

Assume a (ax, ay, az) is a

Known Vector; And

V(VxV,1/2) is unknown, But

an arbitrary Point on the plane T.

hence, Egn (2) becomes

N. (V-A)=0 ... (Z\*)

Now, find the intersection

point defined By the Ray

Egn (1). In order to that,

we will need to find &

Since the intersection point

Pi is the Common

Point By the Ray and

theplane T. we have

 $\begin{array}{ccc}
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n(nx,ny,nz), Normal Vector

has to be known,

a (ax, ay, az) is known on T.

Starting from the plane Egn (36).

n. (V-a) =0

where V= P, e.g.

 $\overrightarrow{n} \cdot (\overrightarrow{v} - \overrightarrow{n}) |_{\overrightarrow{v} = \overrightarrow{R}} = 0 \qquad (4)$ 

 $|R - \overline{R}| = 0$   $|R - \overline{R}| + |R - \overline{R}|$   $|R - \overline{R}| + |R - \overline{R}|$   $|R - \overline{R}| + |R - \overline{R}|$ 

かき、ナンか、(まード) ーかの = ロ

~ (P3-Pi) = n. n-7. P.

n.a-n.F.

 $=\frac{\overrightarrow{n}\cdot(\overrightarrow{a}-\overrightarrow{P_i})}{\overrightarrow{n}\cdot(\overrightarrow{P_s}-\overrightarrow{P_i})}\cdots(5)$ 

Note Lis Not the intersection Pt. it allows us to use Ray Egn (1) to find the intersection.

Pay2 Ray+

use Eqn(5) to find more than one intersection

```
CMPEZ40 APILT,ZZ
 12= (100,100,110) - 11 (-20-100,
       110-lov, 200-110)
    =(100,100,110)-\frac{11}{9}(-120,10,90)
    =\left(\frac{1100\times120}{9}-\left(100-\frac{110}{9}\right)110-110\right)
    = (1/00 \times 120 \times 110^{-1000}) = (2467, 87.8,0)
please finish this calculation.
  Now, Goding Part. Same Code on github.
                                                     1Vite
                                                 A. Define Normal vector in for Xw-yw Plane
           world.X[47] = 0; world.Y[47] = 0; world.Z[47] = 1;
                                                  b. Note the typedef stand for Defining
                                                      30 points.
           float X[UpperB0], Y[UpperB0], Z[UpperB0];
       } pworld;
                                           \lambda = \frac{\overline{n} \cdot (\overline{a} - \overline{P_1})}{\overline{n} \cdot (\overline{a} - \overline{P_1})}
   NOW, & Calculation. Egn (5)
                                                         ハメメッナルメイッナルチラ·
                                                 my(x5-Xi)+ my(y5-4;)+n2(2-2;)
           //----lambda for Intersection pt on xw-yw plan
  171
           float temp = (world.X[47](world.X[46]-world.X[45])
  172
                     +(world, Y[47])*(world.Y[46]-world.Y[45]))
  173
  174
                     +(world Z[47]*(world.Z[46]-world.Z[45]));
  175
           float lambda = temp / ((world.X[47]*(world.X[45]-world.X[7]))
                               +(world.Y[47]*(world.Y[45]-world.Y[7]))
                               +(world.Z[47]*(world.Z[45]-world.Z[7])));
  177
           float lambda_2 = temp / ((world.X[47]*(world.X[45]-world.X[6]))
  178
                                 +(world.Y[47]*(world.Y[45]-world.Y[6]))
  180
                                 +(world.Z[47]*(world.Z[45]-world.Z[6])));
```

