Oriving Directions: 8- Connected Neighbors

NWNNE WASE WXE SWS SE

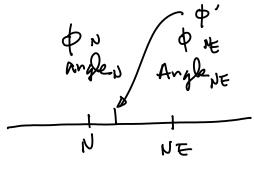
Find the Direction of Driving at Each Step that in the end will

minize the Objective Function in

Egn(a).

Tilig T(dr+1, Sk+1 | Sk) - 8 fx+1 Reword (8 Directions)

Action	Reward
\$W \$W \$W	×N = 7 ×N = 7 ×N = 7
5	,



NWNNE

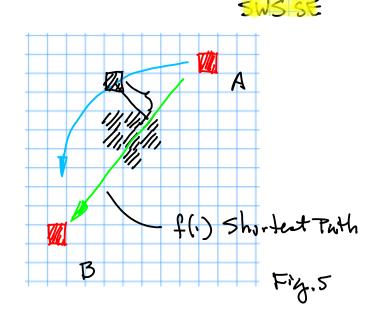
WWE

Determine Reward Funding Based DN Moving Direction of Shortest Path.

List of Possible moving Directions

1. From Fig. 4. Only 5 possible Directions

NWNNE WIG SWS SE



March4, Fri

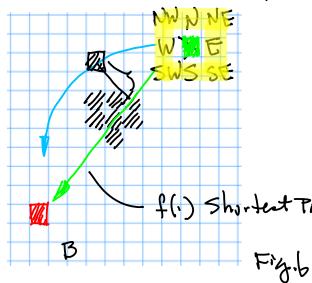
41

Example 1. 1. place 8-Direction

Template (N,5,") on top of PoinA.

Use shortest path, breen line,

Toward-function Bused on the direction
Matching Remard (DMR) Folia



Tome: D=P.5

X-SW +1.0 Best Matching X-SW Overlap

X-W +0.6 Nort Best X-WAngle < 元

X-S +0.6 " X-SE" < 元

X-SE +0.1 X-SE" < 元

X-TE -0.1 Opposite X-E " >元

X-NE -1.0 X-N -0.6 X-NW -0.1 Angle > 311/4
Angle > 311/4
Angle > T

NW N NE W N E SWS SE Algorithm: Best Matching Direction.

