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## A steganographic method combining LSB substitution and PVD in a block

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### Abstract

In the recent past some steganography techniques by combining least significant bit (LSB) substitution and pixel value differencing (PVD) have been proposed to improve upon the hiding capacity and peak signal-to-noise ratio (PSNR). This paper proposes a steganographic technique by using both LSB substitution and PVD with in a block. The image is partitioned into  $2 \times 2$  pixel blocks in a non-overlapping fashion. For every  $2 \times 2$  pixel block the upper-left pixel is embedded with k-bits of data using LSB substitution. Then the new value of this pixel is used to calculate three pixel value differences with the upper-right, bottom-left, and bottom-right pixels of the block. Then data bits are hidden using these three difference values in three directions. Both horizontal and vertical edges are considered. There are two variants proposed by using two different range tables. In the first variant (Type 1) the PSNR is improved and in the second variant (Type 2) both PSNR and hiding capacity are improved.

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**Keywords:** data hiding, least significant bit substitution, pixel value differencing, steganography

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### 1. Introduction

Steganography is an art of secret data hiding. Its main objective is to send secret data by hiding it in a carrier file like image such that it looks very innocent and not suspected by the intruder. For proposing a steganographic scheme, there are two important properties, (i) hiding capacity, and (ii) un-detectability to be considered. There should be a tradeoff between these two properties. To get more capacity, we have to sacrifice the un-detectability and vice versa. The image steganography schemes are generally classified into two types, (i) spatial domain schemes, and (ii) frequency domain schemes. In spatial domain the most popular approach is the least significant bit (LSB) substitution. The LSB substitution may be extended upto four LSB planes to achieve higher embedding capacity. But it can be captured by the RS-analysis [1] and Chi-square attack [2]. Researchers have been trying to improve the un-detectability of LSB substitution schemes by adding some flavours to it. In [3] authors have considered the LSBs of the different pixels as an array and embedded the message at a location, where the distortion was minimum. Similarly, in [4] the binary words of the message are hidden at different locations in the LSB array, where the distortion is minimum. The embedding locations (three least significant bit positions) in the different pixels can be randomized based on the binary message [5].

In the smooth areas of the image, the pixel value difference between two adjacent pixels is very small. So this smooth areas can not hide more number of bits. In the edge areas of the image, the pixel value difference between two adjacent pixels is very large, so more number of bits can be hidden. Wu and Tsai [6] partitioned the image into non-overlapping  $1 \times 2$  pixel blocks by accessing the image in a zig-zag manner. The number of bits that can be hidden in this pair of pixels depends upon the difference value between them. Further, the hiding capacity is improved by considering  $2 \times 2$  pixel blocks and calculating three directional differences [7, 8].

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But Zhang and Wang [9] found that the PVD technique can be identified using histogram based analysis. In the pixel difference histogram the step effects are detected.

Chang and Tseng [10] proposed another PVD scheme called side match methods, wherein the embedding decision on a target pixel depends on its neighboring pixel values. This method suffered with fall in error problem (FIEP), as observed by Swain and Lenka [11]. Furthermore, to improve the hiding capacity, the side match methods based upon the maximum difference amongst the neighboring pixel values have been proposed in [12]. Tseng and Leng [13] have proposed a PVD scheme based on perfect square.

LSB substitution scheme possesses higher capacity, but the PVD scheme possesses higher un-delectability. Wu et al. [14] have combined the LSB substitution with PVD to achieve both higher capacity and higher un-delectability. If the pixel value difference is more than 15, they applied PVD scheme, otherwise they applied 3-bit LSB substitution. But, Yang et al. [15] observed that a majority of blocks fall under LSB substitution in Wu et al.'s LSB & PVD approach. Furthermore, they proposed a varied LSB & PVD approach with reduced distortion. Liao et al. [16] categorized the 4-pixel blocks into two levels (low and high), and embedded k-bits in a block using modified LSB substitution approach. This k-value is different for low and high levels. Swain [17] categorized the 3×3 pixel blocks into four levels (lower, lower-middle, higher-middle, and higher) and then applied modified LSB substitution. This technique possesses higher embedding capacity and lesser distortion as compared to Liao et al.'s technique. Luo et al. [18] proposed a PVD technique using 1×3 pixel blocks, with adaptive range calculation. Balasubramanian et al. [19] proposed a PVD scheme with 3×3 pixel blocks using eight directional differences. Chen [20] proposed a PVD technique with 2×2 pixel blocks using two reference tables. Wang et al. [21] proposed a PVD technique using modulus function, wherein they modified the remainder of two consecutive pixels instead of the pixel value difference. They achieved higher embedding capacity and better imperceptibility. Joo et al. [22] observed that, histogram based attacks can detect this technique. So they proposed an improved PVD approach using modulus function. Shen et al. [23] proposed a scheme based on pixel value differencing and exploiting modification directions.