### CMPERTO APORTIZZ Note, Substitute & to Ray Equation to find the intersection point world.X[48] = world.X[45] + lambda\*(world.X[45] - world.X[7]); // Intersection pt p7 world.Y[48] = world.Y[45] + lambda\*(world.Y[45] - world.Y[7]); // Intersection pt p7 186 world.X[49] = world.X[45] + lambda\_2\*(world.X[45] - world.X[6]); //intersection pt p6 world.Y[49] = world.Y[45] + lambda\_2\*(world.Y[45] - world.Y[6]); //intersection pt p6 R=アイン(を一下) カ y=y1+2(y5-y1) 7= 31+2(25-21) Assignment in-Class Shows Tell. Implement Intersection Computation on LYC 1769, Show+ Tell' Demo in Class. On April 11 (Manday) To Be Able to Display 37 Graphics On 20 Display Devics. Let's Define Transformation Pipeline. 1. Define World-Coordinate System. Right Hand 3D Transformation Pipeline Technique Using EGA or VGA Card · Ray Cast Z. Viener Coordinate Syptem X^-M-30 Left-Hand System Step 2. Perspective Projection Step 1. World-to-viewer transform 3. Virtual Caneva is $-\cos\phi\cos\theta$ $-\cos\phi\sin\theta$ $\sin \phi$ $-\sin \phi \cos \theta$ $-\sin \phi \cos \theta$ $-\cos\phi$ (exeyez) Harry Li, Ph.D.

Example: Display Shadows on 20 Oisplay Device.

Assume E(xe, ye, 7e) = (zvo, zvo, zoo)

Physical meaning of Transformation Mutrix T.

Step. World To Viewer Transform.

0: Angle from the dooh line on Xu-Yu plane
w.v.t positive Xw-axis
4: Angle Between Zw & Ze.

f (rho): P= 1 xe+ye+ze -...(z)

distance from E to the origin o of

Xw-1w-Zw.

Suppose Efzogzuo, zwo) is given, Find wso, sind, costo, sind for T-mulvix.

Everything is defined in the

World Goordinate System Xw-Yw-Zw

including a Virtual Camera

E(xe, te, te), Xe-Ye-te Viewer

Coordinate System.

Given Pi(xi y: zi) in Xu-yw-Zu
World Coordinate, Tepresent this point
in Xe-ye-Ze Coordinate System.

 $\begin{bmatrix} -\sin\theta & \cos\theta & 0 & 0 \\ -\cos\phi\cos\theta & -\cos\phi\sin\theta & \sin\phi & 0 \\ -\sin\phi\cos\theta & -\sin\phi\cos\theta & -\cos\phi & \rho \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} \chi \\ \chi \\ \chi \\ \chi \end{bmatrix}$ 

