

## Dataset Description

The Data description is as follows:

1. diagnosis: The diagnosis of breast tissues (1 = malignant, 0 = benign) where malignant denotes that the disease is harmful
2. mean\_radius: mean of distances from center to points on the perimeter
3. mean\_texture: standard deviation of gray-scale values
4. mean\_perimeter: mean size of the core tumor
5. mean\_area: mean area of the core tumor
6. mean\_smoothness: mean of local variation in radius lengths

All feature values are recoded with four significant digits.

```
In [ ]: # This Python 3 environment comes with many helpful analytics Libraries installed
# It is defined by the kaggle/python Docker image: https://github.com/kaggle/docker-python
# For example, here's several helpful packages to load

import numpy as np # Linear algebra
import pandas as pd # data processing, CSV file I/O (e.g. pd.read_csv)
import matplotlib.pyplot as plt
import seaborn as sns

from sklearn.metrics import accuracy_score, precision_score, recall_score, roc_auc_score
from sklearn.metrics import f1_score, confusion_matrix, precision_recall_curve, classification_report
from sklearn.metrics import ConfusionMatrixDisplay

from sklearn.model_selection import train_test_split
```

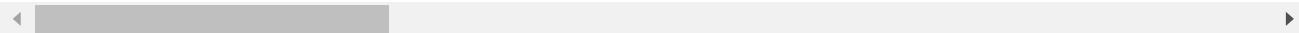
## Carregando o dataset

```
In [ ]: #data = pd.read_csv('Breast_cancer_data.csv')
data = pd.read_csv('data.csv')
data = data.drop('id', axis=1)
data['diagnosis'] = data['diagnosis'].map({'M':1, 'B':0})
data
```

Out[ ]:

	diagnosis	radius_mean	texture_mean	perimeter_mean	area_mean	smoothness_n
<b>0</b>	1	17.99	10.38	122.80	1001.0	0.1
<b>1</b>	1	20.57	17.77	132.90	1326.0	0.0
<b>2</b>	1	19.69	21.25	130.00	1203.0	0.1
<b>3</b>	1	11.42	20.38	77.58	386.1	0.1
<b>4</b>	1	20.29	14.34	135.10	1297.0	0.1
...	...	...	...	...	...	...
<b>564</b>	1	21.56	22.39	142.00	1479.0	0.1
<b>565</b>	1	20.13	28.25	131.20	1261.0	0.0
<b>566</b>	1	16.60	28.08	108.30	858.1	0.0
<b>567</b>	1	20.60	29.33	140.10	1265.0	0.1
<b>568</b>	0	7.76	24.54	47.92	181.0	0.0

569 rows × 31 columns



## Checando se existem valores nulos

In [ ]:

```
## check null entries
data.isnull().sum()
```

```
Out[ ]: diagnosis          0
         radius_mean        0
         texture_mean        0
         perimeter_mean      0
         area_mean           0
         smoothness_mean     0
         compactness_mean    0
         concavity_mean      0
         concave_points_mean 0
         symmetry_mean       0
         fractal_dimension_mean 0
         radius_se            0
         texture_se           0
         perimeter_se         0
         area_se              0
         smoothness_se         0
         compactness_se        0
         concavity_se          0
         concave_points_se    0
         symmetry_se           0
         fractal_dimension_se 0
         radius_worst          0
         texture_worst         0
         perimeter_worst       0
         area_worst            0
         smoothness_worst      0
         compactness_worst     0
         concavity_worst       0
         concave_points_worst 0
         symmetry_worst        0
         fractal_dimension_worst 0
         dtype: int64
```

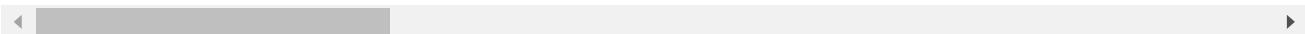
## Removendo ítems duplicados

```
In [ ]: ## remove duplicate entries
data.drop_duplicates(inplace = True)
data
```

Out[ ]:

	diagnosis	radius_mean	texture_mean	perimeter_mean	area_mean	smoothness_n
0	1	17.99	10.38	122.80	1001.0	0.1
1	1	20.57	17.77	132.90	1326.0	0.0
2	1	19.69	21.25	130.00	1203.0	0.1
3	1	11.42	20.38	77.58	386.1	0.1
4	1	20.29	14.34	135.10	1297.0	0.1
...	...	...	...	...	...	...
564	1	21.56	22.39	142.00	1479.0	0.1
565	1	20.13	28.25	131.20	1261.0	0.0
566	1	16.60	28.08	108.30	858.1	0.0
567	1	20.60	29.33	140.10	1265.0	0.1
568	0	7.76	24.54	47.92	181.0	0.0

569 rows × 31 columns



Porque temos Raio, Perímetro e Área como features independentes? Não são features correlacionadas? Vamos investigar!

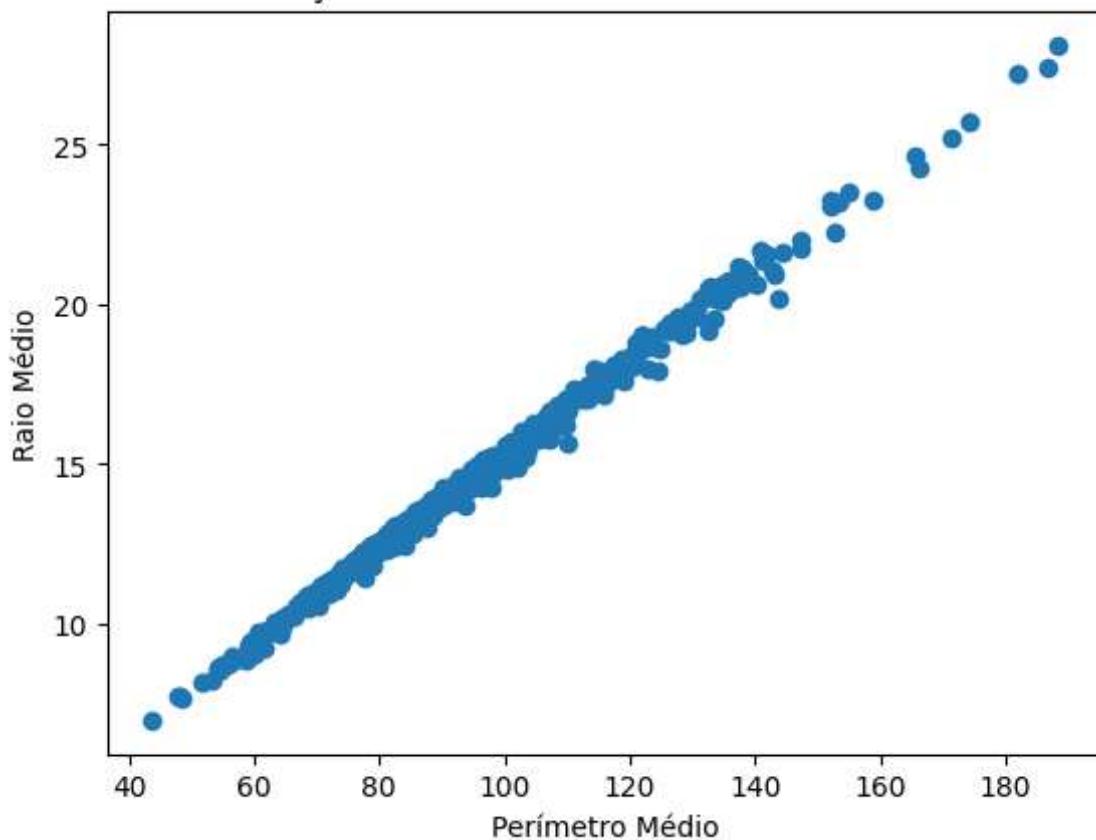
## Perímetro X Raio

```
In [ ]: print(f"Correlação entre o perímetro médio e o raio médio: {data['perimeter_mean'].corr(data['radius_mean'])}")

plt.scatter(data.perimeter_mean, data.radius_mean)
plt.xlabel("Perímetro Médio")
plt.ylabel("Raio Médio")
plt.title("Relação entre Perímetro Médio e Raio Médio")
plt.show()
```