Khodaei and Faez [24] proposed a steganographic technique using LSB substitution and PVD with in a single block. The quantization ranges are divided into two categories, (i) lower level and (ii) higher level. They followed two types of division for hiding the number of bits as per the ranges. In Type 1 division the ranges  $R_1=\{0, 7\}$ ,  $R_2=\{8,15\}$  and  $R_3=\{16, 31\}$  are lower level ranges. The ranges  $R_4=\{32, 63\}$  and  $R_5=\{64, 255\}$  are higher level ranges. The hiding capacities for lower level ranges are 3 bits and higher level ranges are 4 bits. In Type 2 division the ranges,  $R_1=\{0, 7\}$ ,  $R_2=\{8, 15\}$ ,  $R_3=\{16, 31\}$  and  $R_4=\{32, 63\}$  fall in lower level and the range  $R_5=\{64, 255\}$  fall in higher level. In Type 2 the number of bits that can be hidden in ranges,  $R_1$ ,  $R_2$ ,  $R_3$ ,  $R_4$  and  $R_5$  are 3, 3, 4, 5 and 6 respectively. The image is scanned in raster scan order and partitioned into 1×3 non-overlapping blocks. For each block the central pixel is  $P_C$ , the left pixel is  $P_L$  and the right pixel is  $P_R$ . In central pixel  $P_C$ , k-bits are hidden by using LSB substitution, where k belongs to  $\{3, 4, 5, 6\}$ . Then some optimal adjustment is applied to get the new value,  $P'_C$ . Then the difference values  $d_1=|P_L - P'_C|$ , and  $d_2=|P_R - P'_C|$  are calculated. After hiding the secret bits these differences are changed to new difference values and the  $P_L$  and  $P_R$  values are changed to new values  $P'_L$  and  $P'_R$  respectively. Thus the stego pixel block is  $P'_L$ ,  $P'_C$  and  $P'_R$ . In the first variant (Type 1) they got higher PSNR value and in the second variant (Type 2) they got very high embedding capacity. But they did not prove that their technique is not vulnerable to pixel difference histogram analysis.

This paper proposes a steganographic technique using both LSB substitution and PVD in a block of 2×2 pixels. There are two variants like that of Khodaei and Faez's [24] scheme. The proposed variant-1 provides higher PSNR value and the variant-2 provides both higher PSNR and higher capacity as compared to Khodaei and Faez's scheme.

## 2. The Proposed Technique

### 2.1 Embedding Process

Step 1- Partition the cover image into 2×2 non-overlapping blocks by scanning the image in a raster scan order. For a 2×2 pixel block as shown in Fig.1(a), the pixels are designated as  $g_x$ ,  $g_{ur}$ ,  $g_{bl}$ , and  $g_{br}$ .

Step 2- The pixel,  $g_x$  is embedded with k-bit LSB substitution. The k value is 3. After embedding suppose the new value is  $g'_x$ . Suppose the decimal value for the k LSBs is L and the decimal value of k-data bits is S. Then calculate,  $d=L-S$ . Now apply the adjustment as below.

$$g'_x = \begin{cases} g'_x + 2^k, & \text{if } d > 2^{k-1} \text{ and } 0 \leq g'_x + 2^k \leq 255 \\ g'_x - 2^k, & \text{if } d < -2^{k-1} \text{ and } 0 \leq g'_x - 2^k \leq 255 \\ g'_x, & \text{otherwise} \end{cases}$$

Step 3- Calculate differences  $d_1$ ,  $d_2$  and  $d_3$  as given below.

$$d_1 = |g'_x - g_{ur}|$$

$$d_2 = |g'_x - g_{br}|$$

$$d_3 = |g'_x - g_{bl}|$$

Step 4- The quantization ranges for variant-1 is as in Table 1 and for variant-2 is as in Table 2.