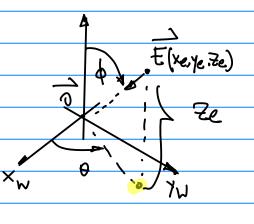
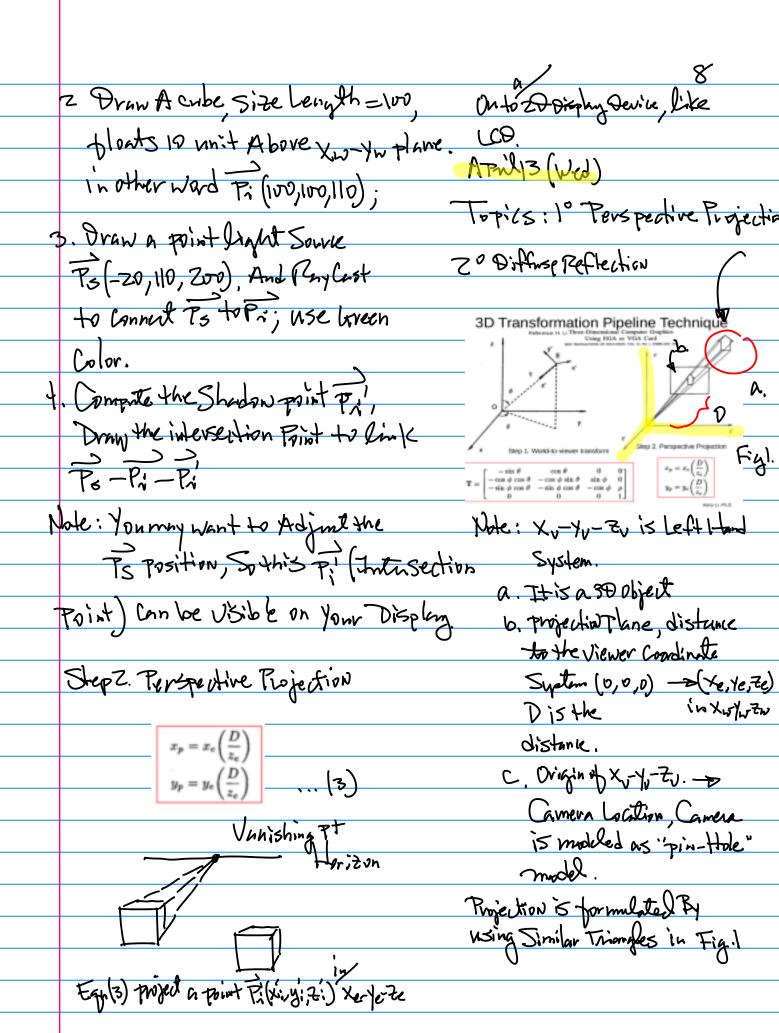
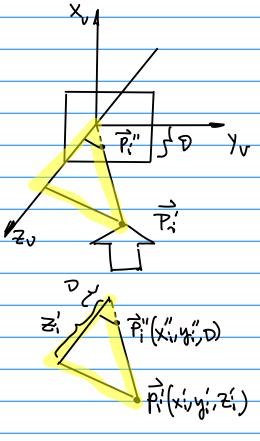


Fig.3





 $\nabla x' = \frac{\partial}{\partial x'} \times x'$ 

Similarly,

 $y_{i} = \frac{D}{Ze} y_{e} \quad \text{or} \quad y_{i} = \frac{D}{Ze} y_{i}^{2}$ 

Homework, Due Aneck from Today April 20th

1. Draw a World Coordinate

System, Xw: Red, Yw: Green,

Zw: Blue, Design the size

(Xw, Yw, Zw, 50 units)

2. Design By Defining Dimension of a Cube

(Eximple: length = 100)

P;(xi,y:,Zi) = (100,100,110)

Elevate the cube By 10 units.

3. Draw the Cube on the LCO

4. Submission:

a. Screen Crythie of your 0.5 XPRESSO Screen which Pt Shows your Nam (Folder Name) And your Program (Fantial)

D. Take a photo of your display D.S. With Entire Protatype System of your own

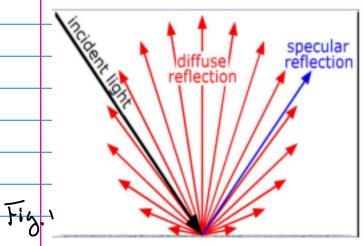
5. Submission to CANVAS.

Note: You will need transform
from a virtual coordinate
System to Physical Coordinate

Consider Diffuse Reflection.

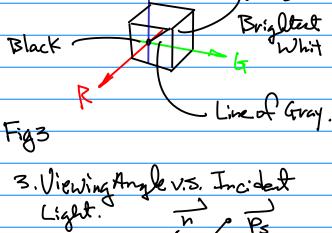
Z. Color Space. P. L.B

#### 2018S-23-lec7-DiffuseReflection-v6-2018-4-25.pdf



https://en.wikipedia.org/wiki/Diffuse\_reflectio

Definition: A Reflection from an object Surface uniformly in all directions

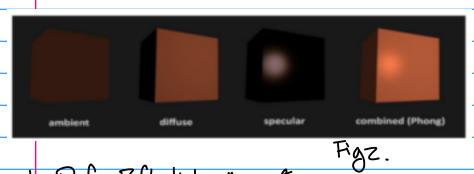


a. Parceived Color is independent of viewing

Angle.

