

MOT-based Lifetime Measurements of Potassium-39 $5p_{1/2}$ and $5p_{3/2}$ states

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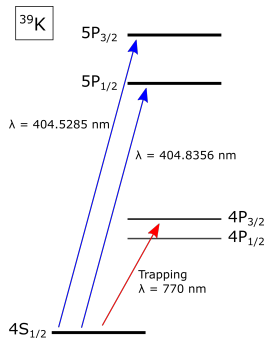
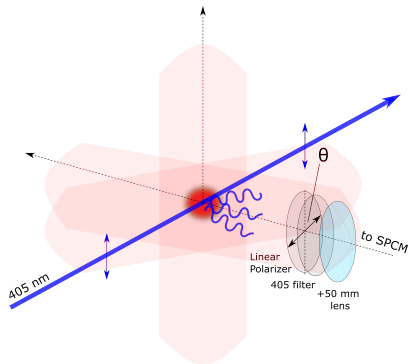
CLAS, April 28, 2021

Why lifetime measurements?

$$\frac{1}{\tau_{fi}} = \frac{4\alpha\omega_0^3}{3c^2} |\langle f | \mathbf{e} \mathbf{r} | i \rangle|^2$$

- Provide empirical data/constants
- Confidence in matrix element calculations for understanding fundamental physics (e.g. parity violation)

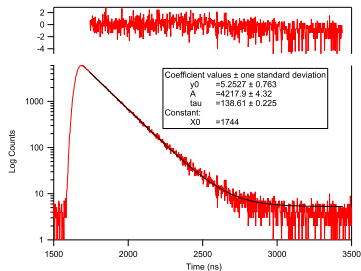
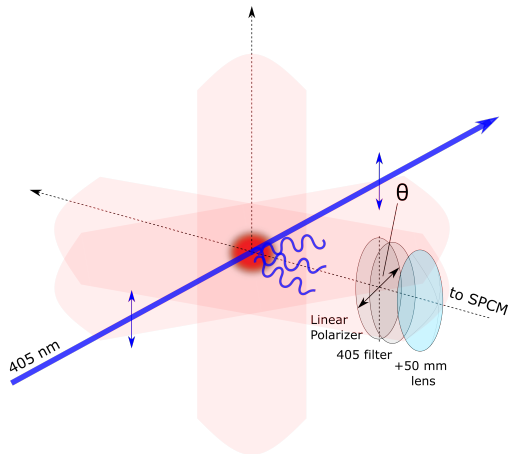
Excite the **MOT** by a (short) 405 nm pulse, and observe fluorescence.



Pulse 405 nm source at 250 kHz.

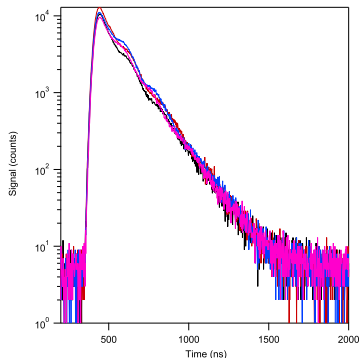
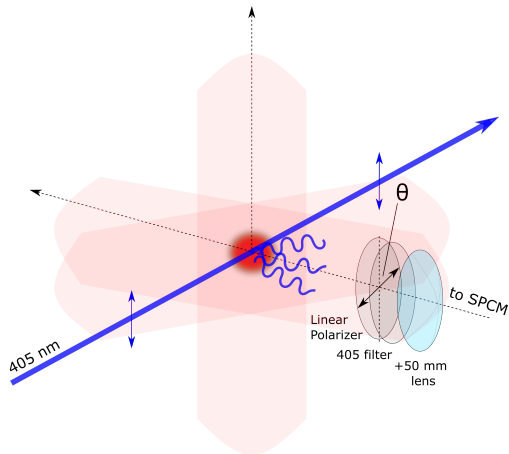
Cloud diameter ~ 1 mm. $T \sim 1$ mK. $N \sim 10^6$ atoms.

Fluorescence should be an exponential decay.



Data fitted with $N = Bkg + A \exp[-(t - t_0)/\tau]$. Residual is normalized.