Highest + Renard

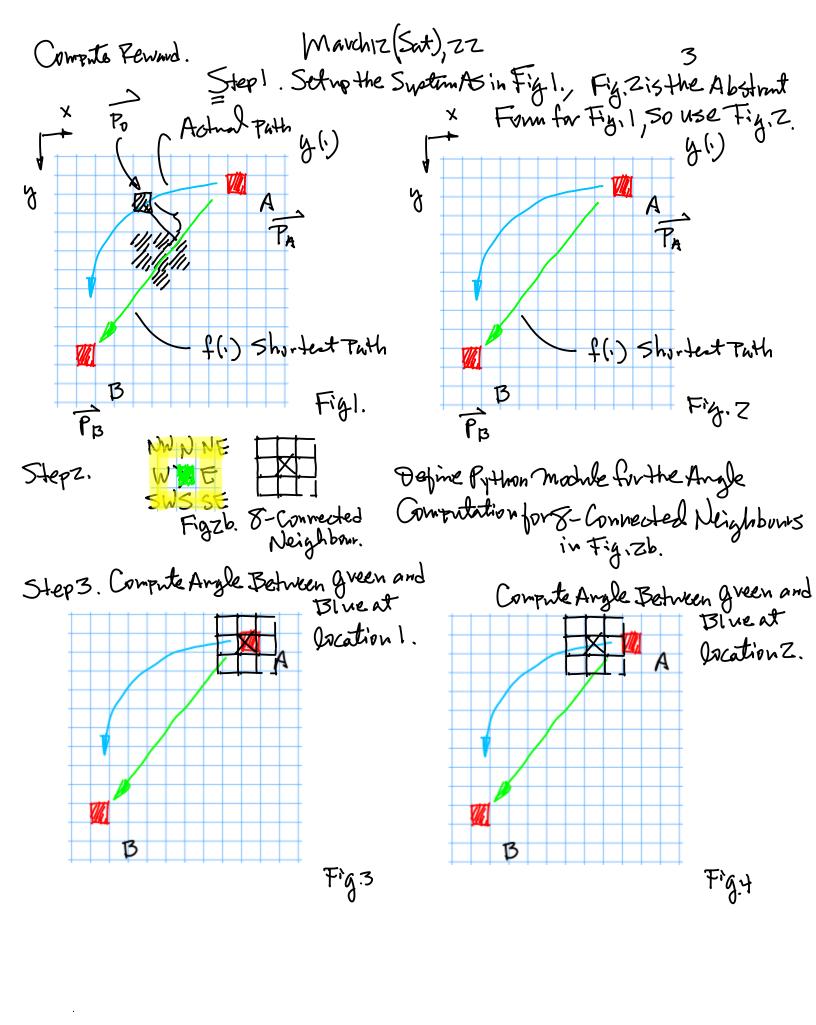
Wast matching Direction

f(i) Shortest Part

f() Shortest Path Trogram Implementation:

1° Implement Renard Function(1).

Note: Angle & is formed Betwee Blue line and green Line.





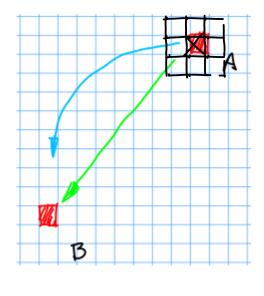
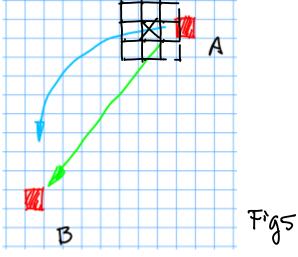
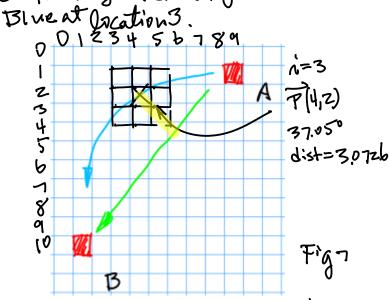


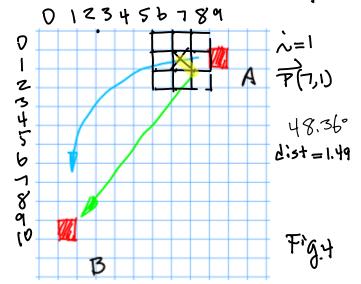
Fig.3

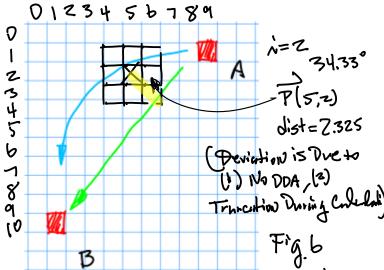


Compute Angle Between green and

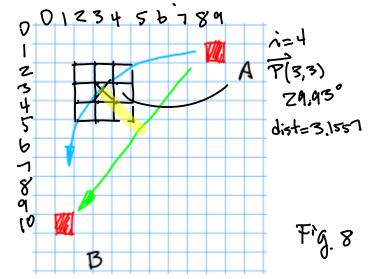


Compute Angle Between green and Blue at Oxcation 5.

