18101061

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Department of Computer Science & Engineering
University of Asia Pacific (UAP)

Class Test **Fall 2021** **4nd Year 2nd Semester**

Course Code: CSE 429 **Course Title: Compiler Design** **Credits: 3**

Full Marks: 20 **Duration: 30 minutes**

1. Consider the following Context-Free Grammar (CFG):

STMT→ TERM | xb
TERM→ a TERM b | FACTOR
FACTOR→ x

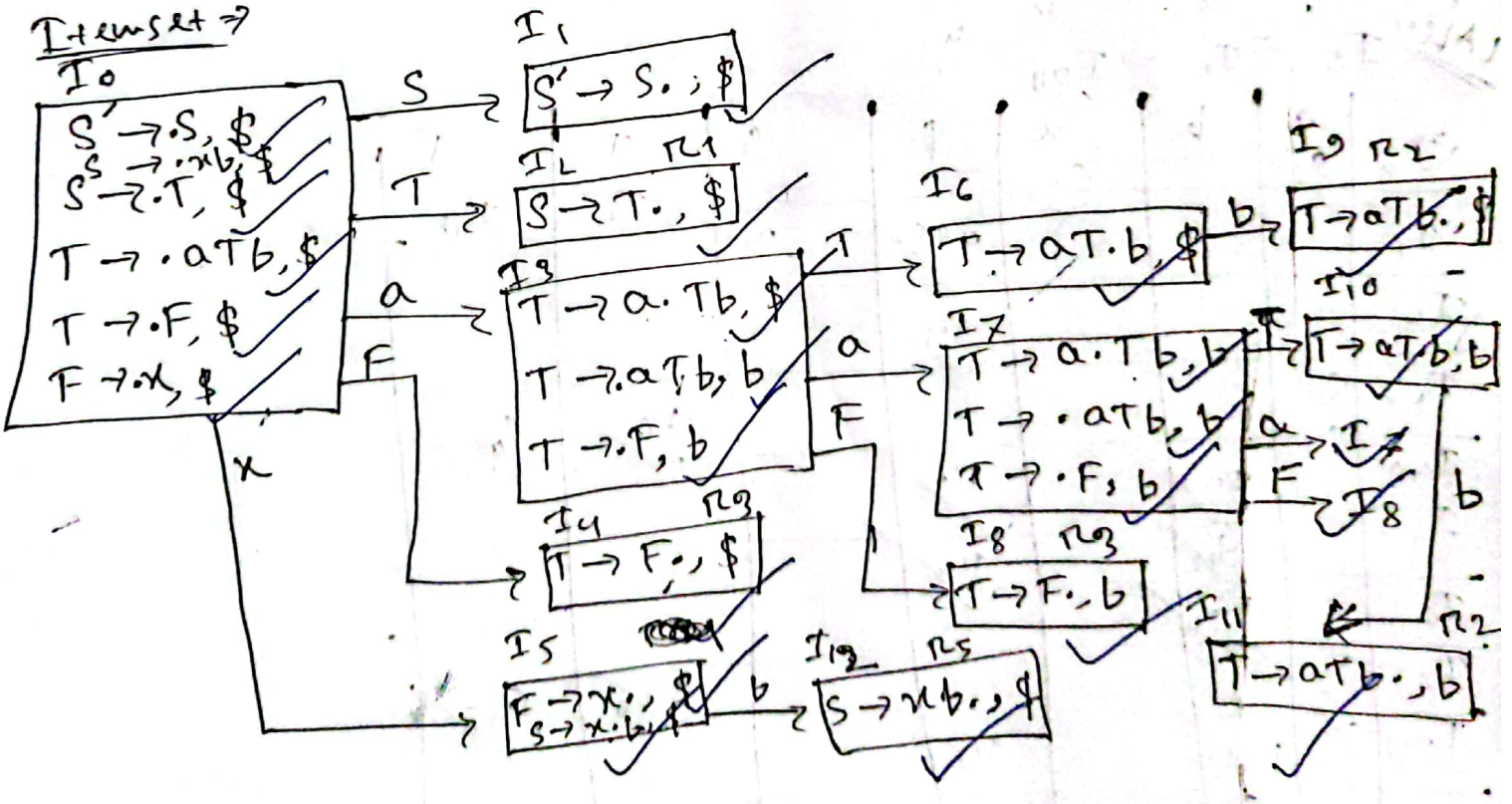
a) Find out the LR(1) item sets for the above stated grammar.
b) Construct two parse tables for i) CLR(1) ii) LALR(1)