Fluorescence should be an exponential decay. **Or should it?**



⇒ **Need some understanding of the fluorescence from 5p in K-39**

Theory: Hyperfine Structure

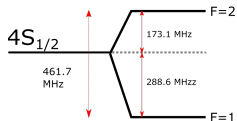
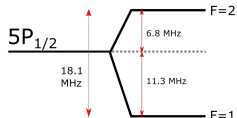
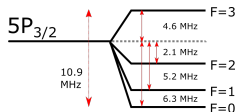
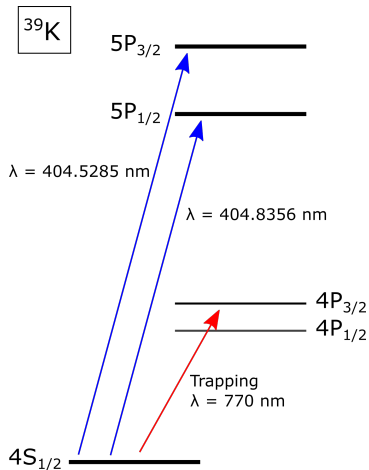
- Fine structure \sim Special relativity + **S**, **L** coupling (+ Darwin)

$$\implies \text{New quantum number: } \mathbf{J} = \mathbf{S} + \mathbf{L}$$

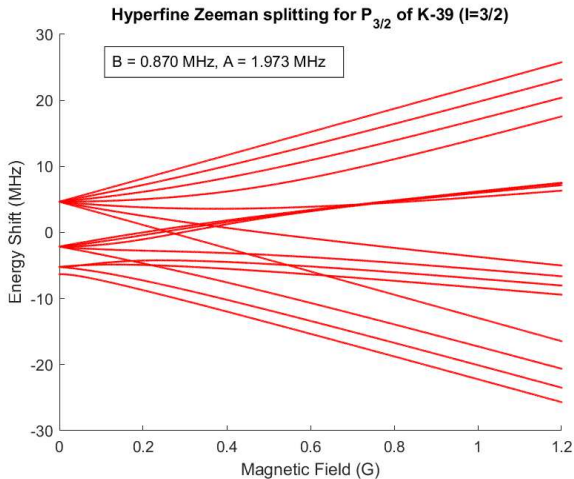
- Hyperfine structure \sim Fine structure + Nuclear spin

$$\implies \text{New quantum number: } \mathbf{F} = \mathbf{J} + \mathbf{I}$$

Theory: Hyperfine Structure



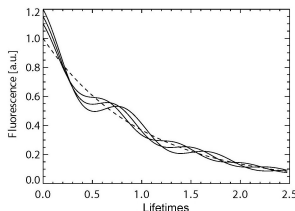
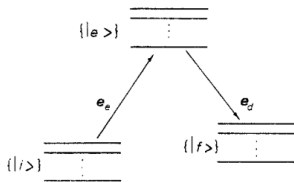
Theory: Zeeman effect



Theory: Quantum beats

“Interference” in fluorescence due to hyperfine sublevels

$$|\psi(t)\rangle = c_i |i\rangle e^{-i\omega_i t} + c_f |f\rangle e^{-i\omega_f t} + c_e |e\rangle e^{-i\omega_e t}$$



The detector sees

$$|E|^2 = (A + B \exp[i(\omega_e - \omega_f)t] + c.c.)e^{-t/\tau}.$$

⇒ **Difficult to extract lifetimes when quantum beats are present**

Theory: Quantum beats

Quantum beats don't always occur.

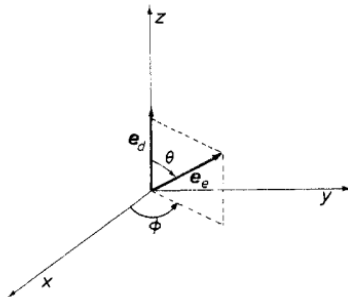
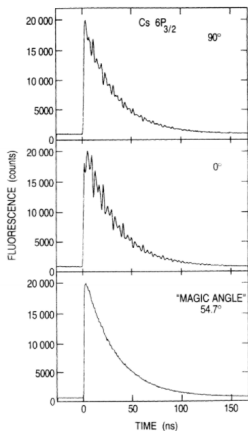
From angular momentum algebra:

- Quantum beats in the $P_{1/2}$ decay: **NO**
 $\implies \tau_{5p_{1/2}}$ is easier to measure
- Quantum beats in the $P_{3/2}$ decay: **YES**
 $\implies \tau_{5p_{3/2}}$ is difficult to measure

Theory: Quantum beats

In some cases, quantum beats can be eliminated.

