfrow=c(1,3))
> x <- seq(from=0, to=2*pi, by=0.01)
> y <- sin(x)
> plot(x,y,type='l',main='sine curve')
> y <- cos(x)
> plot(x,y,type='l',main='cosine curve')
> x <- seq(from=0,to=1.5,by=0.01)
> y <- tan(x)
> plot(x,y,type='l',main='tangent curve')
> dev.copy2pdf(file='fig2-3.pdf')
```