Table 1. Quantization ranges for variant 1 (Type 1)

Range	$R_1=[0, 7]$	$R_2=[8, 15]$	$R_3=[16, 31]$	$R_4=[32, 63]$	$R_5=[64, 127]$	$R_6=[128, 255]$
No of bits to be hidden	3	3	3	3	4	4

Table 2. Quantization ranges for variant 2 (Type 2)

Range	$R_1=[0, 7]$	$R_2=[8, 15]$	$R_3=[16, 31]$	$R_4=[32, 63]$	$R_5=[64, 127]$	$R_6=[128, 255]$
No of bits to be hidden	3	3	4	5	6	6

Step 5- Find the ranges  $R_i$  to which  $d_1$ ,  $d_2$  and  $d_3$  belongs to. According to range table, find the  $t_{i1}$ ,  $t_{i2}$ , and  $t_{i3}$  which are the number of bits that can be hidden with regard to these ranges and obtain the respective lower bounds, say those are  $l_{i1}$ ,  $l_{i2}$ , and  $l_{i3}$ .

Step 6- Now take  $t_{i1}$ ,  $t_{i2}$ , and  $t_{i3}$  bits continuously from the binary bit-stream of secret data, convert them to decimal values  $s_1$ ,  $s_2$ , and  $s_3$  respectively. Now calculate,  $d'_1$ ,  $d'_2$  and  $d'_3$  as below.

$$d'_1 = l_{i1} + s_1$$

$$d'_2 = l_{i2} + s_2$$

$$d'_3 = l_{i3} + s_3$$

Step 7- Calculate the new values  $g''_{ur}$ ,  $g'''_{ur}$  for  $g_{ur}$ . Similarly,  $g''_{br}$ ,  $g'''_{br}$  for  $g_{br}$  and  $g''_{bl}$ ,  $g'''_{bl}$  for  $g_{bl}$  as below.

$$g''_{ur} = g'_x - d'_1$$

$$g'''_{ur} = g'_x + d'_1$$

$$g''_{br} = g'_x - d'_2$$

$$g'''_{br} = g'_x + d'_2$$

$$g''_{bl} = g'_x - d'_3$$

$$g'''_{bl} = g'_x + d'_3$$

Step 8- Now choose the new values as below

$$g'_{ur} = \begin{cases} g''_{ur}, & \text{if } |g_{ur} - g''_{ur}| < |g_{ur} - g'''_{ur}| \text{ and } 0 \leq g''_{ur} \leq 255 \\ g'''_{ur}, & \text{otherwise} \end{cases}$$

$$g'_{br} = \begin{cases} g''_{br}, & \text{if } |g_{br} - g''_{br}| < |g_{br} - g'''_{br}| \text{ and } 0 \leq g''_{br} \leq 255 \\ g'''_{br}, & \text{otherwise} \end{cases}$$

$$g'_{bl} = \begin{cases} g''_{bl}, & \text{if } |g_{bl} - g''_{bl}| < |g_{bl} - g'''_{bl}| \text{ and } 0 \leq g''_{bl} \leq 255 \\ g'''_{bl}, & \text{otherwise} \end{cases}$$

Thus the stego block is as in Fig.1(b).

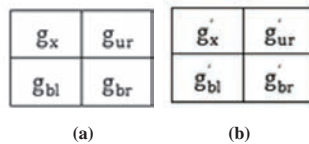


Fig.1 (a) The Original pixel block , (b) The Stego pixel block

## 2.2 Extraction Process

Partition the stego-image into  $2 \times 2$  non-overlapping blocks by scanning the image in a raster scan order. Suppose a stego-pixel block at the receiver is as shown in Fig.1(b). Then the extraction process is as given below.