Correlação entre o perímetro médio e o raio médio: 0.9978552814938106

### Relação entre Perímetro Médio e Raio Médio

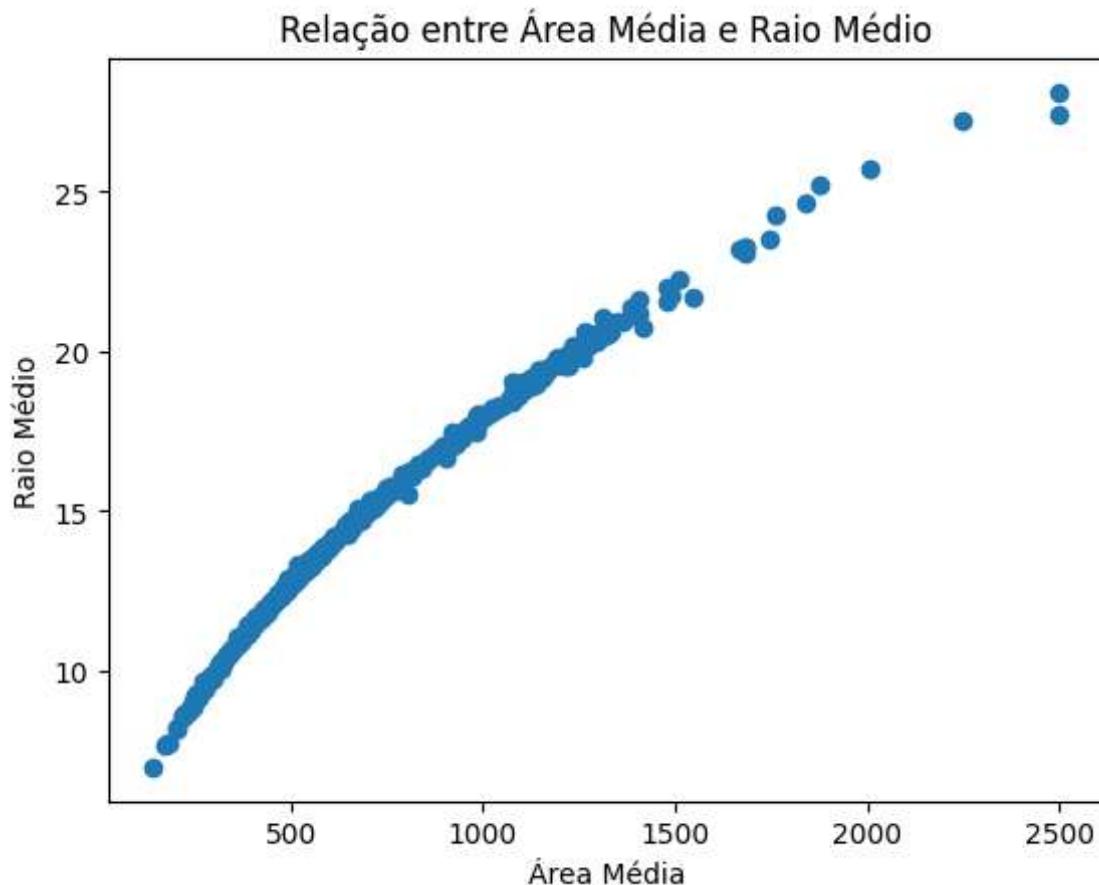


### Área x Raio

```
In [ ]: print(f"Correlação entre o área média e o raio médio: {data['area_mean'].corr(data['radius_mean'])}")

plt.scatter(data.area_mean, data.radius_mean)
plt.xlabel("Área Média")
plt.ylabel("Raio Médio")
plt.title("Relação entre Área Média e Raio Médio")
plt.show()
```

Correlação entre o área média e o raio médio: 0.9873571700566127

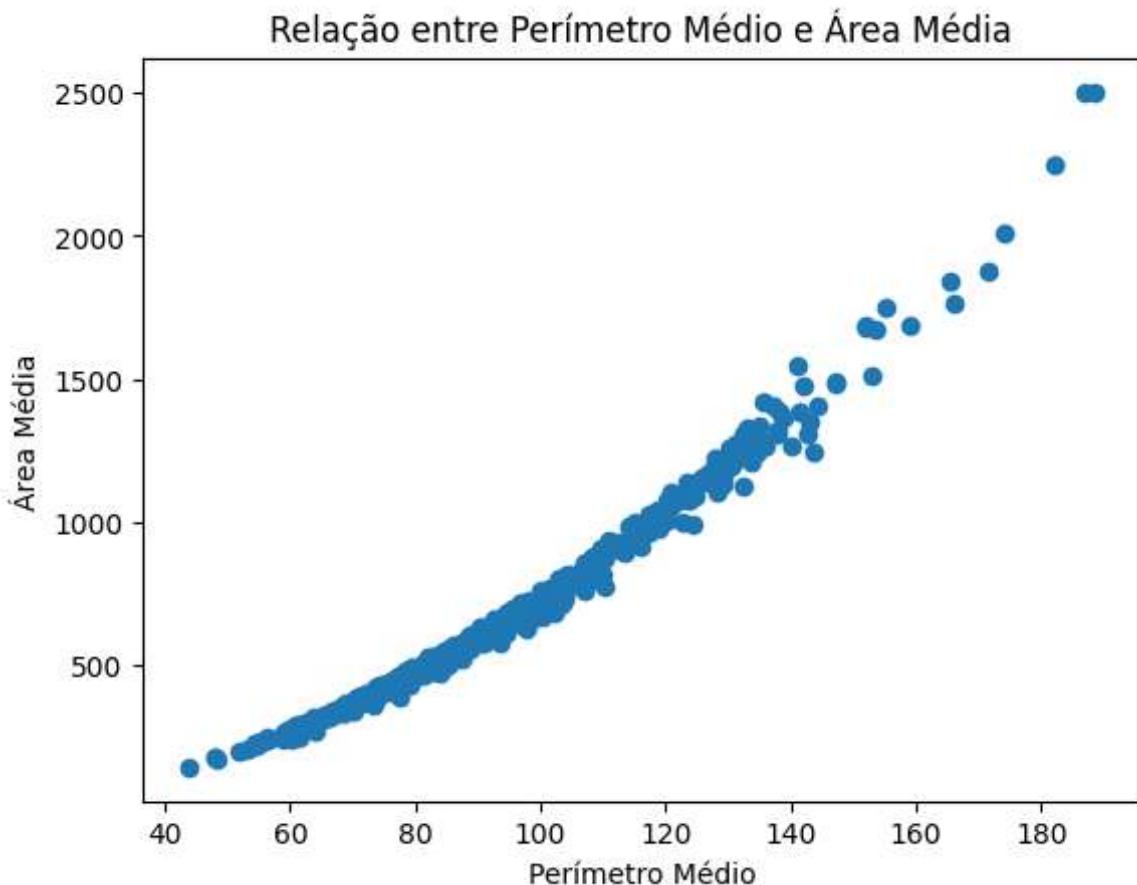


## Perímetro x Área

```
In [ ]: print(f"Correlação entre o perímetro médio e o área média: {data['perimeter_mean']")

plt.scatter(data.perimeter_mean, data.area_mean)
plt.xlabel("Perímetro Médio")
plt.ylabel("Área Média")
plt.title("Relação entre Perímetro Médio e Área Média")
plt.show()
```

Correlação entre o perímetro médio e o área média: 0.9865068039913906



## Vamos então descartar a coluna "Perímetro" e a coluna "Área"

- Estas duas colunas não complementam a variabilidade dos dados e só dificultarão o treinamento do modelo
- Retirando essas colunas nós também retiramos a necessidade de obtê-las para uma inferência futura

```
In [ ]: data.drop(['perimeter_mean'], axis=1, inplace=True)
data.drop(['area_mean'], axis=1, inplace=True)
data
```

Out[ ]:

	diagnosis	radius_mean	texture_mean	smoothness_mean	compactness_mean	con
0	1	17.99	10.38	0.11840	0.27760	
1	1	20.57	17.77	0.08474	0.07864	
2	1	19.69	21.25	0.10960	0.15990	
3	1	11.42	20.38	0.14250	0.28390	
4	1	20.29	14.34	0.10030	0.13280	
...	...	...	...	...	...	...
564	1	21.56	22.39	0.11100	0.11590	
565	1	20.13	28.25	0.09780	0.10340	
566	1	16.60	28.08	0.08455	0.10230	
567	1	20.60	29.33	0.11780	0.27700	
568	0	7.76	24.54	0.05263	0.04362	

569 rows × 29 columns

```
In [ ]: from sklearn.preprocessing import StandardScaler
sc = StandardScaler()
#X_train = sc.fit_transform(X_train)
#X_test = sc.transform(X_test)
```

## Tudo certo! Agora vamos separar os dados de treinamento e de validação

```
In [ ]: from sklearn.model_selection import train_test_split

X = data.iloc[:,1:].values
y = data.iloc[:,0].values

X_train, X_test, y_train, y_test = train_test_split(X, y, train_size=0.8, random_state=42)

print(f"O conjunto de treinamento contém {len(X_train)} ítems e o conjunto de teste contém {len(X_test)} ítems.")
```

O conjunto de treinamento contém 455 ítems e o conjunto de teste contém 114 ítems.

Tudo certo mesmo? Vamos dar uma olhada nos valores médios de cada coluna para tentar entender

```
In [ ]: data.mean()
```

```
Out[ ]: diagnosis          0.372583
radius_mean           14.127292
texture_mean           19.289649
smoothness_mean        0.096360
compactness_mean       0.104341
concavity_mean         0.088799
concave_points_mean   0.048919
symmetry_mean          0.181162
fractal_dimension_mean 0.062798
radius_se               0.405172
texture_se               1.216853
perimeter_se             2.866059
area_se                  40.337079
smoothness_se            0.007041
compactness_se           0.025478
concavity_se              0.031894
concave_points_se        0.011796
symmetry_se                0.020542
fractal_dimension_se      0.003795
radius_worst              16.269190
texture_worst              25.677223
perimeter_worst            107.261213
area_worst                 880.583128
smoothness_worst           0.132369
compactness_worst          0.254265
concavity_worst             0.272188
concave_points_worst        0.114606
symmetry_worst                0.290076
fractal_dimension_worst      0.083946
dtype: float64
```