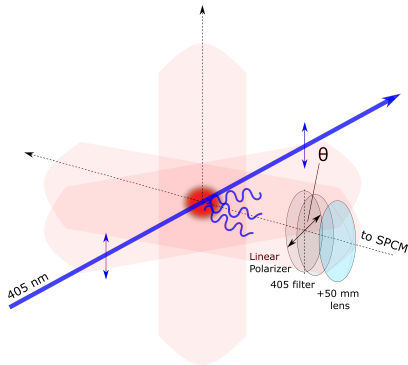
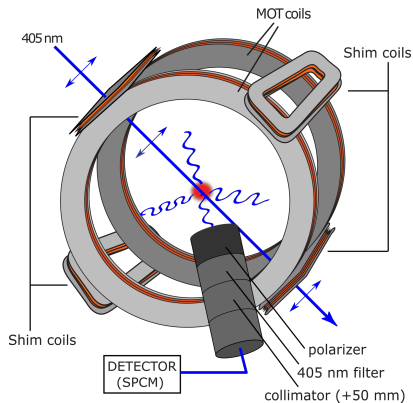
⇒ The **magic angle** solution: $\theta_m = \arccos(1/\sqrt{3}) \approx 54.7^\circ$



- (b) \mathbf{e}_d : detector polarization
 \mathbf{e}_e : excitation polarization

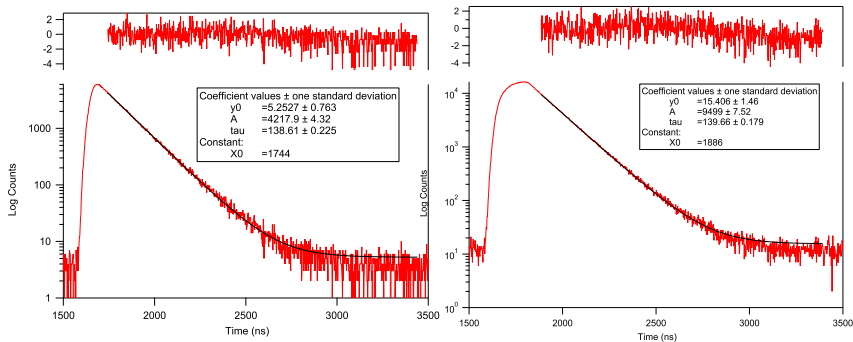
(a) Young et al. PRA 1994

Experiment



The cloud is imaged onto an optical fiber tip.
The detector has QE $\sim 30\%$ at 405 nm.

Nice, beatless, exponential decay since $J = 1/2$



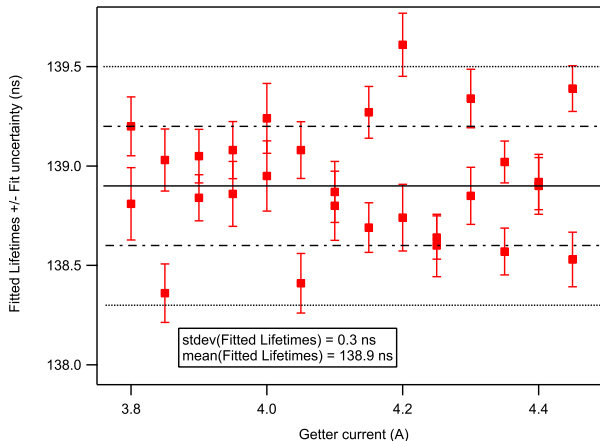
Data: $5P_{1/2}$: Error budget

Source of error	Value (ns)
Timing uncertainty & Nonlinearity	$\pm 0.1\%$
Truncation uncertainty + pulse pile-up	$\pm 0.4\%$
Radiation trapping/rescattering	$\pm 0.2\%$
Other statistical errors	$\pm 0.2\%$
Result	138.9 ± 1.6
Prior result (Mills et al. (2005))	137.6 ± 1.3

\Rightarrow Agreement to within $\pm\sigma$.

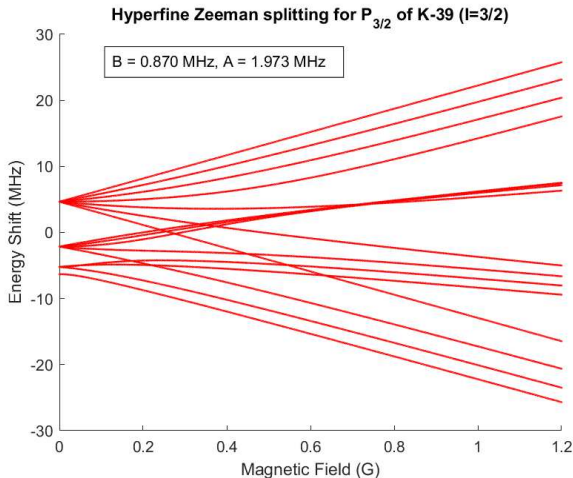
Data: $5P_{1/2}$: Radiation trapping test

Changing the getter current changes the density of the MOT.