Let,
S = STMT
T = TERM
F = FACTOR

a) S → T | xb
T → aTb | F
F → x

Modified →
0. S' → S 2. T → aTb 4. F → x
1. S → T 3. T → F 5. S → xb

Itemset →



(b) (i) CLR(1) ⇒

	a	b	x	$	S	T	F
I_0	S_3		S_5		I_1	I_2	I_4
I_1				acc			
I_2				r_4			
I_3	S_7					I_6	I_8
I_4				r_3			
I_5		S_{12}		r_4			
I_6		S_9				I_{10}	I_8
I_7	S_7						
I_8		r_2					
I_9				r_1			
I_{10}		S_{11}					
I_{11}		r_1					
I_{12}	LA[8]			r_5			

(ii) $I_4 \cong I_8 \Rightarrow I_{48}$

LA[9] $I_9 \cong I_{11} \Rightarrow I_{9,11}$

	a	b	x	$	S	T	F
I_0	S_3		S_5		I_1	I_2	I_{48}
I_1				acc			
I_2				r_4			
I_3	S_7					I_6	I_{48}
I_{48}		r_3		r_3			
I_5		S_{12}		r_4			
I_6		$S_{9,11}$					
I_7	S_7					I_{10}	I_{48}
$I_{9,11}$		r_2		r_2			
I_{10}		S_{11}					
I_{12}				r_5			

Original Grammar:

EXPR1 → EXPR1 + EXPR2 | EXPR2 | EXPR1 = EXPR2

EXPR2 → (EXPR1) | id

EXPR3 → id

Let, EXPR1 = E

EXPR2 = F

EXPR3 = T

Now, the grammar becomes,

E → E+F | F | E=F

F → (E) | id

T → id

First (E) = { (, id }

First (F) = { (, id }

First (T) = { id }

Modified Grammar for LR(0) itemset,

E' → E

E → E+F

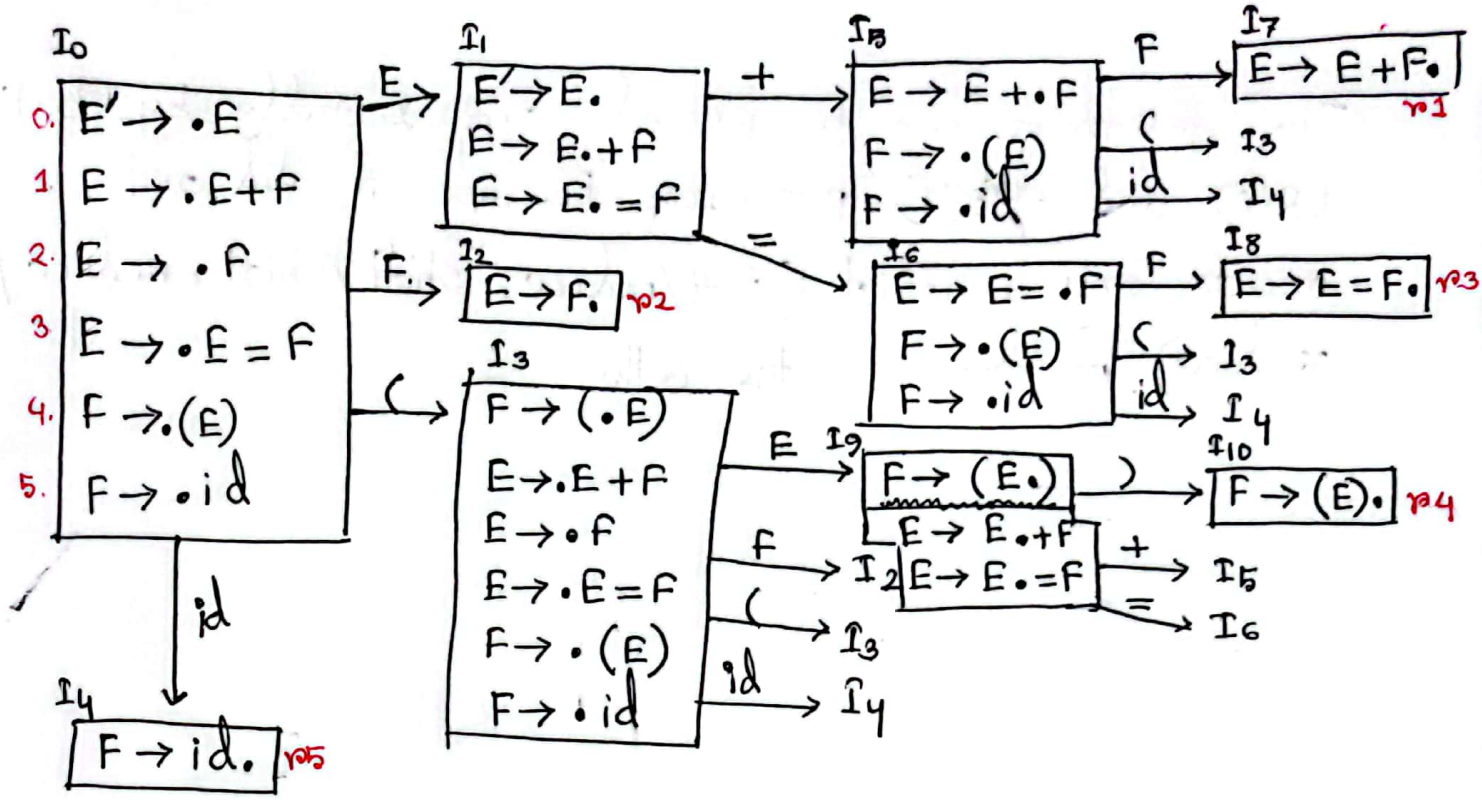
E → F

E → E=F

F → (E)

F → id

T → id → We are not going to add the production of T in our initial itemset. Please think why?



	+	=	(	)	id	$	E	F	−
I_0			S_3		S_4		I_1	I_2	
I_1	S_5	S_6				acc			
I_2	r_2	r_2	r_2	r_2	r_2	r_2			
I_3	S_3	S_3	S_3		S_4		I_9	I_2	
I_4	r_5	r_5	r_5	r_5	r_5	r_5			
I_5			S_3		S_4			I_7	
I_6			S_3		S_4			I_8	
I_7	r_1	r_1	r_1	r_1	r_1	r_1			
I_8	r_3	r_3	r_3	r_3	r_3	r_3			
I_9	S_5	S_6		S_{10}					
I_{10}	r_4	r_4	r_4	r_4	r_4	r_4			

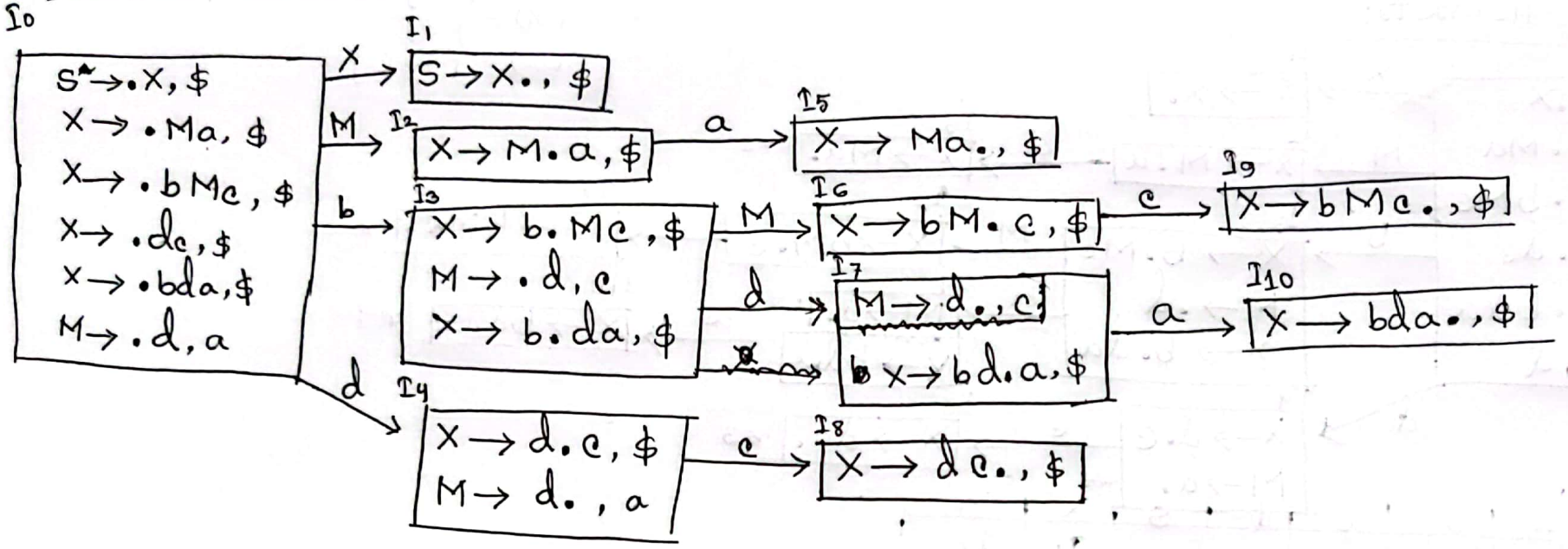
← Action → ← Go-to →

	+	=	(	)	id	$	E	F
I_0			S_3		S_4		I_1	I_2
I_1	S_5	S_6				acc		
I_2			r_2		r_2			
I_3			S_3		S_4		I_9	I_2
I_4			r_5		r_5			
I_5			S_3		S_4			I_7
I_6			S_3		S_4			I_8
I_7			r_1		r_1			
I_8			r_3		r_3			
I_9	S_5	S_6		S_{10}				
I_{10}			r_4		r_4			

← Action → ← Go-to →

The grammar can be parsed successfully by both LR(0) and SLR(1) parsers. Because it did not create any conflict (shift/reduce, shift/shift, reduce/reduce) in any of the cells.

