

March 21 (Tue).

Midterm is scheduled on
the 23rd (Thu). 1 hr Exam.

16:30 - 17:30

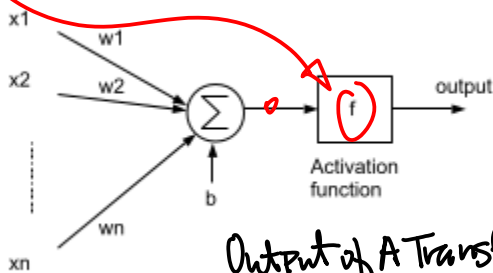
Then 15 minutes for prep &
Uploading the file.

Example: Softmax Activation
Function. MNIST CNN

Note:

$$\sigma(\mathbf{z})_i = \frac{e^{z_i}}{\sum_{j=1}^K e^{z_j}} \text{ for } i = 1, \dots, K \text{ and } \mathbf{z} = (z_1, \dots, z_K) \in \mathbb{R}^K \dots (1)$$

1° $f(\mathbf{z})$ Notation



Output of A Transfer
function

2° Index $f(z_i) = \frac{e^{z_i}}{\sum_{j=1}^K e^{z_j}} \dots (2)$

Total No. of Output Neurons = K
for Handwritten Digits Recognition
K=10;

where

$$\sum_{j=1}^K e^{z_j} = e^{z_1} + e^{z_2} + \dots + e^{z_K} \geq e^{z_i} \dots (3)$$

Property 1.

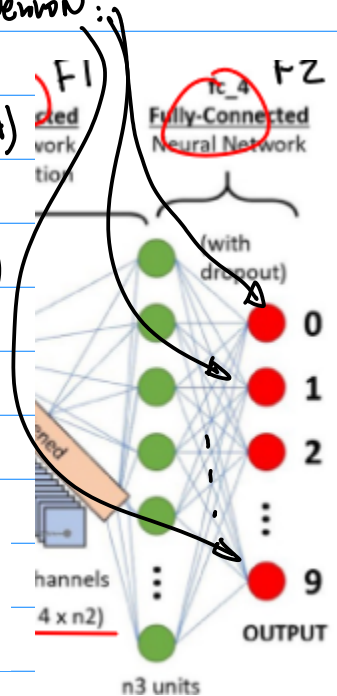
Output from Each Neuron:

$$f(z_1) = \frac{e^{z_1}}{\sum_{j=1}^{10} e^{z_j}} \dots (4)$$

for Digit "0" (1st Output)

And

Dimension $\mathbf{z} \in \mathbb{R}^K$
Let $K=1$



$$f(z_2) = \frac{e^{z_2}}{\sum_{j=1}^{10} e^{z_j}} \text{ for Digit "1" (2nd output)} \dots (5)$$

$$f(z_0) = \frac{e^{z_0}}{\sum_{j=1}^{10} e^{z_j}} \text{ for Digit "9" (10th o/p)}$$

if Add Eqn (1) + Eqn (2) + ...

$$f(z_1) + f(z_2) + \dots + f(z_0)$$

$$= \frac{e^{z_1}}{\sum_{j=1}^{10} e^{z_j}} + \frac{e^{z_2}}{\sum_{j=1}^{10} e^{z_j}} + \dots + \frac{e^{z_{10}}}{\sum_{j=1}^{10} e^{z_j}}$$

$$= \frac{\sum_{j=1}^{10} e^{z_j}}{\sum_{j=1}^{10} e^{z_j}} = 1 \dots (6)$$

The softmax function takes as input a vector z of K real numbers, and normalizes it into a probability distribution consisting of K probabilities proportional to the exponentials of

$$f(z_i) = \frac{e^{z_i}}{\sum_{j=1}^K e^{z_j}}$$

See Eqn (b).

Now, move to the 2nd Half of DCNN.