Vamos realizar uma transformação nos dados para que fiquem com a média próxima de zero e amplitudes mais próximas

```
In [ ]: from sklearn.preprocessing import StandardScaler
sc = StandardScaler()
X_train = sc.fit_transform(X_train)
X_test = sc.transform(X_test)
```

```
In [ ]: pd.DataFrame(X_train, columns = data.columns[1:]).mean()
```

```
Out[ ]: radius_mean           -8.976946e-16
         texture_mean          -3.351654e-15
         smoothness_mean        -1.465128e-15
         compactness_mean       5.317404e-16
         concavity_mean         6.614977e-16
         concave points_mean   4.760539e-16
         symmetry_mean          -5.686782e-15
         fractal_dimension_mean 6.948044e-16
         radius_se               4.904502e-17
         texture_se              5.768280e-16
         perimeter_se            8.107068e-16
         area_se                 1.828818e-16
         smoothness_se            1.791607e-15
         compactness_se           4.155406e-16
         concavity_se             3.255028e-16
         concave points_se       6.022655e-16
         symmetry_se              -1.517711e-16
         fractal_dimension_se    1.345810e-15
         radius_worst             -4.289609e-16
         texture_worst            4.924022e-16
         perimeter_worst          -1.517955e-15
         area_worst                1.324947e-16
         smoothness_worst          5.923375e-15
         compactness_worst         -4.703693e-16
         concavity_worst           -1.369234e-15
         concave points_worst     2.563273e-16
         symmetry_worst            -2.123332e-15
         fractal_dimension_worst  1.992423e-15
         dtype: float64
```

## Agora sim, tudo pronto!

Vamos instanciar as métricas para podermos avaliar os modelos posteriormente. Relembando:

- Acertos
  - "True Positive" (TP): Previsão --> **Maligno** ; Real --> **Maligno**
  - "True Negative" (TN): Previsão --> **Benigno** ; Real --> **Benigno**
- Erros
  - "False Positive" (FP): Previsão --> **Maligno** ; Real --> **Benigno**
  - "False Negative" (FN): Previsão --> **Benigno** ; Real --> **Maligno**

## Métricas:

$$\bullet \text{ Acurácia} = \frac{T_P + T_N}{T_P + T_N + F_P + F_N}$$

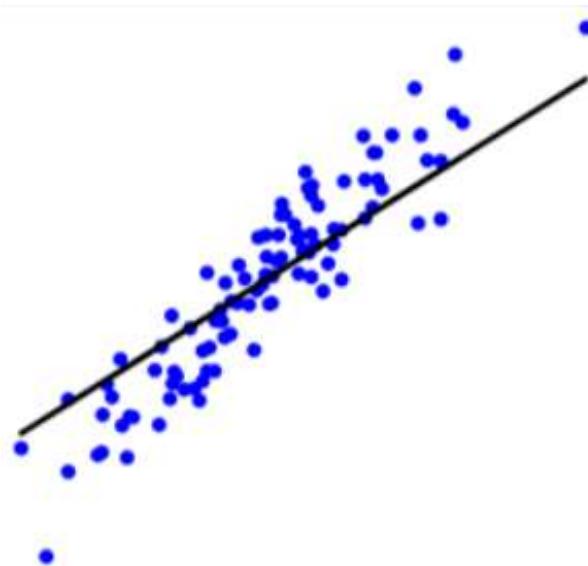
$$\bullet \text{ Recall} = \frac{T_P}{T_P + F_N}$$

$$\bullet \text{ Precisão} = \frac{T_P}{T_P + F_P}$$

$$\bullet \text{ F1 - Score} = \frac{2P_{rec}R_{ec}}{P_{rec}+R_{ec}}$$

```
In [ ]: from sklearn.metrics import confusion_matrix, accuracy_score, recall_score, prec
acc = {}
rec = {}
prec = {}
f1 = {}
```

## Regressão linear



```
In [ ]: # Importando o módulo de regressão Linear
from sklearn.linear_model import LinearRegression

# Treinando o modelo
regr = LinearRegression()
regr.fit(X_train, y_train)

# Prevendo os resultados
y_pred = regr.predict(X_test)
y_pred = [1 if x >= 0.5 else 0 for x in y_pred]

# Analisando a qualidade do modelo
cm = confusion_matrix(y_test, y_pred)

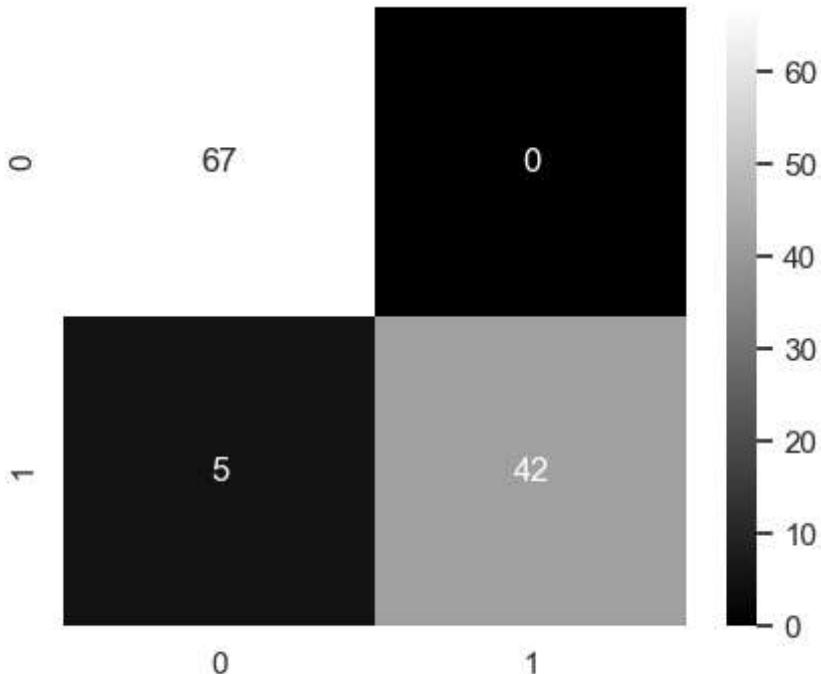
acc['reg_linear'] = accuracy_score(y_test, y_pred)
rec['reg_linear'] = recall_score(y_test, y_pred)
prec['reg_linear'] = precision_score(y_test, y_pred)
f1['reg_linear'] = f1_score(y_test, y_pred)
print(f"Acurácia: {100*acc['reg_linear']} %")
print(f"Recall: {100*rec['reg_linear']} %")
print(f"Precisão: {100*prec['reg_linear']} %")
print(f"F1: {100*f1['reg_linear']} %")

print("\n\nMatriz de confusão:")
plt.figure(figsize=(5,4))
sns.set(font_scale = 1)
```

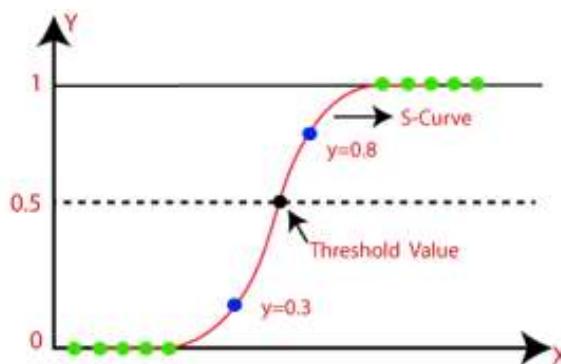
```
sns.set_style("white")
_ = sns.heatmap(cm, cmap = 'gist_yarg_r', annot = True, fmt='d')
```

Acurácia: 95.6140350877193 %  
 Recall: 89.36170212765957 %  
 Precisão: 100.0 %  
 F1: 94.3820224719101 %

Matriz de confusão:



## Regressão logística



```
In [ ]: # Treinando modelo
from sklearn.linear_model import LogisticRegression
classifier = LogisticRegression()
classifier.fit(X_train, y_train)

# Prevendo os resultados
y_pred = classifier.predict(X_test)

# Analisando a qualidade do modelo
cm = confusion_matrix(y_test, y_pred)
```

```

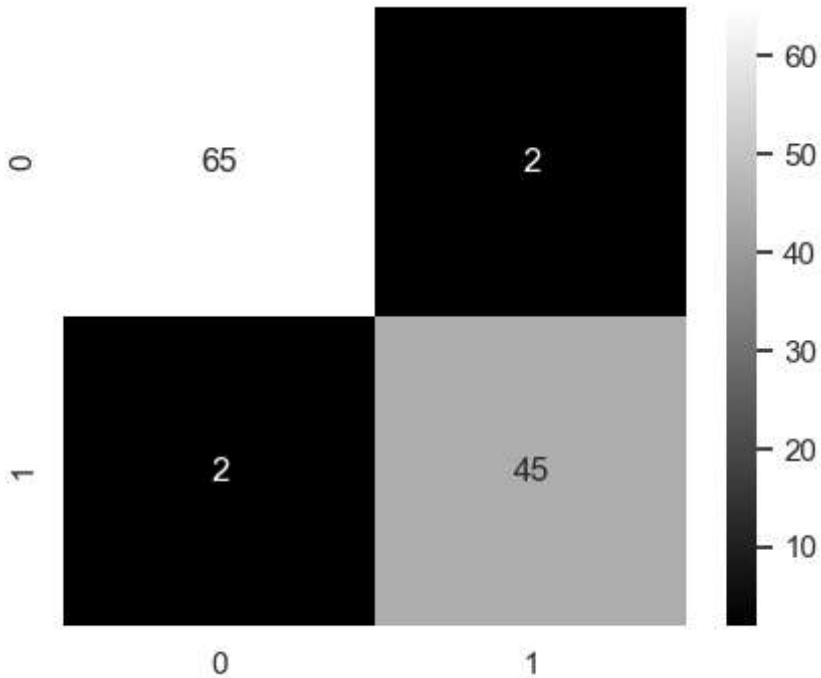
acc['logistic'] = accuracy_score(y_test, y_pred)
rec['logistic'] = recall_score(y_test, y_pred)
prec['logistic'] = precision_score(y_test, y_pred)
f1['logistic'] = f1_score(y_test, y_pred)
print(f"Acurácia: {100*acc['logistic']} %")
print(f"Recall: {100*rec['logistic']} %")
print(f"Precisão: {100*prec['logistic']} %")
print(f"F1: {100*f1['logistic']} %")

print(f"\n\nMatriz de confusão:")
plt.figure(figsize=(5,4))
sns.set(font_scale = 1)
sns.set_style("white")
_ = sns.heatmap(cm, cmap = 'gist_yarg_r', annot = True, fmt='d')

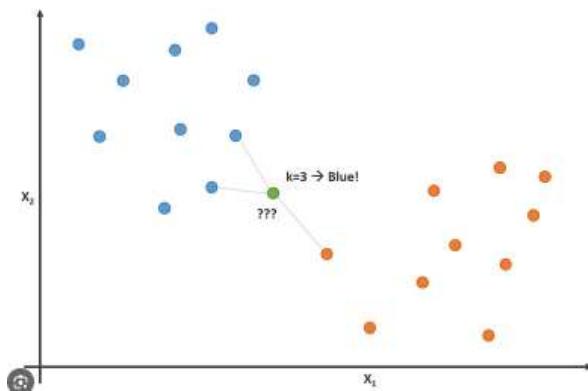
```