D. Normal Vector N and incident Light [TZ TZay Cast) form An Angle &,

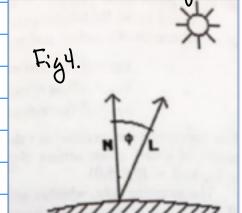
the color Intensity pollows



of An Object Surface.

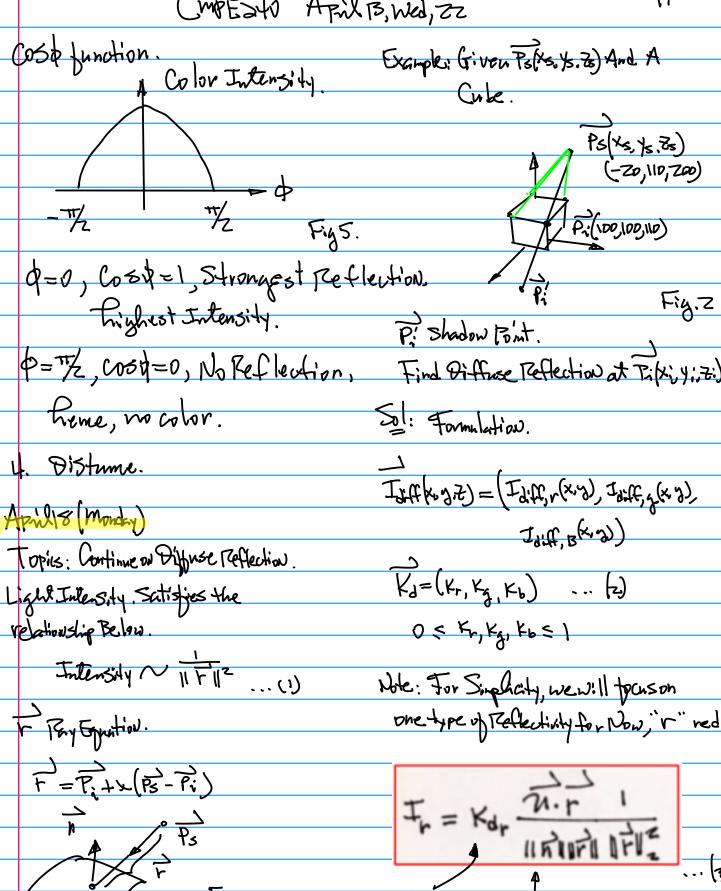
Kr=(Kr, Kg, Kb) = (r, g, b) ...()

Nok: for a Black object, Y=0, g=0, b=0for a green leat. Y=0;  $g\neq0$ , 0<g; b=0



n.r=||milling Cosp

## CMPESHO April 13, Wed, ZZ



Therefore 
$$0.050 = \frac{10-200}{\sqrt{\Delta}}$$

$$= ||-90|| = 90$$

$$\sqrt{\Delta} = \sqrt{\Delta} < 1$$

Suppos Ps (-20,10,200), Pi(100,100,100)

Assum: 
$$K_{dr} = 0.8$$

Find Normalvertor for the Cube Surface.

n Defined By Vector Cross Product

And the distance from Ps to Pi 11 F11= (xs-x;) + (ys-y;) = (25-2;)2 = 120+10+902

N=AXB

But the Surface of the Carbeis in Pavallel with Xw-Yw Plane.

(1,0,0) A.