LR(1) itemsets



This is LALR(1), we can say ~~we~~ even without creating the parsing table. How?

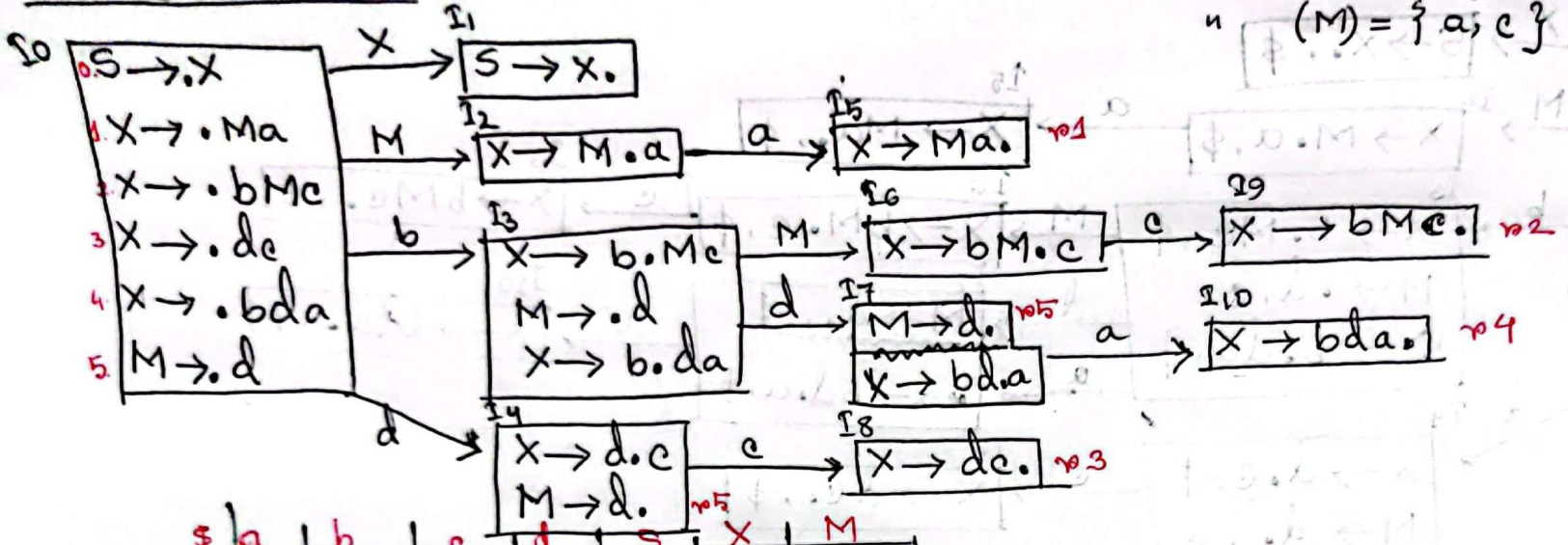
Look closly the itemsets. There are no two states that we can marge. When can we marge two itemsets while creating the LALR(1) parsing table? When two itemsets have identical transition (including the dot(.)) but they have different look ahed operators.

But that is not sufficient to tell if it is LALR or not, we need more specific reasons. ~~Like for example~~ we can have any conflicts in between the itemsets itself. For example, we can see that, in itemset I4, there is one shift operation (S8) and another reduce operation (r5) both. But look closely, the shift operation has lookahed operator $, where as the reduce operation has different look ahead a. So, there will be no conflict. Same goes for Itemset I7. for all these reasons, we can say it is LALR(1).

OR, YOU CAN JUST CREATE THE PARSING TABLE !!!

Follow (S) = { $ }
" (X) = { $ }
" (M) = { a, c }

LR(0) items:



SLR(1) parsing table

	$	a	b	c	d	S	X	M
I_0			S_3		S_4		I_1	I_2
I_1	acc							
I_2		S_5						
I_3					S_7			I_6
I_4		r5	r5	S_8				
I_5	r1							
I_6				S_9				
I_7		S_{10}/r5	r5					
I_8	r3							
I_9	r2							
I_{10}	r4							

Here we can see that we got a cell in the row of I_7 which has two types of actions — shift S10 and reduce r5. So, we can clearly see a conflict in that specific cell. For that reason, we can say this grammar is not SLR(1).