2022F-108a-Yolo-architecture-loss-function-2022-10-10.pdf

Typical Classification/Recognition Results are in Bounding Boxes

<https://arxiv.org/pdf/1506.02640v5.pdf>

S Divvala, Ross Girshick, Ali Farhadi
Allen Institute for AI, Facebook AI Research <http://pjreddie.com/yolo/>

Joseph Redmon*, Santosh Divvala[†], Ross Girshick*, Ali Farhadi[†]
University of Washington*, Allen Institute for AI[†], Facebook AI Research*
<http://pjreddie.com/yolo/>

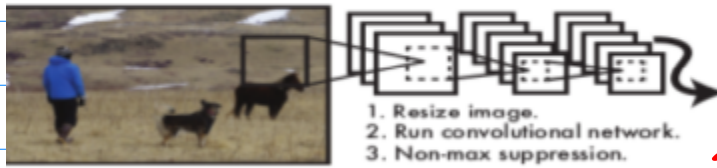


Figure 1: The YOLO Detection System. (1) resizes the input image to 448×448 , (2) runs a convolutional network, and (3) thresholds the resulting confidence scores.

Then, we would like to Achieve Semantic Segmentation.

Pixel by pixel

Based Segmentation/

Detection/Recognition



PART II (After the midterm)

April 4 (Tue)

Roadmap: Yolo (You-Only-Look-ONCE)

Semantic Segmentation.

Project Assignment to Implementation
Due 2½ weeks. April 20th.
(Thursday)

CMPE258

Spring 2023

Homework (In-Class Presentation) Requirements Due April 6 (Thu).

1° One Paragraph Description (Abstract)
of the proposed Semester-Long
Project.

2° Title

Team members : First Name,
Last Name,
Major

Team Coordinator.
Contact E-mail.

3° Abstract Part.

Objective(s) : a) What is the
proposed work;

b) What is the coding / training /
Testing Task involved in
the project ?

c) Anticipated Result ?
And deliverable ?

d) Tools, platform, programming
Language Version, T.F.,

Pytorch, ChatGPT etc.

Also, Define Python Packages,

OpenCV.

Example: On Yolo.

Ref:

2022F-106-README-Tiny-Yolo4-GP...

Note 1: ³⁴Readme for Yolo github
Installation & Testing.

Title: README Tiny Yolo v4 GPU Ubuntu

Document Number: 105-1b

CTI One Corporation

Table 1a. Document History

2022-10-6	Establish this document, document archive: (base) harry@workstation:~/yolo-2022-10-19\$	YY
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1. Setup YOLO v4 environment

1.1. Clone the GitHub folder;

\$ git clone https://github.com/pythonlessons/TensorFlow-2.x-YOLOv3.git

1.2. Create YAML file for building the YOLO v4 Anaconda environment;

Create TensorFlow-2.x-YOLOv3/conda-gpu.yml as the following;

=====

name: yolov4-gpu

Ref: Introduction

2022F-108a-Yolo-architecture-loss-function-2022-10-10.pdf

Base-Line Ref for Yolo Technique

2022S-112-yolo-paper.pdf

You Only Look Once:
Unified, Real-Time Object Detection

Joseph Redmon*, Santosh Divvala*[†], Ross Girshick[¶], Ali Farhadi*[†]

University of Washington*, Allen Institute for AI[†], Facebook AI Research[¶]

<http://pjreddie.com/yolo/>

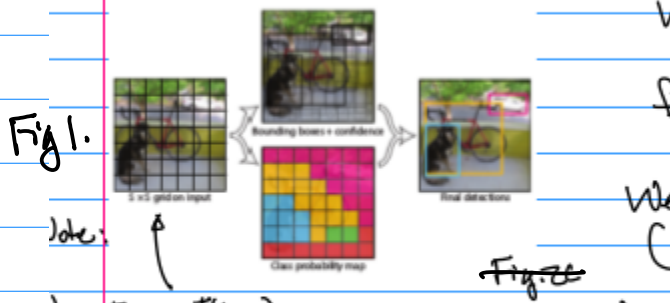
Lecture Notes: Base Line Ref/Requirements.

2022F-101-cmpe 258-note-2022-11-1.pdf

Example: Notations for Yolo.
Ref, pp 36.