Vow, find

Cosp= n·r

Vectoral

Thillipil

= (NX,N,nz).(X,-xs,N;-45,Z;-2s)

Nx+ n2+ n2 /x1-x5)+(y1-46)2+(z1-26)

Substitute the given Landition, So

Cosp = 10-51

Therefore, we have

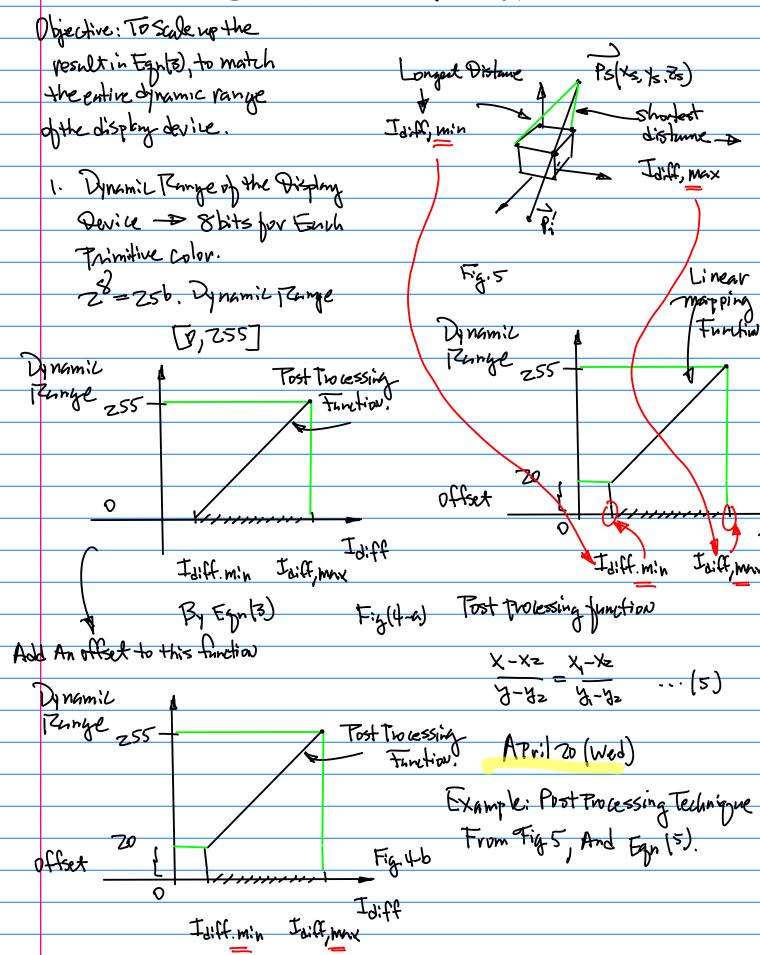
Idiff = 0.8x90 x 1 Note: Very Small | Need Post Processing for Better Visualization.

 $= 0.8 \times \frac{90}{\sqrt{120+10+90^2}} \times \frac{1}{|20+10+90|} =$ 

Since the result is 7,12×10-5 Very Small, we need to Pertoun Post Processing.

Note: Directional verton Pi -Ps gives Negative Value, Ps -Pi Fostie

-> take Absolute Value.



## Example. These I Comentation

In Xw-Yw-Zw

Joist (Xix1, Yriv1, Ziv)

Town-pormation

Transpormation

Tireline

Virtual

Oisplay to

Diffuse Reflections

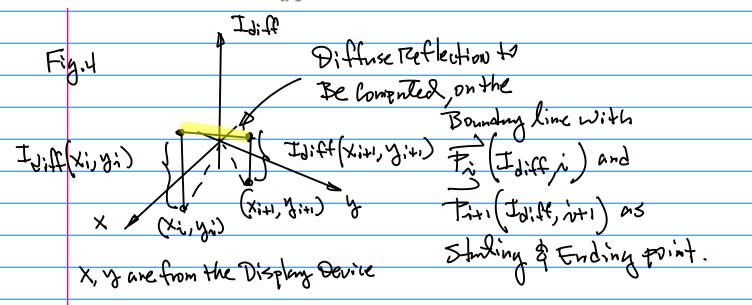
On y Corners Are Computed

Display Devile

For Simplicity Purpose, with the Understanding of working on the Physical display, we use (Xi, y:) not (X!, y!).

/ 2018F / 2020S-APL29-BilinearDiff1.jpg

Already.