Acurácia: 96.49122807017544 %  
 Recall: 95.74468085106383 %  
 Precisão: 95.74468085106383 %  
 F1: 95.74468085106385 %

Matriz de confusão:



## K Neighbors (vizinho mais próximo)



```
In [ ]: # Treinando modelo
from sklearn.neighbors import KNeighborsClassifier
knn = KNeighborsClassifier(n_neighbors = 5)
knn.fit(X_train, y_train)

# Prevendo os resultados
y_pred = knn.predict(X_test)

# Analisando a qualidade do modelo
cm = confusion_matrix(y_test, y_pred)

acc['k_neighbors'] = accuracy_score(y_test, y_pred)
rec['k_neighbors'] = recall_score(y_test, y_pred)
prec['k_neighbors'] = precision_score(y_test, y_pred)
f1['k_neighbors'] = f1_score(y_test, y_pred)
print(f"Acurácia: {100* acc['k_neighbors']} %")
print(f"Recall: {100* rec['k_neighbors']} %")
print(f"Precisão: {100* prec['k_neighbors']} %")
print(f"F1: {100* f1['k_neighbors']} %")

print(f"\n\nMatriz de confusão:")
plt.figure(figsize=(5,4))
sns.set(font_scale = 1)
sns.set_style("white")
_ = sns.heatmap(cm, cmap = 'gist_yarg_r', annot = True, fmt='d')
```

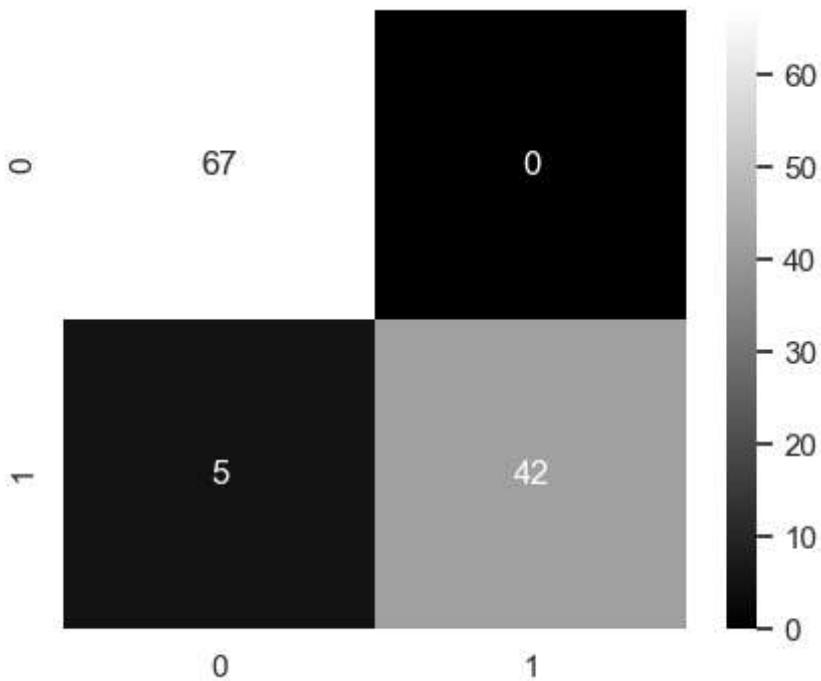
Acurácia: 95.6140350877193 %

Recall: 89.36170212765957 %

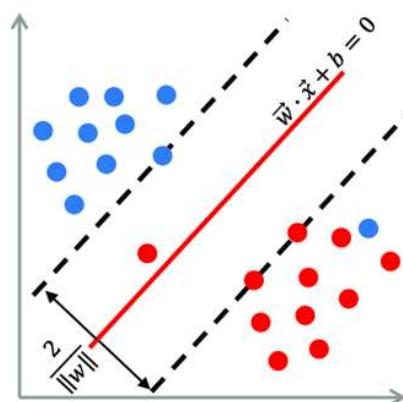
Precisão: 100.0 %

F1: 94.3820224719101 %

Matriz de confusão:



## Linear SVM



```
In [ ]: # Treinando modelo
from sklearn.svm import SVC
svm = SVC(kernel = 'linear')
svm.fit(X_train, y_train)

# Prevendo os resultados
y_pred = svm.predict(X_test)

# Analisando a qualidade do modelo
cm = confusion_matrix(y_test, y_pred)

acc['SVM_linear'] = accuracy_score(y_test, y_pred)
rec['SVM_linear'] = recall_score(y_test, y_pred)
prec['SVM_linear'] = precision_score(y_test, y_pred)
f1['SVM_linear'] = f1_score(y_test, y_pred)
print(f"Acurácia: {100*acc['SVM_linear']} %")
print(f"Recall: {100*rec['SVM_linear']} %")
print(f"Precisão: {100*prec['SVM_linear']} %")
print(f"F1: {100*f1['SVM_linear']} %")
```

```

print(f"\n\nMatriz de confusão:")
plt.figure(figsize=(5,4))
sns.set(font_scale = 1)
sns.set_style("white")
_ = sns.heatmap(cm, cmap = 'gist_yarg_r', annot = True, fmt='d')

```

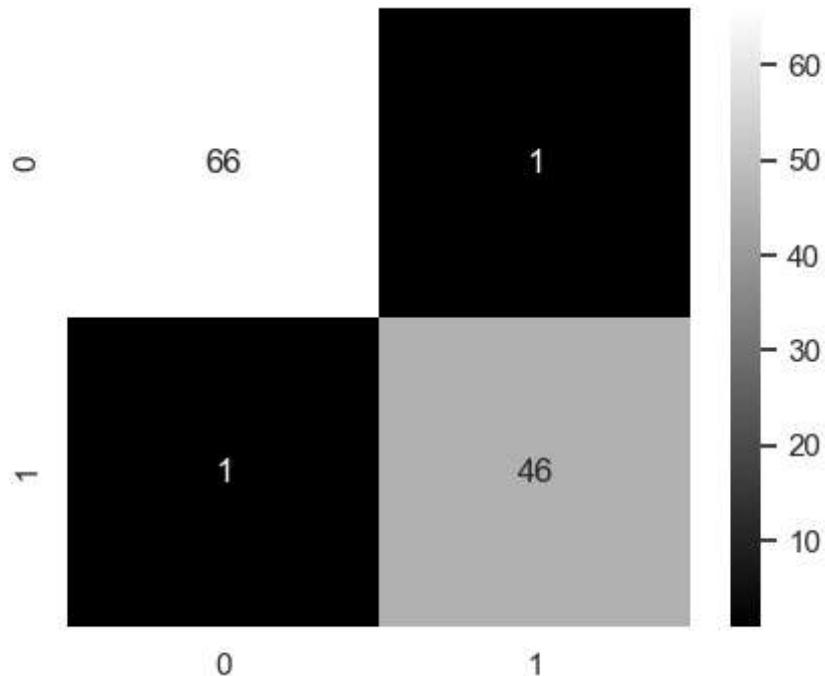
Acurácia: 98.24561403508771 %

Recall: 97.87234042553192 %

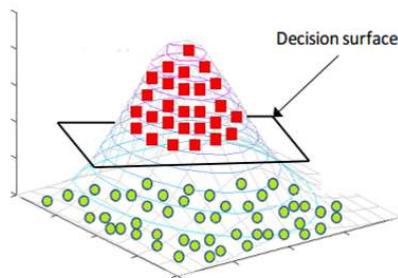
Precisão: 97.87234042553192 %

F1: 97.87234042553192 %

Matriz de confusão:



## Kernal SVM



```

In [ ]: # Treinando modelo
from sklearn.svm import SVC
kernel_svm = SVC(kernel = 'rbf')
kernel_svm.fit(X_train, y_train)

# Prevendo os resultados
y_pred = kernel_svm.predict(X_test)

```

```
# Analisando a qualidade do modelo
cm = confusion_matrix(y_test, y_pred)

acc['SVM_kernal'] = accuracy_score(y_test, y_pred)
rec['SVM_kernal'] = recall_score(y_test, y_pred)
prec['SVM_kernal'] = precision_score(y_test, y_pred)
f1['SVM_kernal'] = f1_score(y_test, y_pred)
print(f"Acurácia: {100*acc['SVM_kernal']} %")
print(f"Recall: {100*rec['SVM_kernal']} %")
print(f"Precisão: {100*prec['SVM_kernal']} %")
print(f"F1: {100*f1['SVM_kernal']} %")

print(f"\n\nMatriz de confusão:")
plt.figure(figsize=(5,4))
sns.set(font_scale = 1)
sns.set_style("white")
_ = sns.heatmap(cm, cmap = 'gist_yarg_r', annot = True, fmt='d')
```