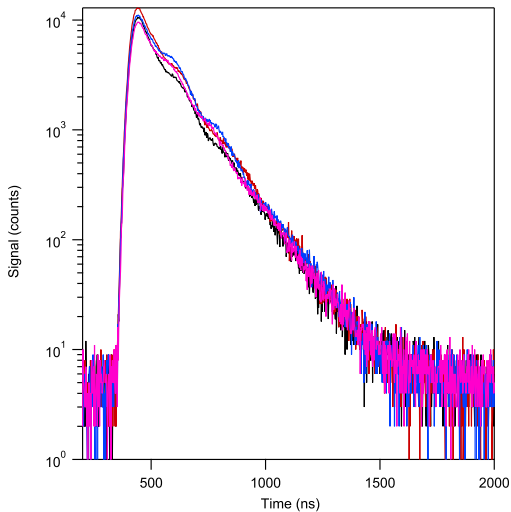
Data: $5P_{3/2}$

The MOT requires a magnetic field gradient ($dB/dr \approx 1$ G/mm)
 \Rightarrow Zeeman effects present & vary across the cloud



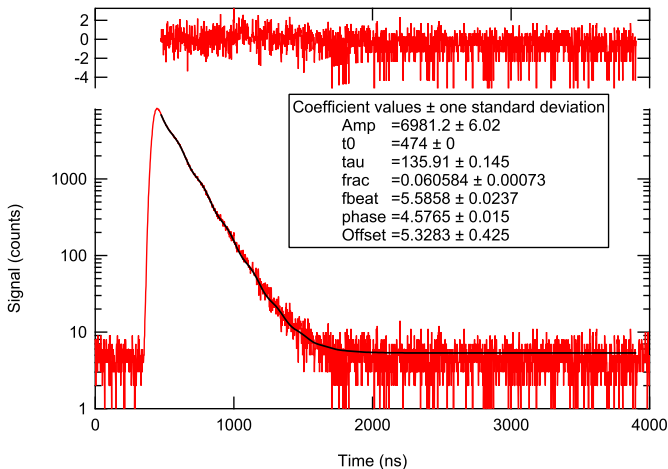
Data: $5P_{3/2}$

Quantum beats observed.

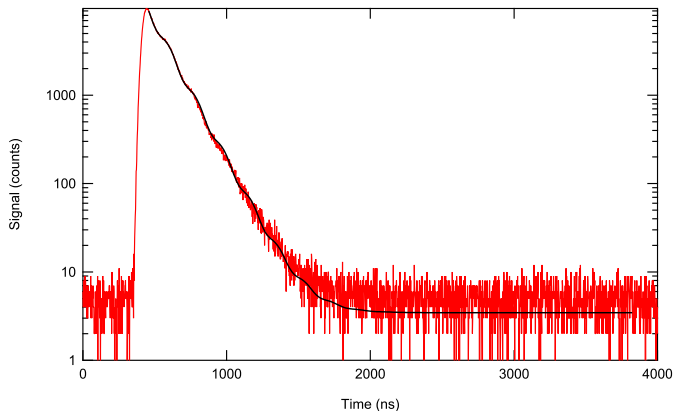


Data: $5P_{3/2}$

The **magic angle** trick does not eliminate beats due to Zeeman effects
 \Rightarrow must null magnetic fields. This is easier said than done!

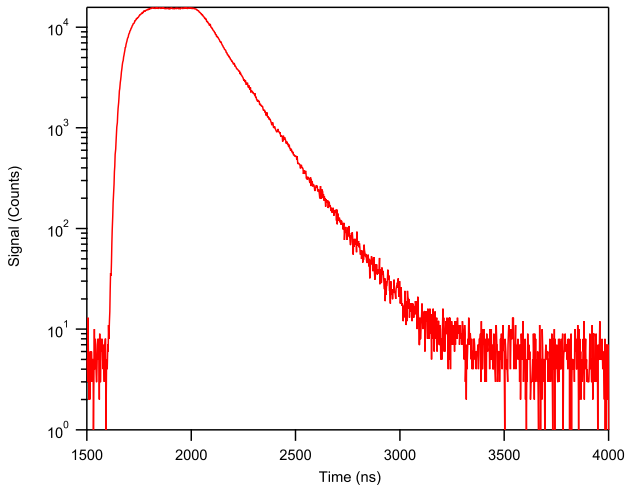


Exciting different parts of the MOT cloud gives different beat amplitudes.



5P_{3/2}: Alternative approaches

Using a long pulse \Rightarrow removes coherence.



5P_{3/2}: Alternative approaches

- Hanle effect (fairly involved)
- Level-crossing (sweeping the magnetic field)
- Work with a vapor cell (many pros and cons)
 - Pros: no B gradient & nulling B is possible
 - Cons: large Doppler width, atomic motion, large radiation trapping