

CTI

April 7, 22

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Robot Coordinate System

Define $x_w-y_w-z_w$ as a World Coordinate System. Right Hand System.

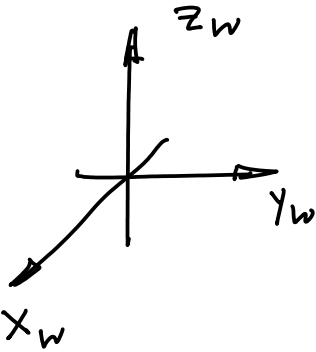


Fig 1.

Define $x_u-y_u-z_u$ Right Hand System

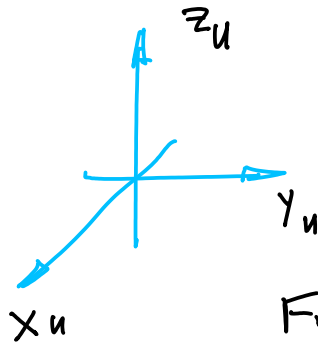


Fig 2.

Definition 1. (World \mathcal{N}) Define everything in $x_w-y_w-z_w$ World Coordinate System including $x_u-y_u-z_u$.

Definition 3 (Robot Init Position)

The Robot initial position is defined at the Home Position in such a way whose $x_u = x_w, y_u = y_w, z_u = z_w$. as shown in the figure below.

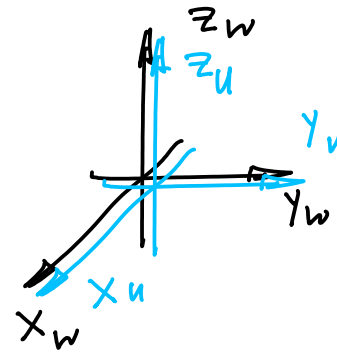


Fig. 4

Note, at Any given time t , we have $x_u-y_u-z_u$ defined in $x_w-y_w-z_w$ as in Fig. 3

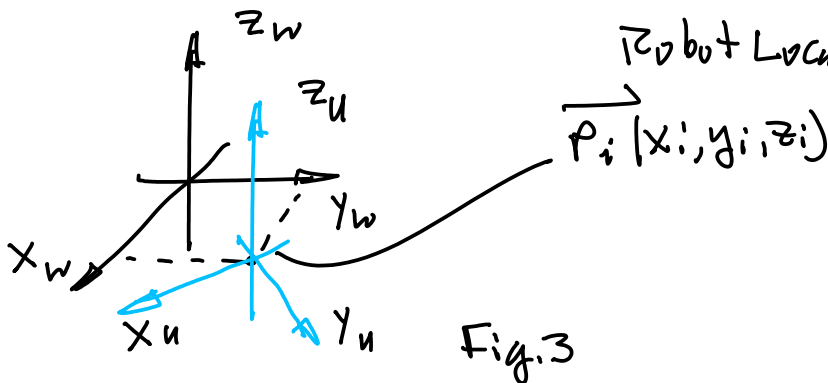


Fig. 3

Definition 2. (home Position) Define a Robot home position, and let this home position to be the point for the origin of $x_w-y_w-z_w$.

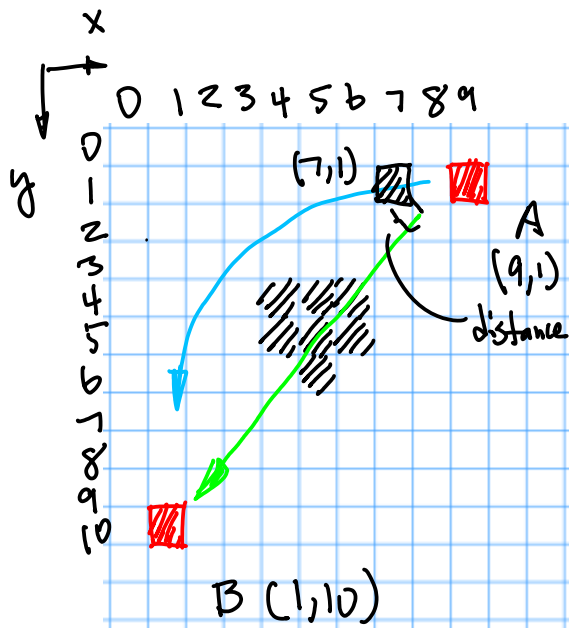
Definition 4 (Obstacles in $x_w-y_w-z_w$) A given obstacle in the world coordinate

System $x_w-y_w-z_w$, we can Perform Mapping operation to redefine it in the $x_u-y_u-z_u$ coordinate system.

$$\phi: (x_i, y_i, z_i) \in (x_w, y_w, z_w) \rightarrow (x'_i, y'_i, z'_i) \in (x_u, y_u, z_u) \dots (1)$$

Where ϕ is a mapping function, for example:

$$\begin{pmatrix} x'_i \\ y'_i \\ z'_i \\ 1 \end{pmatrix} = \phi \cdot \begin{pmatrix} x_i \\ y_i \\ z_i \\ 1 \end{pmatrix} \dots (2)$$



(End)