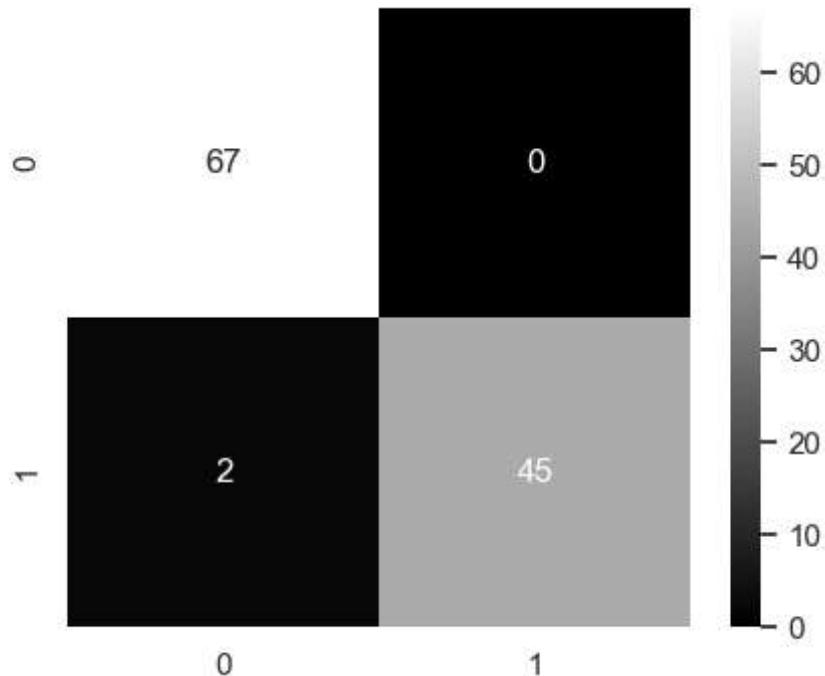
Acurácia: 98.24561403508771 %

Recall: 95.74468085106383 %

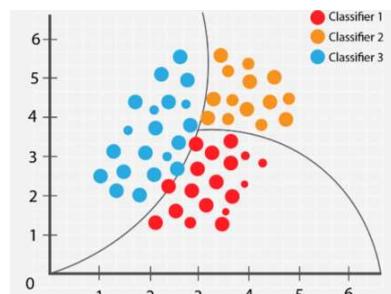
Precisão: 100.0 %

F1: 97.82608695652173 %

Matriz de confusão:



## Naive Bayes (Redes Bayesianas)



```
In [ ]: # Treinando modelo
from sklearn.naive_bayes import GaussianNB
gnb = GaussianNB()
gnb.fit(X_train, y_train)

# Prevendo os resultados
y_pred = gnb.predict(X_test)

# Analisando a qualidade do modelo
cm = confusion_matrix(y_test, y_pred)

acc['naive_bayes'] = accuracy_score(y_test, y_pred)
rec['naive_bayes'] = recall_score(y_test, y_pred)
prec['naive_bayes'] = precision_score(y_test, y_pred)
f1['naive_bayes'] = f1_score(y_test, y_pred)
print(f"Acurácia: {100*acc['naive_bayes']} %")
print(f"Recall: {100*rec['naive_bayes']} %")
print(f"Precisão: {100*prec['naive_bayes']} %")
print(f"F1: {100*f1['naive_bayes']} %")

print(f"\n\nMatriz de confusão:")
plt.figure(figsize=(5,4))
sns.set(font_scale = 1)
sns.set_style("white")
_ = sns.heatmap(cm, cmap = 'gist_yarg_r', annot = True, fmt='d')
```

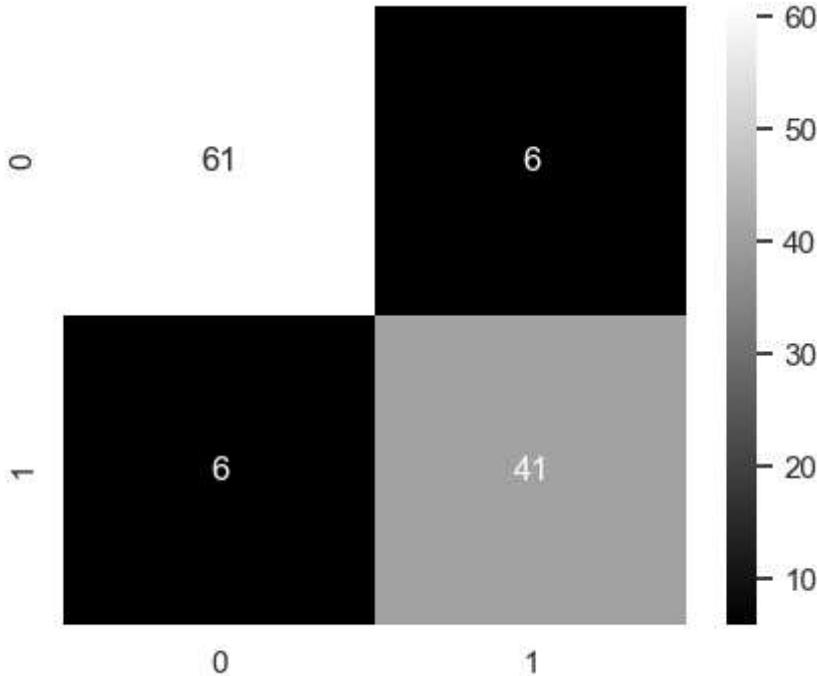
Acurácia: 89.47368421052632 %

Recall: 87.2340425531915 %

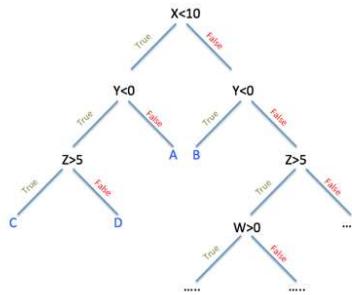
Precisão: 87.2340425531915 %

F1: 87.2340425531915 %

Matriz de confusão:



# Decision Tree Classifier (árvore de decisão)



```
In [ ]: # Treinando modelo
from sklearn.tree import DecisionTreeClassifier
dtc = DecisionTreeClassifier()
dtc.fit(X_train, y_train)

# Prevendo os resultados
y_pred = dtc.predict(X_test)

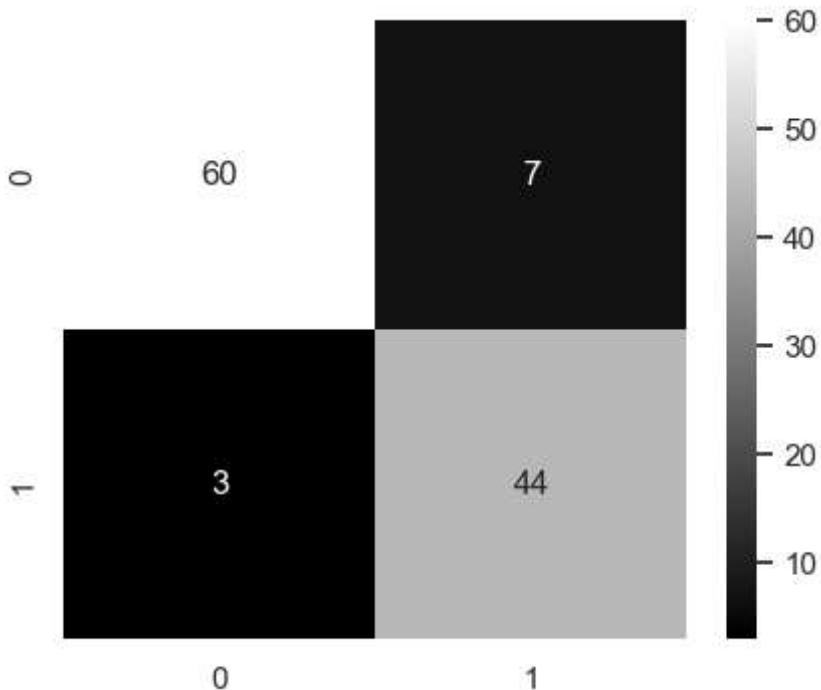
# Analisando a qualidade do modelo
cm = confusion_matrix(y_test, y_pred)

acc['tree'] = accuracy_score(y_test, y_pred)
rec['tree'] = recall_score(y_test, y_pred)
prec['tree'] = precision_score(y_test, y_pred)
f1['tree'] = f1_score(y_test, y_pred)
print(f"Acurácia: {100*acc['tree']} %")
print(f"Recall: {100*rec['tree']} %")
print(f"Precisão: {100*prec['tree']} %")
print(f"F1: {100*f1['tree']} %")

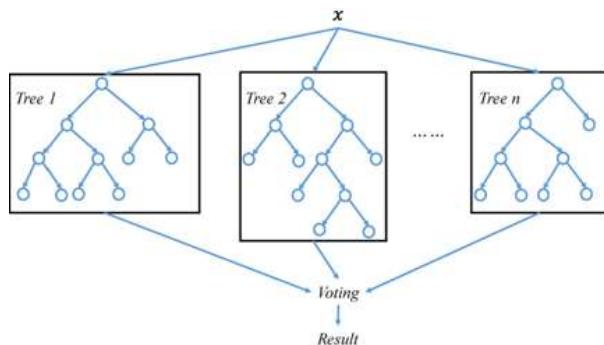
print("\n\nMatriz de confusão:")
plt.figure(figsize=(5,4))
sns.set(font_scale = 1)
sns.set_style("white")
_ = sns.heatmap(cm, cmap = 'gist_yarg_r', annot = True, fmt='d')
```