/ 2018F / 2020S-APL27-Bilinear1.jpg

Troject the vellow line" to X-z plane in Figu. -> Similary, project the yellow line" So it is just a function of X, to y-z plane, a function of y. then Compute Diffuse Reflection. then Compute Diffuse Reflection

Combine both By But rage Operation.

April 25 (Monday)

Computation for 3D G.E.

Design.

Example: Formulation of

Bilinear Interpolation to

Compute Boundary Line (Yellow) in fig.4.

Project the yellow" Line onto

Xw-Z(Idiff) axis

Take care of the Diffuse Reflection on the Boundary Line W.v.t. X Variable

x F:x(1.c)

7-42 4-42 ··· (5)

(2) A Idiff Idiff, j Fig(I.a.)

To: Hi Xi Xi X X

then, derived the following Equations  $y = \frac{y_2 - y_1}{x_2 - x_1} \times \frac{y_2 - y_1}{x_2 - x_1} \times \frac{y_2}{x_2 - x_1}$ 

ay = bx + c,  $y = \frac{b}{a}x + \frac{c}{a}$ 

 $\frac{b}{\alpha} = \frac{\gamma_2 - \gamma_1}{\kappa_2 - \kappa_1} - \dots (z - b)$ 

 $\frac{C}{\alpha} = -\frac{y_2 - y_1}{x_1 - x_1} + y_2 \dots (2-C)$ 

Once the diffue Teflection (s) with respect to

X independent variable is Computed, then

the diffuse Reflection with respect to

y independent Variable is Computed, then y = Idiff, i

X,= X1/

(X1, Y1):

From 1-C.

Actual Single = 1 (Taiff, x + Id; H,y) X2=Xi, y= Idiff, x pt. Diff. Ref = 2 (Taiff, x + Id; H,y)

There are 2020S-APL29-BilinearDiff2.jpg

$$I_{d}, f_{,x} = \frac{I_{\alpha}f_{,\hat{\beta}} - I_{d}, f_{,\hat{\alpha}}}{x} \times - \frac{I_{\alpha}f_{,\hat{\beta}} - I_{d}, f_{,\hat{\alpha}}}{x} \times - \frac{I_{\alpha}f_{,\hat{\beta}} - I_{d}, f_{,\hat{\alpha}}}{x} \times + I_{d}, f_{,\hat{\beta}} \dots (3)$$

For Idiff w.r.t y. We have (Symmetric)

$$T_{d}: f_{y} = \frac{T_{d}f_{y} - T_{d}: f_{y}}{y_{3} - y_{4}} y - \frac{T_{d}f_{y} - T_{d}: f_{y}}{y_{3} - y_{4}} y_{j} + T_{d}: f_{y}; \dots (4)$$

Finally, Fut them together,

$$I_{ch} = \frac{1}{2} \left( I_{dh} f_{,x} + I_{dh} f_{,y} \right) \dots (5)$$

## CMPEZ40

April 25, Monday, 22

Now, DDA Algorithm.

(Digital Differential Algorithm)

Display Device has finite resolution. \_ D'aps' Problem Example: For A finite Resolution Display Device Below,

Suppose y=+x+1 is given for x=0, y=1 Starting Point. Let duan a

D1 Z345 b
D1 Z345 b
T

for x=1, y=4x+1 = 5

April 27, Wed Group I Classes

Group I classes are those classes which meet M, W, F, MTW, MWR, MTWF MWRF, MTWRF, MW, WF, MWF, MF, TW, WR, MT.

<b>Final Examination Days</b>	Final Examination Ti
Wednesday, May 18	7:15-9:30 AM
Friday, May 20	7:15-9:30 AM
Tuesday, May 24	7:15-9:30 AM
Thursday, May 19	9:45 AM-12:00 PM
Monday, May 23	9:45 AM-12:00 PM
Wednesday, May 18	12:15-2:30 PM
Friday, May 20	12:15-2:30 PM
Tuesday, May 24	12:15-2:30 PM
Thursday, May 19	2:45-5:00 PM
	Wednesday, May 18 Friday, May 20 Tuesday, May 24 Thursday, May 19 Monday, May 23 Wednesday, May 18 Friday, May 20 Tuesday, May 24

Note: Diffuse reflection on the Boundary Lines is arrived After Transformation Pipeline.