Step 1- Extract the k-rightmost LSBs of  $g'_x$ .

Step 2- Calculate the difference values

$$d'_1 = |g'_{ur} - g'_x|$$

$$d'_2 = |g'_{br} - g'_x|$$

$$d'_3 = |g'_{bl} - g'_x|$$

Step 3- Find the ranges  $R_i$  to which  $d'_1$ ,  $d'_2$ , and  $d'_3$  belongs to. Suppose the respective lower bounds are  $l_{i1}$ ,  $l_{i2}$ , and  $l_{i3}$ . Now find the  $t_{i1}$ ,  $t_{i2}$ , and  $t_{i3}$  values by referring the range table.

Step 4- Calculate the secret bit streams as below.

$$s_1 = d'_1 - l_{i1}$$

$$s_2 = d'_2 - l_{i2}$$

$$s_3 = d'_3 - l_{i3}$$

Now convert  $s_1$ ,  $s_2$ , and  $s_3$  into  $t_{i1}$ ,  $t_{i2}$ , and  $t_{i3}$  binary bits respectively.

### 3. Results and Discussion

The proposed technique is implemented using MATLAB. It is tested with the images from SIPI image database. Two sample cover images are as shown in Fig.2, and after hiding 756035 bits of data, their respective stego-images are as shown in Fig.3 (Type 1) and Fig.4 (Type 2).



(a) Lena (b) Baboon  
Fig.2 Original Images



Fig. 3 Stego-images (Type 1)

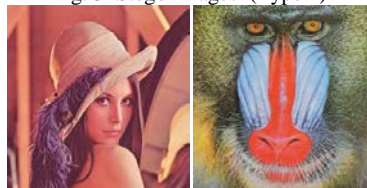


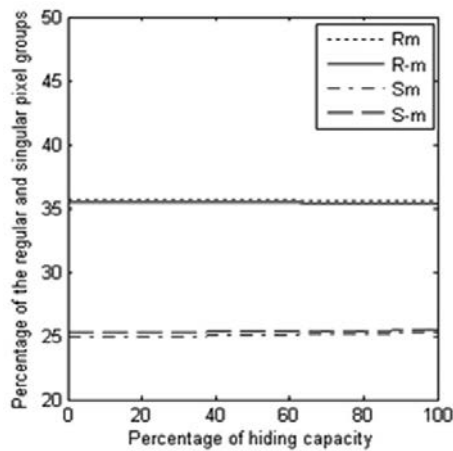
Fig. 4 Stego-images (Type 2)

In Table 3, the peak signal-to-noise ratio (PSNR) value of the proposed technique is compared with that of Khodaei & Faez's technique. The proposed variant-1 (Type 1) achieves better PSNR (1.6 % increase) as compared to Khodaei & Faez's (Type 1) by sacrificing the capacity (0.7 % decrease) slightly. The proposed variant-2 (Type 2) achieves higher capacity (1.2 % increase) and higher PSNR (2.6 % increase) as compared to Khodaei & Faez's (Type 2). This proves the efficacy of the proposed technique.

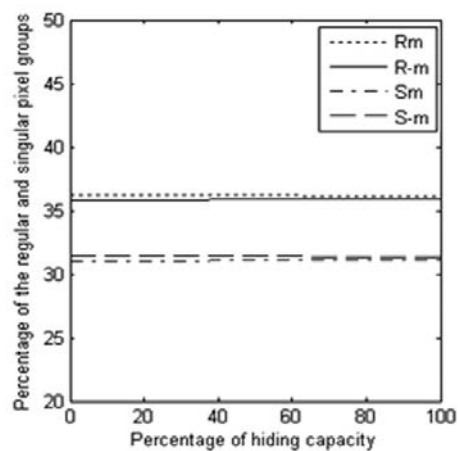
The RS-analysis curves for Lena and Baboon images in Type 1 and Type 2 are as shown in Fig.5. The curves for  $R_m$  and  $R_{-m}$  are straight lines and almost overlap with each other. And the curves for  $S_m$  and  $S_{-m}$  are straight lines and almost overlap with each other. Thus the relation  $R_m \cong R_{-m} > S_m \cong S_{-m}$  is true. Thus we confirm that the RS analysis can not detect the proposed technique.