Acurácia: 91.22807017543859 %  
 Recall: 93.61702127659575 %  
 Precisão: 86.27450980392157 %  
 F1: 89.79591836734694 %

Matriz de confusão:



## Random Forest



```
In [ ]: # Treinando modelo
from sklearn.ensemble import RandomForestClassifier
rfc = RandomForestClassifier(n_estimators = 10, criterion = 'entropy')
rfc.fit(X_train, y_train)

# Prevendo os resultados
y_pred = rfc.predict(X_test)

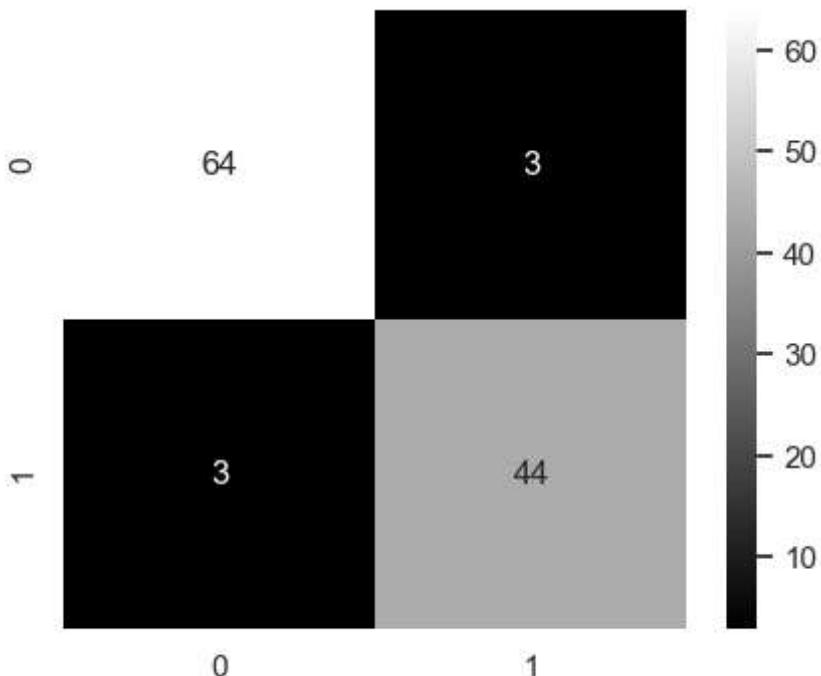
# Analisando a qualidade do modelo
cm = confusion_matrix(y_test, y_pred)

acc['random_forest'] = accuracy_score(y_test, y_pred)
rec['random_forest'] = recall_score(y_test, y_pred)
prec['random_forest'] = precision_score(y_test, y_pred)
f1['random_forest'] = f1_score(y_test, y_pred)
print(f"Acurácia: {100*acc['random_forest']} %")
print(f"Recall: {100*rec['random_forest']} %")
print(f"Precisão: {100*prec['random_forest']} %")
print(f"F1: {100*f1['random_forest']} %")
```

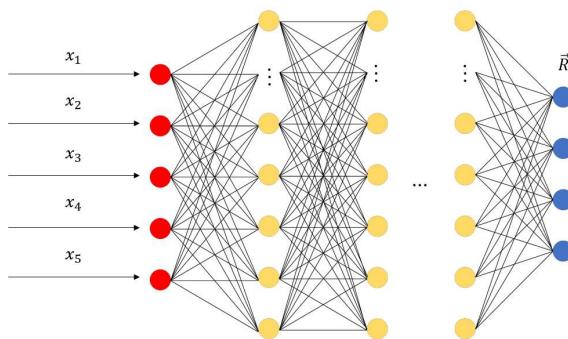
```
print(f"\n\nMatriz de confusão:")
plt.figure(figsize=(5,4))
sns.set(font_scale = 1)
sns.set_style("white")
_ = sns.heatmap(cm, cmap = 'gist_yarg_r', annot = True, fmt='d')
```

Acurácia: 94.73684210526315 %  
 Recall: 93.61702127659575 %  
 Precisão: 93.61702127659575 %  
 F1: 93.61702127659575 %

Matriz de confusão:



## Artificial Neural Network (ANN)



```
In [ ]: # Importando módulos
import tensorflow as tf
import keras
from keras.layers import Dense, Dropout
from keras.models import Sequential

# Criando modelo
model = Sequential()
model.add(Dense(units = 3, activation = 'relu'))
```

```
model.add(Dropout(0.25))
model.add(Dense(units = 3, activation = 'relu'))
model.add(Dropout(0.25))
model.add(Dense(units = 1, activation = 'sigmoid'))

# Compilando modelo
model.compile(optimizer = 'adam', loss = 'binary_crossentropy', metrics = ['accu
```

```
In [ ]: # Treinando o modelo
from keras.callbacks import EarlyStopping
early_stop = EarlyStopping(monitor='val_loss', patience=5, verbose=1)
deep_history = model.fit(X_train, y_train, epochs=100, batch_size = 32, validation_d
```

```
model_path = 'modelo.h5'
model.save(model_path)
```

```
model_weights_path= 'modelo_weights.h5'
model.save_weights(model_weights_path)
```

Epoch 1/100  
15/15 [=====] - 1s 11ms/step - loss: 0.7002 - accuracy: 0.5077 - val\_loss: 0.6850 - val\_accuracy: 0.5351  
Epoch 2/100  
15/15 [=====] - 0s 3ms/step - loss: 0.7005 - accuracy: 0.5275 - val\_loss: 0.6731 - val\_accuracy: 0.7456  
Epoch 3/100  
15/15 [=====] - 0s 3ms/step - loss: 0.6906 - accuracy: 0.6527 - val\_loss: 0.6639 - val\_accuracy: 0.7982  
Epoch 4/100  
15/15 [=====] - 0s 3ms/step - loss: 0.6833 - accuracy: 0.6857 - val\_loss: 0.6557 - val\_accuracy: 0.8070  
Epoch 5/100  
15/15 [=====] - 0s 3ms/step - loss: 0.6560 - accuracy: 0.7407 - val\_loss: 0.6454 - val\_accuracy: 0.8246  
Epoch 6/100  
15/15 [=====] - 0s 3ms/step - loss: 0.6582 - accuracy: 0.7209 - val\_loss: 0.6323 - val\_accuracy: 0.8509  
Epoch 7/100  
15/15 [=====] - 0s 3ms/step - loss: 0.6458 - accuracy: 0.7604 - val\_loss: 0.6195 - val\_accuracy: 0.8596  
Epoch 8/100  
15/15 [=====] - 0s 3ms/step - loss: 0.6207 - accuracy: 0.7626 - val\_loss: 0.6035 - val\_accuracy: 0.8684  
Epoch 9/100  
15/15 [=====] - 0s 3ms/step - loss: 0.6140 - accuracy: 0.7714 - val\_loss: 0.5855 - val\_accuracy: 0.8860  
Epoch 10/100  
15/15 [=====] - 0s 3ms/step - loss: 0.6079 - accuracy: 0.7890 - val\_loss: 0.5702 - val\_accuracy: 0.9035  
Epoch 11/100  
15/15 [=====] - 0s 3ms/step - loss: 0.5905 - accuracy: 0.7824 - val\_loss: 0.5537 - val\_accuracy: 0.9035  
Epoch 12/100  
15/15 [=====] - 0s 3ms/step - loss: 0.5761 - accuracy: 0.8066 - val\_loss: 0.5362 - val\_accuracy: 0.9035  
Epoch 13/100  
15/15 [=====] - 0s 3ms/step - loss: 0.5608 - accuracy: 0.7956 - val\_loss: 0.5178 - val\_accuracy: 0.9123  
Epoch 14/100  
15/15 [=====] - 0s 3ms/step - loss: 0.5371 - accuracy: 0.8110 - val\_loss: 0.4984 - val\_accuracy: 0.9211  
Epoch 15/100  
15/15 [=====] - 0s 3ms/step - loss: 0.5364 - accuracy: 0.8066 - val\_loss: 0.4785 - val\_accuracy: 0.9298  
Epoch 16/100  
15/15 [=====] - 0s 3ms/step - loss: 0.5090 - accuracy: 0.8220 - val\_loss: 0.4589 - val\_accuracy: 0.9298  
Epoch 17/100  
15/15 [=====] - 0s 3ms/step - loss: 0.5099 - accuracy: 0.8088 - val\_loss: 0.4429 - val\_accuracy: 0.9211  
Epoch 18/100  
15/15 [=====] - 0s 3ms/step - loss: 0.4923 - accuracy: 0.8264 - val\_loss: 0.4243 - val\_accuracy: 0.9298  
Epoch 19/100  
15/15 [=====] - 0s 3ms/step - loss: 0.4697 - accuracy: 0.8308 - val\_loss: 0.4050 - val\_accuracy: 0.9298  
Epoch 20/100  
15/15 [=====] - 0s 3ms/step - loss: 0.4525 - accuracy: 0.8440 - val\_loss: 0.3851 - val\_accuracy: 0.9298