Straight line for x=0,1,2, ... K Observation! The 'gap" is due to the slop of ay=bx+c (Slap a) is greater than I.

1 > 1

Increment x by I will bend to increment y by a value greater than !.

To solve this problem, we remite the equation as follows

given ay = bx+c

bx = ay - Cx= 2 y- 5 :: 5 op of ay=bx+c;

b whose Absolute value is  $\left|\frac{b}{a}\right| > 1$ 

. . Slop of Equ(z), a whose Absolute value 1 2/<1

The Algorithm (D.D.A: Digital Differential Algorithm) 's Based on the Absolute Value a) the slop must be less or Egnal 1.

For the absolute value of the

Slop <1, e.g.

for ay=bx+c and

a <1 then

 $X_{k+1} = X_k + 1 \qquad \dots |3-\alpha|$ 

ykn = yk+ |b| ... (3-b)

from ay=bx+c y=bx+c

Lot X=XK, yk= bxx+ a

 $y_k = \frac{b}{b} x_k + \frac{c}{a}$ 

for Xxx1 = Xx+1, hence

1/41 = 1/2 (Xx +1) + C  $=\frac{b}{\alpha}\chi_{k}+\frac{c}{\alpha}+\frac{b}{\alpha}$ 

= yk+ = yk+ = )

For the slop | b | > 1

From Egrolz),

 $x = \frac{a}{b}y - \frac{c}{b}$ 

15 <1

Therefore, X=ay-c Canbe

dealt with By the Same Approach.

1 gr+1 = gr +1

(4-a)

-XKH=XK+ | a | 14-6)

Example: Given a 7 cm of

Sturling Point and Ending Point

draw a straight line by using

DD.A.

Sol. From the Standing point Pr

XK4 = XK3+ - = = = ++=1

And ending Point Pin, We Can find line equation as

to Hows

y=4x+1

Since, the Slop 41 > 1, then

x= 2y- 5

- where a=1, b=4, C=1

1 = 4 whose | a | = | \frac{1}{4} | < 1

2018F-118-13diffuseInterpolation20181127.cpg

(Starting Point X=D)

float Xe = 200.0f, Ye = 200.0f, Ze = 250.0f; //vi float Rho = sqrt(pow(Xe,2) + pow(Ye,2) + pow(Ze

For Ye+1=4+1=1+1=2

XK+1 = XK+ + = 0+ + = += N.25

For year = 441+1=3

Xx12=Xx1+t=+++=====0.5

For Mrs= 42+1 = 3+1=4

=0.75~1

For YK+4 - YK+3+1 = 4+1=5

Typedel struct borthe points in

Xw-1w-Zw, Xe-te-Ze, Perspective

edef struct {
float X[UpperBD], Y[UpperBD], Z[UpperBD]; 41 } pworld;

typedef struct {

float X[UpperBD], Y[UpperBD], Z[UpperBD];

} pviewer;

42

46 47

48

typedef struct{

float X[UpperBD], Y[UpperBD];

} pperspective;