CMPE258
Oct. 13, 22

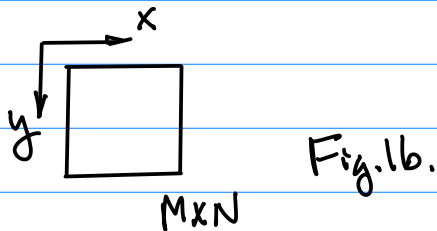
2. Bounding Boxes $B_{ij}(x, y) \dots (z)$
 i for x -direction, j for y -direction



1. Image $I(x, y)$ is divided into $S \times S$ Grids.
Denote it as $G_{p,q}(x, y), \dots (i)$
where $p, q = 0, 1, 2, \dots$ indicate the

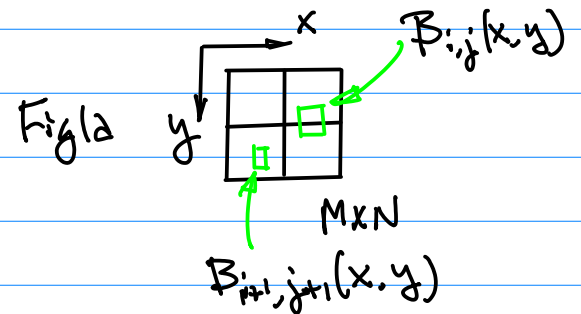
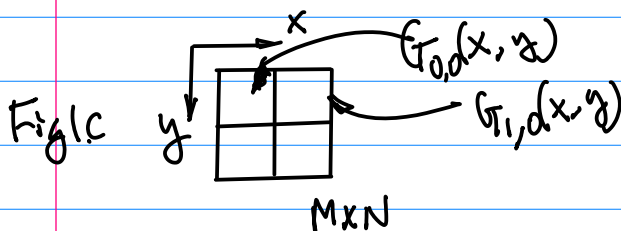
1. Image $I(x, y)$. with Resolution

$M \times N$
No. of Col. No. of Rows.



Divide $I(x, y)$ into $S \times S$ Grids.
Each Grid is Denoted as

$G(x, y) \dots (i)$
 p, q matches to x
Where $p, q = 0, 1, 2, \dots, S-1$



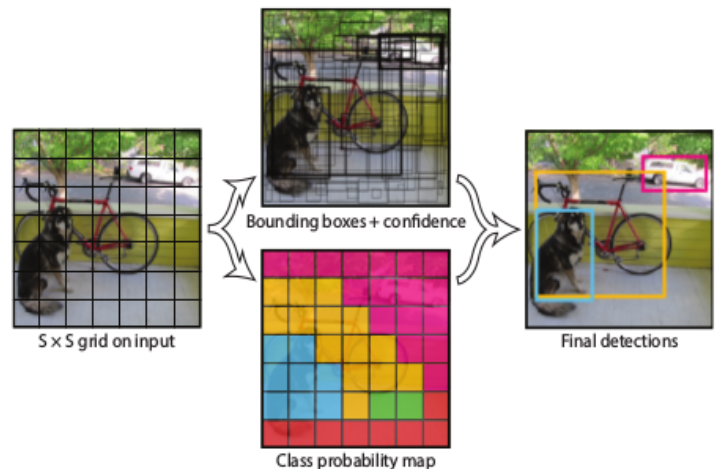
3. Five Parameters to define each Bounding Box.

(x, y) : Location of the top Left Corner of $B_{ij}(x, y)$

w, h : Width and Height of $B_{ij}(x, y)$

f : Confidence level, Probability distribution to Describe the likelihood of the B.B. (B^2) belongs to a certain Class of objects.

$(x, y, w, h, f) \dots (3)$



Note 1. α . $G_{ij}(x,y)$ Grid.