Epoch 21/100  
15/15 [=====] - 0s 3ms/step - loss: 0.4286 - accuracy: 0.8571 - val\_loss: 0.3666 - val\_accuracy: 0.9298  
Epoch 22/100  
15/15 [=====] - 0s 3ms/step - loss: 0.4283 - accuracy: 0.8110 - val\_loss: 0.3479 - val\_accuracy: 0.9474  
Epoch 23/100  
15/15 [=====] - 0s 3ms/step - loss: 0.4255 - accuracy: 0.8286 - val\_loss: 0.3320 - val\_accuracy: 0.9561  
Epoch 24/100  
15/15 [=====] - 0s 3ms/step - loss: 0.4056 - accuracy: 0.8571 - val\_loss: 0.3178 - val\_accuracy: 0.9561  
Epoch 25/100  
15/15 [=====] - 0s 3ms/step - loss: 0.4061 - accuracy: 0.8352 - val\_loss: 0.3041 - val\_accuracy: 0.9561  
Epoch 26/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3752 - accuracy: 0.8527 - val\_loss: 0.2889 - val\_accuracy: 0.9474  
Epoch 27/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3705 - accuracy: 0.8637 - val\_loss: 0.2749 - val\_accuracy: 0.9474  
Epoch 28/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3874 - accuracy: 0.8242 - val\_loss: 0.2630 - val\_accuracy: 0.9474  
Epoch 29/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3762 - accuracy: 0.8396 - val\_loss: 0.2529 - val\_accuracy: 0.9474  
Epoch 30/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3765 - accuracy: 0.8374 - val\_loss: 0.2447 - val\_accuracy: 0.9474  
Epoch 31/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3399 - accuracy: 0.8549 - val\_loss: 0.2363 - val\_accuracy: 0.9561  
Epoch 32/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3309 - accuracy: 0.8681 - val\_loss: 0.2289 - val\_accuracy: 0.9561  
Epoch 33/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3102 - accuracy: 0.8505 - val\_loss: 0.2196 - val\_accuracy: 0.9561  
Epoch 34/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3373 - accuracy: 0.8440 - val\_loss: 0.2121 - val\_accuracy: 0.9561  
Epoch 35/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3421 - accuracy: 0.8637 - val\_loss: 0.2044 - val\_accuracy: 0.9561  
Epoch 36/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3292 - accuracy: 0.8571 - val\_loss: 0.1976 - val\_accuracy: 0.9561  
Epoch 37/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3310 - accuracy: 0.8484 - val\_loss: 0.1923 - val\_accuracy: 0.9561  
Epoch 38/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3336 - accuracy: 0.8615 - val\_loss: 0.1867 - val\_accuracy: 0.9561  
Epoch 39/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3256 - accuracy: 0.8571 - val\_loss: 0.1808 - val\_accuracy: 0.9561  
Epoch 40/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3316 - accuracy: 0.8615 - val\_loss: 0.1756 - val\_accuracy: 0.9561

Epoch 41/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3010 - accuracy: 0.8813 - val\_loss: 0.1715 - val\_accuracy: 0.9561  
Epoch 42/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3289 - accuracy: 0.8593 - val\_loss: 0.1671 - val\_accuracy: 0.9561  
Epoch 43/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2980 - accuracy: 0.8681 - val\_loss: 0.1620 - val\_accuracy: 0.9561  
Epoch 44/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3068 - accuracy: 0.8659 - val\_loss: 0.1585 - val\_accuracy: 0.9561  
Epoch 45/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3082 - accuracy: 0.8505 - val\_loss: 0.1545 - val\_accuracy: 0.9649  
Epoch 46/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3050 - accuracy: 0.8615 - val\_loss: 0.1505 - val\_accuracy: 0.9649  
Epoch 47/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3019 - accuracy: 0.8725 - val\_loss: 0.1475 - val\_accuracy: 0.9649  
Epoch 48/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3152 - accuracy: 0.8593 - val\_loss: 0.1438 - val\_accuracy: 0.9649  
Epoch 49/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2837 - accuracy: 0.8769 - val\_loss: 0.1400 - val\_accuracy: 0.9649  
Epoch 50/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3045 - accuracy: 0.8747 - val\_loss: 0.1372 - val\_accuracy: 0.9649  
Epoch 51/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2789 - accuracy: 0.8945 - val\_loss: 0.1340 - val\_accuracy: 0.9649  
Epoch 52/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3008 - accuracy: 0.8747 - val\_loss: 0.1312 - val\_accuracy: 0.9649  
Epoch 53/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2723 - accuracy: 0.8879 - val\_loss: 0.1287 - val\_accuracy: 0.9649  
Epoch 54/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2895 - accuracy: 0.8681 - val\_loss: 0.1258 - val\_accuracy: 0.9649  
Epoch 55/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2837 - accuracy: 0.8725 - val\_loss: 0.1234 - val\_accuracy: 0.9737  
Epoch 56/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3039 - accuracy: 0.8571 - val\_loss: 0.1214 - val\_accuracy: 0.9737  
Epoch 57/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2847 - accuracy: 0.8681 - val\_loss: 0.1199 - val\_accuracy: 0.9737  
Epoch 58/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2973 - accuracy: 0.8593 - val\_loss: 0.1177 - val\_accuracy: 0.9737  
Epoch 59/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2741 - accuracy: 0.8725 - val\_loss: 0.1169 - val\_accuracy: 0.9737  
Epoch 60/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2865 - accuracy: 0.8637 - val\_loss: 0.1151 - val\_accuracy: 0.9737

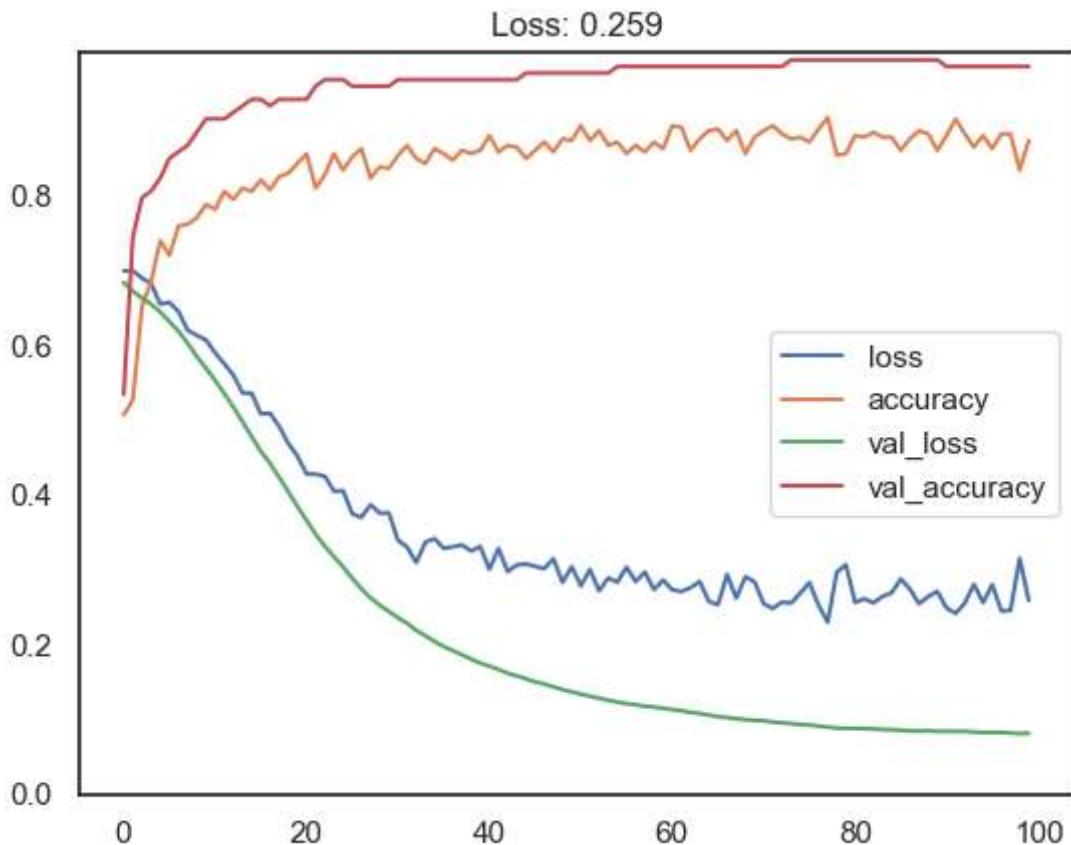
Epoch 61/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2736 - accuracy: 0.8945 - val\_loss: 0.1133 - val\_accuracy: 0.9737  
Epoch 62/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2713 - accuracy: 0.8923 - val\_loss: 0.1118 - val\_accuracy: 0.9737  
Epoch 63/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2764 - accuracy: 0.8615 - val\_loss: 0.1095 - val\_accuracy: 0.9737  
Epoch 64/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2847 - accuracy: 0.8769 - val\_loss: 0.1082 - val\_accuracy: 0.9737  
Epoch 65/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2582 - accuracy: 0.8879 - val\_loss: 0.1060 - val\_accuracy: 0.9737  
Epoch 66/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2536 - accuracy: 0.8901 - val\_loss: 0.1039 - val\_accuracy: 0.9737  
Epoch 67/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2941 - accuracy: 0.8747 - val\_loss: 0.1028 - val\_accuracy: 0.9737  
Epoch 68/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2625 - accuracy: 0.8879 - val\_loss: 0.1011 - val\_accuracy: 0.9737  
Epoch 69/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2911 - accuracy: 0.8571 - val\_loss: 0.0998 - val\_accuracy: 0.9737  
Epoch 70/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2843 - accuracy: 0.8791 - val\_loss: 0.0991 - val\_accuracy: 0.9737  
Epoch 71/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2550 - accuracy: 0.8879 - val\_loss: 0.0984 - val\_accuracy: 0.9737  
Epoch 72/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2486 - accuracy: 0.8945 - val\_loss: 0.0967 - val\_accuracy: 0.9737  
Epoch 73/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2570 - accuracy: 0.8835 - val\_loss: 0.0955 - val\_accuracy: 0.9737  
Epoch 74/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2559 - accuracy: 0.8769 - val\_loss: 0.0948 - val\_accuracy: 0.9825  
Epoch 75/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2690 - accuracy: 0.8791 - val\_loss: 0.0934 - val\_accuracy: 0.9825  
Epoch 76/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2833 - accuracy: 0.8725 - val\_loss: 0.0928 - val\_accuracy: 0.9825  
Epoch 77/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2531 - accuracy: 0.8901 - val\_loss: 0.0914 - val\_accuracy: 0.9825  
Epoch 78/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2303 - accuracy: 0.9055 - val\_loss: 0.0901 - val\_accuracy: 0.9825  
Epoch 79/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2971 - accuracy: 0.8549 - val\_loss: 0.0886 - val\_accuracy: 0.9825  
Epoch 80/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3072 - accuracy: 0.8571 - val\_loss: 0.0884 - val\_accuracy: 0.9825