Now, define diffuse Reflective intensity

typedef struct { float r[UpperBD], g[UpperBD], b[UpperBD]; } pt\_diffuse;

```
Note: The Attendance of the
       Class is required/Wandowy.
Nort monday there will be
       Attendame Checking. Please
       inform the other students
        159
                 pt_diffuse diffuse; //diffuse.r[3]
         160
                 //----reflectivity coefficient-----
         162
        163
                 #define
                                 0.8
                 #define
        164
                          Kdg
                                 0.0
                 #define
                           Kdb
         165
         166
                              PS-Pr: 11 = 1 (xs-x;) + (ys-y;)2
         //----compute distance--
170
171
         float distance[UpperBD];
         for (int i=48; i<=49; i++) {
172
         distance[i] = sqrt(pow((world.X[i]-world.X[45]),2)+
173
                                                                   //intersect pt p7
                             pow((world.Y[i]-world.Y[45]),2)+
174
                             pow((world.X[i]-world.X[45]),2) );
175
         //std::cout << "distance[i] " << distance[i] << std::endl;
176
177
         for (int i=4; i<=5; i++){
179
180
         distance[i] = sqrt(pow((world.X[i]-world.X[45]),2)+
                                                                   //pt p4 of projection plane
                             pow((world.Y[i]-world.Y[45]),2)+
181
                             pow((world.X[i]-world.X[45]),2) );
182
         //std::cout << "distance[i] " << distance[i] << std::endl;
183
         }
184
```

# n. (PS-Pi) (Note Pi-Ps ns Pay Eyn) See PARET-II, 78.1.

```
187
          //----compute angle---
188
          float angle[UpperBD], tmp_dotProd[UpperBD], tmp_mag_dotProd[UpperBD];
189
          for (int i=48; i<=49; i++){
190
191
192
          tmp\_dotProd[i] = (world.X[i]-world.X[45])*world.X[47]+ //...[47] for normal vector
                                                                   //...[45] for pt light source
193
                       (world.Y[i]-world.Y[45])*world.Y[47]+
194
                       (world.Z[i]-world.Z[45])*world.Z[47];
195
196
197
          tmp_dotProd[i] = world.Z[i]-world.Z[45];
          std::cout << " tmp_dotProd[i] " << tmp_dotProd[i] << std::endl;
198
199
          tmp_mag_dotProd[i] = sqrt(pow((world.X[i]-world.X[45]),2)+
                                                                             //[45] pt light source
200
                              pow((world.Y[i]-world.Y[45]),2)+
201
202
                              pow((world.Z[i]-world.Z[45]),2) );
          std::cout << " tmp_mag_dotProd[i] 1 " << tmp_mag_dotProd[i] << std::endl;
203
204
205
          angle[i] = tmp_dotProd[i]/ tmp_mag_dotProd[i];
```

## Cowente color Intersity in Xw-yw-Zn

```
//compute color intensity

diffuse.r[i] = Kdr * angle[i] / pow(distance[i],2);

diffuse.g[i] = Kdg * angle[i] / pow(distance[i],2);

diffuse.b[i] = Kdb * angle[i] / pow(distance[i],2);
```

Post Tweesslay: Adding offset value Famye

```
for (int i=4; i<=5; i++) {

r = display_scaling*diffuse.r[i]+display_shifting;

g = diffuse.g[i]; b = diffuse.b[i];
```

```
I^{g:t' \times}
514
         // for x direction
515
                         variable is .X and function y is diffuse reflection intensity
516
          newx_rDiff_Pt = rDiff_Point[4] +
517
                          (rDiff_Point[5] - rDiff_Point[4])/(perspective.X[5]-perspective.X[4])*
518
                          (mid_x - perspective.X[4]);
          newx_gDiff_Pt = 0.0; newx_bDiff_Pt = 0.0;
520
                                J. W.4
          // for y direction
522
                         variable is .Y and function y is diffuse reflection intensity
523
524
          newy_rDiff_Pt = rDiff_Point[4] +
                          (rDiff_Point[5] - rDiff_Point[4])/(perspective.Y[5]-perspective.Y[4])*
525
                          (mid_y - perspective.Y[4]);
526
         newy_gDiff_Pt = 0.0; newy_bDiff_Pt = 0.0;
527
                                   Idiff = 5(Idiffx + Idiffy)
          new_rDiff_Pt = (newx_rDiff_Pt + newy_rDiff_Pt)/2.0;
531
          new_qDiff_Pt = 0.0; new_bDiff_Pt = 0.0;
```