

CMPE258  
Spring 2023 (Part III)

1/

April 20 (Thursday).

Note 1. Final Exam.

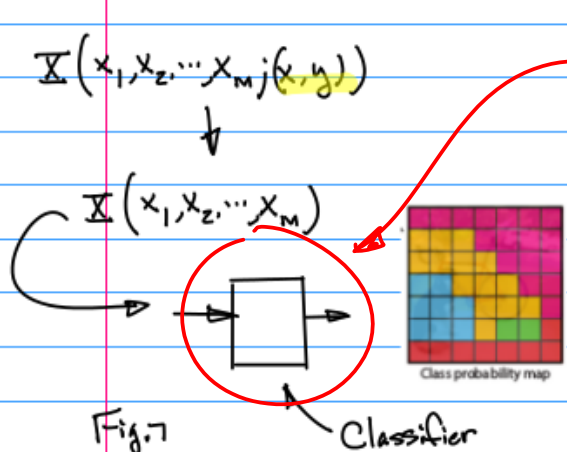
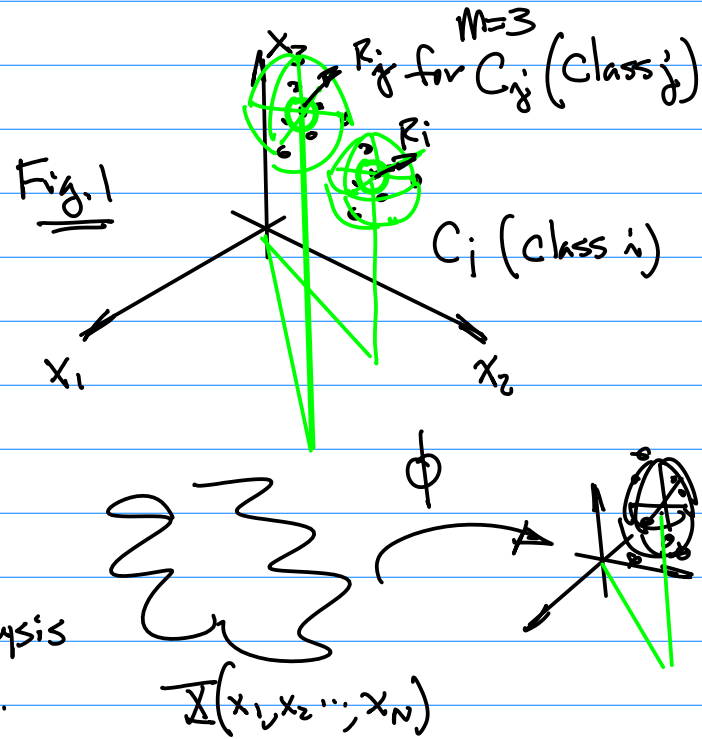
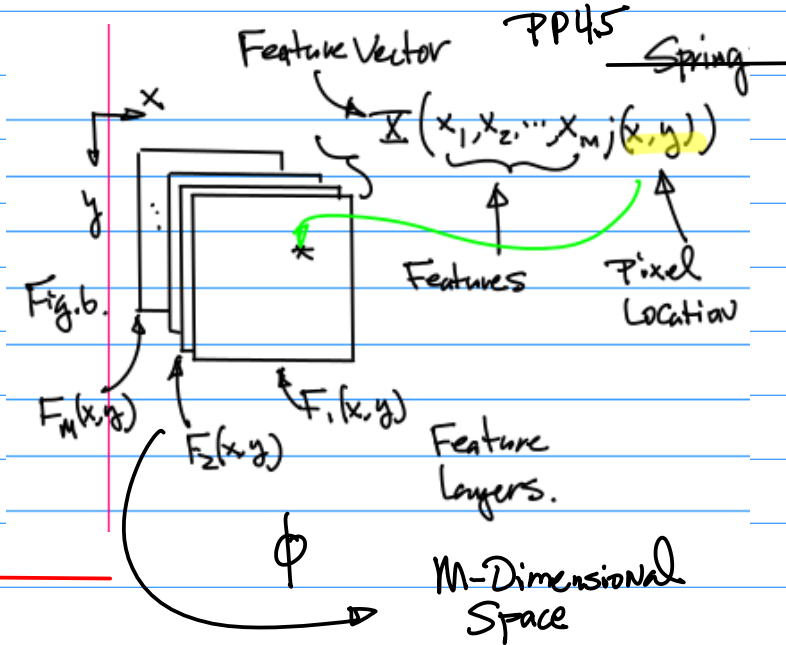
Cluster Analysis "Mapping"