Epoch 81/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2567 - accuracy: 0.8813 - val\_loss: 0.0883 - val\_accuracy: 0.9825  
Epoch 82/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2617 - accuracy: 0.8791 - val\_loss: 0.0879 - val\_accuracy: 0.9825  
Epoch 83/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2561 - accuracy: 0.8857 - val\_loss: 0.0875 - val\_accuracy: 0.9825  
Epoch 84/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2649 - accuracy: 0.8791 - val\_loss: 0.0867 - val\_accuracy: 0.9825  
Epoch 85/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2695 - accuracy: 0.8791 - val\_loss: 0.0865 - val\_accuracy: 0.9825  
Epoch 86/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2882 - accuracy: 0.8615 - val\_loss: 0.0856 - val\_accuracy: 0.9825  
Epoch 87/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2746 - accuracy: 0.8769 - val\_loss: 0.0848 - val\_accuracy: 0.9825  
Epoch 88/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2550 - accuracy: 0.8879 - val\_loss: 0.0847 - val\_accuracy: 0.9825  
Epoch 89/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2647 - accuracy: 0.8835 - val\_loss: 0.0850 - val\_accuracy: 0.9825  
Epoch 90/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2716 - accuracy: 0.8615 - val\_loss: 0.0842 - val\_accuracy: 0.9825  
Epoch 91/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2491 - accuracy: 0.8813 - val\_loss: 0.0844 - val\_accuracy: 0.9737  
Epoch 92/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2422 - accuracy: 0.9033 - val\_loss: 0.0842 - val\_accuracy: 0.9737  
Epoch 93/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2557 - accuracy: 0.8835 - val\_loss: 0.0843 - val\_accuracy: 0.9737  
Epoch 94/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2810 - accuracy: 0.8659 - val\_loss: 0.0835 - val\_accuracy: 0.9737  
Epoch 95/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2566 - accuracy: 0.8813 - val\_loss: 0.0828 - val\_accuracy: 0.9737  
Epoch 96/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2805 - accuracy: 0.8637 - val\_loss: 0.0829 - val\_accuracy: 0.9737  
Epoch 97/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2452 - accuracy: 0.8835 - val\_loss: 0.0830 - val\_accuracy: 0.9737  
Epoch 98/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2461 - accuracy: 0.8835 - val\_loss: 0.0818 - val\_accuracy: 0.9737  
Epoch 99/100  
15/15 [=====] - 0s 3ms/step - loss: 0.3156 - accuracy: 0.8352 - val\_loss: 0.0814 - val\_accuracy: 0.9737  
Epoch 100/100  
15/15 [=====] - 0s 3ms/step - loss: 0.2593 - accuracy: 0.8747 - val\_loss: 0.0817 - val\_accuracy: 0.9737

```
In [ ]: ## Load model
#model.Load_weights(top_model_weights_path)

In [ ]: def plot_loss(history):
    historydata = pd.DataFrame(history.history, index=history.epoch)
    plt.figure(figsize=(8, 6))
    historydata.plot(ylim=(0, 1.01*historydata.values.max()))
    plt.title('Loss: %.3f' % history.history['loss'][-1])
plot_loss(deep_history)
```

&lt;Figure size 800x600 with 0 Axes&gt;



```
In [ ]: # Prevendo os resultados
y_pred = model.predict(X_test)
y_pred = (y_pred>0.5)

# Analisando a qualidade do modelo
cm = confusion_matrix(y_test, y_pred)

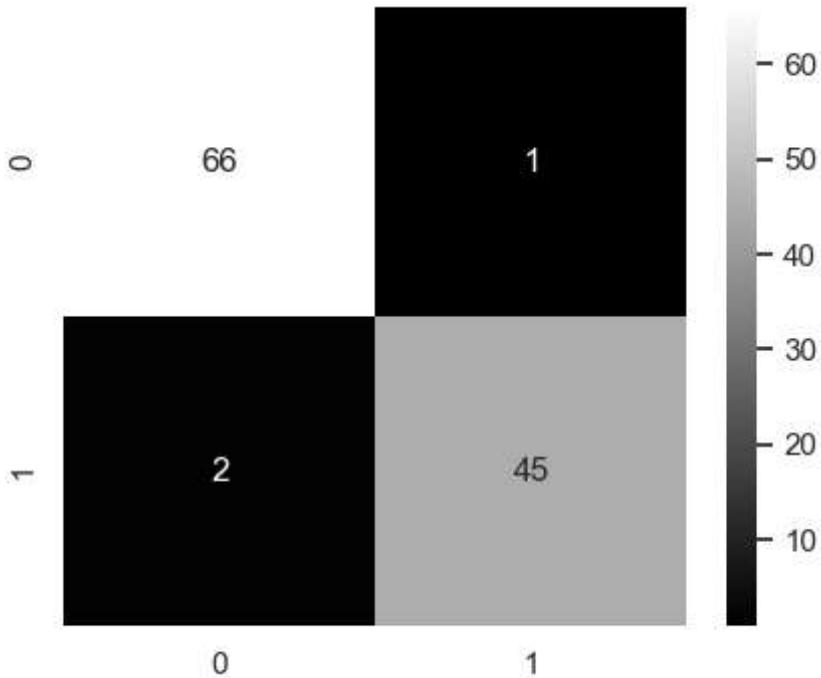
acc['ANN'] = accuracy_score(y_test, y_pred)
rec['ANN'] = recall_score(y_test, y_pred)
prec['ANN'] = precision_score(y_test, y_pred)
f1['ANN'] = f1_score(y_test, y_pred)
print(f"Acurácia: {100*acc['ANN']} %")
print(f"Recall: {100*rec['ANN']} %")
print(f"Precisão: {100*prec['ANN']} %")
print(f"F1: {100*f1['ANN']} %")

print(f"\n\nMatriz de confusão:")
plt.figure(figsize=(5,4))
sns.set(font_scale = 1)
```

```
sns.set_style("white")
_ = sns.heatmap(cm, cmap = 'gist_yarg_r', annot = True, fmt='d')
```

4/4 [=====] - 0s 1ms/step  
Acurácia: 97.36842105263158 %  
Recall: 95.74468085106383 %  
Precisão: 97.82608695652173 %  
F1: 96.7741935483871 %

Matriz de confusão:



## Métricas

Relembrando:

- Acertos
  - "True Positive" (TP): Previsão --> Maligno ; Real --> Maligno
  - "True Negative" (TN): Previsão --> Benigno ; Real --> Benigno
- Erros
  - "False Positive" (FP): Previsão --> Maligno ; Real --> Benigno
  - "False Negative" (FN): Previsão --> Benigno ; Real --> Maligno
- Acurácia =  $\frac{TP+TN}{TP+TN+FP+FN}$
- Recall =  $\frac{TP}{TP+FN}$
- Precisão =  $\frac{TP}{TP+FP}$
- F1 - Score =  $\frac{2P_{rec}R_{ec}}{P_{rec}+R_{ec}}$

```
In [ ]: metrics = pd.DataFrame({
    'Modelo': acc.keys(),
    'Acurácia': np.array(list(acc.values()))*100,
    'Recall': np.array(list(rec.values()))*100,
    'Precisão': np.array(list(prec.values()))*100,
    'F1': np.array(list(f1.values()))*100
}).sort_values(by = ['Recall'], ascending = False)
metrics.reset_index(drop = True, inplace = True)
metrics
```

Out[ ]:

	Modelo	Acurácia	Recall	Precisão	F1
0	SVM_linear	98.245614	97.872340	97.872340	97.872340
1	logistic	96.491228	95.744681	95.744681	95.744681
2	SVM_kernal	98.245614	95.744681	100.000000	97.826087
3	ANN	97.368421	95.744681	97.826087	96.774194
4	tree	91.228070	93.617021	86.274510	89.795918
5	random_forest	94.736842	93.617021	93.617021	93.617021
6	reg_linear	95.614035	89.361702	100.000000	94.382022
7	k_neighbors	95.614035	89.361702	100.000000	94.382022
8	naive_bayes	89.473684	87.234043	87.234043	87.234043