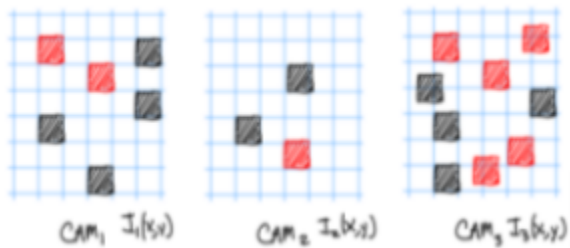
Figure 2: The Model. Our system models detection as a regression problem. It divides the image into an $S \times S$ grid and for each grid cell predicts B bounding boxes, confidence for those boxes, and C class probabilities. These predictions are encoded as an $S \times S \times (B * 5 + C)$ tensor.

$b, B_{ij}(x,y)$ Class probability.
 $C. (x,y,w,h,f)$ Probability
Confidence.

Aprih (Th).

Example: Discussion on Notation/Formulation.

Ref. [2022F-101-cmpe258-note-2022-11-1.pdf](#) PP38



Camera 1: $I_1(x,y)$ Camera 2: $I_2(x,y)$ Camera 3: $I_3(x,y)$

$$R = RI_1 + RI_2 + RI_3 \dots (1)$$

R : Red Squares, Persons.
 B : (Black) Vehicles. for "Union"

Intersection. " \cap "

Consider the probability of the event " R " (meaning Person(s) being captured on any one of these images).

$$\text{Prob}(R) = \text{Prob}(RI_1) + \text{Prob}(RI_2) + \text{Prob}(RI_3) \dots (2)$$

$$I_1 \cap I_2 \cap I_3 = \phi \text{ (Empty set)}$$

Consider Each Individual Camera:

$$\text{Prob}(RI_1) = \text{Prob}(R|I_1) \text{Prob}(I_1) \dots (3a)$$

Similarly,

$$\text{Prob}(RI_2) = \text{Prob}(R|I_2) \text{Prob}(I_2) \dots (3b)$$

$$\text{Prob}(RI_3) = \text{Prob}(R|I_3) \text{Prob}(I_3) \dots (3c)$$

Rewrite Egn (2):

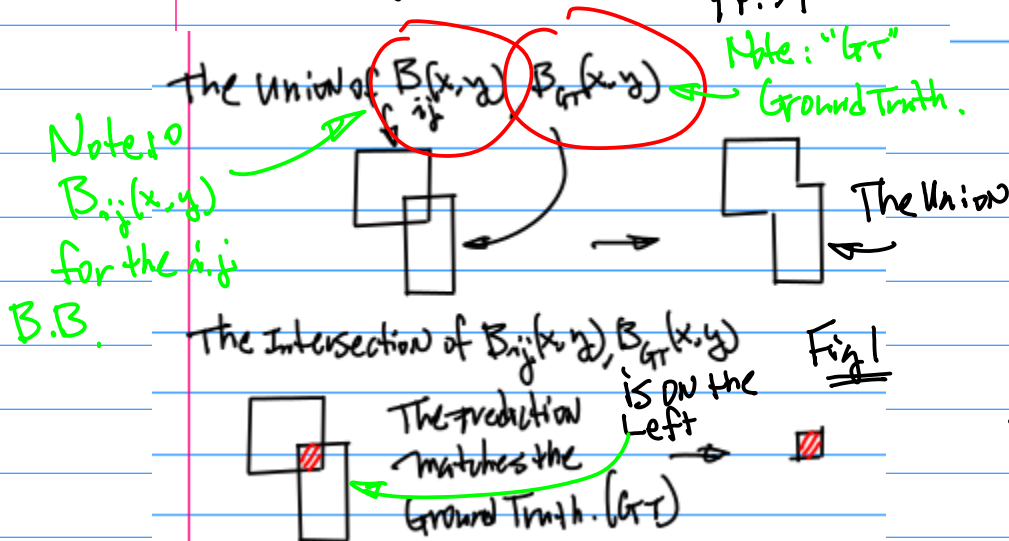
$$\begin{aligned} \text{Prob}(R) &= \text{Prob}(R|I_1) \text{Prob}(I_1) \\ &+ \text{Prob}(R|I_2) \text{Prob}(I_2) \\ &+ \text{Prob}(R|I_3) \text{Prob}(I_3) \\ &= \sum_{i=1}^3 \text{Prob}(R|I_i) \text{Prob}(I_i) \dots (4) \end{aligned}$$