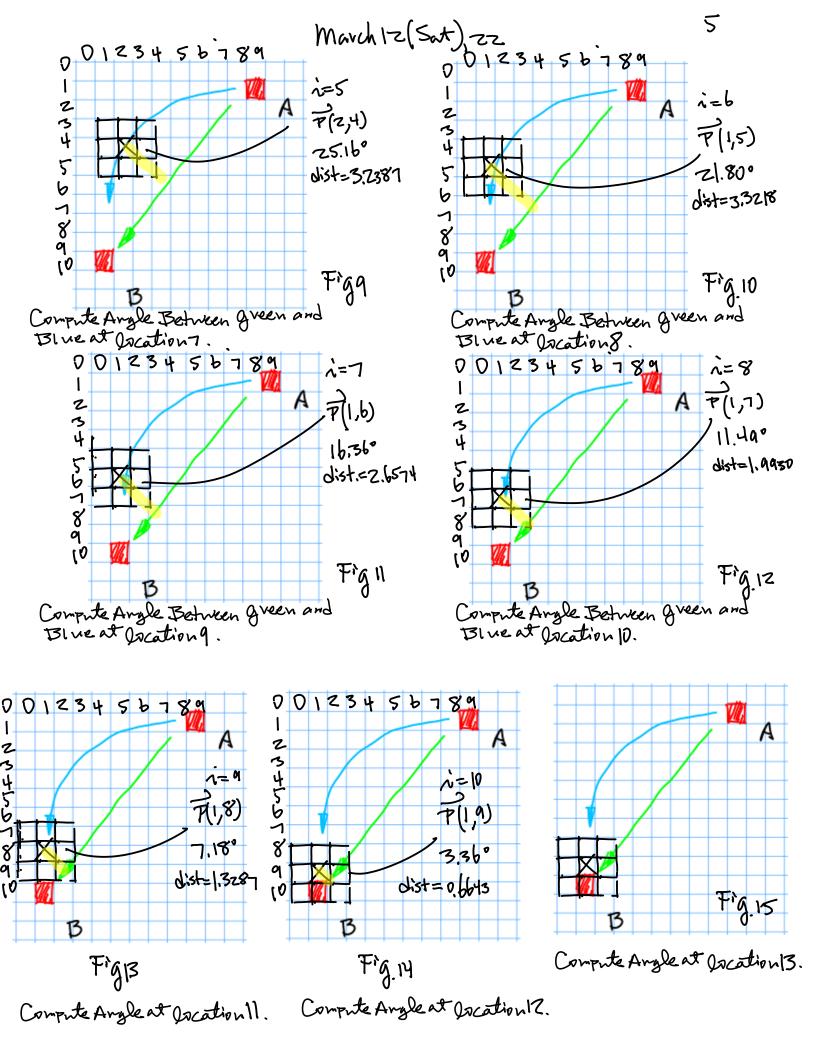




Compute Angle Between green and Blue at Oxcation 4.

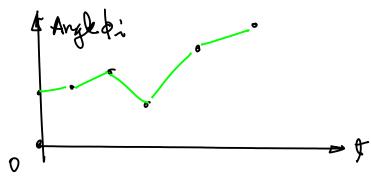


Compute Angle Between green and Blue at Opcation 6.



Stept

Plot All the Angles of, tz, ..., di... in the plot below,

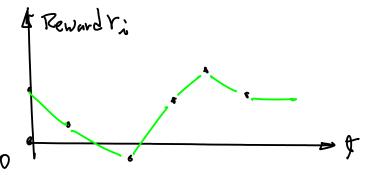


plot All Renard Functions Values Y, Vz, ..., Yi... in the plot below. Then find Sum of all

Rewards.

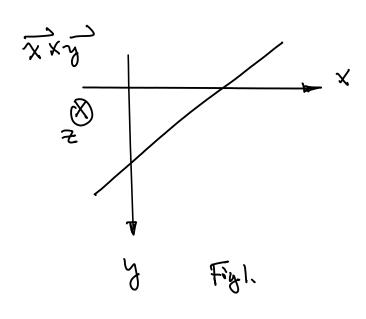
R= Z r.

