) by independence

Exercise 1. Statistical distance

Then

Adv 
$$(x,y) = P_x \left[ A(x) = 1 \right] - P_x \left[ A(y) = 1 \right]$$

$$\frac{\angle \ 2 \times \triangle (A(X), A(Y)) \ \leq 2 \times \triangle (X,Y) = 0}{(Q2a)}$$

$$\Delta(f(x), f(y)) = \frac{1}{2} \sum_{\alpha \in S} |P_n[f(x) = \alpha] - P_n[f(y) = \alpha]|$$

$$= \frac{1}{2} \sum_{k \in f^{-1}(s)} |P_n[x = k] - P_n[y = k]$$

$$\leq \frac{1}{2} \sum_{h \in \Lambda} |P_{\Gamma}[X=h] - P_{\pi}[Y=h]) = \Delta(X, \Psi).$$

Q26. 
$$\Delta[(x,\xi), [4,\xi]) = \frac{1}{2} \sum_{(a,y) \in A \times \mathcal{Z}} [P_{\Gamma}[(x,\xi) = (a,y)] - P_{\Gamma}[(4,\xi) = (a,y)])$$

$$=\frac{1}{2}\sum_{\alpha\in A} \sum_{\beta\in \mathcal{I}} P_{r}[z=\gamma] | P_{r}[x=\alpha] - P_{r}[y=\alpha]|$$

$$=\frac{1}{2}\sum_{\alpha\in A} | P_{r}[x=\alpha] - P_{r}[y=\alpha]| = \Delta(x,y).$$

$$=\frac{1}{2}\sum_{\alpha\in A}|P_r[x=\alpha]-P_r[Y=\alpha]|=\Delta(x,y).$$

Q2c. (Should we define f' and R?)

$$\Delta(f(x), f(y)) = \frac{1}{2} \sum_{\alpha \in S} |P_{\Gamma}[f(x) = \alpha] - P_{\Gamma}[f(y) = \alpha]$$

$$=\frac{1}{2}\sum_{\alpha\in S}\left|P_{\Gamma}\left(\frac{f'(X,R)}{f(X,R)}\right)-P_{\Gamma}\left(\frac{f'(X,R)}{f(X,R)}\right)\right|$$

$$= \Delta(f'(X,R), f'(Y,R))$$

then, as f is deterministic, we have  $\Delta(f'(X,R),f(Y,R)) \in \Delta(x,R),(Y,R) = \Delta(x,Y)$ Q3.  $Adv_{iA}(X,Y) \leq \Delta(A(X),A(Y))$ Qh. △(G(U(30,13°)), U(30,13°)) Exercise 2. About the advantage definition. Q1. c.f. notes Q2. Adv, (A) = Pr[A Expo o] + Pr[A Expo 1] -1) = Pr[d Sipo 1] - Pr[d Expe 1] = Adv, (vt) Exercise 3. A weird distinguish... Q1. Do N samples from Do and N from D1, we will write them a1 ..., an and b2 ..., bN. We define pr:= Pr[H Expi1]. We have that:  $\forall \varepsilon > 0$ ,  $P_{\Gamma}[|\overline{B} - P_{1}| \geqslant \varepsilon) \leq 2 \exp(-2N \varepsilon^{2})$ where  $\overline{B} = \sum_{i=1}^{n} b_i$  and similarly for  $\overline{A}$ . Thus, Pr [ Adv = 2 & + |B - A ] = 1-4 exp(-2NE2). So,  $\Pr[|Adv_{A} - |\overline{B} - \overline{A}|] \leq 2\varepsilon] \geq 1 - 4 \exp(-2N\varepsilon^{2}).$ 

Q2.	Define	M. := Pr.	[H Explo	<u> </u>		
		100				
	Adu (u	A') = p (1-1	10)(py-pg).	t po (1-p1)(	h - h1)	
	P	= (py - p)	(p) (p) - p	1-10+10-	<u>a)</u>	_
		= &!		7- 10-4-01		
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