Table 3. Comparison of the Proposed Technique with Khodaei &amp; Faez's Technique

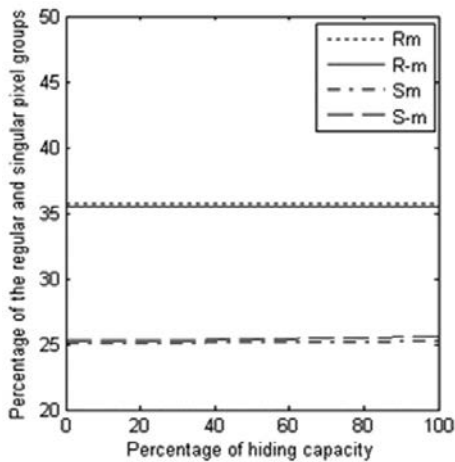
Images 512×512 (color)	Khodaei & Faez (Type 1), k=3			Proposed (Type 1), k=3			Khodaei & Faez (Type 2), k=3			Proposed (Type 2), k=3		
	PSNR	Capacity	Bit rate	PSNR	Capacity	Bit rate	PSNR	Capacity	Bit rate	PSNR	Capacity	Bit rate
Lena	42.34	2375248	3.02	42.83	2361875	3.00	41.09	2434603	3.09	41.40	2437700	3.09
Baboon	37.59	2443361	3.10	34.98	2393475	3.04	34.31	2662080	3.38	32.76	2772545	3.52
Tiffany	39.30	2372396	3.01	42.52	2363192	3.00	39.87	2416944	3.07	41.98	2425193	3.08
Peppers	39.00	2372858	3.01	39.51	2364428	3.00	37.32	2435223	3.09	38.33	2447737	3.11
Jet	40.50	2374048	3.01	42.31	2365839	3.00	40.65	2418419	3.07	42.51	2443492	3.10
Boat	39.75	2391994	3.04	38.38	2370147	3.01	37.14	2504613	3.18	36.66	2539530	3.22
House	38.91	2387183	3.03	40.13	2366686	3.00	38.42	2470824	3.14	39.19	2510373	3.19
Pot	41.10	2366001	3.00	42.86	2364360	3.00	37.51	2387494	3.03	41.50	2394782	3.04
Average	<b>39.81</b>	2385386	3.03	<b>40.44</b>	2368750	3.01	<b>38.29</b>	<b>2466275</b>	3.13	<b>39.29</b>	<b>2496419</b>	3.17



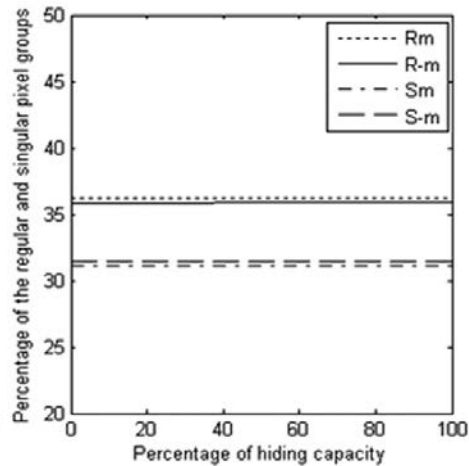
(a) Lena Type-1



(b) Baboon Type-1



(c) Lena Type-2



(d) Baboon Type-2

Fig. 5 The RS Analysis curves for Lena and Baboon images

#### 4. Conclusion

A steganographic technique based on LSB substitution and three directional PVD in  $2 \times 2$  pixel blocks is proposed. There are two variants of this proposed technique. The proposed variant-1 (Type 1) achieves higher PSNR as compared to Khodaei & Faez's technique (Type 1). The proposed variant-2 (Type 2) achieves both higher PSNR and higher capacity as compared to Khodaei & Faez's technique (Type 2). However if we compare the two variants of the proposed technique, then variant-1 is preferable for higher PSNR and the variant-2 is preferable for higher hiding capacity. The extraction process is very simple and does not require the original cover image. This technique can be further extended to  $3 \times 3$  pixel blocks.

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