## Group II Classes

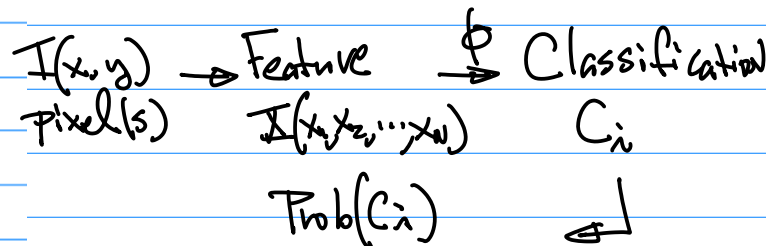
Group II classes are those classes which meet TR, T, R, TWR, MTR, TRF, MTI, MTWR, TWRf, RF, TF, TRS.

Regular Class Start Times	Final Examination Days	Final Examination
7:00 through 8:25 AM	Monday, May 22	7:15-9:30 AM
8:30 through 9:25 AM	Wednesday, May 17	7:15-9:30 AM
9:30 through 10:25 AM	Friday, May 19	9:45 AM-12:00 PM
10:30 through 11:25 AM	Tuesday, May 23	9:45 AM-12:00 PM
11:30 AM through 12:25 PM	Thursday, May 18	9:45 AM-12:00 PM
12:30 through 1:25 PM	Monday, May 22	12:15-2:30 PM
1:30 through 2:25 PM	Wednesday, May 17	12:15-2:30 PM
2:30 through 3:25 PM	Friday, May 19	2:45-5:00 PM
3:30 through 4:25 PM*	Tuesday, May 23	2:45-5:00 PM
4:30* through 5:25 PM*	Thursday, May 18	2:45-5:00 PM

From Notes Part II, PP.45



Cluster Analysis Technique



Note:  $\sum_{i=1}^N \text{Prob}(C_i) = 1$   
(Previously M)  
Number of Classes.  
from "Heuristics" Expert Knowledge.

Consider K-mean Cluster Algorithm.

github.  
2022S-114c-Kmean-handCalculation...  
PPT  
2022S-114c-KmeanCluster-v3-2022-...

Note 1.

$$\arg \min_S \sum_{i=1}^k \sum_{x \in S_i} \|x - \mu_i\|^2 = \arg \min_S \sum_{i=1}^k |S_i| \text{Var } S_i$$

a. "Argmin" minimization ... (3)  
b. "S" Domain, "Scope" of the minimization

Example for  $\|\vec{x} - \vec{\mu}_i\|^2$   
if  $\vec{x} = (x_1, x_2)$ ,  $\vec{\mu}_i = (\mu_{i1}, \mu_{i2})$

Then

$$\|\vec{x} - \vec{\mu}_i\|^2 = \sqrt{(x_1 - \mu_{i1})^2 + (x_2 - \mu_{i2})^2}^2$$

$$= (x_1 - \mu_{i1})^2 + (x_2 - \mu_{i2})^2 \dots (4)$$

Example: K-mean Cluster Algorithm.

First, Notation.

Note 1. Vectors

Given a set of observations  $(x_1, x_2, \dots, x_n)$ ,

e.g.  $\vec{X}_1 = (x_{11}, x_{12}, \dots, x_{1n})$   
first observation ... (1)

For  $\vec{X}_i$   
Observation  $i$   
 $x_{ij}$   
Component  $j$   
for the Observation  $i$

Note: if for d-dimensional Vector,  
then Eqn(1) has its  $N=d$

Note 3.  $\sum_{x \in S_i}$

Notation  $\sum_{i=1}^M x_i$

Summation for each & every  $x$   
as long as it is from the set  $S_i$

Note 4: from Eqn(3), we have

$S_i$ : Collection of Vectors  $\vec{X}$   
belonging to Class  $i$

Note 5:  $\sum_{i=1}^k \rightarrow$  to cover the  
Collection of all  
Classes.

Note 6:  $\vec{\mu}_i$   
(1)  $\vec{\mu}_i = (\mu_{i1}, \mu_{i2}, \dots, \mu_{id})$   
(2) Cluster for the  
Class  $i$

K-mean

partition the  $n$  observations into  $k$  ( $\leq n$ ) sets  $S = \{S_1, S_2, \dots, S_k\}$

$\{\vec{X}_i | i=1, 2, \dots, N\}$  ... (2)

K-Classes.

$S_i$  for Class  $i$

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