Ref: 20225-112-yolo-paper.pdf

$$\Pr(\text{Class}_i | \text{Object}) * \Pr(\text{Object}) * \text{IOU}_{\text{pred}}^{\text{truth}} = \Pr(\text{Class}_i) * \text{IOU}_{\text{pred}}^{\text{truth}} \quad (1)$$

Note 1. \uparrow Conditional Probability. \uparrow $\Pr(C_i)$
 $\Pr(C_i | \text{Obj}) \Pr(\text{Obj})$

1. IOU (Intersection of Union)
Index for the purpose of Comparing
2 Bounding Boxes at a time
PP.37



$$\text{IOU} = \frac{\text{Intersection of } B_{ij}(x,y) \text{ and } B_{\text{gr}}(x,y)}{\text{The Union of } B_{ij}(x,y) \text{ and } B_{\text{gr}}(x,y)} \dots (5)$$

$$C = \frac{\text{IOU}}{\dots (4)}$$

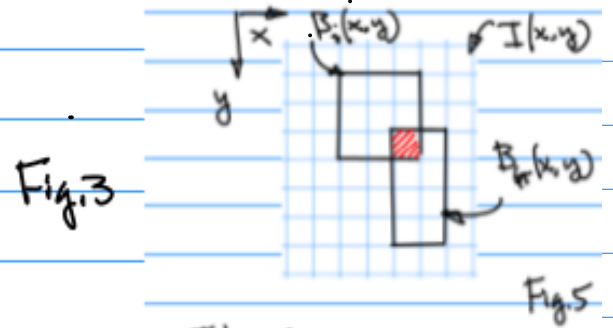
(IOU)
Confidence,
denoted as η

PP37

Hand Calculation of IOU.

Example: PP36

5. IOU (Intersection of Union).
Example: Illustration of IOU



Sol. First, find the Number of
pixels of the $B_{ij}(x,y) \cap B_{\text{gr}}(x,y)$

$$B_{ij}(x,y) \cap B_{\text{gr}}(x,y) = 1$$

then, Find the Union

$$B_{ij}(x,y) \cup B_{\text{gr}}(x,y) = N[B_{ij}(x,y)] + N[B_{\text{gr}}(x,y)] - N[B_{ij}(x,y) \cap B_{\text{gr}}(x,y)]$$

$$= (3 \times 3) + (2 \times 4) - 1 = 9 + 8 - 1 = 17 - 1 = 16$$

$$\therefore \text{IOU} = \frac{1}{16}$$

Now, from Eqn (1) of the Ref. (Research Paper)

