From lecture, we have 
$$Var[R_i] = \beta_i^2 Var[R_m] + Var[\mathcal{E}_i]$$

$$R^2 = \frac{\beta_i^2 \delta_m^2}{\beta_i^2 \delta_m^2 + V_i^2}$$

$$\beta_i \delta_m = R^1 \beta_i \delta_m + R^1 V_i$$

From PM screenshot, and U.S. has 252 trade day in one year.

$$(1-R^{2})\beta_{i}^{2}\delta_{m}^{2} = R^{2}V_{i}^{2}$$

$$\delta_{m}^{2} = \frac{R^{2}V_{i}^{2}}{(1-R^{2})\beta_{i}^{2}} = \frac{0.416 \cdot 0.05081}{(1-0.416) \cdot 0.635^{2}} = 0.0897$$

$$\delta_{m} = 29.557$$

$$8 pm = 29.49 \%$$
 8 pm from n/t = 19.03/  
 $8i = 22.54\%$ 

- " 1. annualized idiosynvatic risk of PM: 22.54%
  - 2. annualized systematic risk of PM. 19.03%
  - 3 annualized total risk of PM: 29.49%.
  - 4. volatility of market: 8 m = 29.95/