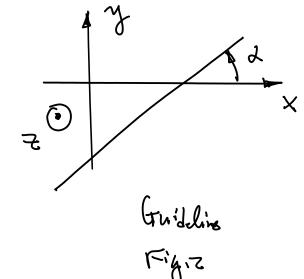
....



March 13th (Sun) with B.P.

(End) X X y = ==





No World coordinate System yet

45° (M) NE

0.5 0.1 374 The Matching D T/4 T/2 | -0.5 -1.0

Tome: D=R5
X-SW +1.0 Best Matching X-SW Overlap
X-W +0.6 Next Best X-W Angle < ア
X-S +0.6 " X-S " < ア
X-SE +0.1 X-SE" < ア
X-E -0.1 Opposite X-E " >ア
X-E -0.1 Opposite X-E " >ア

X-NE-1.0 X-N -0.6 X-NM -121

tryle 7½ Angle > 311/4 Angle ~ 17

March 14 (monday), 74, BP.

robotics-open_abb / aiv200 / 190g-deep-reinforcement-learning / 190g-3-6DoF-Action-State-Reward-SS-2021-03-17.pdf

6 DoF Robot Unity

How to train your Robot Arm?. Training a 6 axis robot arm using Unity... | by Raju K | XRPractices | Medium

rkandas/RobotArmMLAgentUnity: Training 6 axis robot arm Inverse kinematics using Unity ML Agents (github.com)

- Actions: An array of actions each action in the array represents the degree of rotation.
 We have 5 types of actions in total: 1 Rotate and 4 Bends.
 - 1.1. Axis 1: is the bottom-most axis and can rotate 0 to 360 degrees [Rotate]

 $armAxes[0]. transform. local Rotation = \\ Quaternion. Angle Axis (angles[0] * 180f, armAxes[0]. Get Component < Axis > (). rotation Axis);$



"Thysical model (Dimension) Cophysics of the model. & Rotation Divertion

C. Graphical model

Move VtenCV model to Unity Step 1. 0-C:

[Step Z. C# ML Intufane

PYITE

unity

from CTIVNE model, And the implementation Code is from GTI One team, especially from Mr. Yvanke Yakuma.

Python
OpenCV J. Angle
Us. Today
Us. Reword (I)

March 16 (Wed)

1. Verification of 143 Implementation

Z. Trovide Hand Calculation.

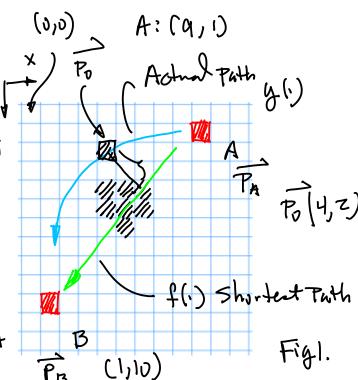
(1) from start position to the and position

Position Angles Distance Remards

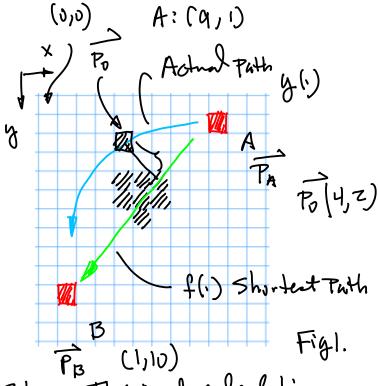
(9,1) Pi John [...[]

京(松) PB (1/10)

(2) Record Henristic Motion, Porth, txt



(3) Run GTI ONE Version O.1 Code, make Companison for Verification. March 17 (Thursday) Hand Calculation Stepl. Given initial condition A = (9,1), B = (1,0)X-y Coordinate System Setup as shown in the figure below.