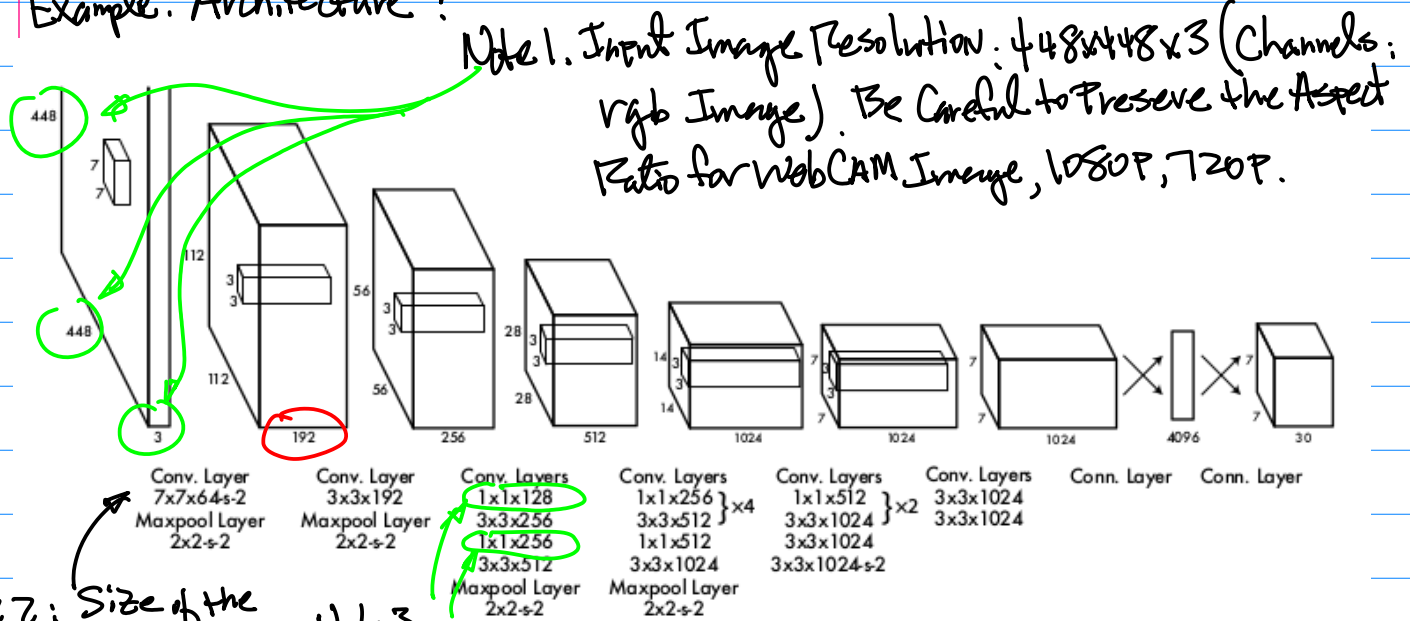
Note \downarrow

$$\Pr(\text{Class}_i | \text{Object}) * \Pr(\text{Object}) * \text{IOU}_{\text{pred}}^{\text{truth}} = \Pr(\text{Class}_i) * \text{IOU}_{\text{pred}}^{\text{truth}} \quad (1)$$

IOU^{truth} \leftarrow "G.T." B.B.
IOU^{pred} \leftarrow Predicted B.B.

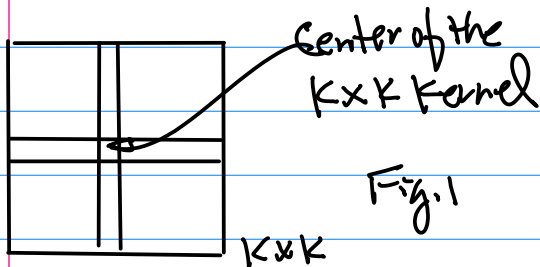
YOLO

Example: Architecture:



Note 2: Size of the Kernel: 7×7 , 64 of them.

Note 3: 1×1 Convolution is utilized here



For $K \times K$ 2D Convolution, the output of the convolution. "Spatial Information", Neighbouring pixels under the $K \times K$ kernel are counted for (for feature extraction @ the center of the kernel)

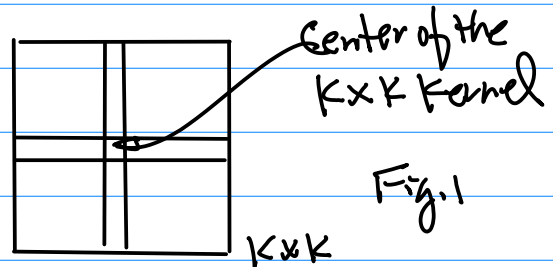
April 1 (Tue).

Presentation (Brief) on Each Team Project.

Example: Continuation on With Formulation.

1×1 Convolution.

Note 1. Background on $K \times K$ Convolution.



Output: 1 pixel
Input: $K \times K$ pixels.

Captures All Neighbouring pixels at a time, And Produce one pixel Output.

Note 2. For each convolution kernel, the convolution conducted will result in one output feature layer

As we continue the Convolution Process, the Number of Output feature Layers will grow Significantly, Therefore, there's a need to Reduce the Number of Layers without missing crucial features.

