## Naming conventions: HoTT Book vs Agda Cubical.

	In the HoTT Book	In Agda Cubical
Path between	$x =_A y$	$x \equiv y$ (the A is implicit in $\equiv$ )
Action on paths	$\operatorname{ap}_f: x =_A y \to f(x) =_B f(y)$	cong : $(f : A \rightarrow B) \rightarrow x \equiv y \rightarrow f x \equiv f y^1$
Transport	$transport_P: x =_A y \to P(x) \to P(y) \text{ where } P: A \to \mathcal{U}$	subst : $(P : A \rightarrow Type) \rightarrow x \equiv y \rightarrow P \times \rightarrow P y$

¹Works with dependent paths too