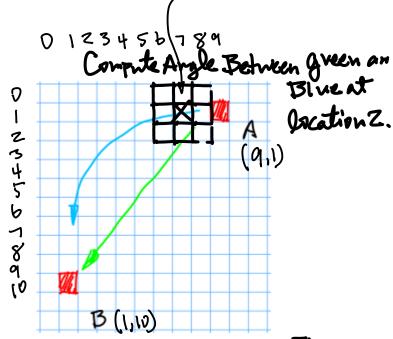
Stepz. The Angle calculation

(京元)·(戸A-房)=||戸A-房|| ||戸A-房|| Cosa Fr-Pi= (xn-Xi, yn-yi) ... (BlueLine) Therefore, for Egrols), we have (3) PA-Pa=(Xa-Xb, ya-yb) ...(2) (Green Line) Egnly) below,

 $Cosd = \frac{(\vec{P}_{A} - \vec{P}_{i}) \cdot (\vec{P}_{A} - \vec{P}_{B})}{||\vec{P}_{A} - \vec{P}_{i}|| ||\vec{P}_{A} - \vec{P}_{B}||} = \frac{(x_{A} - x_{i}, y_{A} - y_{i}) \cdot (x_{A} - x_{b}, y_{A} - y_{b})}{\sqrt{(x_{A} - x_{i})^{2} / (x_{A} - x_{b})^{2} + (y_{A} - y_{b})^{2}}} = \frac{(x_{A} - x_{i}, y_{A} - y_{i}) \cdot (x_{A} - x_{b}, y_{A} - y_{b})}{\sqrt{(x_{A} - x_{i})^{2} / (x_{A} - x_{b})^{2} + (y_{A} - y_{b})^{2}}} = \frac{(x_{A} - x_{i}, y_{A} - y_{i}) \cdot (x_{A} - x_{b})^{2} / (x_{A} - x_{b})^{2} + (y_{A} - y_{b})^{2}}{\sqrt{(x_{A} - x_{b})^{2} + (y_{A} - y_{b})^{2}}} = \frac{(x_{A} - x_{i}, y_{A} - y_{i}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b})^{2} / (x_{A} - x_{b})^{2}}{\sqrt{(x_{A} - x_{b})^{2} + (y_{A} - y_{b})^{2}}} = \frac{(x_{A} - x_{i}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b})^{2} / (x_{A} - x_{b})^{2}}{\sqrt{(x_{A} - x_{b})^{2} + (y_{A} - y_{b})^{2}}} = \frac{(x_{A} - x_{i}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b})^{2}}{\sqrt{(x_{A} - x_{b})^{2} + (y_{A} - y_{b})^{2}}} = \frac{(x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b})^{2}}{\sqrt{(x_{A} - x_{b})^{2} + (y_{A} - y_{b})^{2}}} = \frac{(x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b})^{2}}{\sqrt{(x_{A} - x_{b})^{2} + (y_{A} - y_{b})^{2}}} = \frac{(x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b})^{2}}{\sqrt{(x_{A} - x_{b})^{2} + (y_{A} - y_{b})^{2}}} = \frac{(x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b})^{2}}{\sqrt{(x_{A} - x_{b})^{2} + (y_{A} - x_{b})^{2}}} = \frac{(x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b})^{2}}{\sqrt{(x_{A} - x_{b})^{2} + (y_{A} - x_{b})^{2}}} = \frac{(x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b})^{2}}{\sqrt{(x_{A} - x_{b})^{2} + (y_{A} - x_{b})^{2}}} = \frac{(x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b}) \cdot (x_{A} - x_{b})^{2}}{\sqrt{(x_{A} - x_{b})^{2} + (y_{A} - x_{b})^{2}}}$ (xn-Xi) (xn-Xb)+(yn-Yi)(yn-Yb) V(X"-X")+(A"-A")5 V(X"-X")+(A"-A")5

Now, Calculation. Denote Robot Position as Pi(xi, yi),

for Postion N=1, P(7,1) illustrated in Fig. 4



From Egn (4), we have

Fig.4

See my Spread Sheet for the Rand Calculation.

Now, Commite Reward Function, Based on the Formula on PP.

Frontp.4.