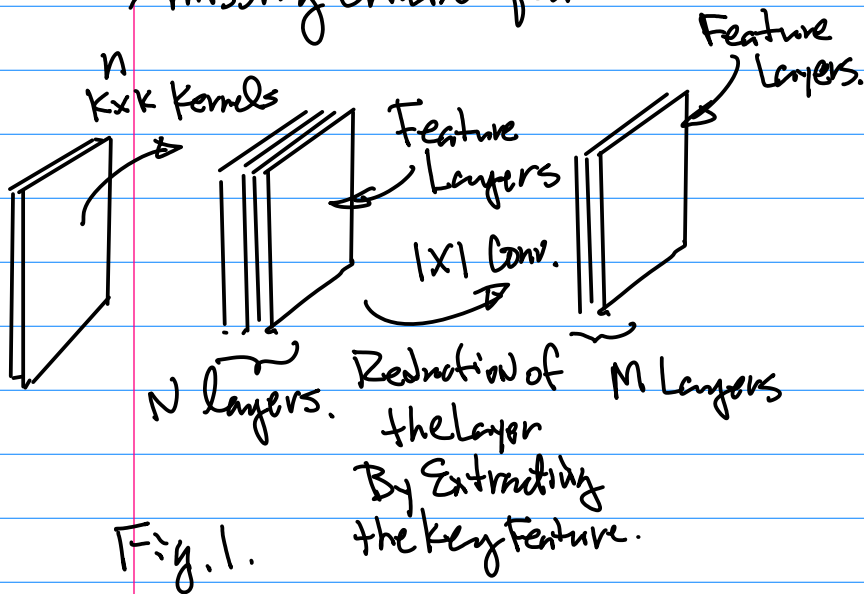


Fig. 1.

To Be Able to Extract/Preserve the Key features to Achieve Reduction of Layers. We are using the following Technique.

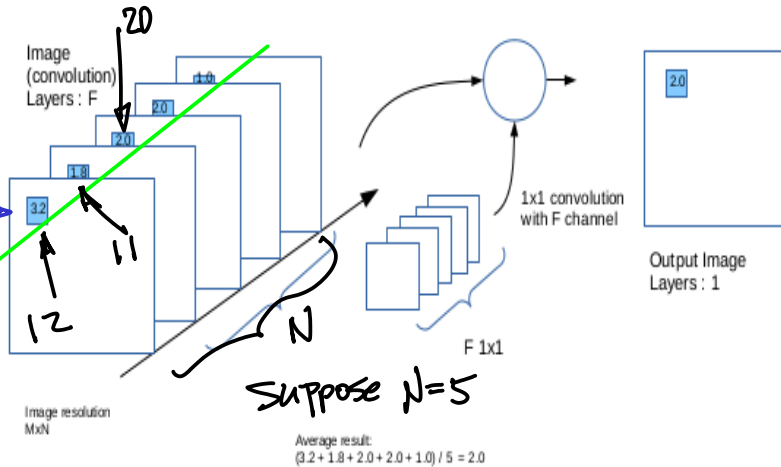
1x1 Convolution for Dimension Reduction and Pooling

The 1x1 convolution enables dimension reduction by reducing the number of channels in convolution layers

1. Suppose the input layers is $C \times H \times W$, where C is its channels. The 1x1 convolution generates one average result in shape $H \times W$. The 1x1 (filter) is a vector of length C .
2. Now if you have F 1x1 filters, you get F layers of output, the output shape is $F \times H \times W$. For input layer $C \times H \times W$ with F 1x1 convolution (with channel is C), you will get $F \times H \times W$ layers.

Note 1.

One pixel across the entire stack of the feature layer.



Harry Li, Ph.D.

Reduction Requirement: Combine $N=5$ layers into 1 layer.

To preserve the feature in this process.

Question: What is the technique to combine them (pixels at different layers) with equal contribution from each layer?

$$\frac{1}{N} [I_1(x_1, y_1) + I_2(x_1, y_1) + \dots + I_5(x_1, y_1)]$$

... (1)

$$\frac{1}{N} I_1(x_1, y_1) + \frac{1}{N} I_2(x_1, y_1) + \dots + \frac{1}{N} I_5(x_1, y_1)$$