D=1.5 TIDMR: X-SW +1.0 Best Matching X-5W Overlap X-W +0.6 Nort Best X-WAngle < 72 X-E -0,1 Opposite XE ">% Angle 7 1/2 X-NW -121 x-N -0.6 Angle > 317/4 Angle = TT X-NE -1.0

Algorithm: Best Watching Direction.

Highest + Renard

Wast matching Direction

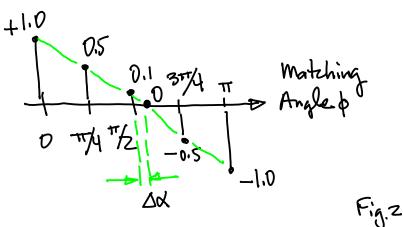
Smallest - Toward

T = a of to ... (1)

March 18, Fri

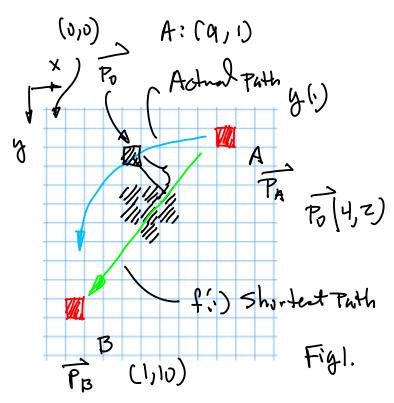
Reward Function ON Positive Angle (Clockwise) Fig. 1

Fig.1



+1.0 -1.0

Perpendicular Line Calculation.



Given:

direction Vectors

$$\vec{J}_{B} = (X_{A} - X_{1}, Y_{A} - Y_{10}) = (X_{13}, Y_{18})
\vec{J}_{G} = (X_{A} - X_{1}, Y_{1} - Y_{2}) = (X_{13}, Y_{20})$$

Tarametric Equation for the lives in

$$f_{\beta}(x,y) = \alpha_{\beta}y - (\beta_{\beta}x + c) \dots (5)$$

where

The intersection Point of the Perpendicular line from Fi on Blue to Green Line

. .. (4)

The distance (terpendicular Line from Blue Line

$$\overline{R}_i$$
 to Greenline):
 $\lambda = -f(x_i, y_i)$

$$\lambda = -\frac{f_{\zeta}(x_i, y_i)}{\alpha_{\zeta}^2 + b_{\zeta}^2} \dots |z|$$

The distance (terpendicular Line from Blue Line Pito Greenline):

Where

$$\lambda = -\frac{f_{\alpha}(x_i, y_i)}{\alpha_{\alpha}^2 + b_{\alpha}^2} \dots ||z|$$

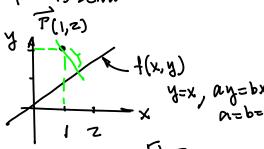
$$f_{G}(x,y) = a_{G}y - (b_{G}x + c_{G}) ...(b)$$

$$a_{G} = x_{A} - x_{b}, b_{G} = y_{A} - y_{b} ...(8)$$

$$f_{G} = (a_{G}, b_{G}) = (x_{G}, y_{G}) ...(8b)$$

Then, dist (Pri, green) = V(Xi-X)+(7/i-76)2...(13)

Testing of the Above Equations By a Special case(for Simplicity) Below



For line of (breen Line Eggivalent) TG=(xk, yk)=(Ak,bk)=(1)1)

from Egn(12)

from Eqn(12)
$$\lambda = -\frac{f_{x}(x_{i}, y_{i})}{a_{x_{i}}^{2} + b_{x_{i}}^{2}} = -\frac{a_{x_{i}}y_{i}^{2}(b_{x_{i}}x_{i}^{2} + C_{x_{i}})}{a_{x_{i}}^{2} + b_{x_{i}}^{2}} = -\frac{y_{i}^{2} - x_{i}}{1 + 1}$$

$$= -\frac{z_{i}^{2}}{z_{i}^{2}} = -\frac{1}{z_{i}^{2}}$$
Wie:

Step 2. Find Intersection Point of the Respondicular line on Green Franty (116)

$$\frac{1}{P(x,y)} = (x_{i},y_{i})_{+} \lambda(-y_{i},x_{k})$$

$$= (1,2)_{+} \lambda(-|a_{i},a_{k}|) \Big|_{A_{i}=b_{k}=1}$$

$$= (1,2)_{+} \lambda(-|1,1) \Big|_{\lambda=-\frac{1}{3}}$$

$$= (1,2)_{-\frac{1}{3}}(-|1,1)_{=(1+\frac{1}{3},2-\frac{1}{3})}$$

$$= (\frac{3}{2},\frac{3}{2})_{=(1,5,1.5)_{=(1+\frac{1}{3},2-\frac{1}{3})}$$

$$+ (\frac{3}{2},\frac{3}{2})_{=(1,5,1.5)_{=(1+\frac{1}{3},2-\frac{1}{3})}$$

$$+ (\frac{3}{2},\frac{3}{2})_{=(1,5,1.5)_{=(1+\frac{1}{3},2-\frac{1}{3})}$$

dist (Fi, Green)= V(Xi-X)+(7/1-78)2 $=\sqrt{(1-1.5)^2+(2-1.5)^2}$ = 10,570.52 = 0.5/2=\$

Note: Cy Calculation

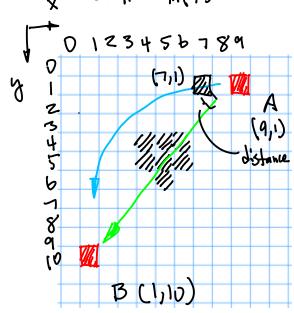
 $f'(x,3) = \alpha^{c_1} A - (p^{c_1} x + c^{c_1})$ $|A_{G}=X_{G}=X_{G}-X_{b}|$ Take (x,y)=(xa,ya) Substitute into the bg=14= 4~ Vb

above equation.

0 = any - (baxa+ a) c= any - baxa = (x-xb) yn-(yn-yb)xa

·· Cq = (xn-xb) yn-(yn-yb) xn...(13)

Example: Hand Calculation of Pistane Suppose 75(7,1)



Stepl. Find direction vector of treenline TG=(Xa-Xb, Ya-Yb)=(xG, Ye)

Step Z. Find Green Line Equation in Parametris From.

From

06=xa-xb, b G= ya-yb ... (8)

$$T_{G} = (A_{G}, b_{G}) = (x_{G}, v_{GG}) \qquad ... (8b)$$

$$a_{k}=8$$
, $b_{k}=-q$, b_{k}

From typ (13)

Cy = (x-x) yn-(yn-y)xa

= anya-byxa

=8.7a-(-9)xa=8.1-1-9)9

=8481=89

Step3, Find tg.

fx(xi, xi)= agy (bgx+ G) ...(b)

= anyi-byxi-c4 = 84:-(-9)xi-89/xi=7

= 8.1+9.7-89=71-89=-18

 $= -\frac{-18}{0.2 + 6.6} = \frac{18}{8^2 + (-4)^2} = \frac{18}{64 + 81}$ $=\frac{18}{105}=0.12$

Steps Find intersection point P(x,y) on the Green Line, Egn (116)

P(x,x)=P(x,y:)+)+

= (x;,y:)+2(-y4,x4)

X=xi+x(-46)=7+0,12(-(-9))=7+0,12×9 X:=7, >=0,12 =8.08

y=y:+xxq=1+x(x4)=1+0.12x8=1+0.9b

Stepb. Find distance, from Egn (12)

dist (Pi, Green) = V (Xi-X)+(7/1-7/2)2 = V (7-8,08)2 (1-1,ab)2

= VI.082+0,462 = VI.1664+0,9216

= 1,445